

## Binary Treatments vs Dose-Response

Binary Treatment  $T \sim (\pi_1, T|C)$   
 prima facie  $Y \sim T$   $\bar{Y}_T - \bar{Y}_C$

propensity score  $T \sim \underline{X}$ ,  $\hat{E}(T|\underline{X})$ ,  $\hat{e}(\underline{X})$   
e.g. logistic regression

outcome analysis. One use of  $\hat{e}(\underline{X})$  (CC.2)  
 is "matching" by regression interpolation

$Y \sim T + \hat{e}(\underline{X})$  simple OLS,  $\text{coef}(T)$   
 or use smoothers to compare  $Y \sim \hat{e}(\underline{X})$  each group  
 PSAgraphics fANCOVA packages

Dose-Response, Dose  $D$ , ADRF  
 prima facie  $Y \sim D$  or  $Y = f(D)$

ignores self-selection into Dose level

Hirano - Imbens

GPS Generalized Propensity Score  
 $\text{GPS} = \hat{E}(D|\underline{X})$  predict Dose from confounders level

outcome analysis

use GPS and chosen Dose to predict  $Y$

$Y \approx f(\text{GPS}, D)$  e.g. 2<sup>nd</sup> degree polynomial

plot fit vs  $D$  estimate ADRF