

# Advanced Statistical Methods for Observational Studies



LECTURE 07

# regression discontinuity



# RD designs



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- Intuition:

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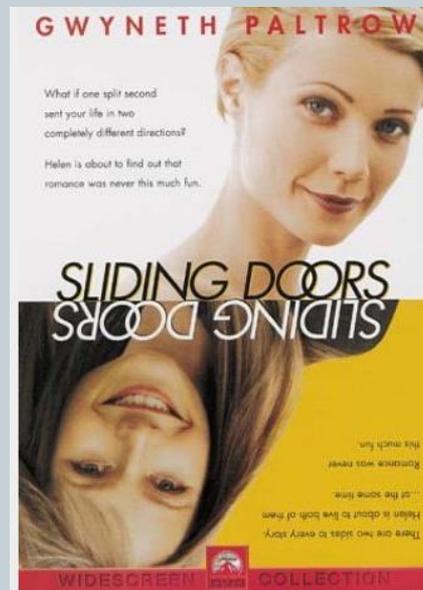


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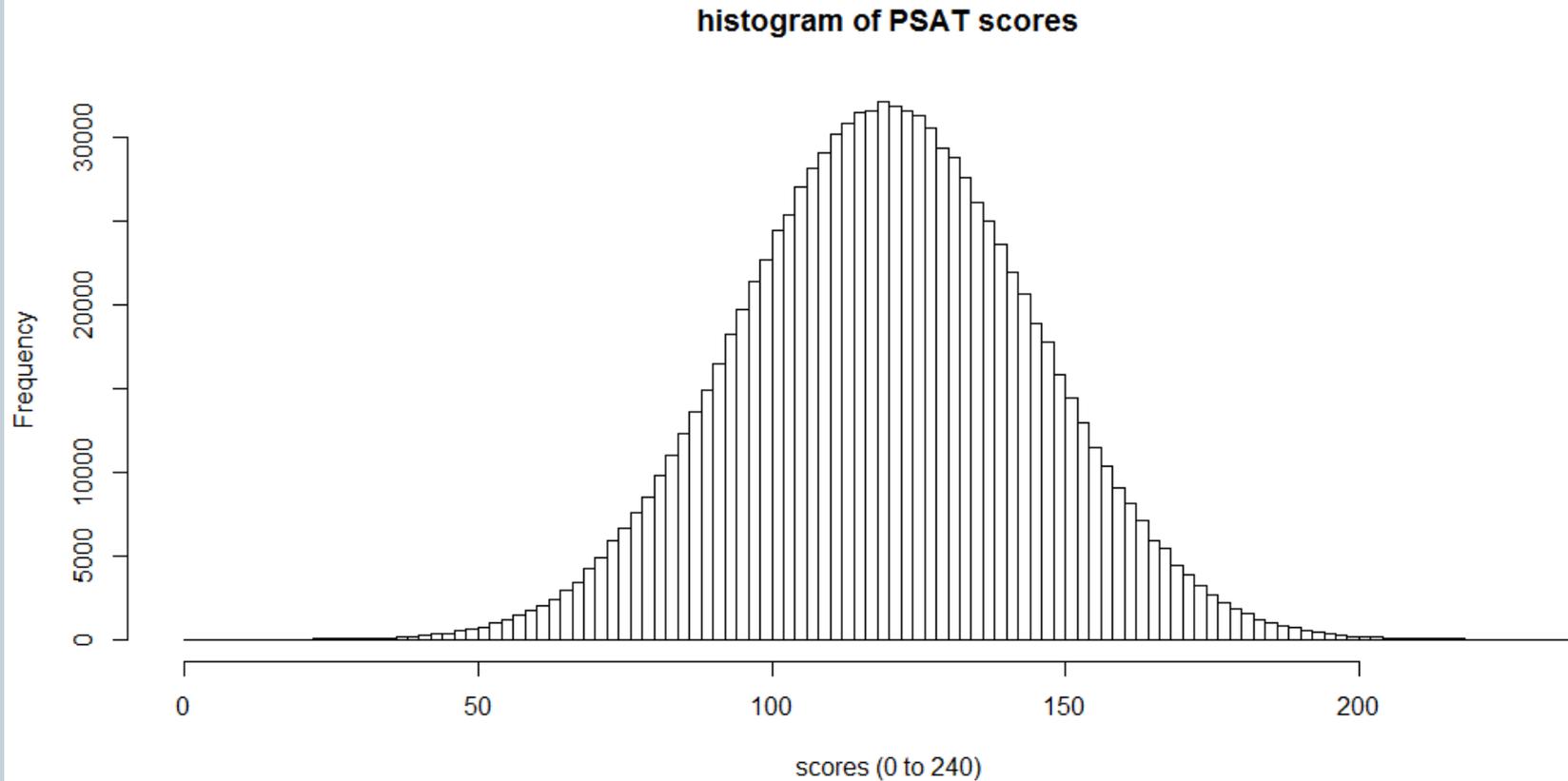


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- Research question: How much benefit does the student receive from being given support for college?
- The naïve comparison is horrid: Those who work to get the NMS are outstanding and those who don't get it are a mixed bag.
- But there are millions of students who take the PSAT every year, maybe we can find a subgroup.

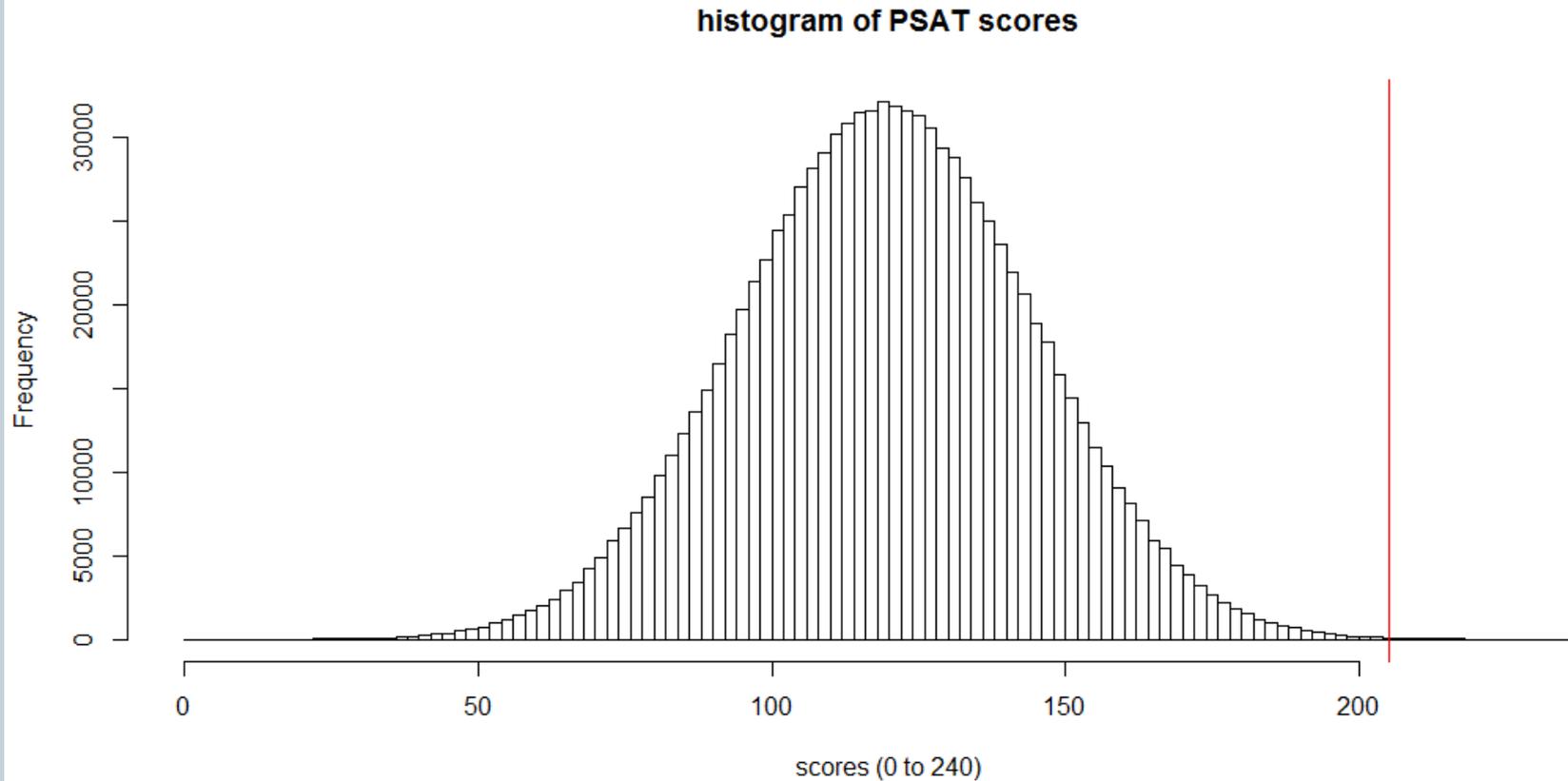
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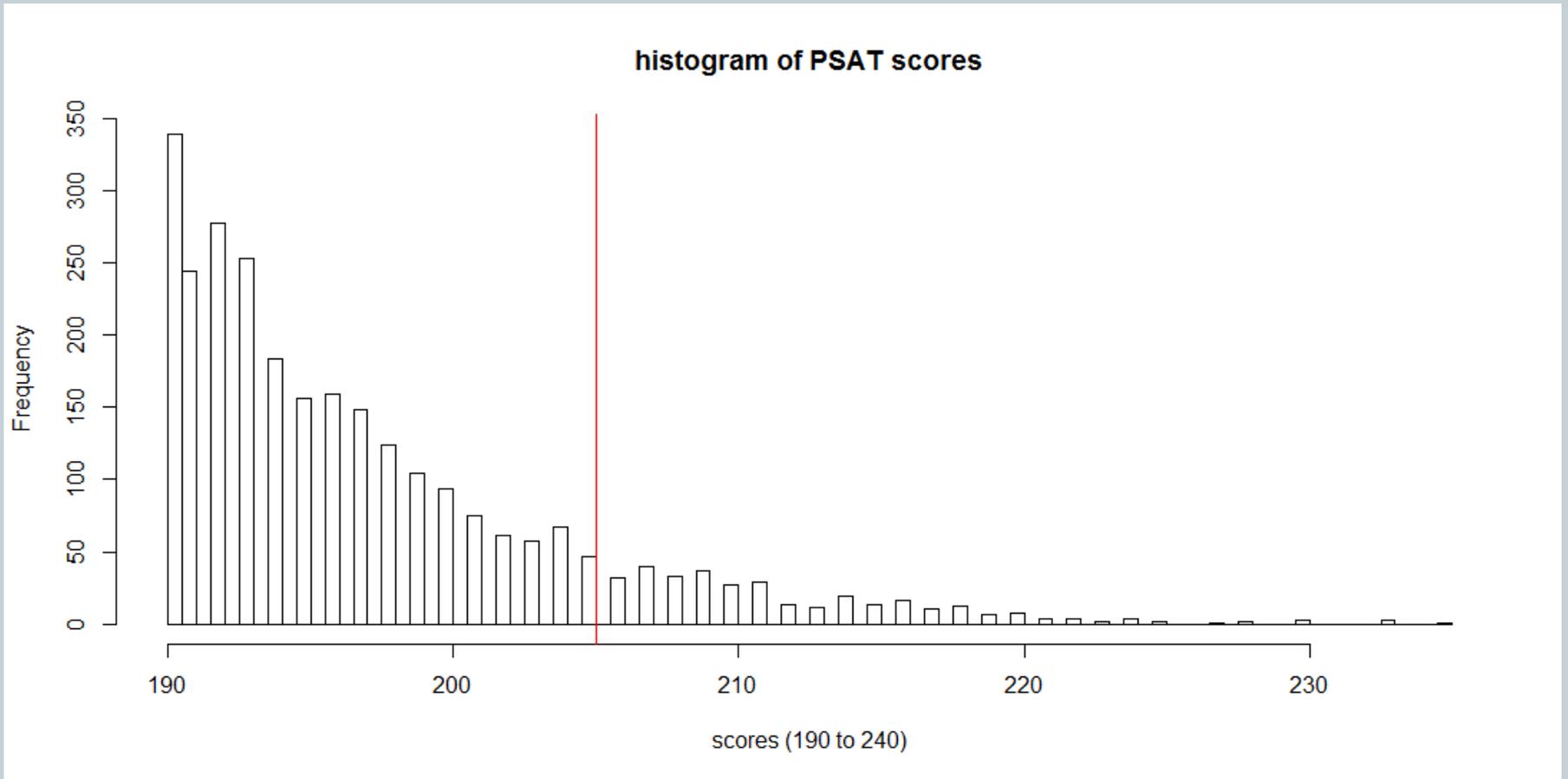
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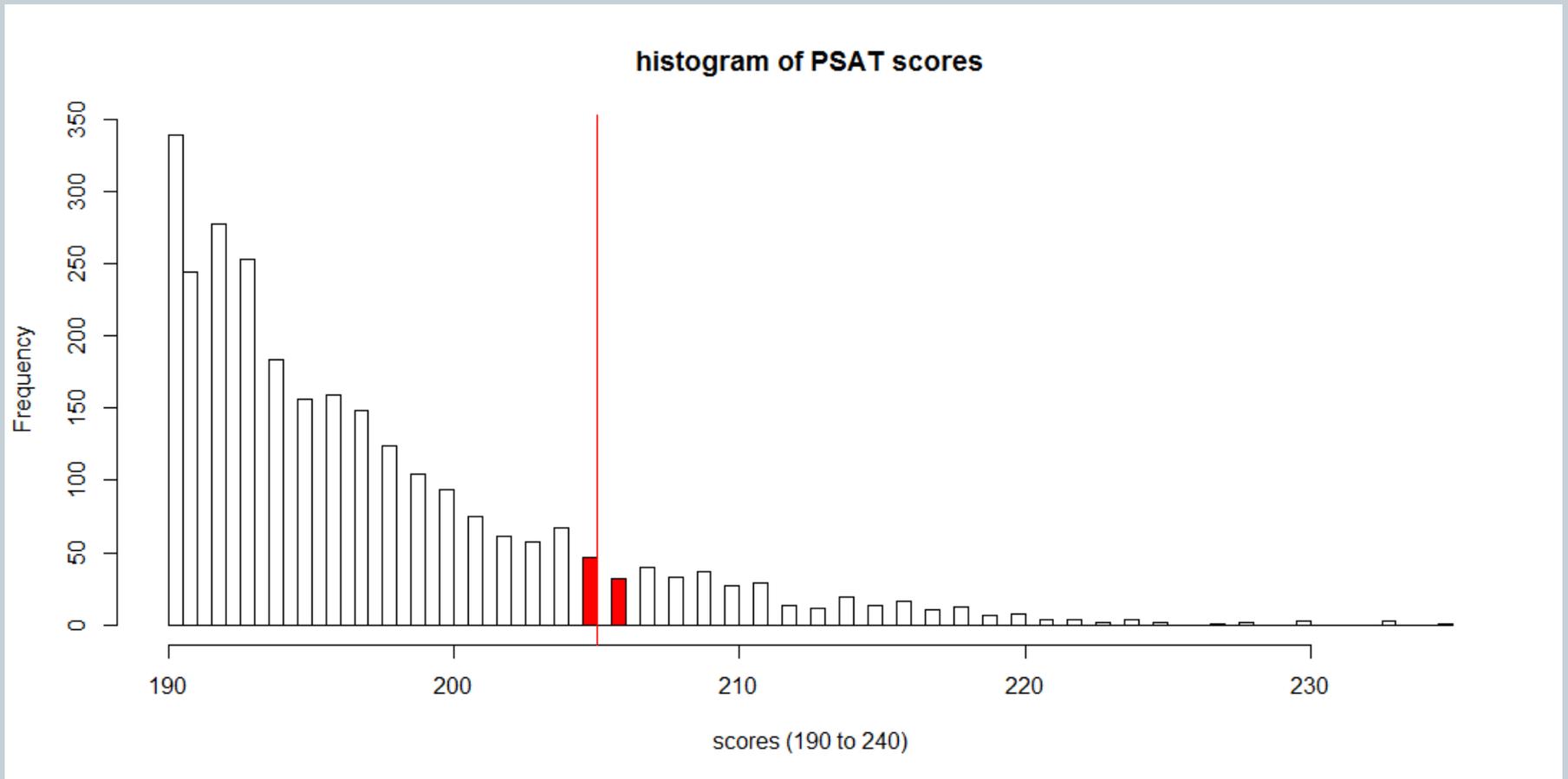
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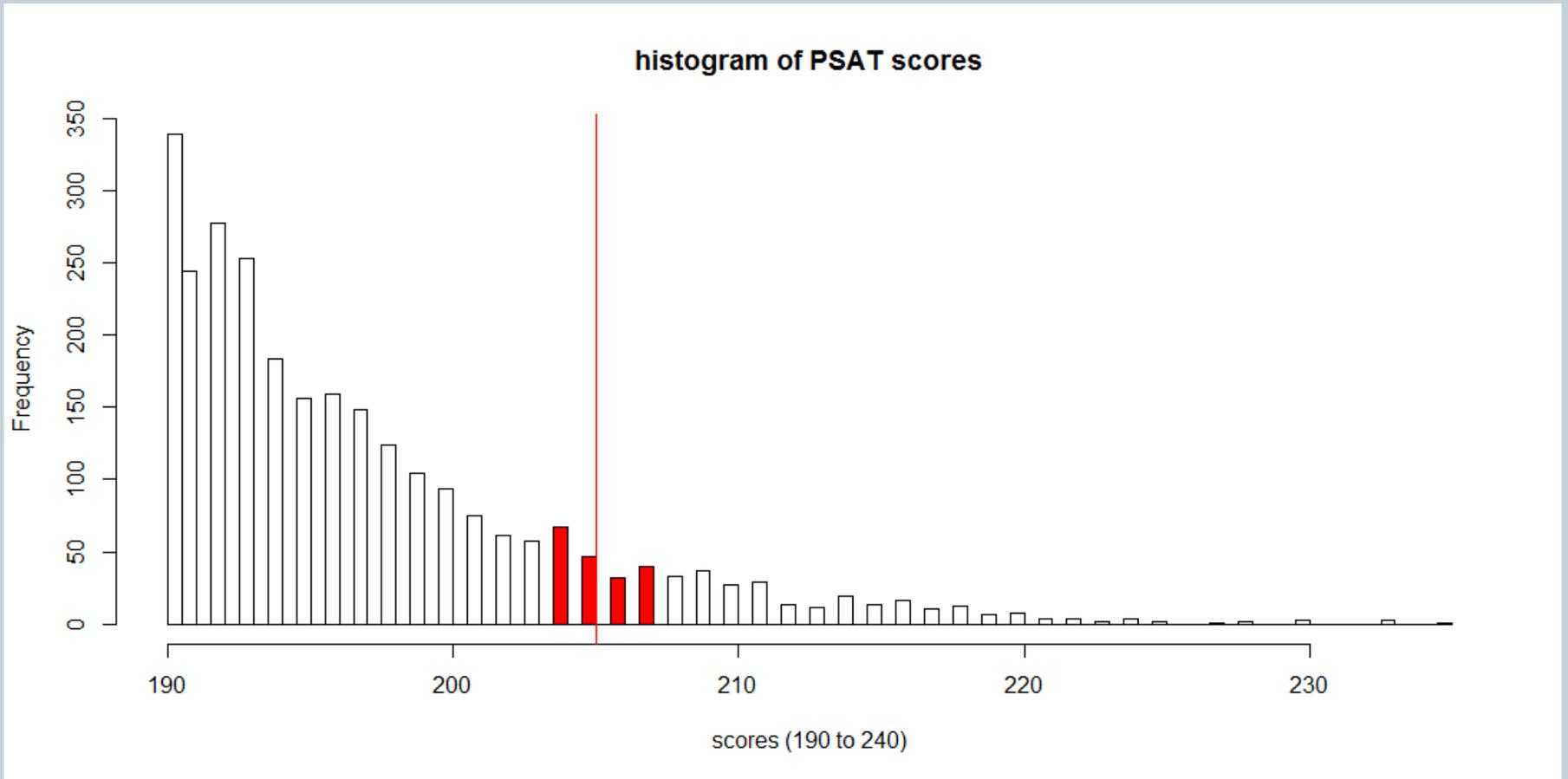
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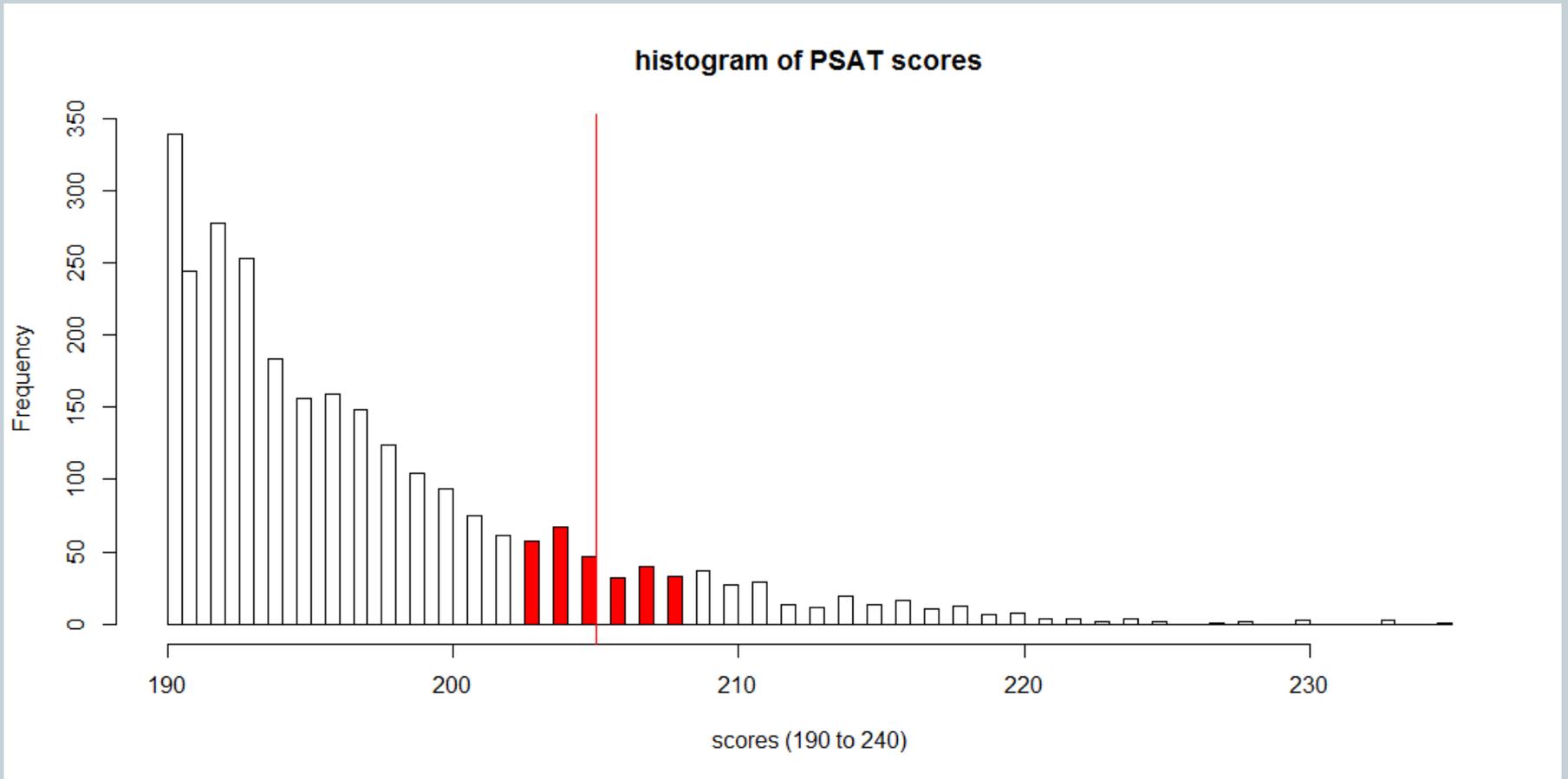
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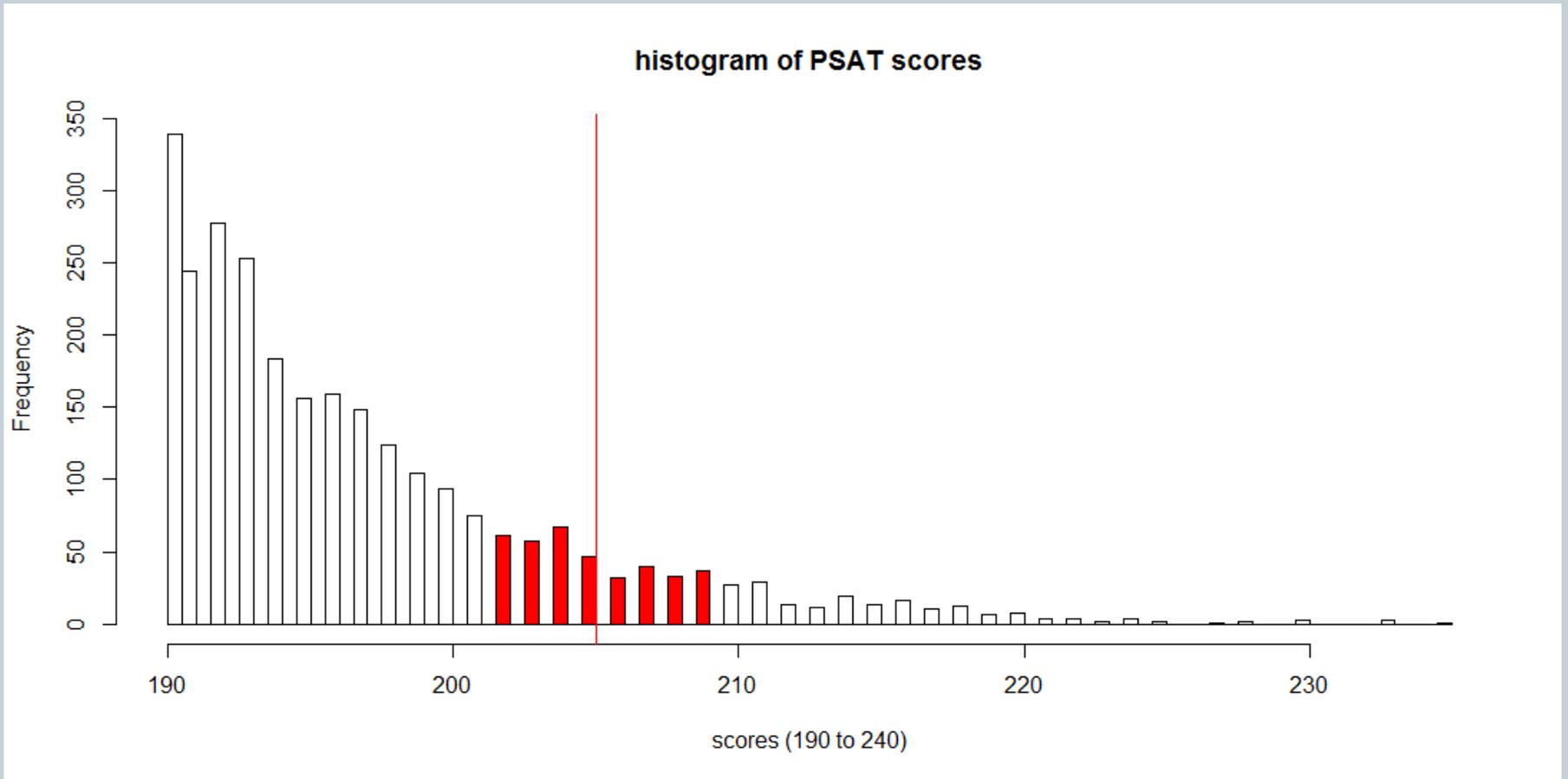
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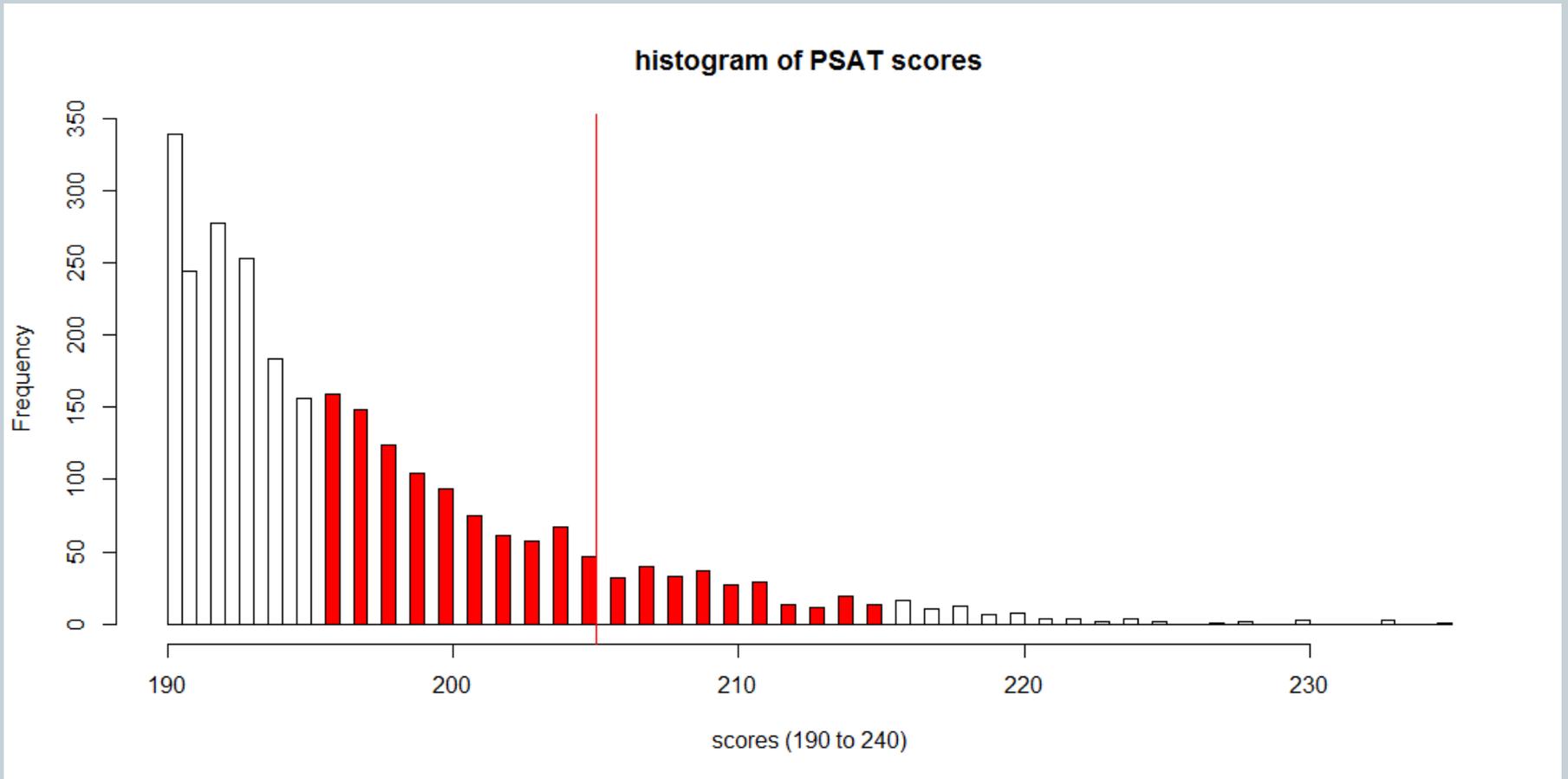
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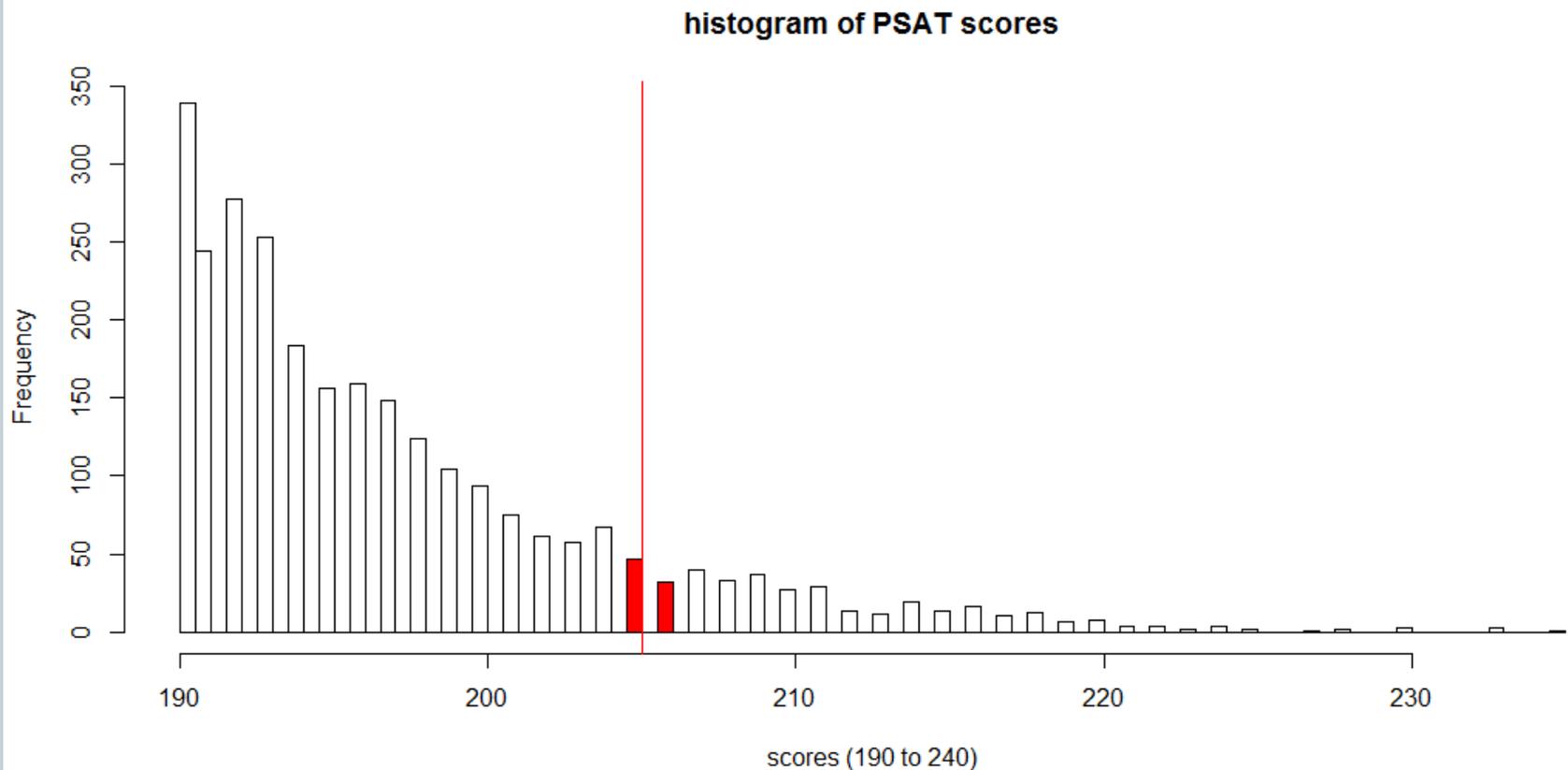


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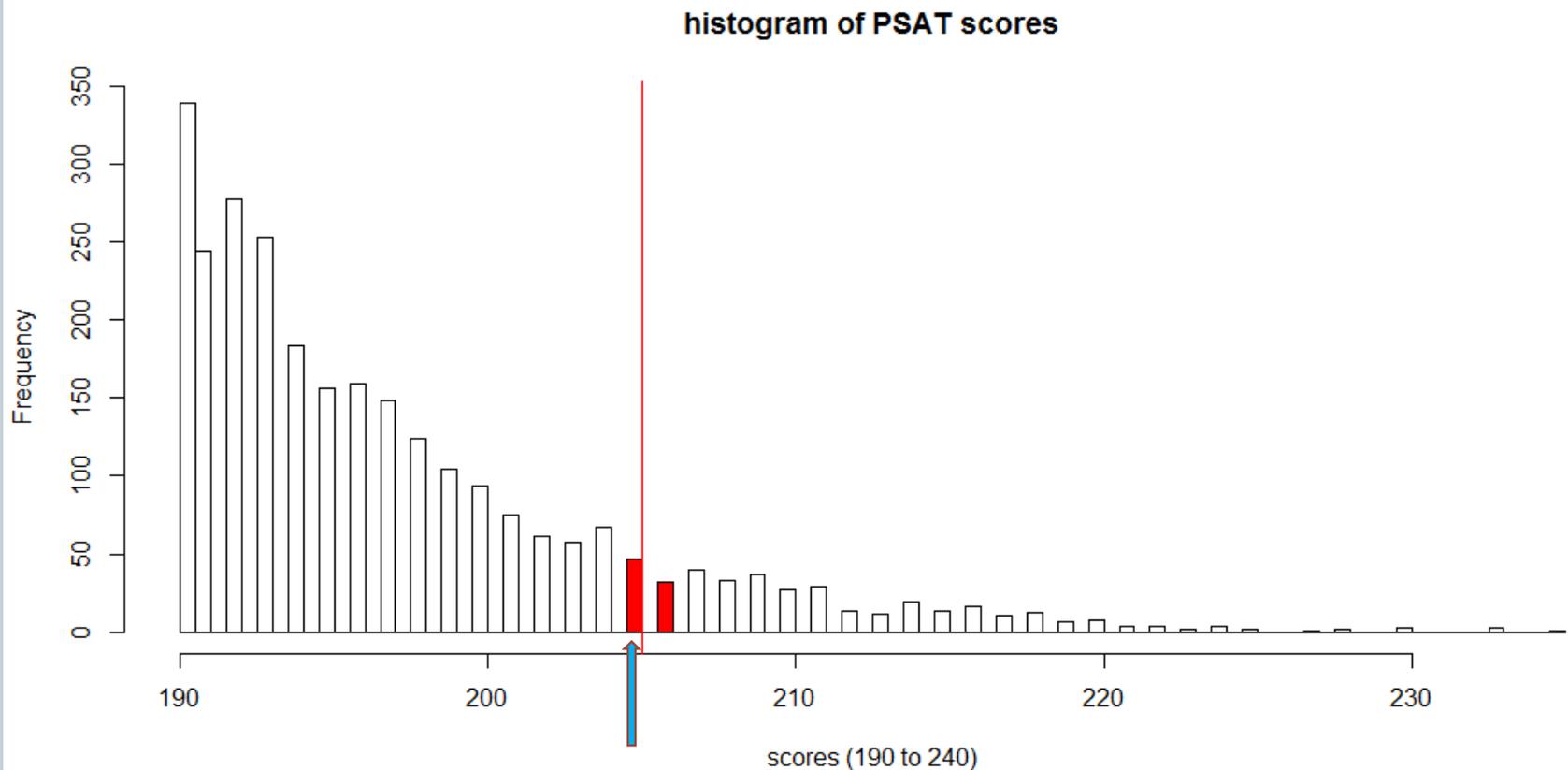
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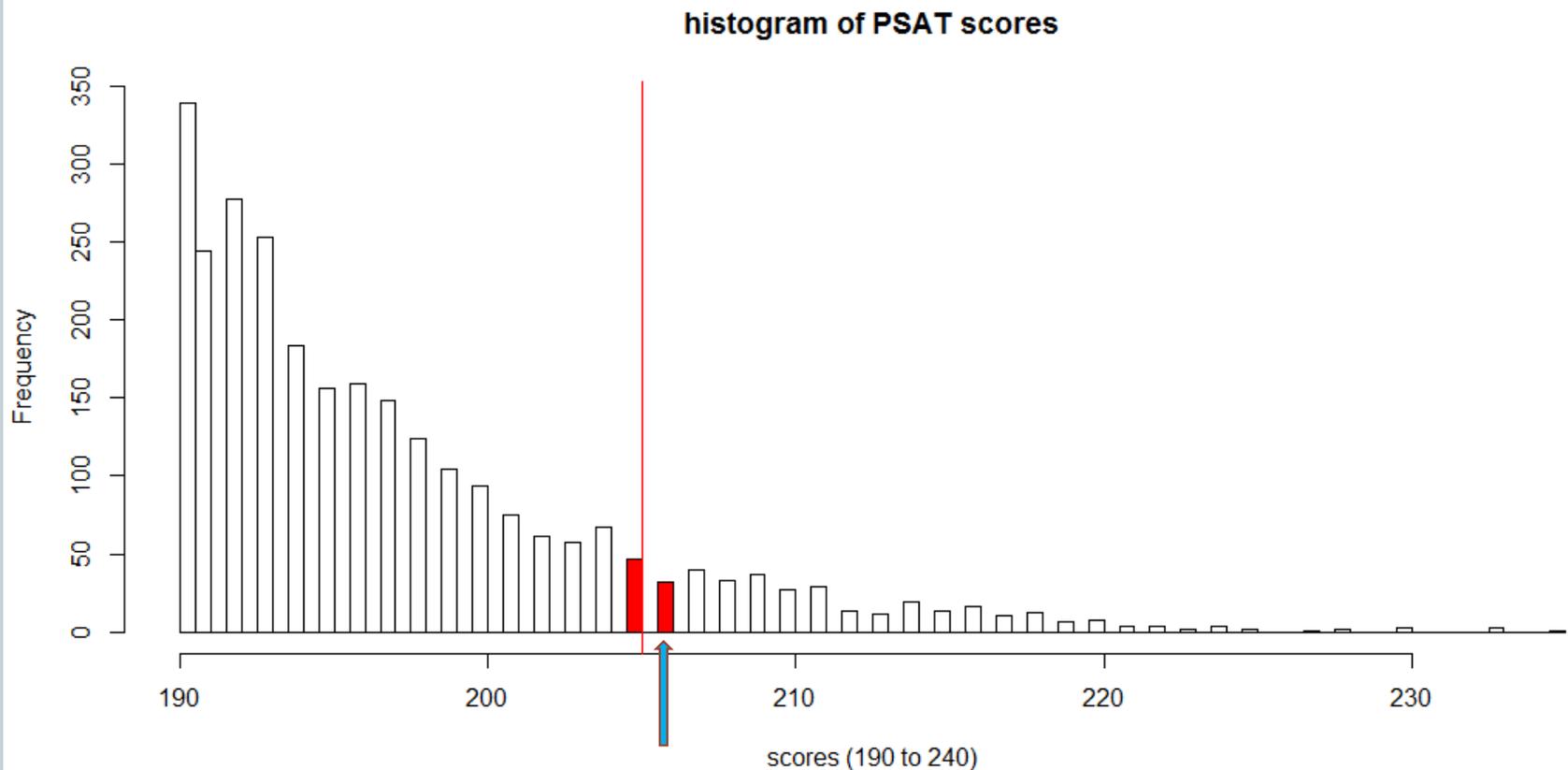
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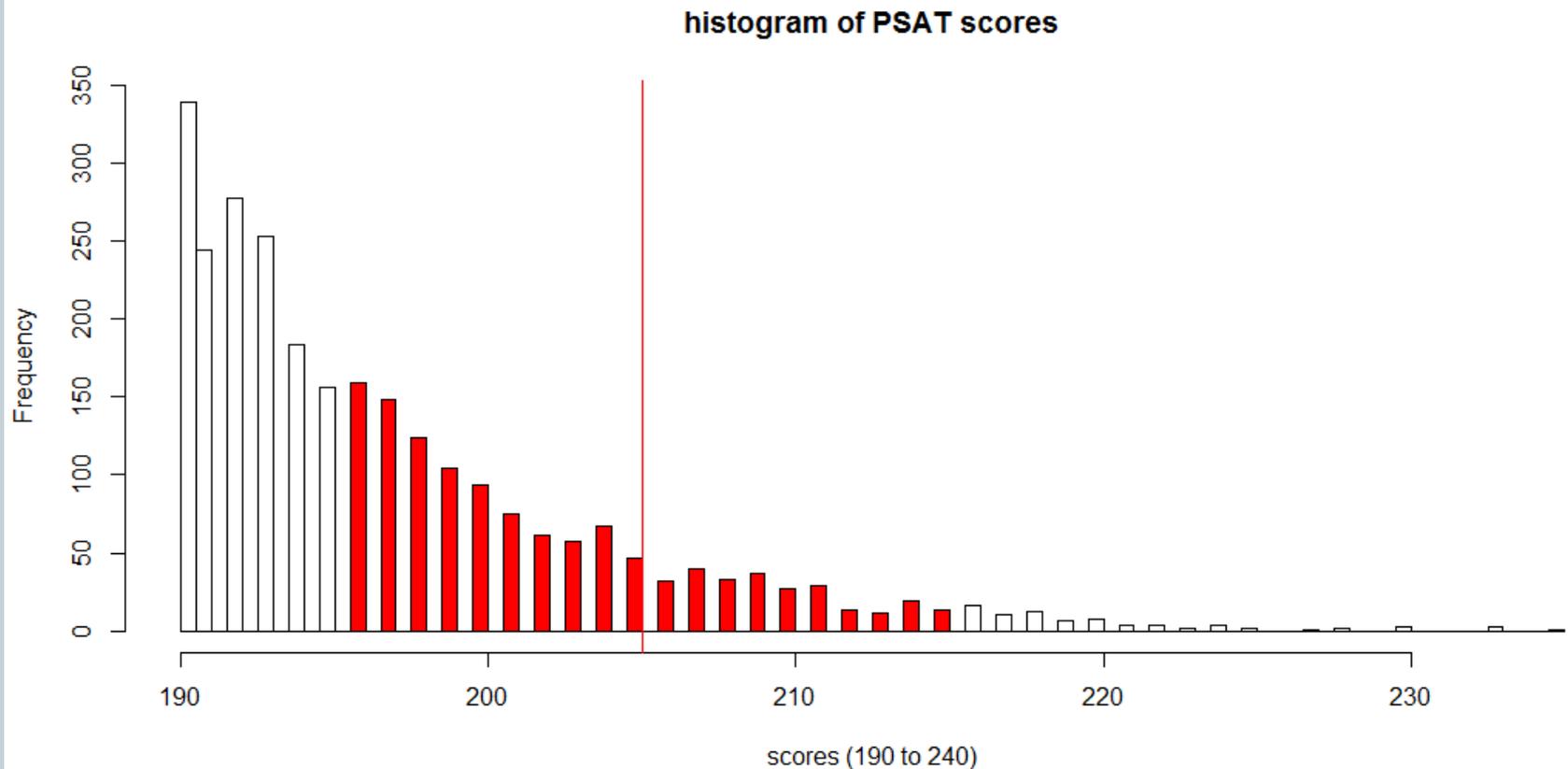
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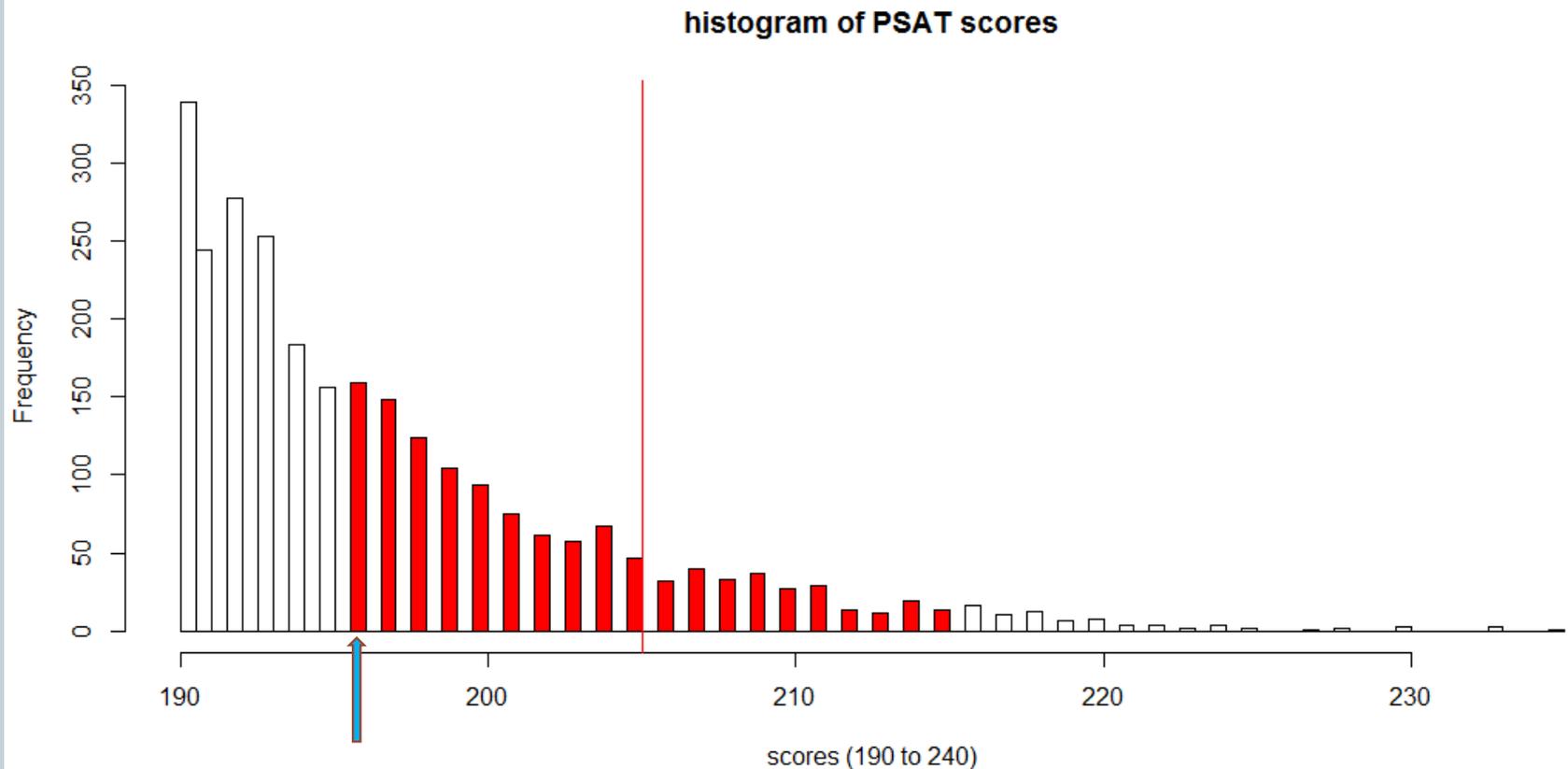
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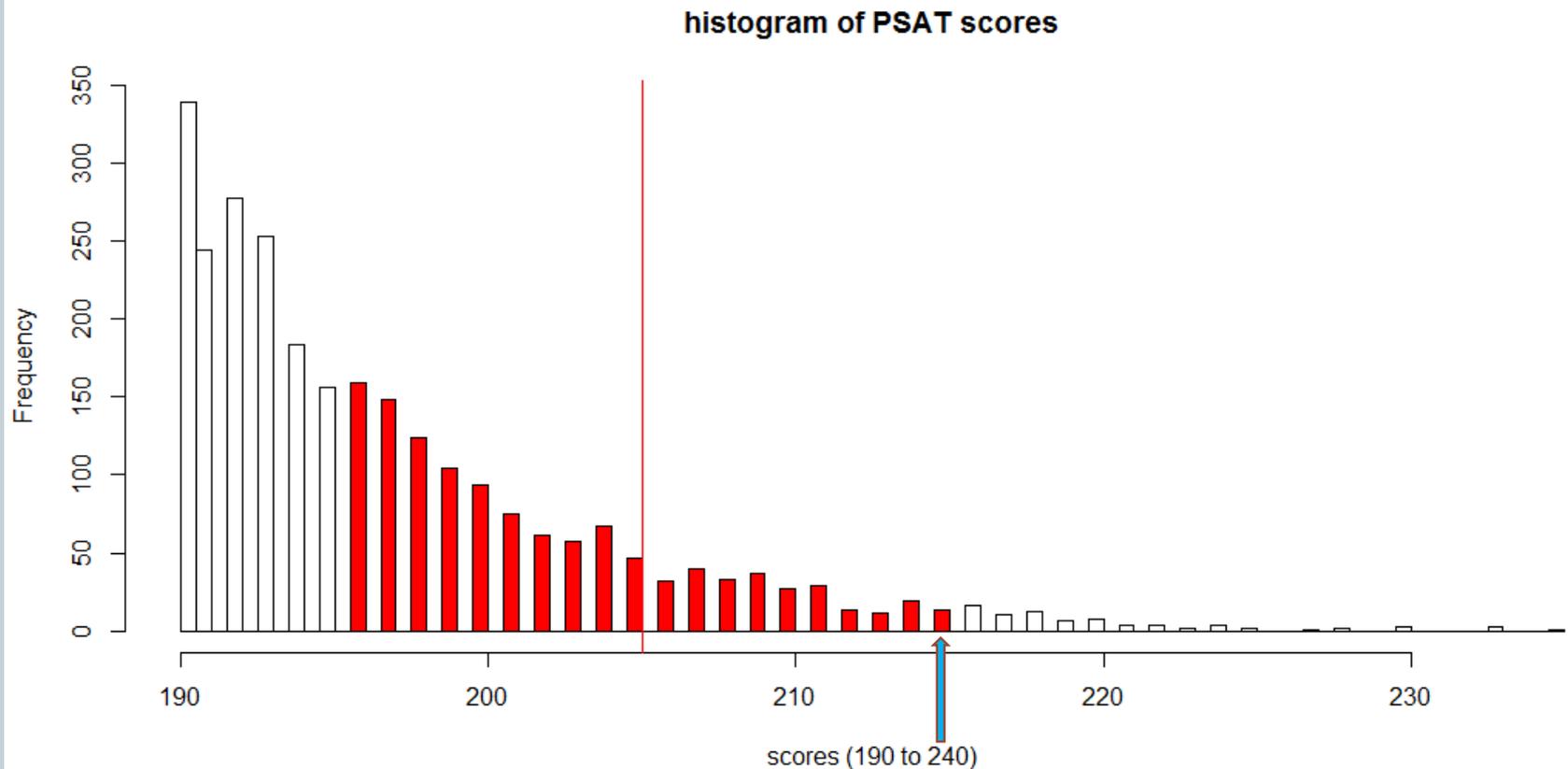
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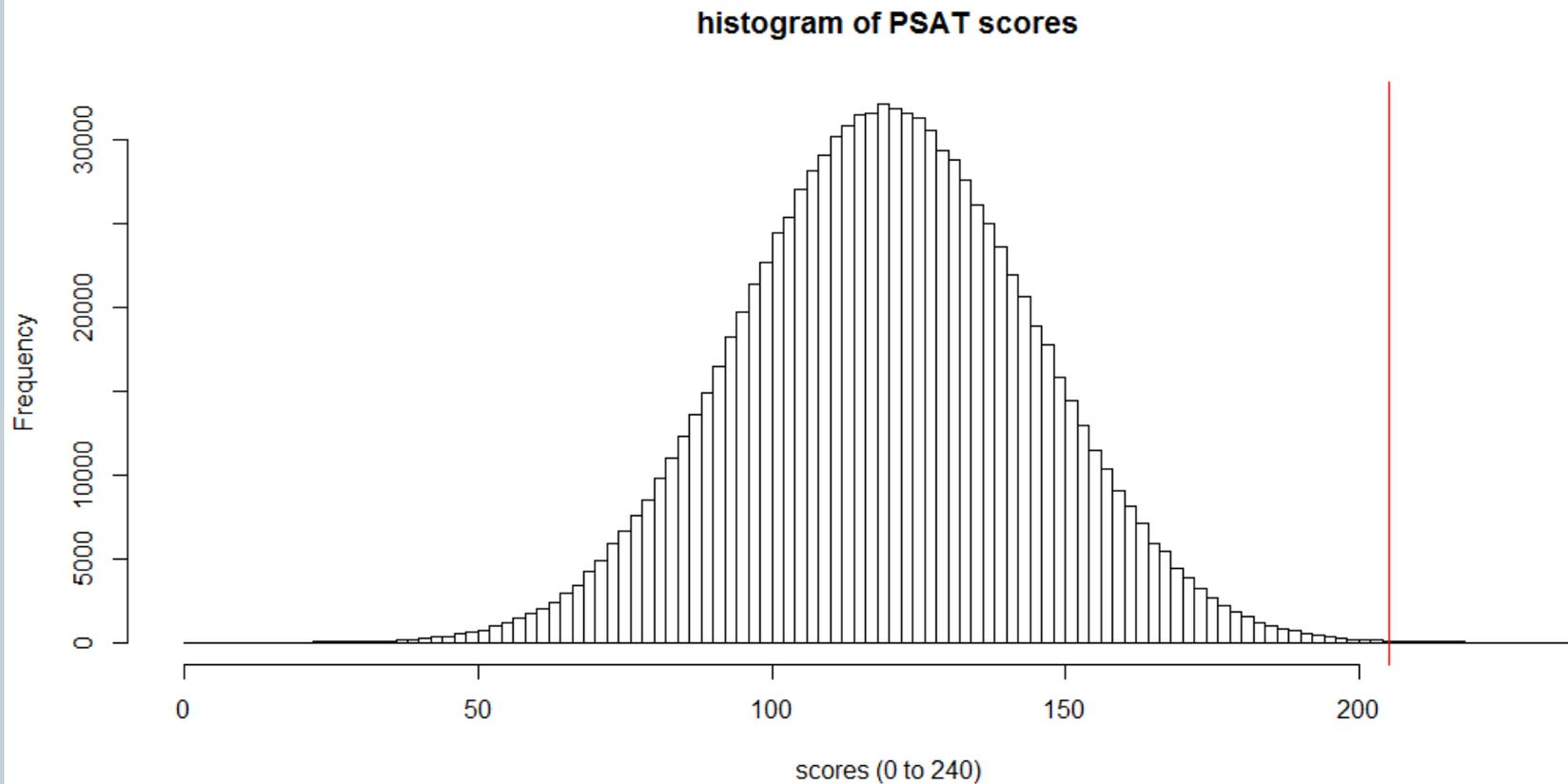
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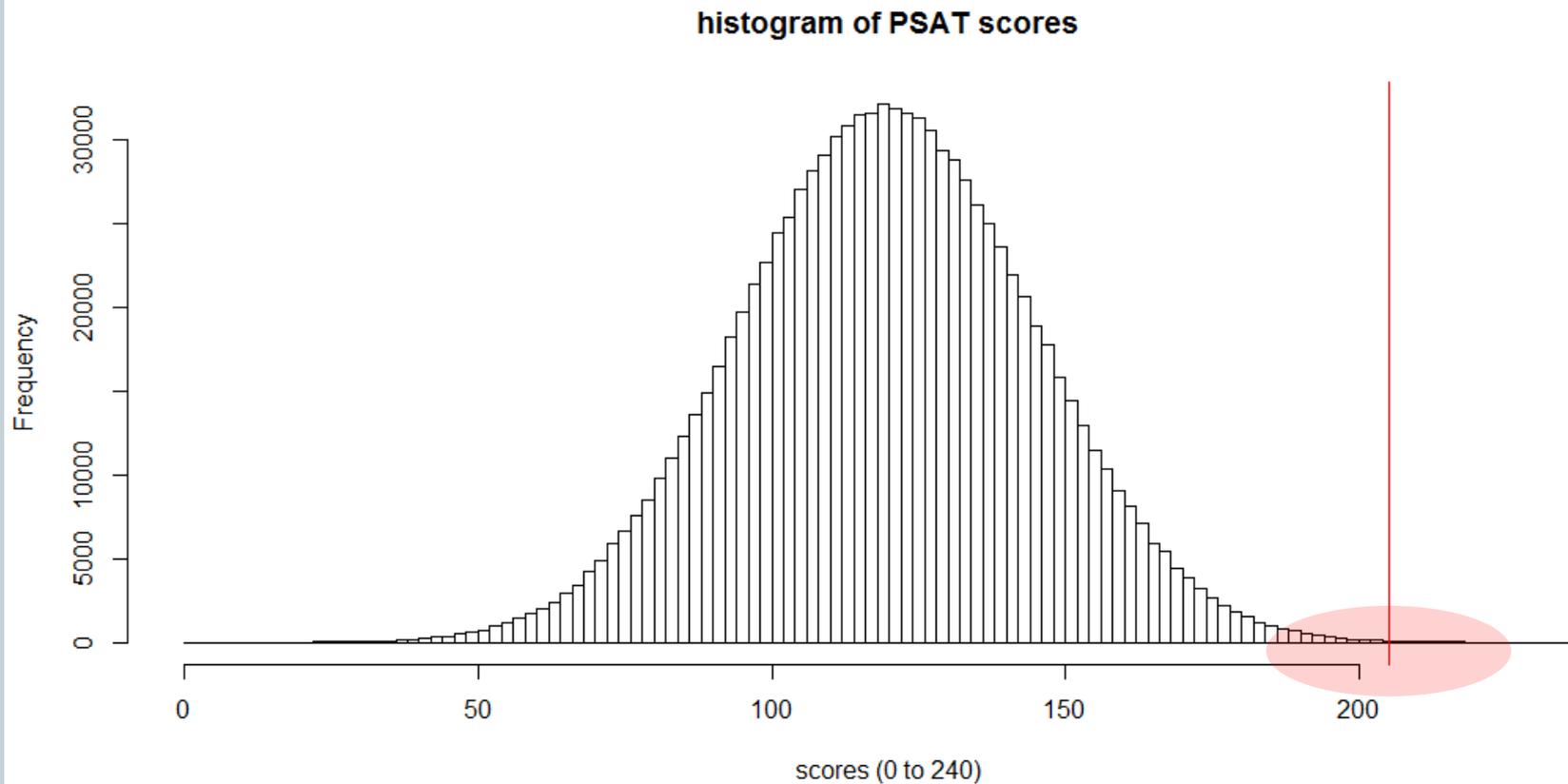
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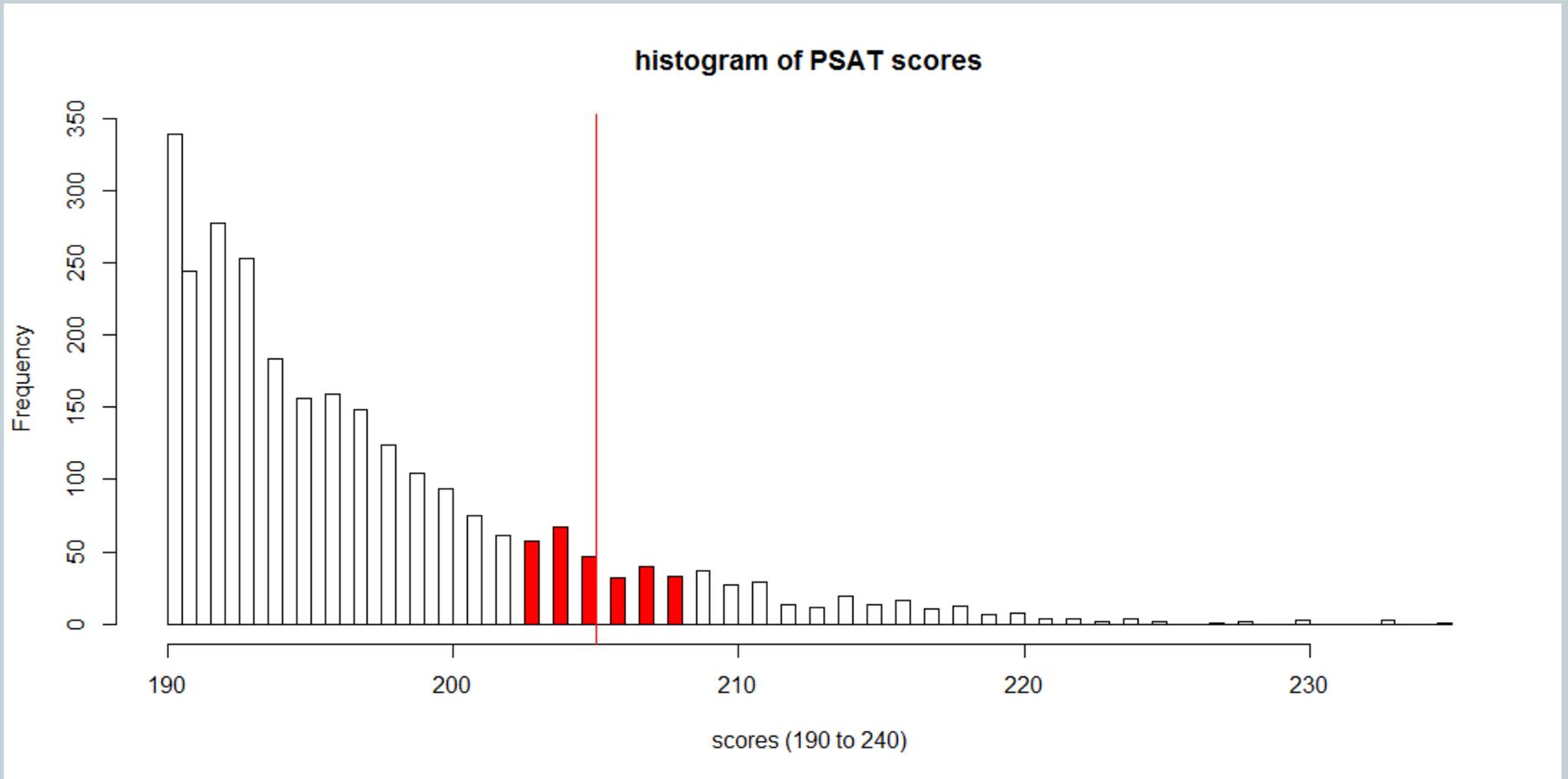
- Inference:

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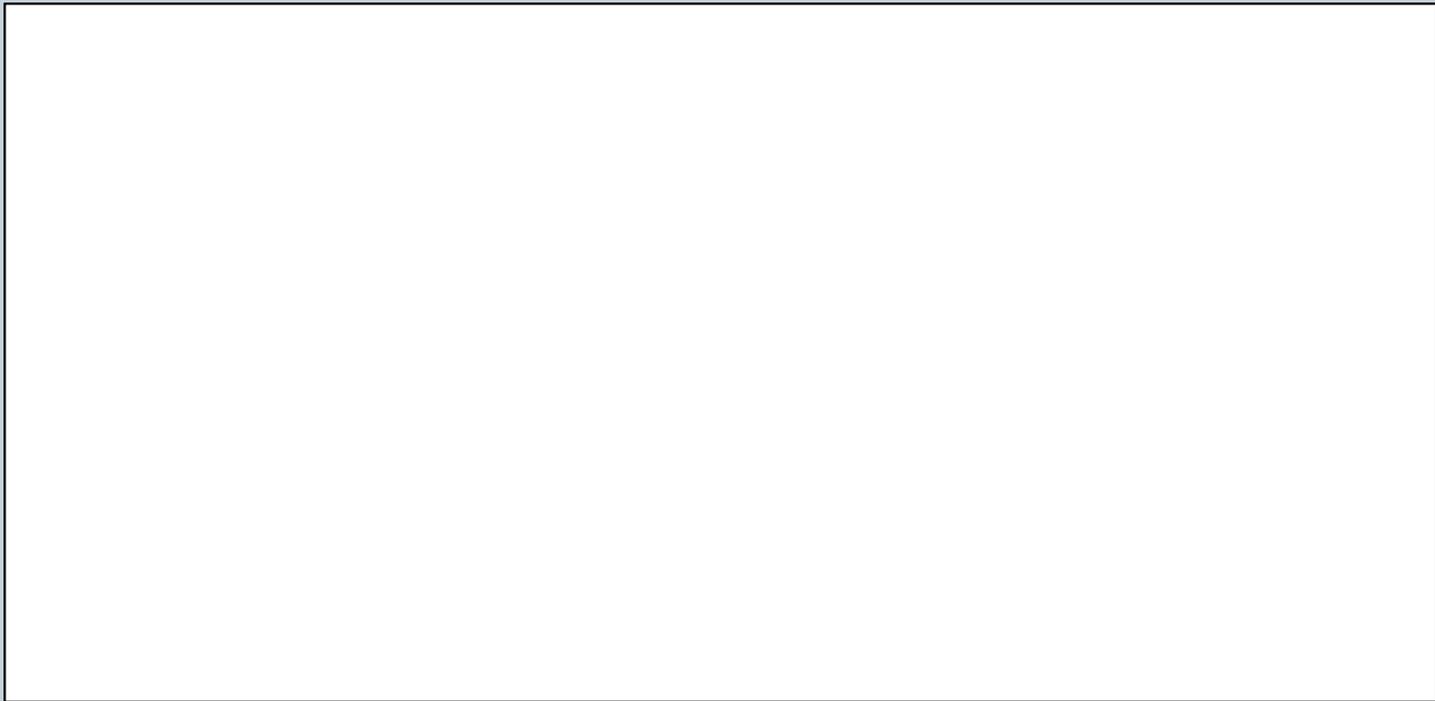
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- Many economists will use some kind of SEM ([Cuesta and Imai](#)):

$$income_{i,j} = y_i + \beta * d_j + u_{i,j}$$

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P(scholarship)



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P(scholarship)



PSAT score

# RD designs



P(scholarship)

190

PSAT score

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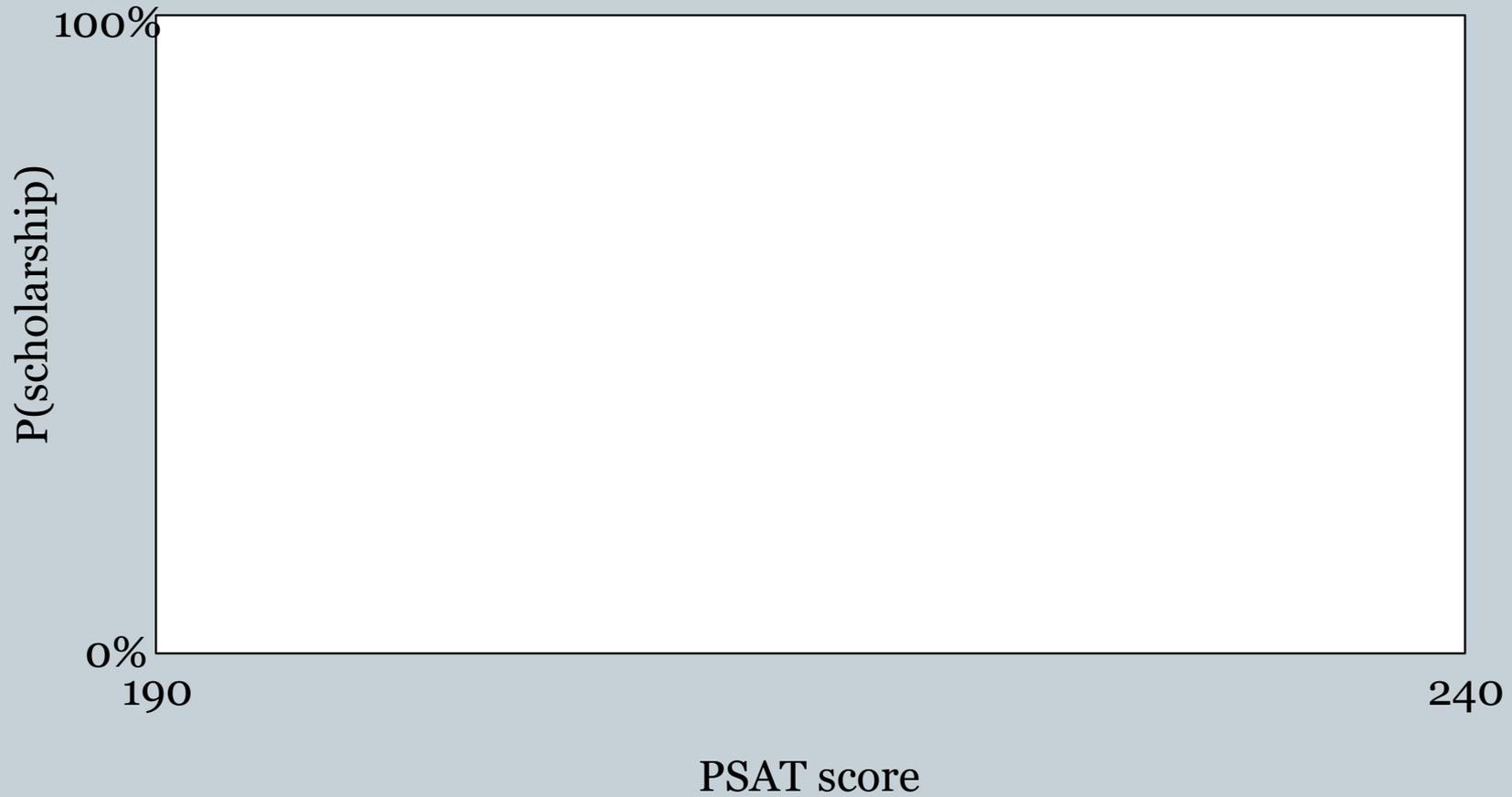
P(scholarship)

190

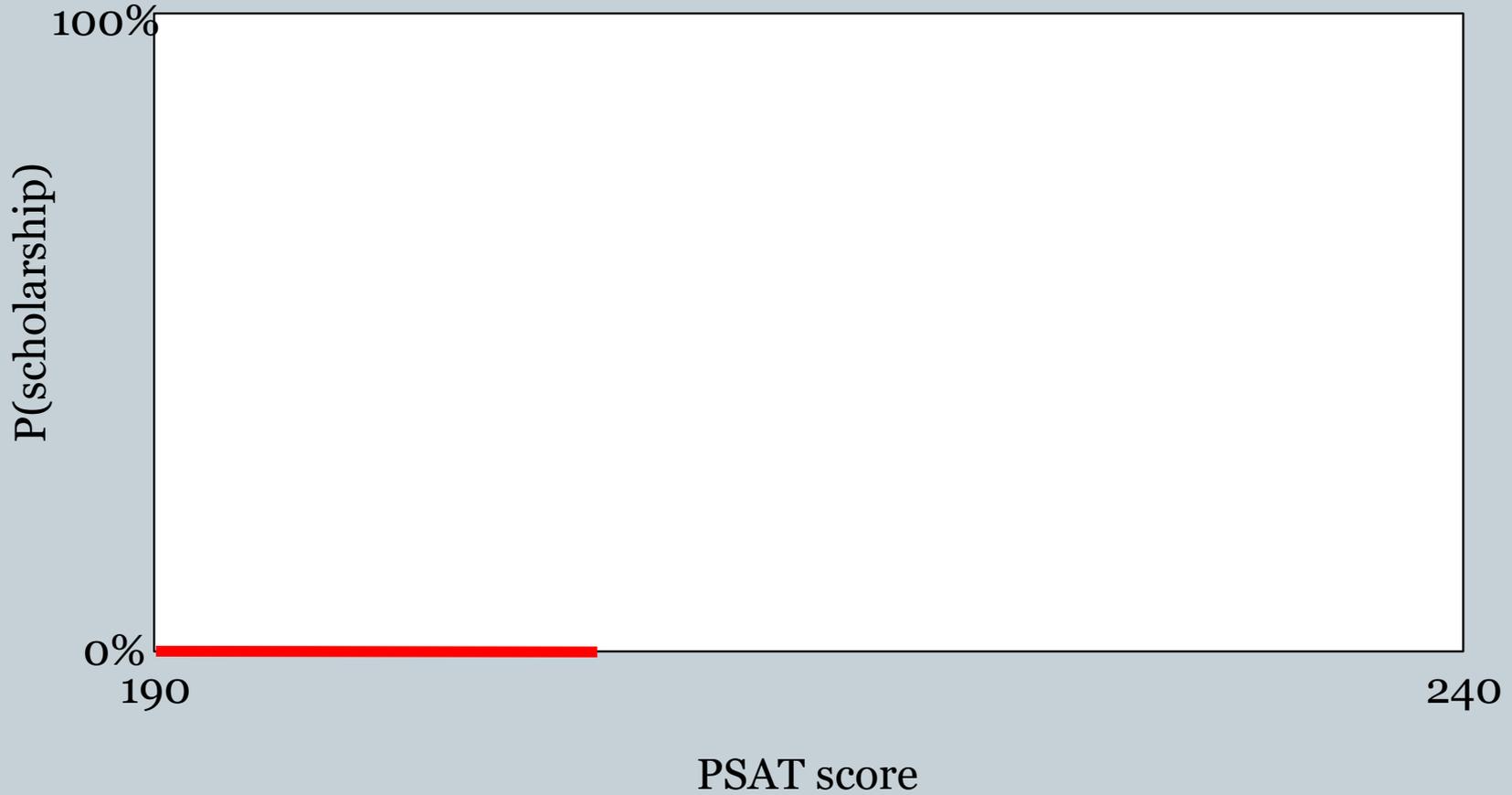
240

PSAT score

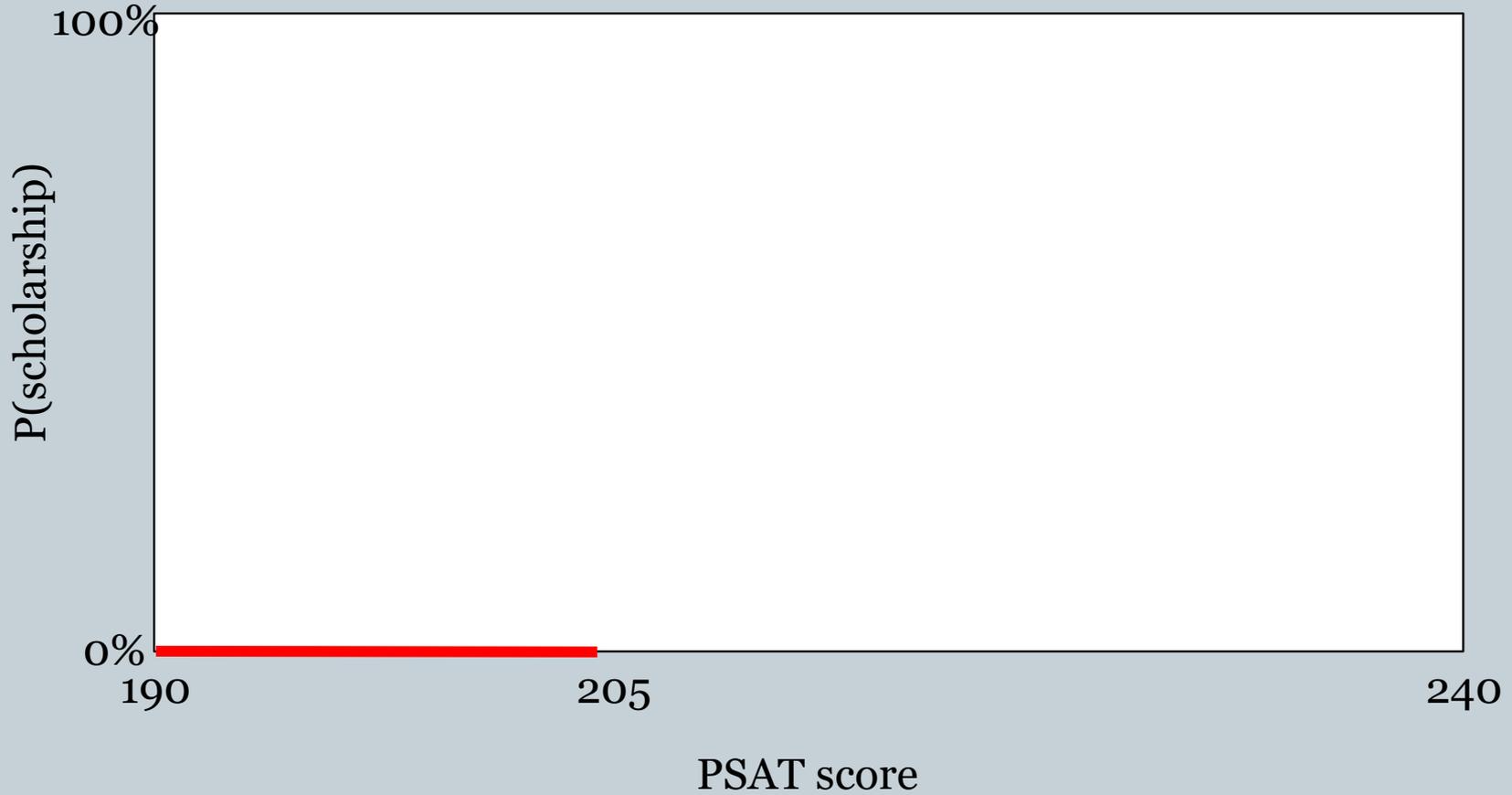
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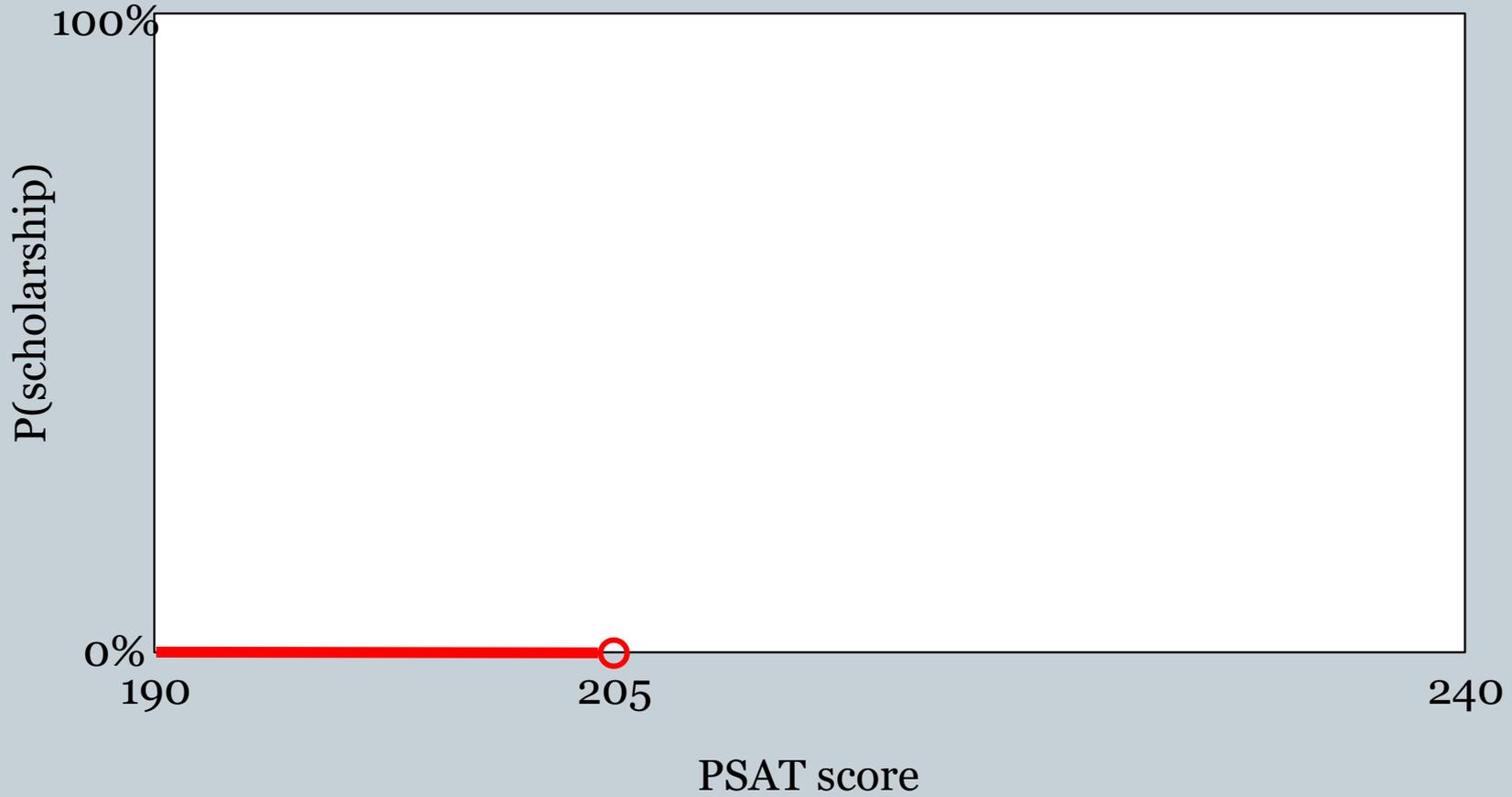
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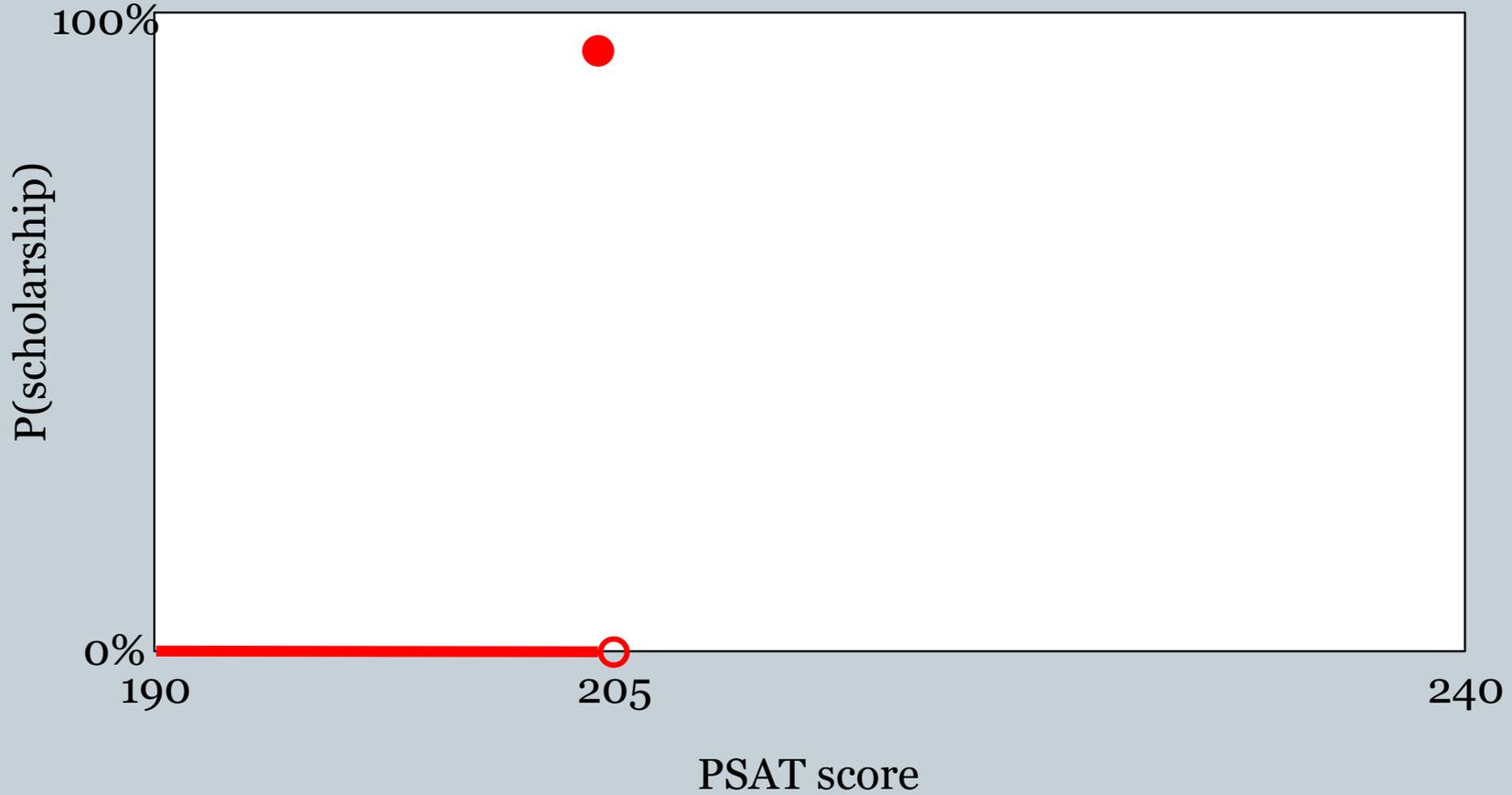
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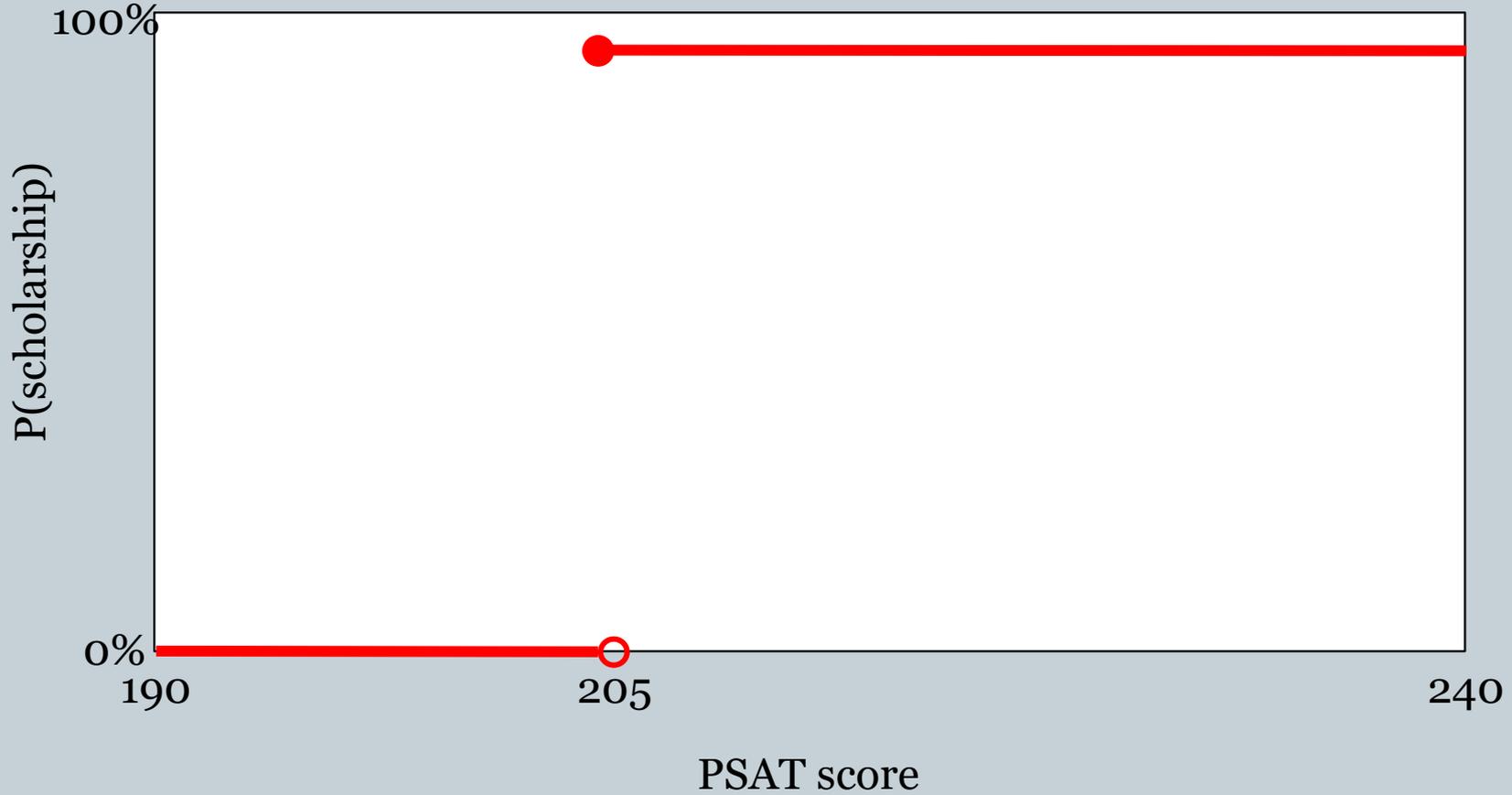
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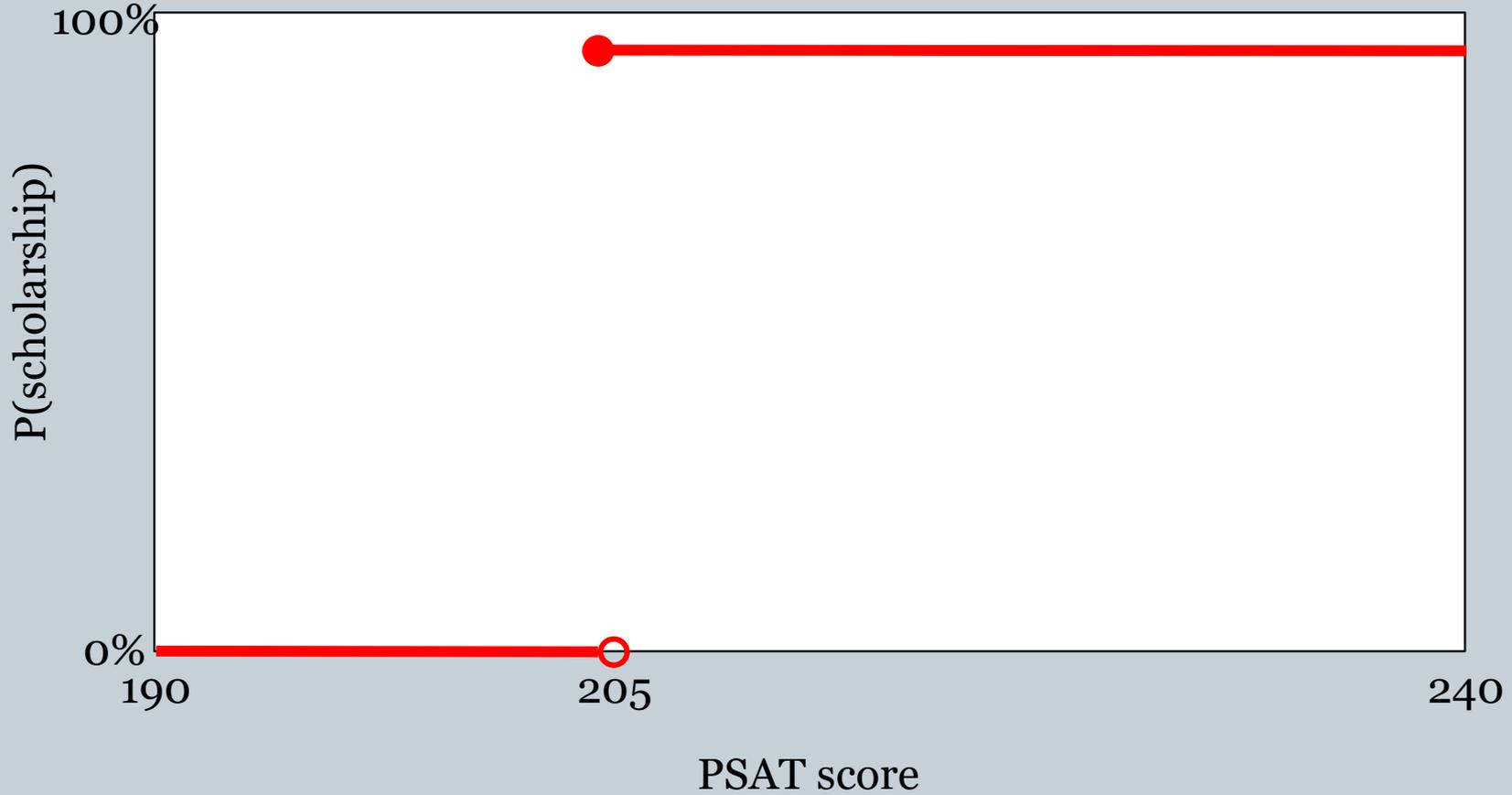
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*fuzzy* RD designs



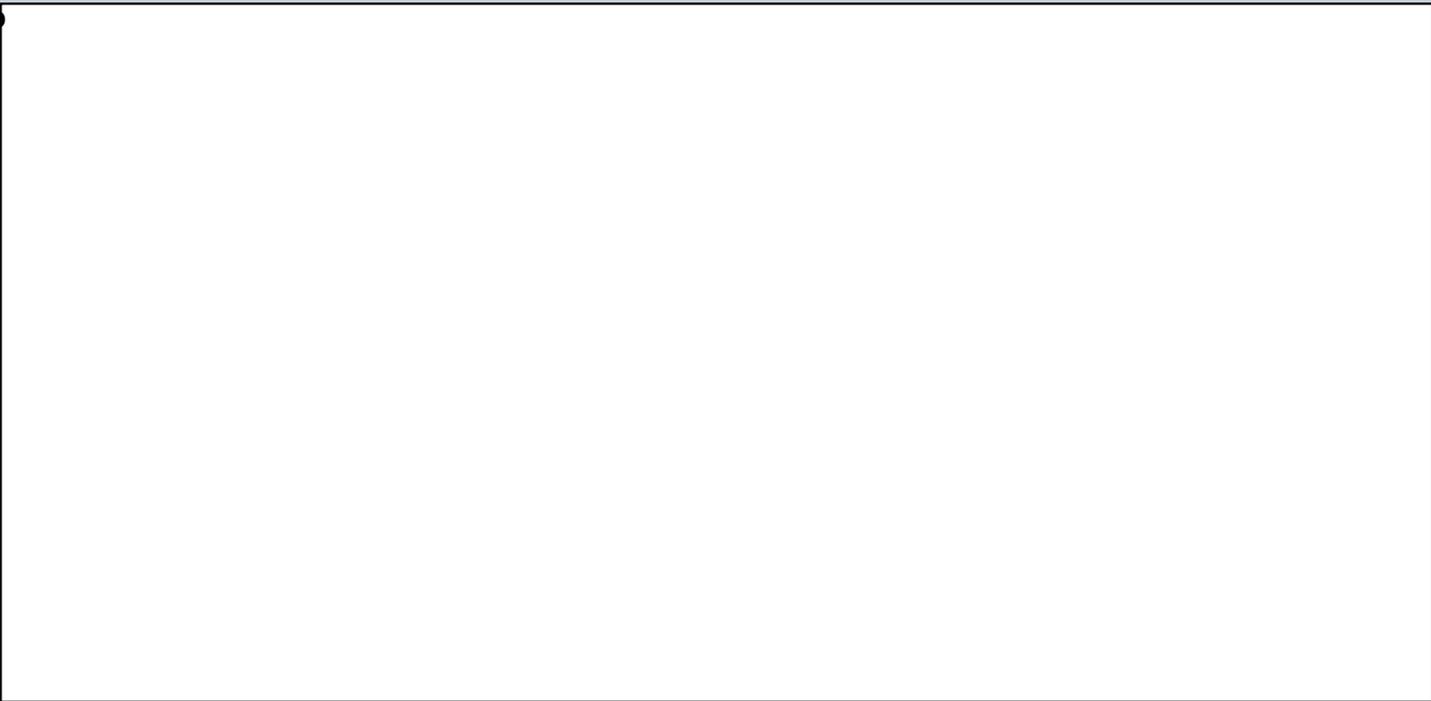
*fuzzy*

# RD designs: Blood Pressure



100%

0%



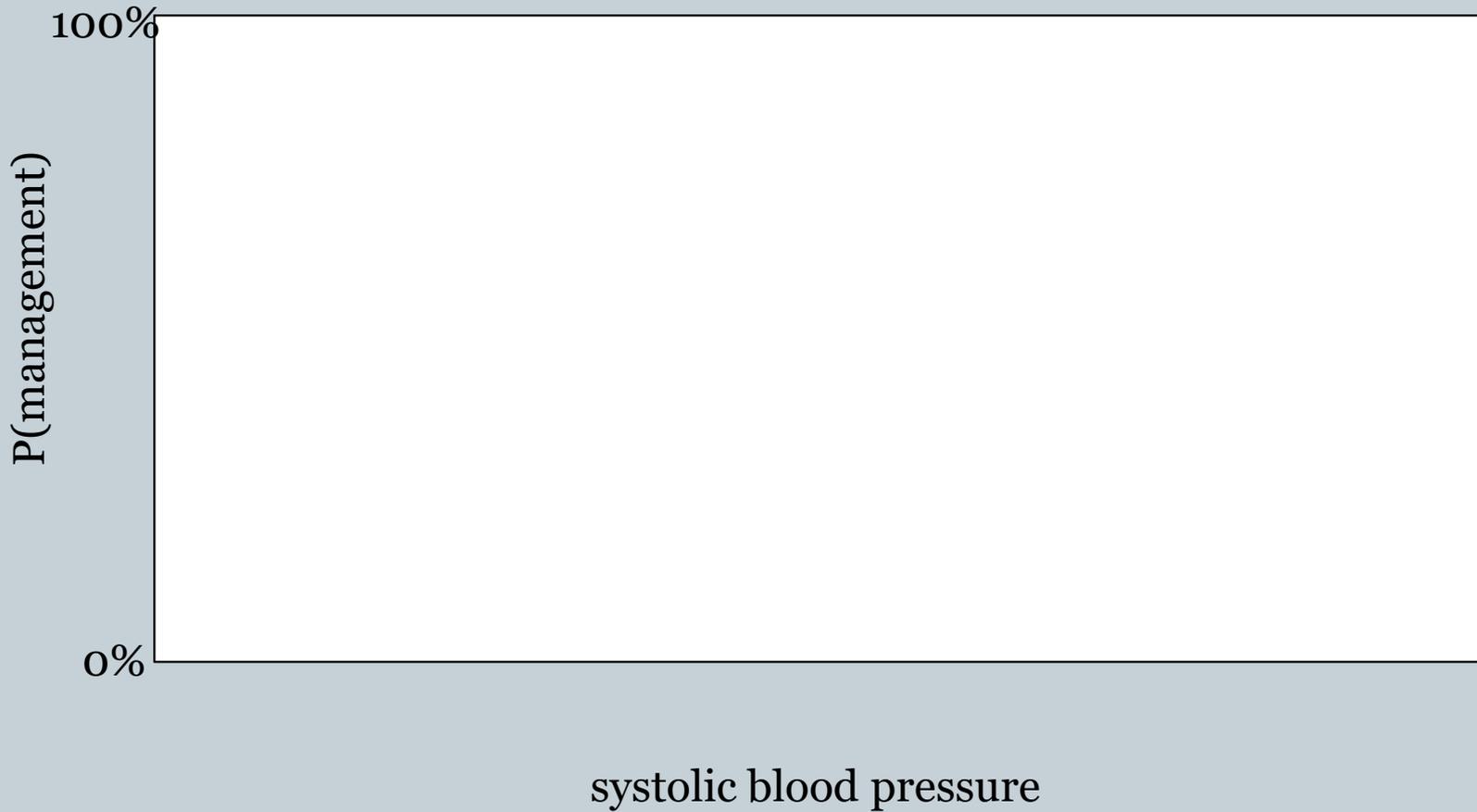
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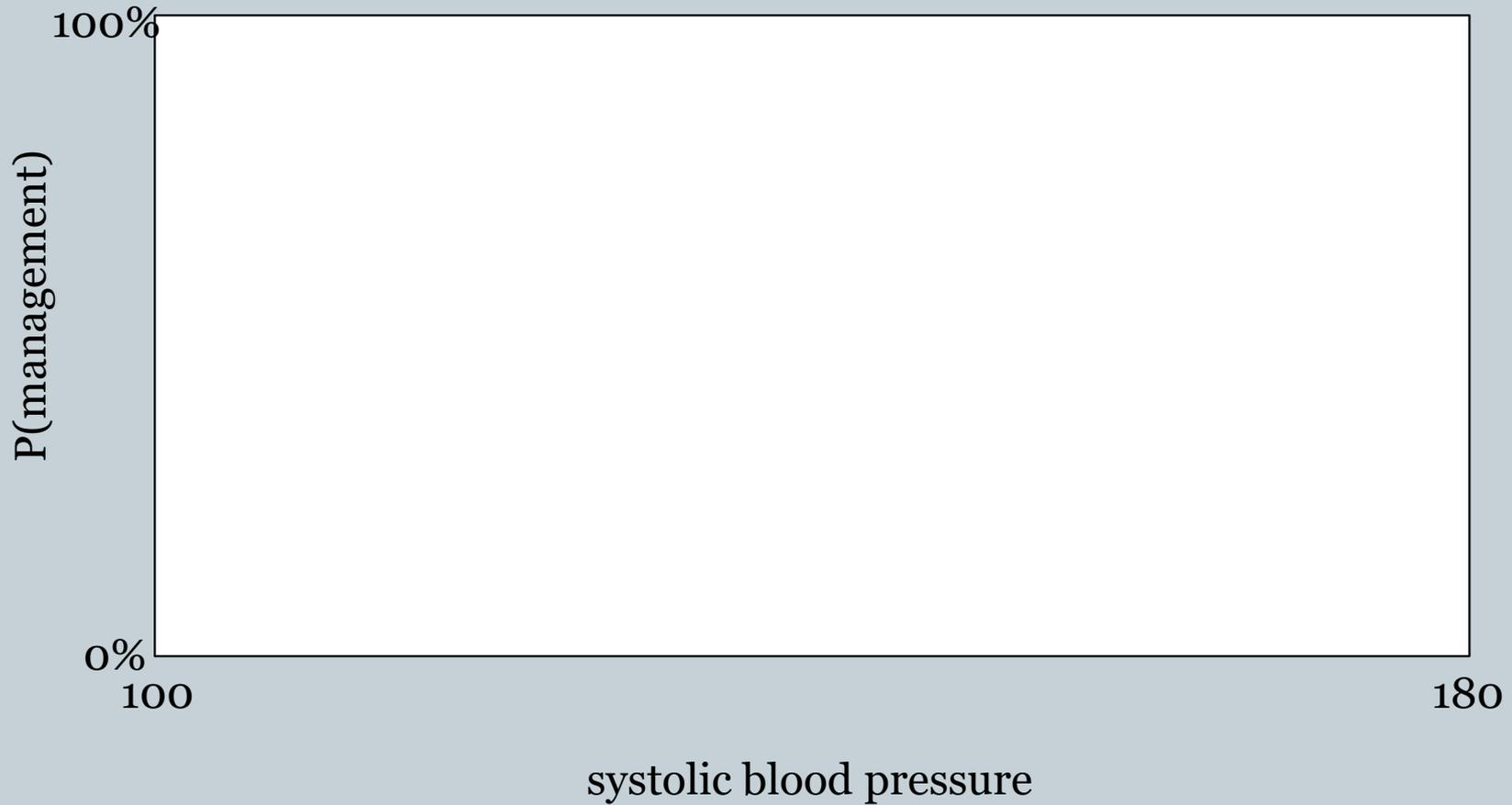
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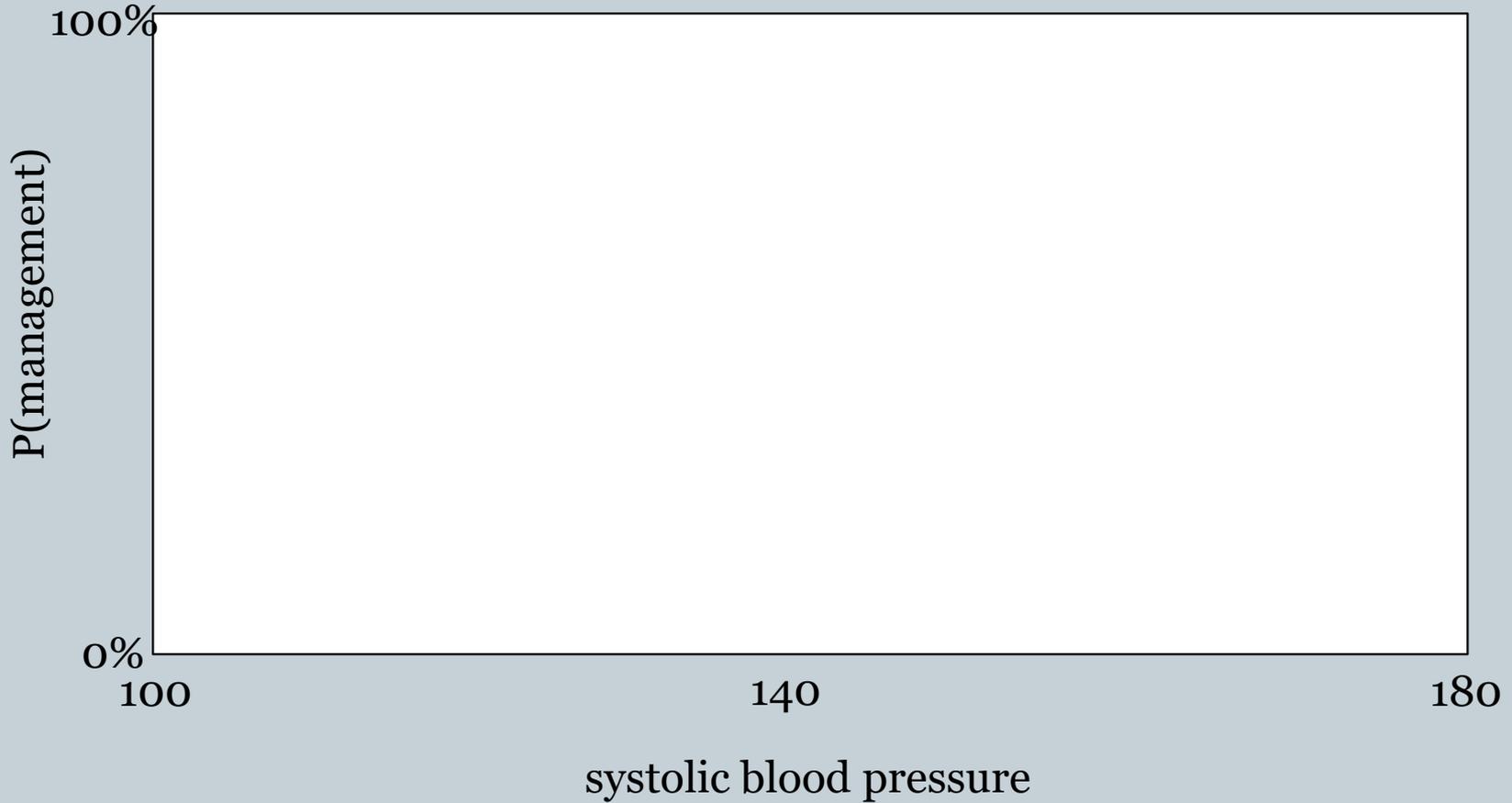
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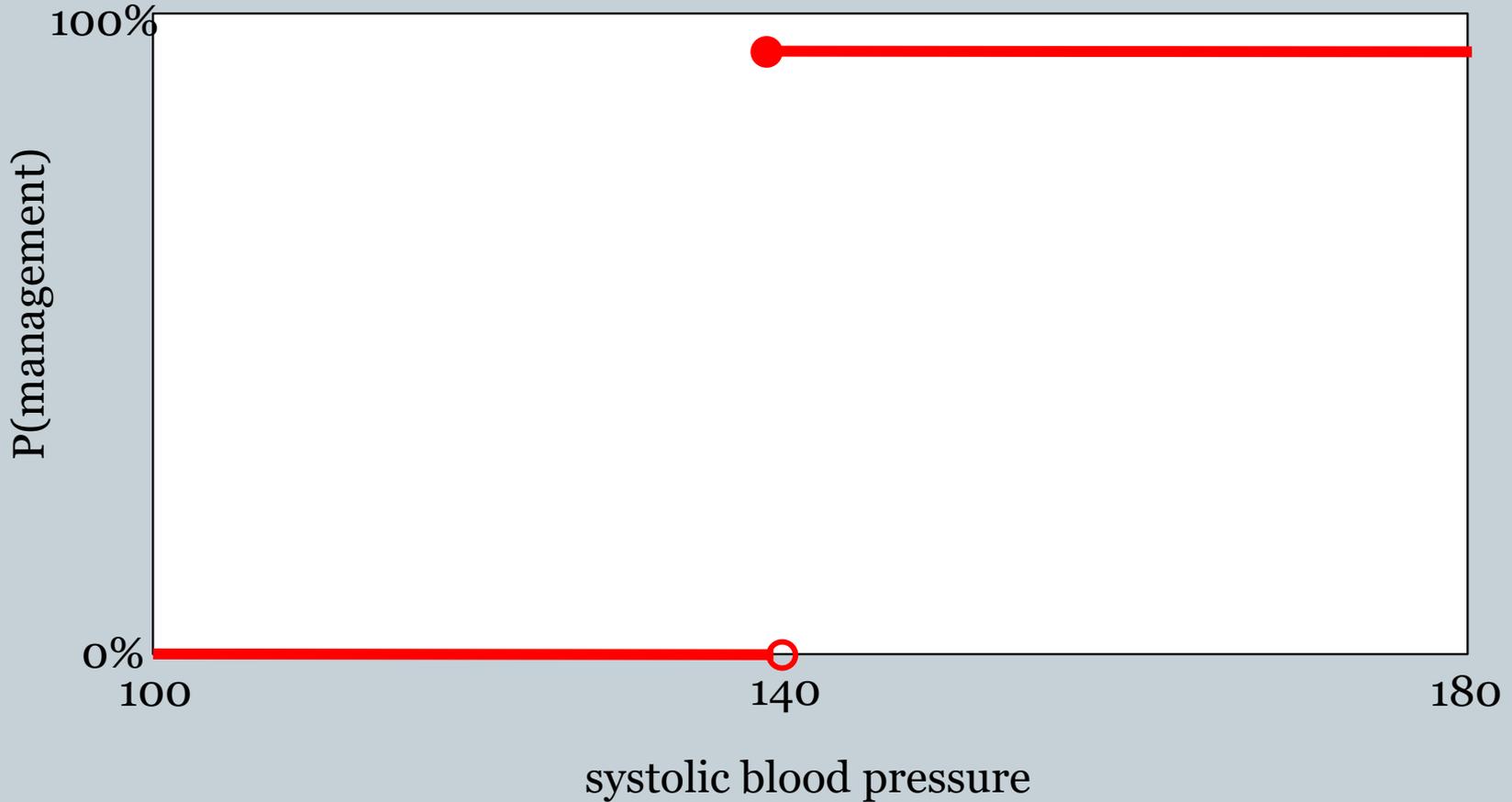
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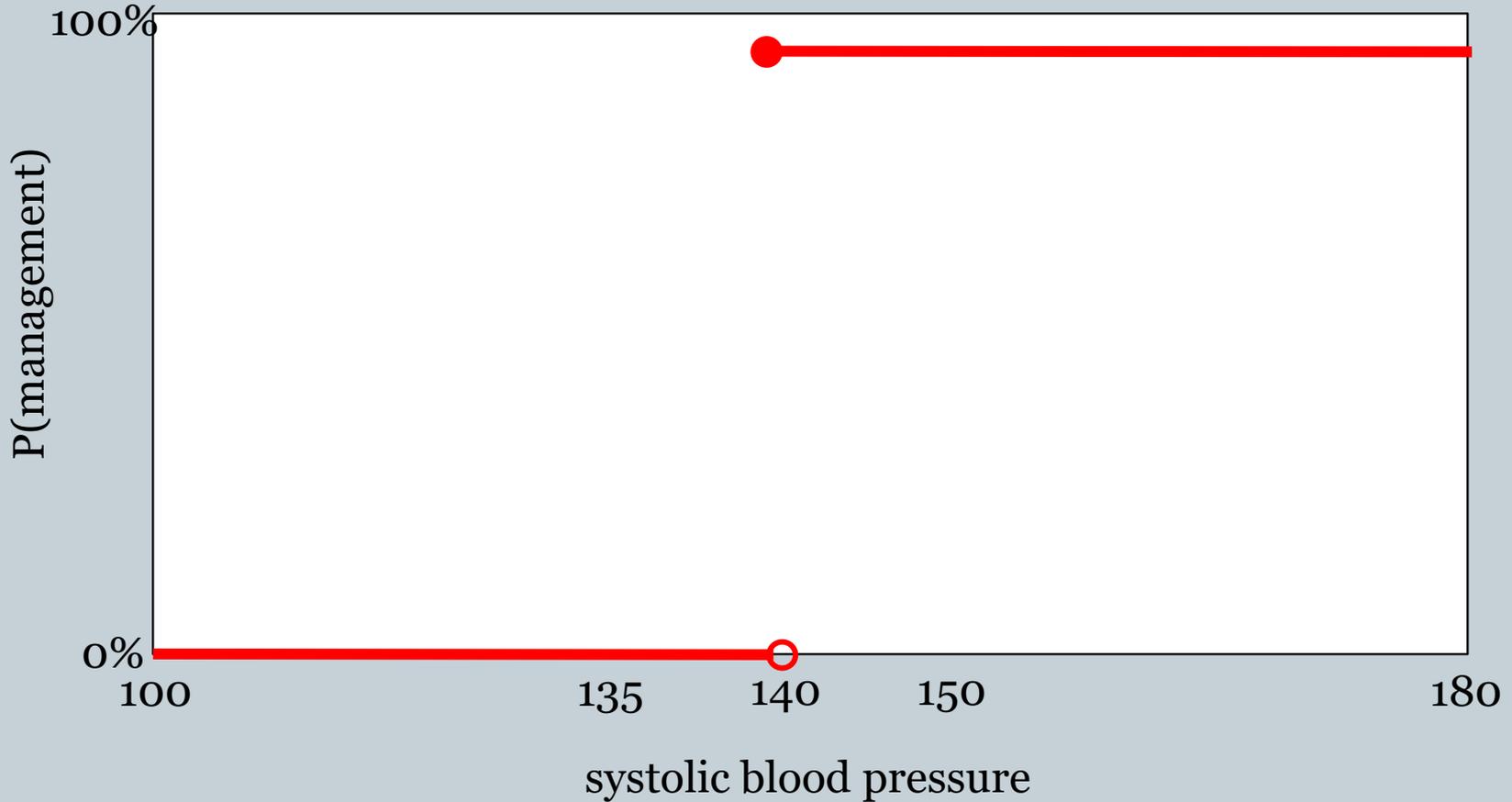
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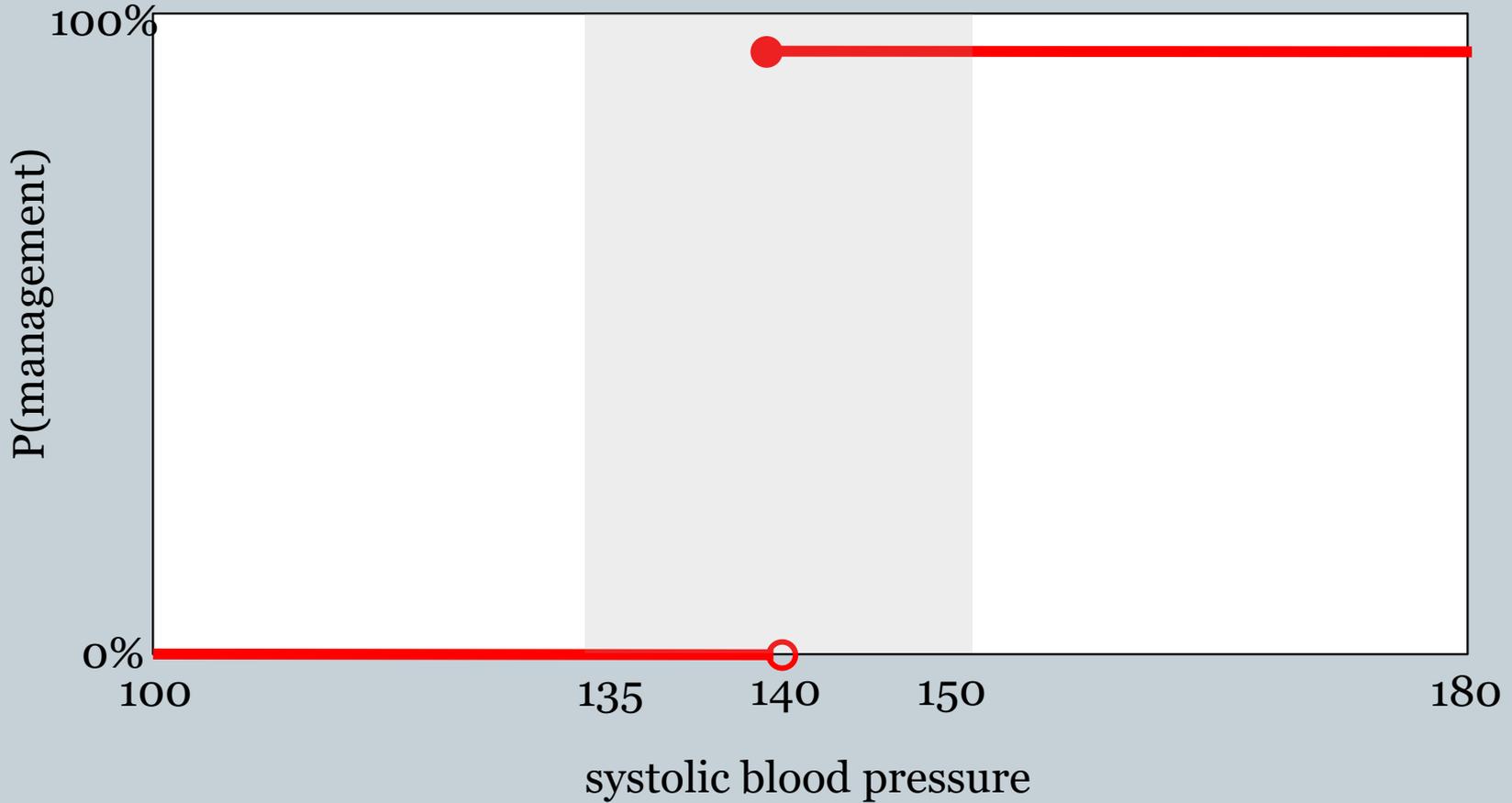
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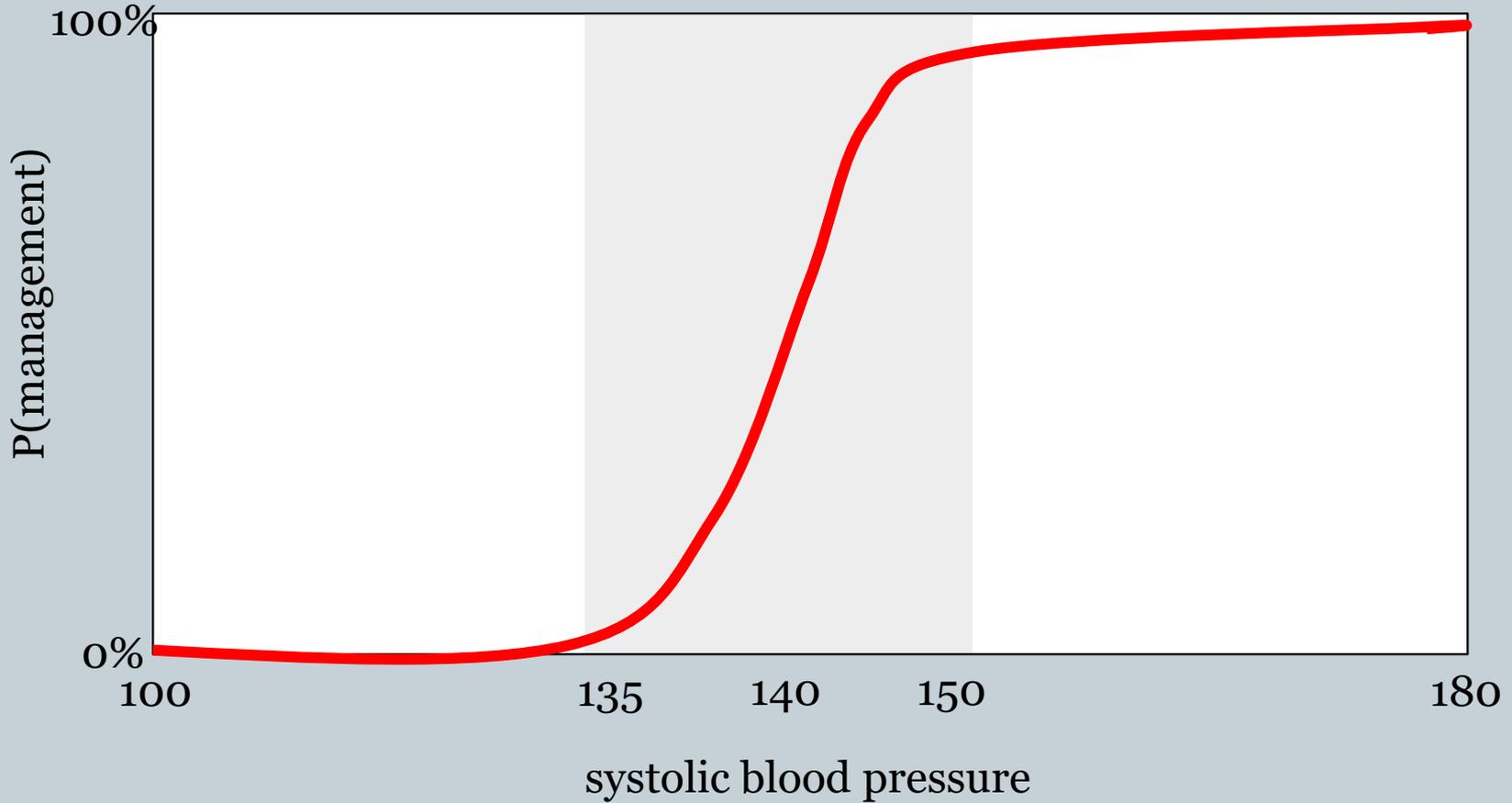
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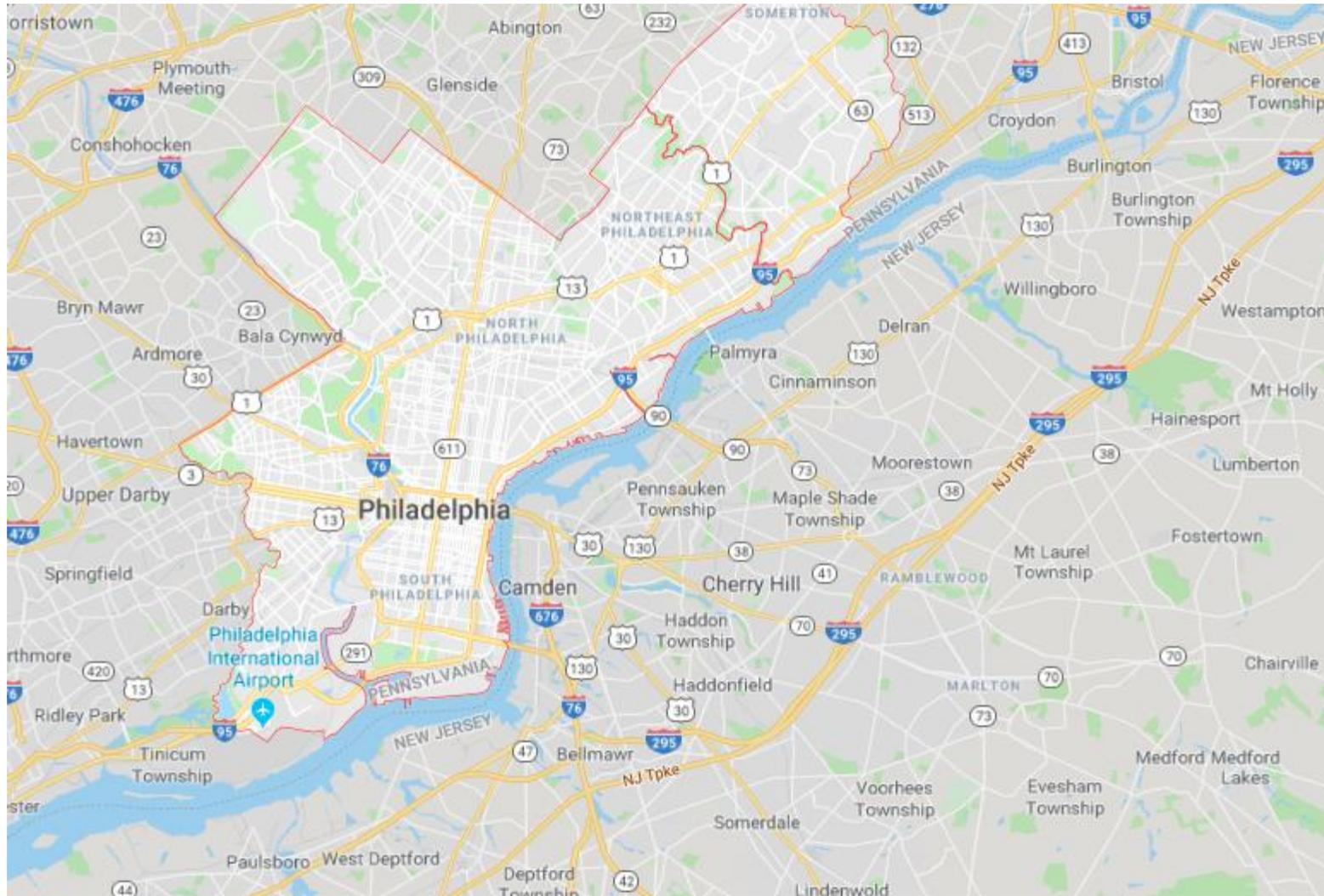


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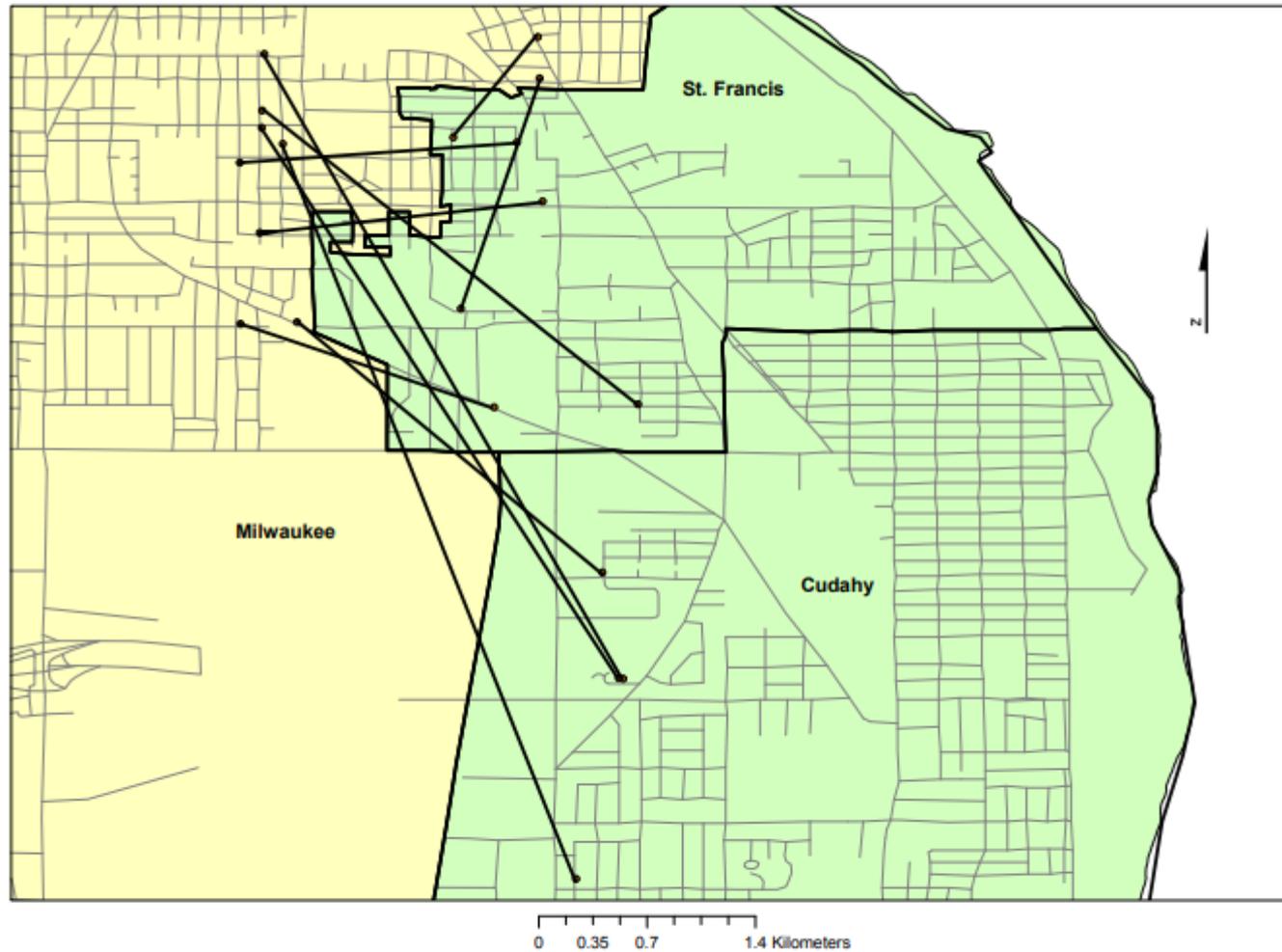


## Card and Krueger: minimum wages

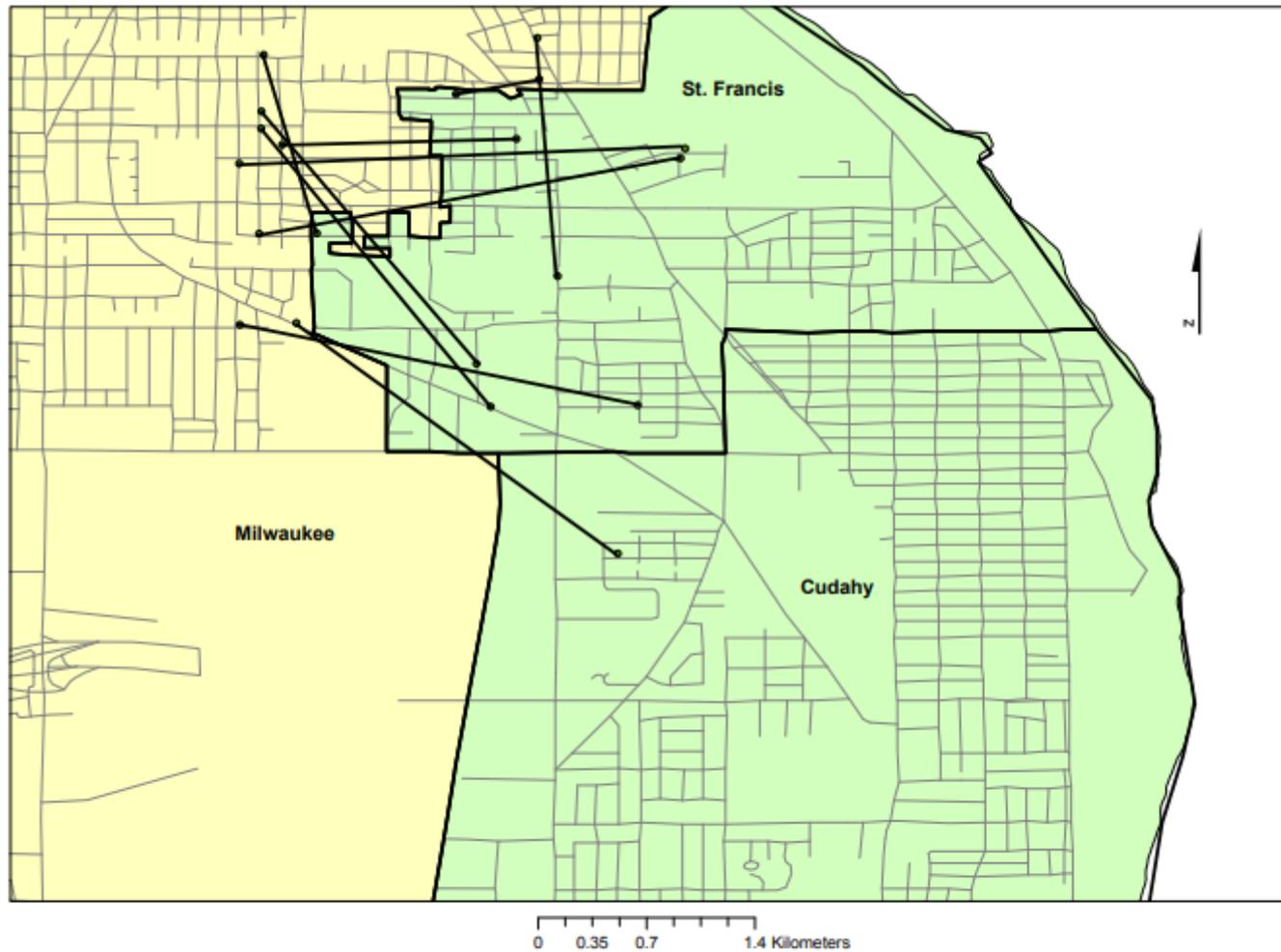


<https://www.nber.org/papers/w4509.pdf>

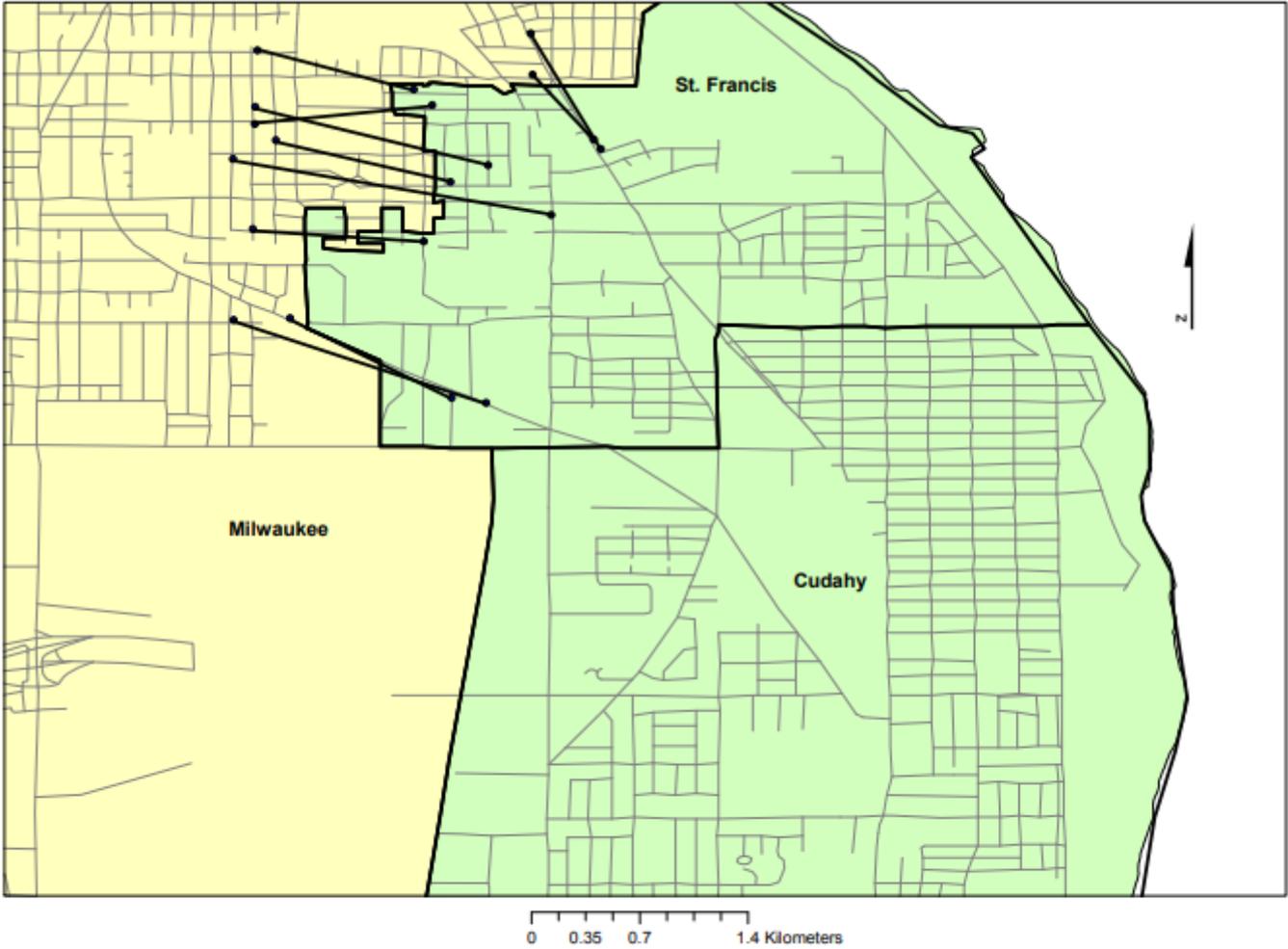
## Keele et al: getting the vote out



(a) Design 1 - Covariates Only Match



(b) Design 2 - Distance Only Match



(c) Design 3 - Covariates and Distance Match

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- Bottom line: RD tries to set up like an RCT. The randomness, though, is still “off-stage.”
- Inference can be done like the pscore set up (sharp RD).

# “case-control” studies



case-noncase



# case-noncase



- Several different names

# case-noncase



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- Developed for looking for causes of rare outcomes

# case-noncase



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# case-noncase



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- If you're being intellectually lazy then these studies feel a bit similar to what we've been doing.

# case-noncase

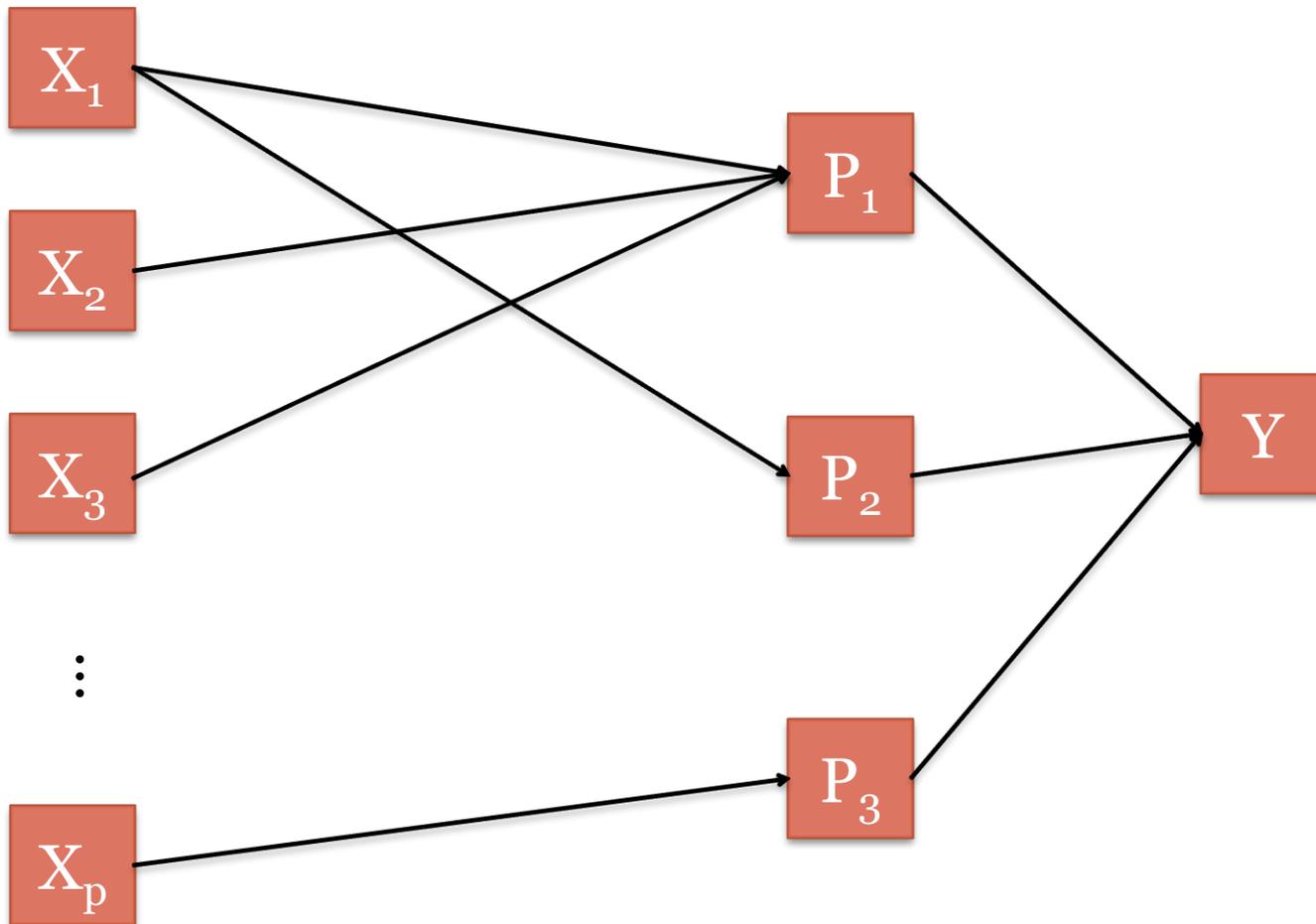


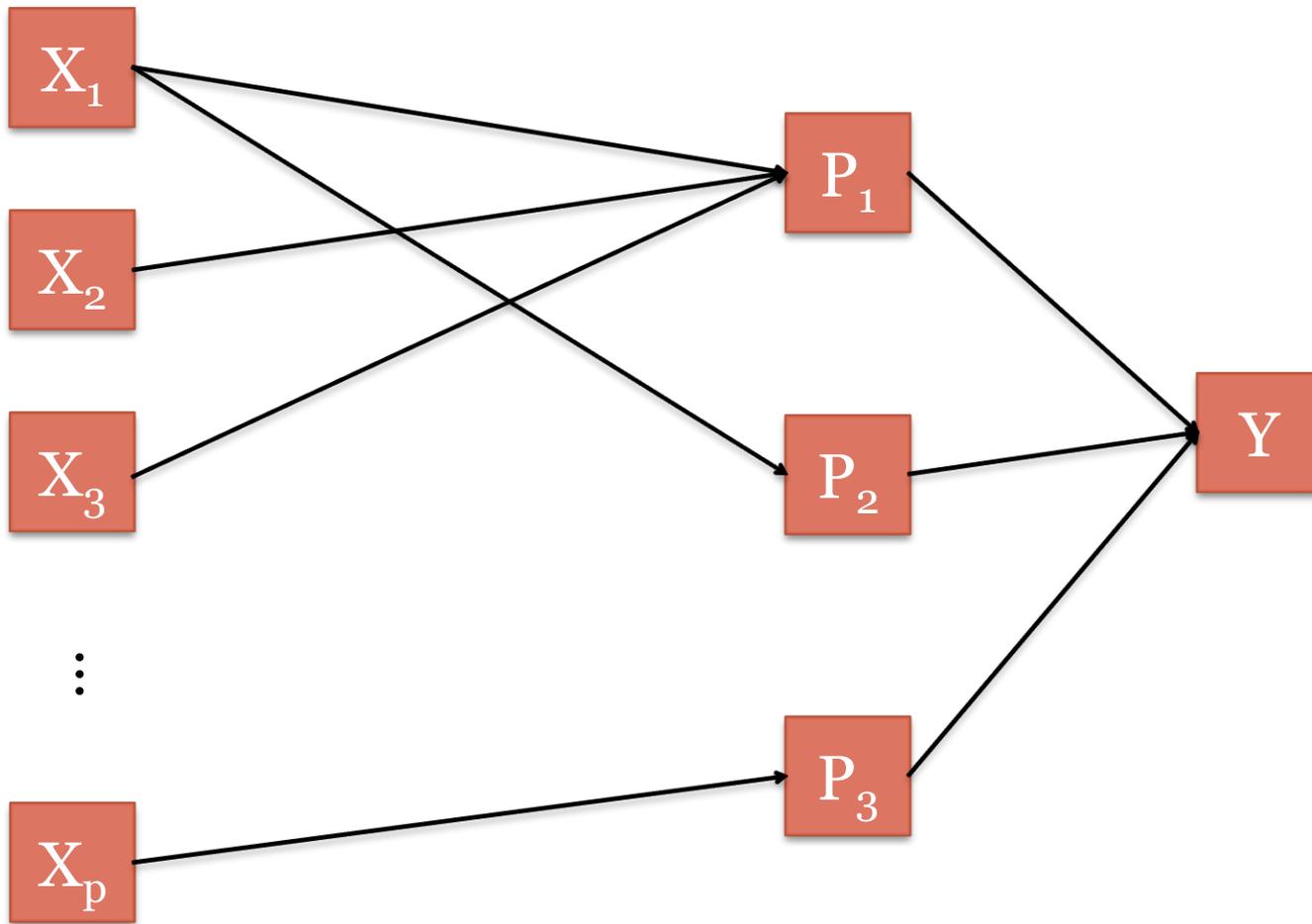
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- Out-of-favor in modern causal inference
- If you're being intellectually lazy then these studies feel a bit similar to what we've been doing.
- The structure of argument is much weaker than what we've been doing.

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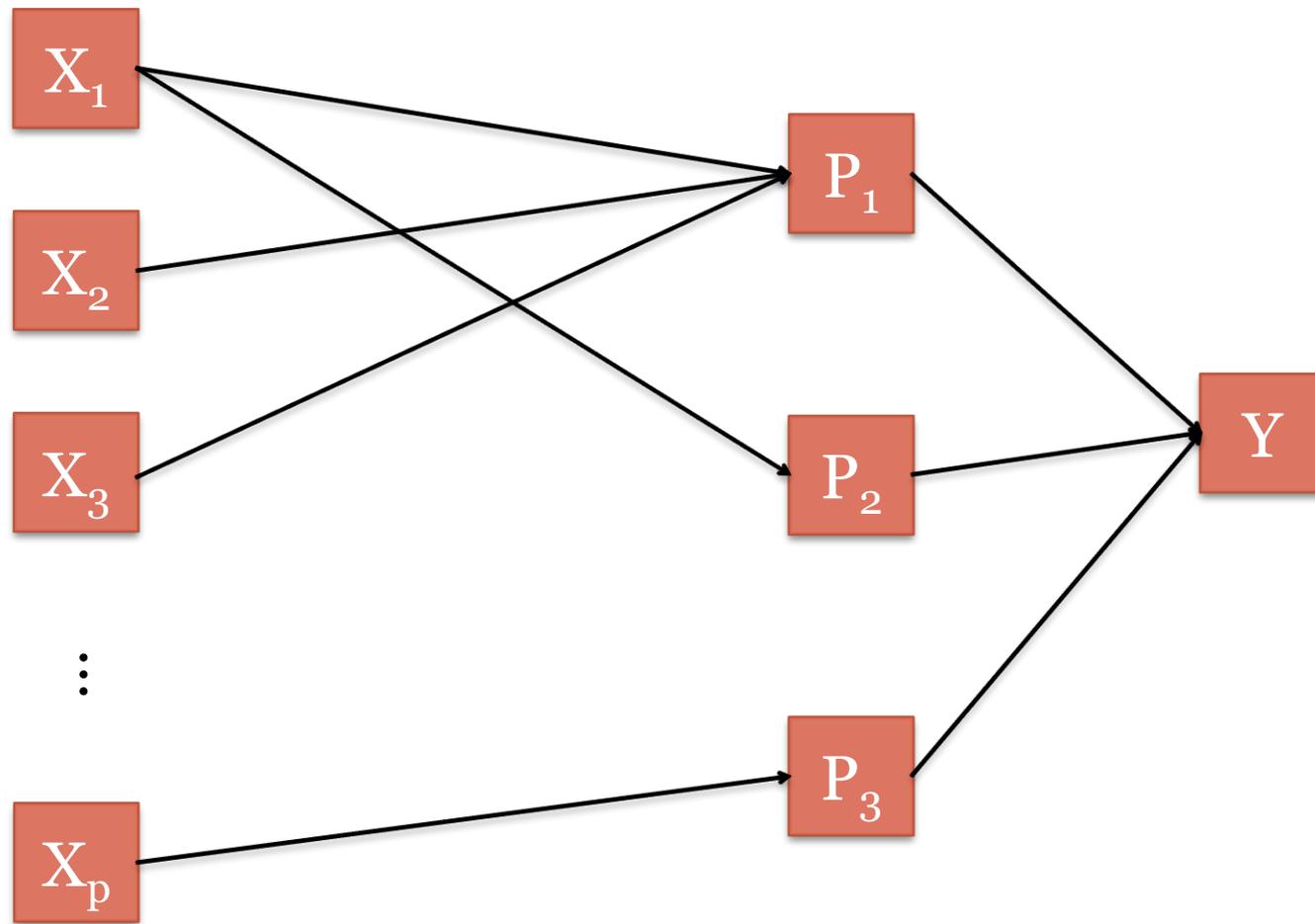


- Diagram of what we've been doing (start with cause and look at an outcome) – swap structure and go backward from outcome to candidate causes.



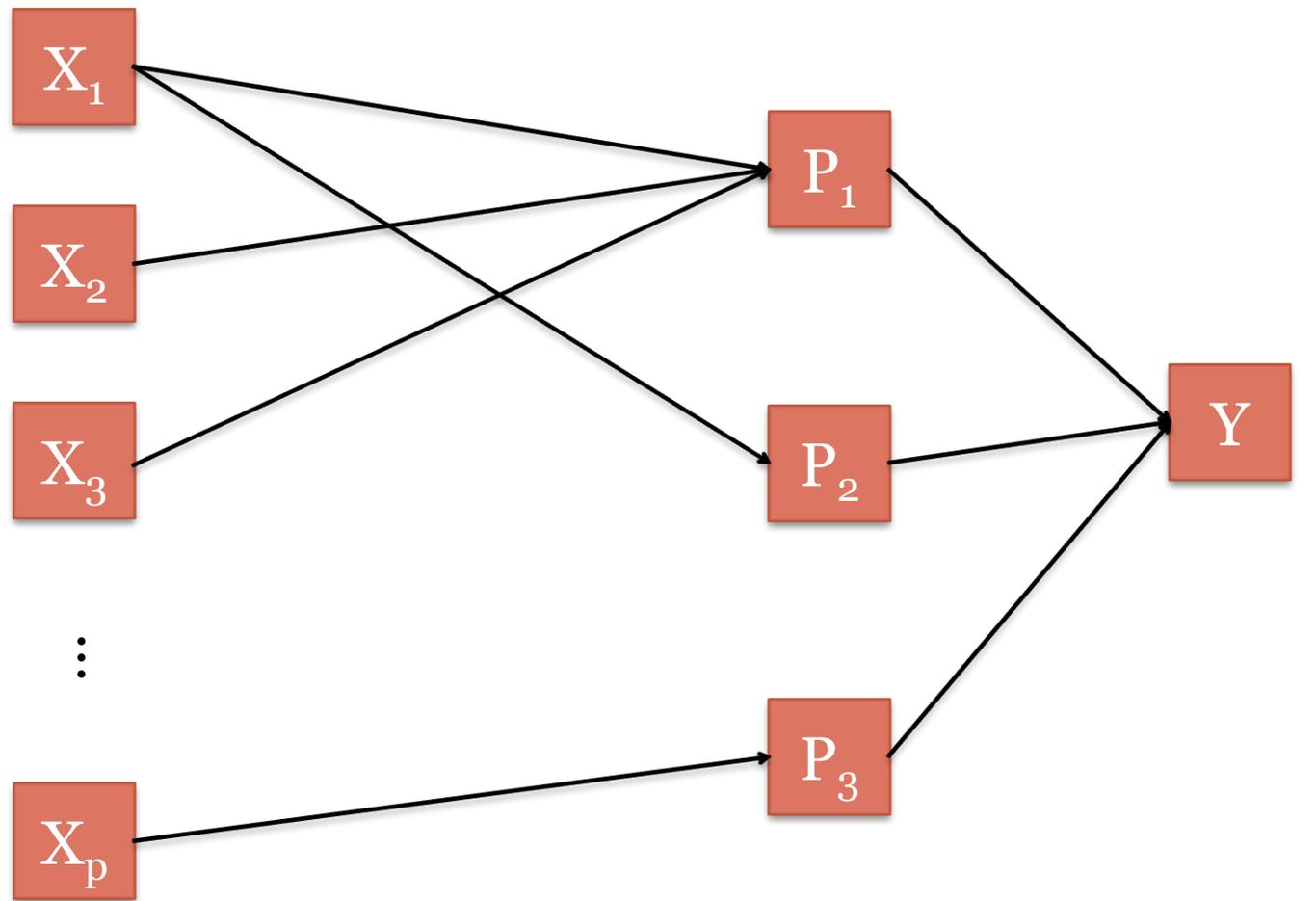


baseline



baseline

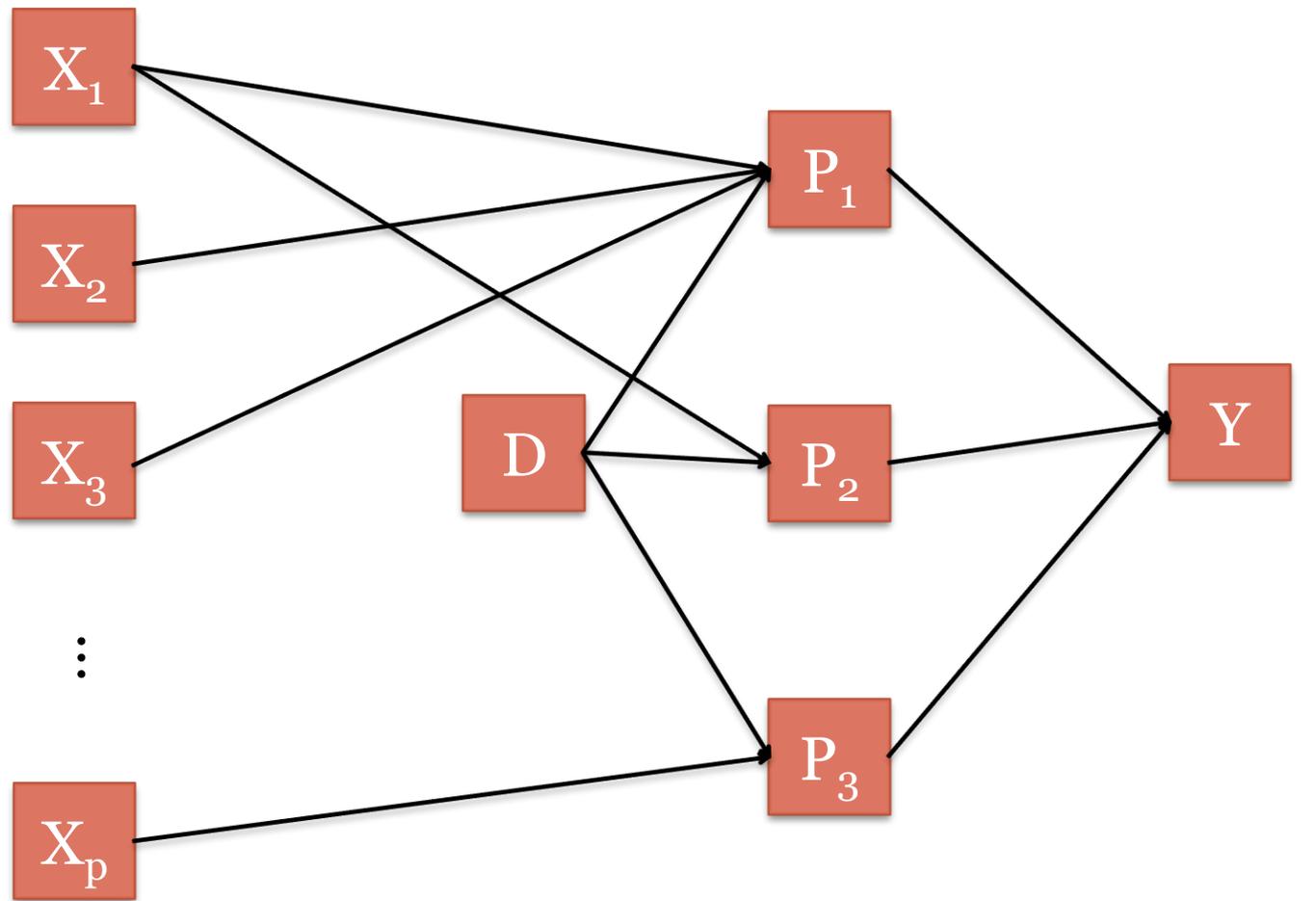
candidate  
causal pathway



baseline

candidate  
causal pathway

outcome

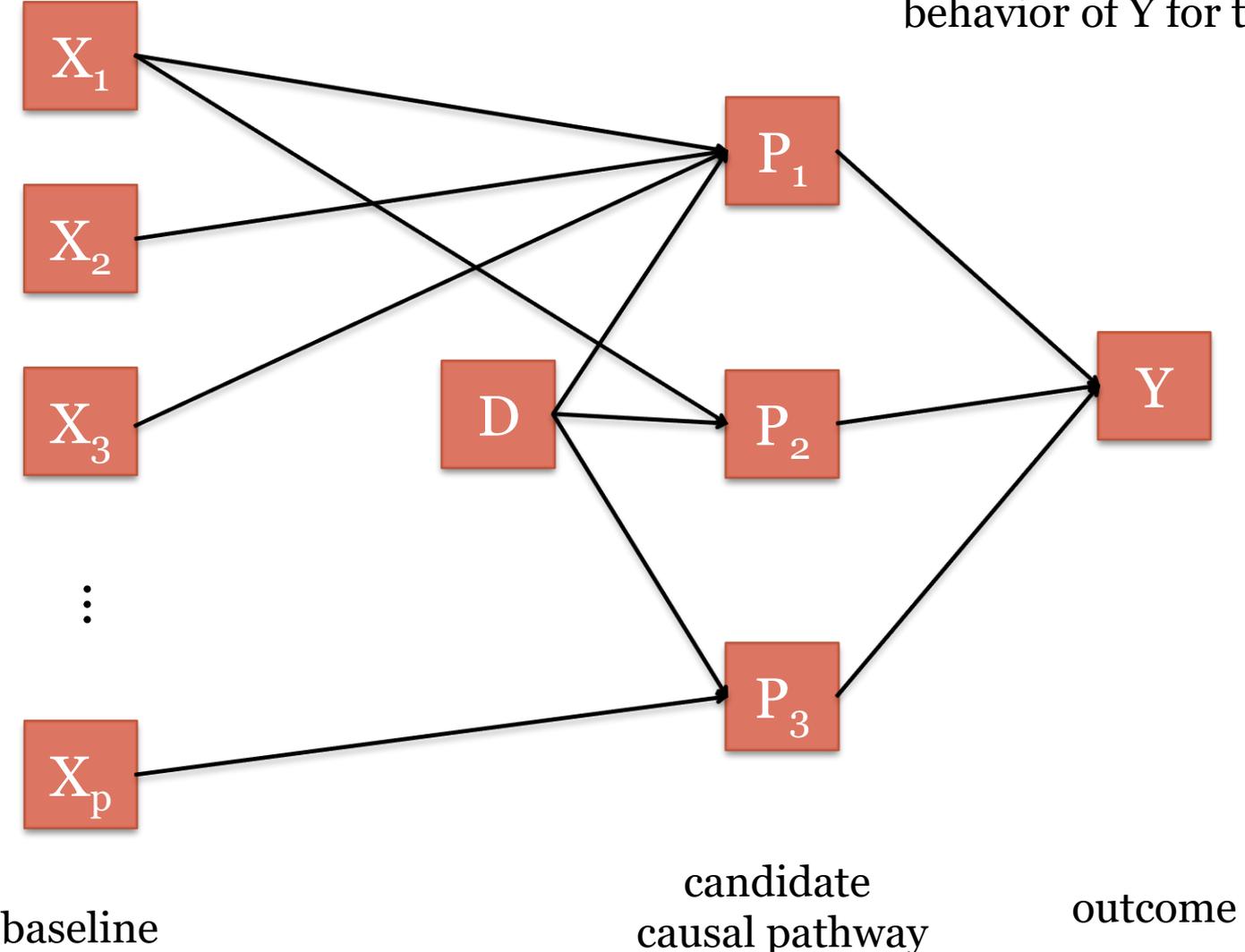


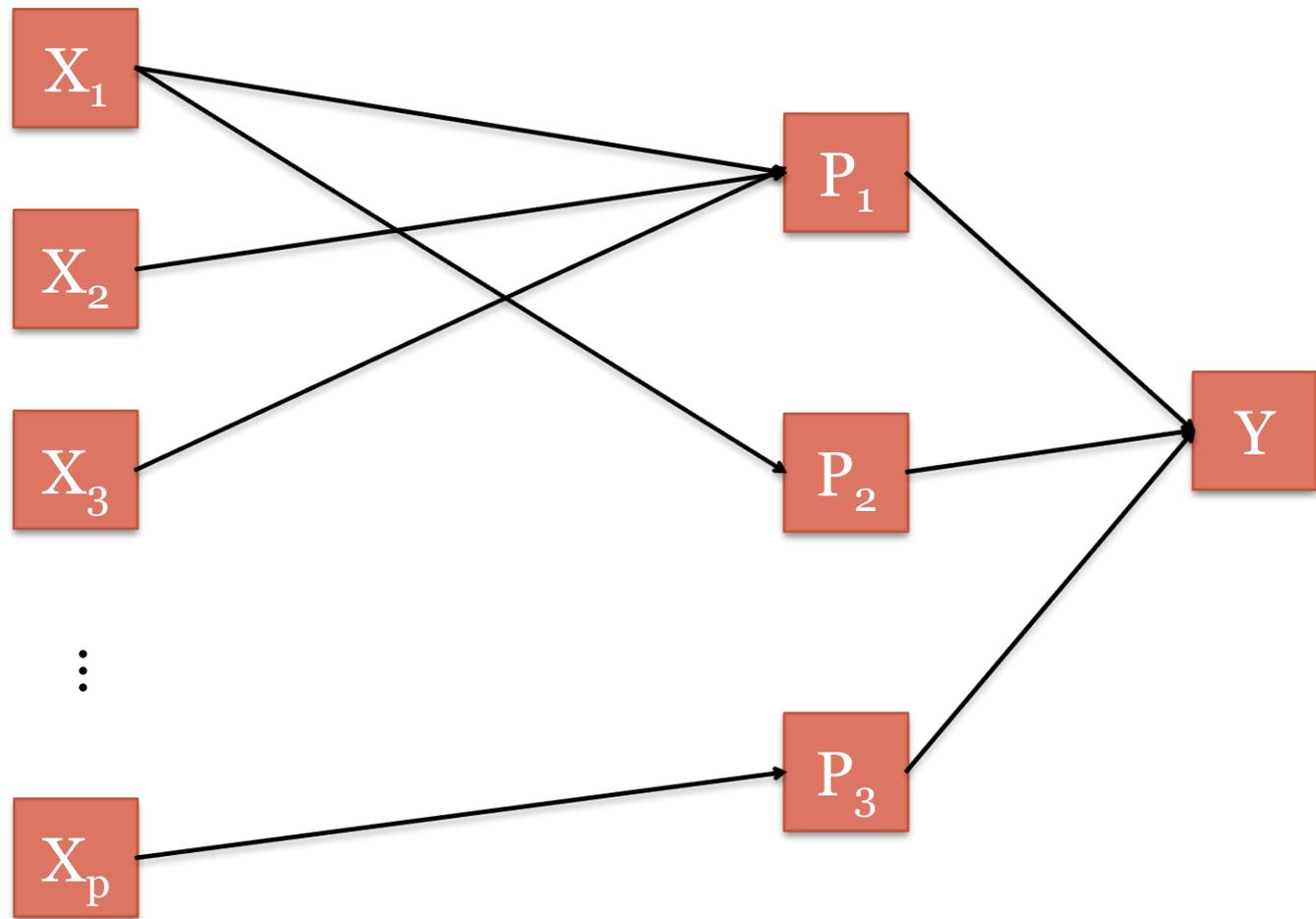
baseline

candidate  
causal pathway

outcome

Contrast  $d_i = 1, d_j = 0$ . Then compare behavior of Y for the two groups.



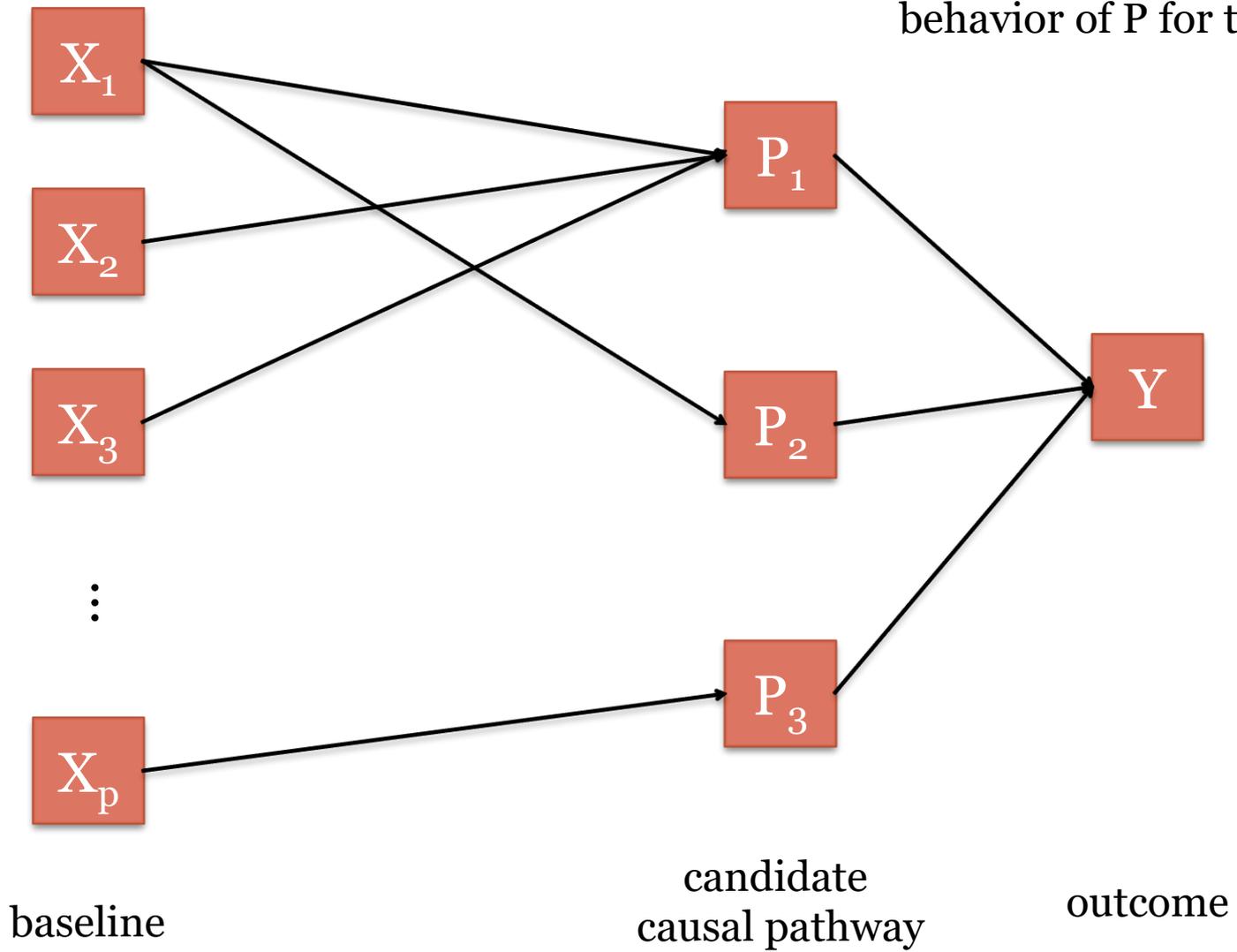


baseline

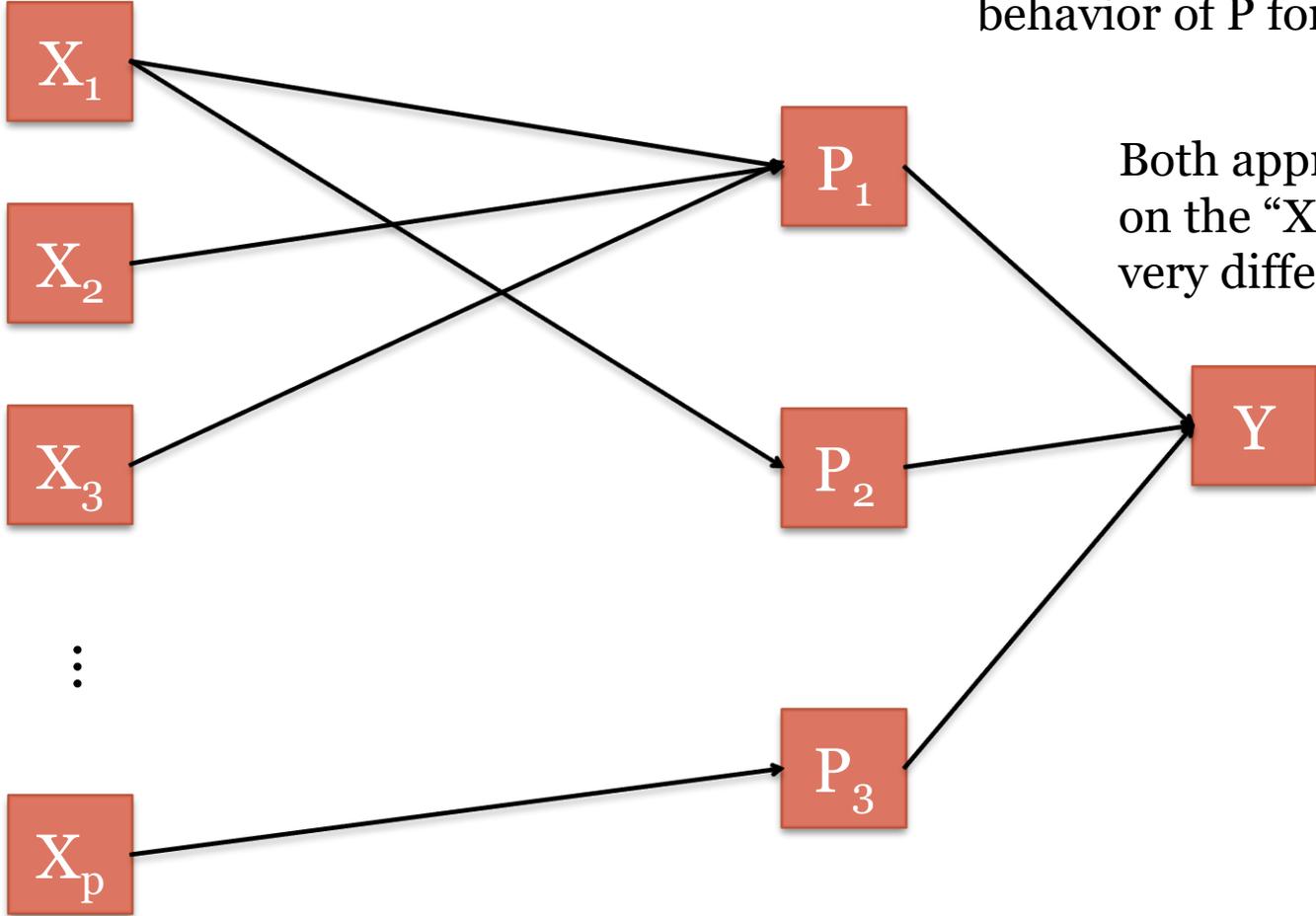
candidate  
causal pathway

outcome

Contrast  $y_i = 1, y_j = 0$ . Then compare behavior of P for the two groups.



Contrast  $y_i = 1, y_j = 0$ . Then compare behavior of P for the two groups.



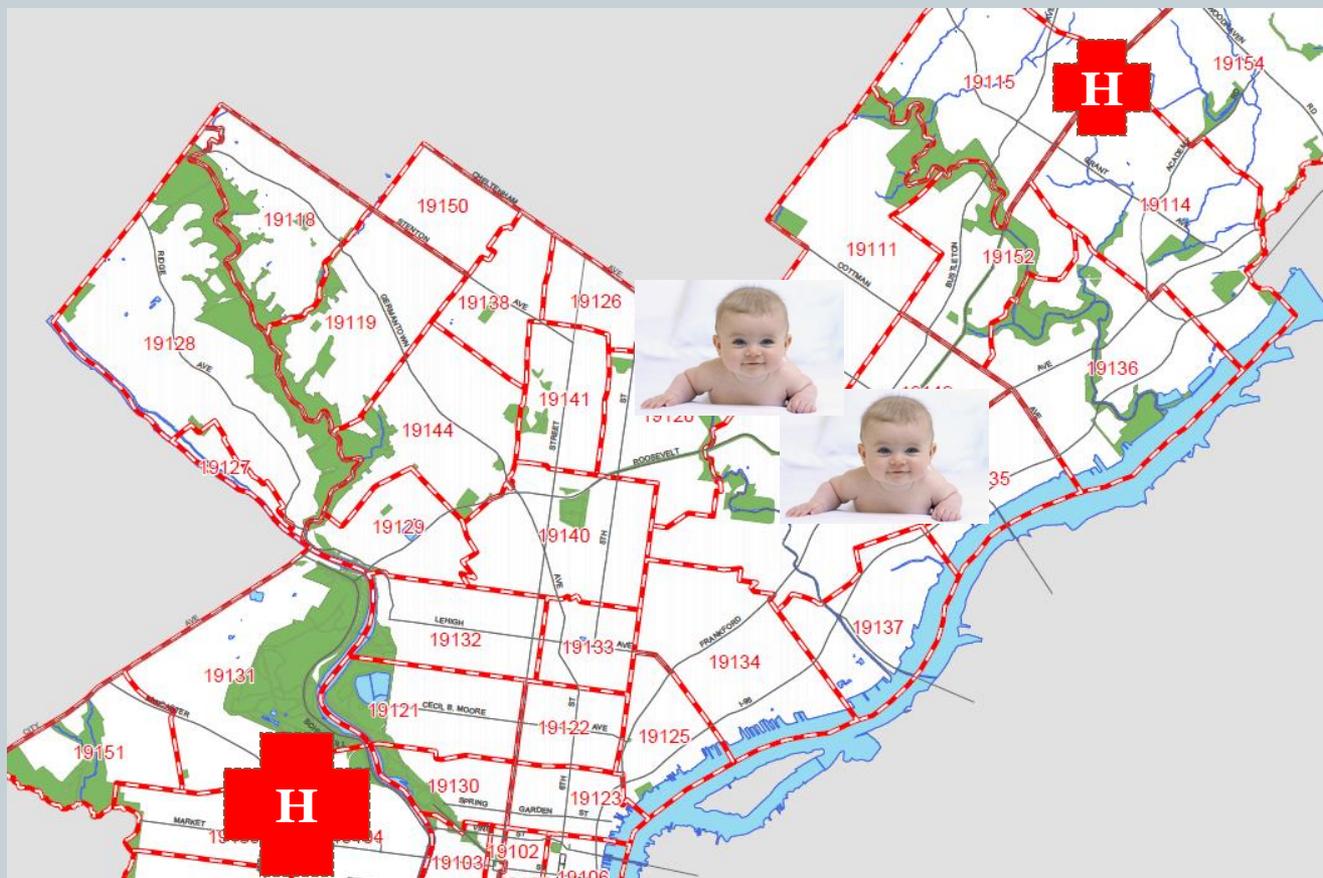
Both approaches condition on the “X”, but match between very different types of groups.

baseline

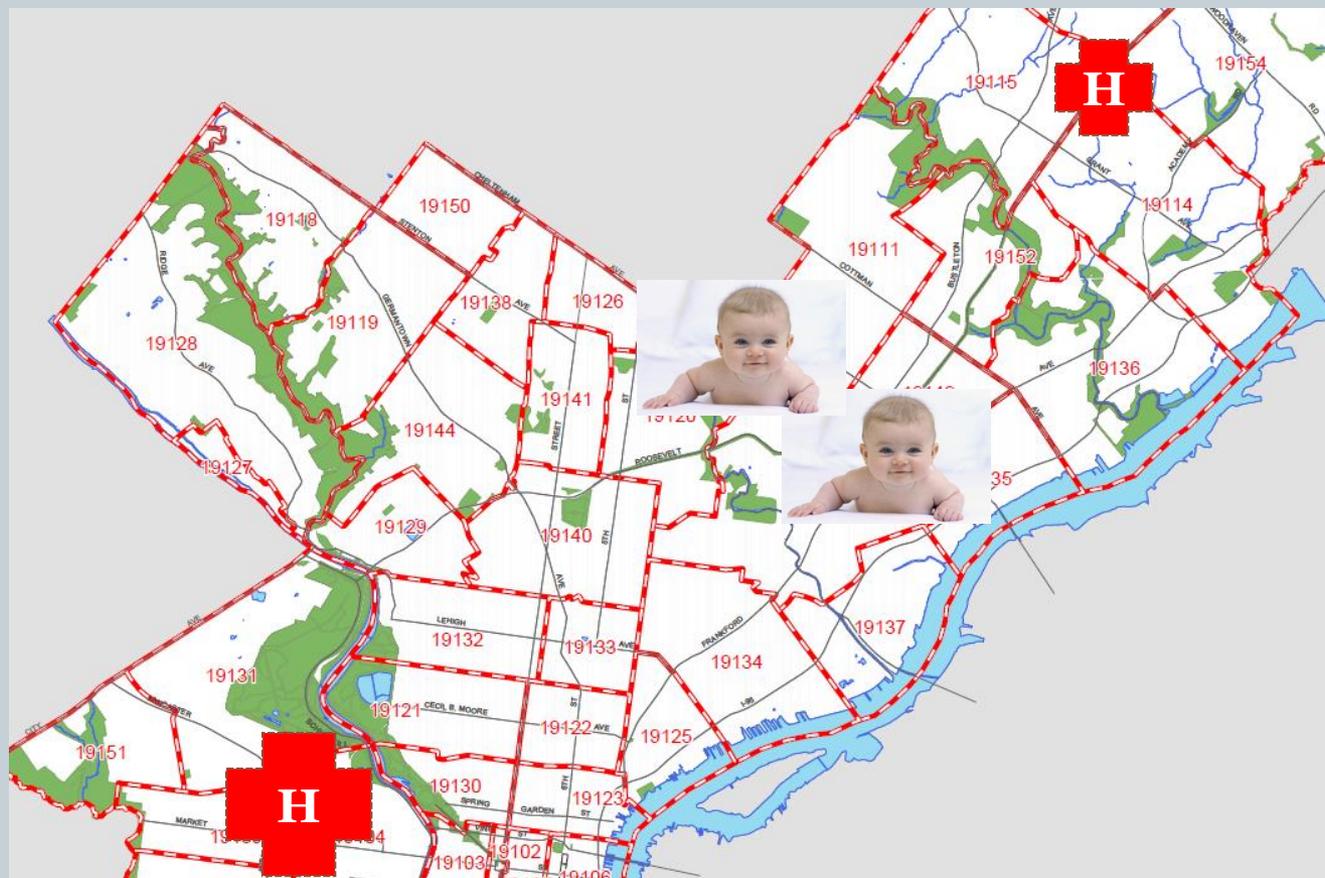
candidate  
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# pscore matching

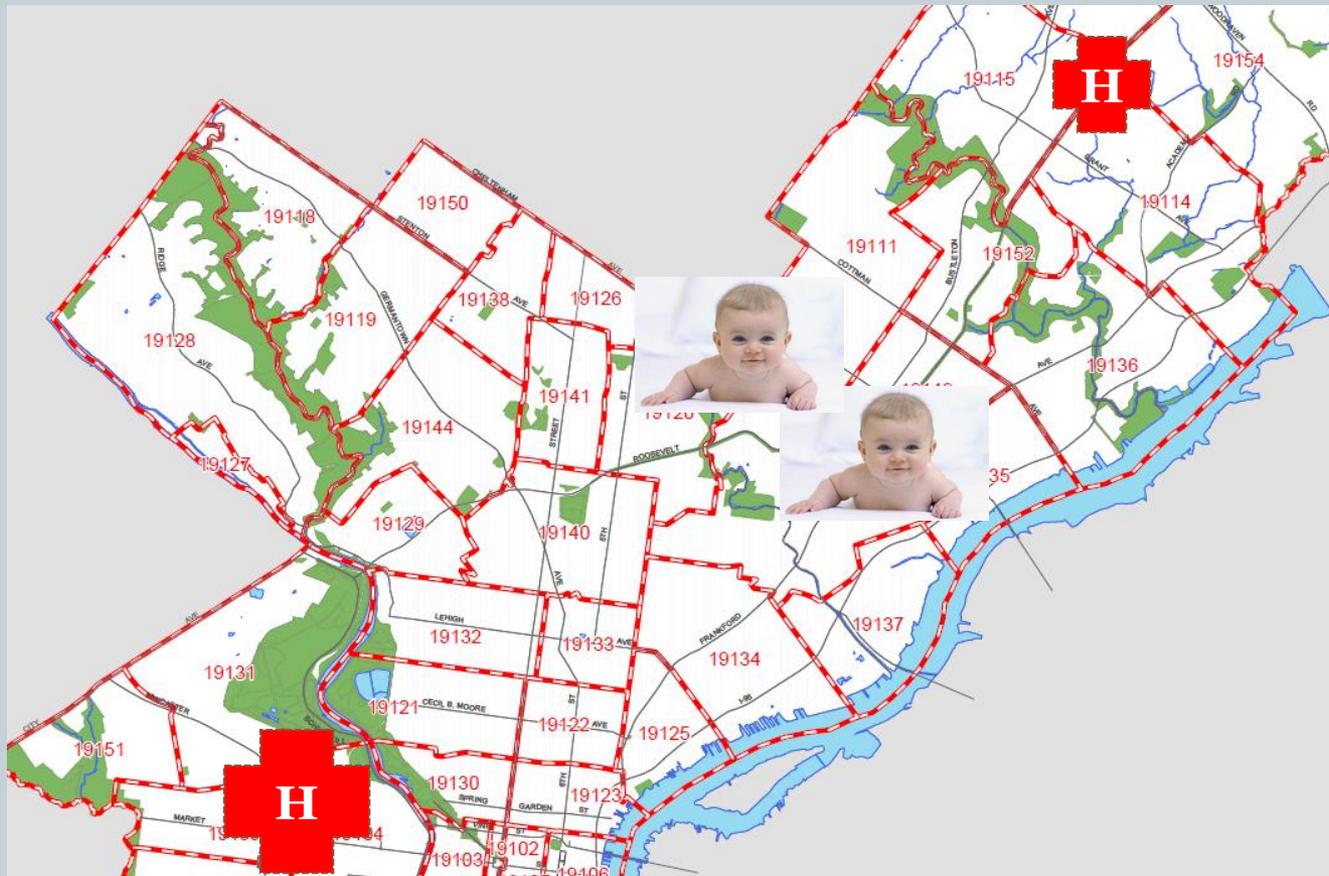


# pscore matching



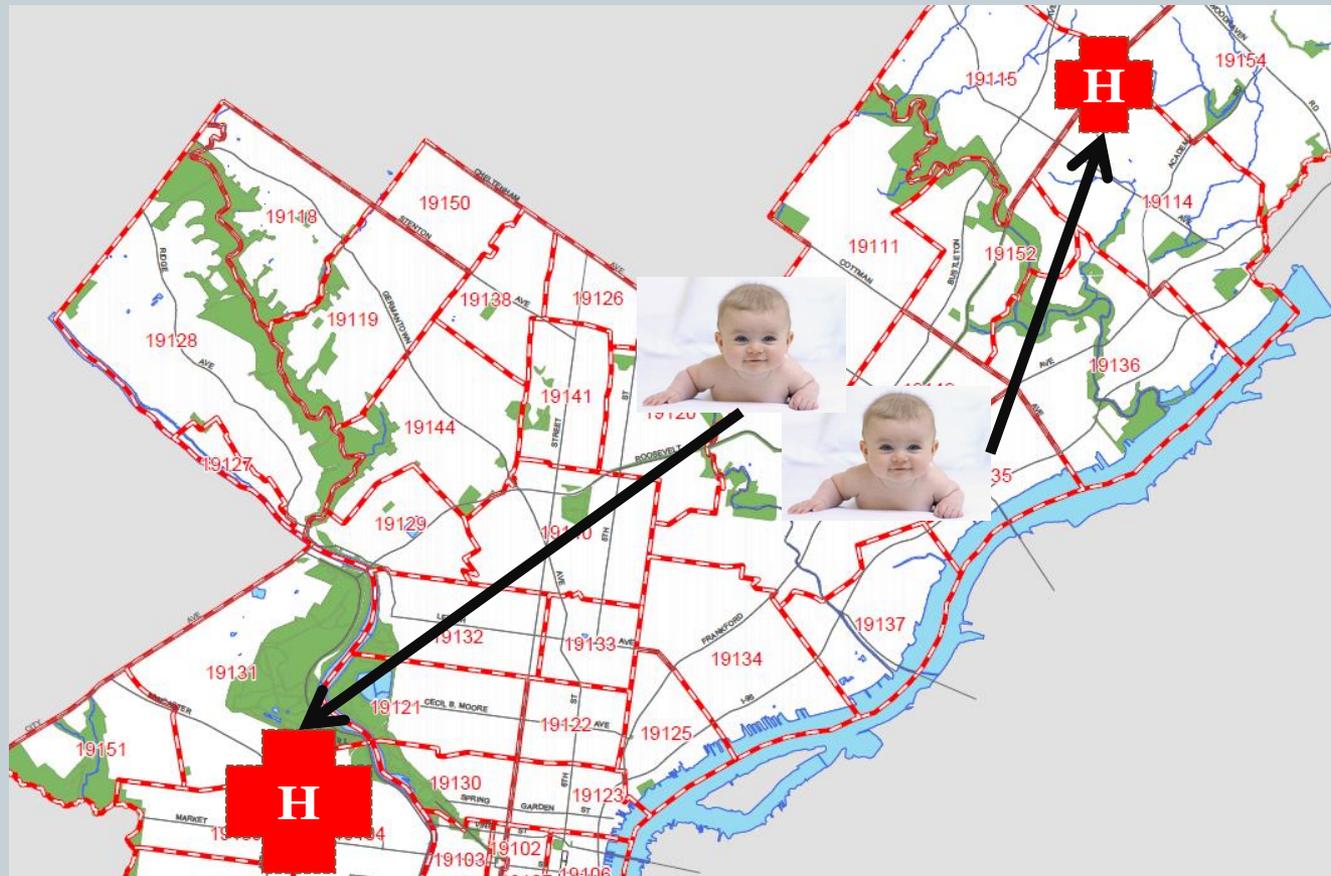
Use pre-intervention covariates to fit a pscore.

# pscore matching



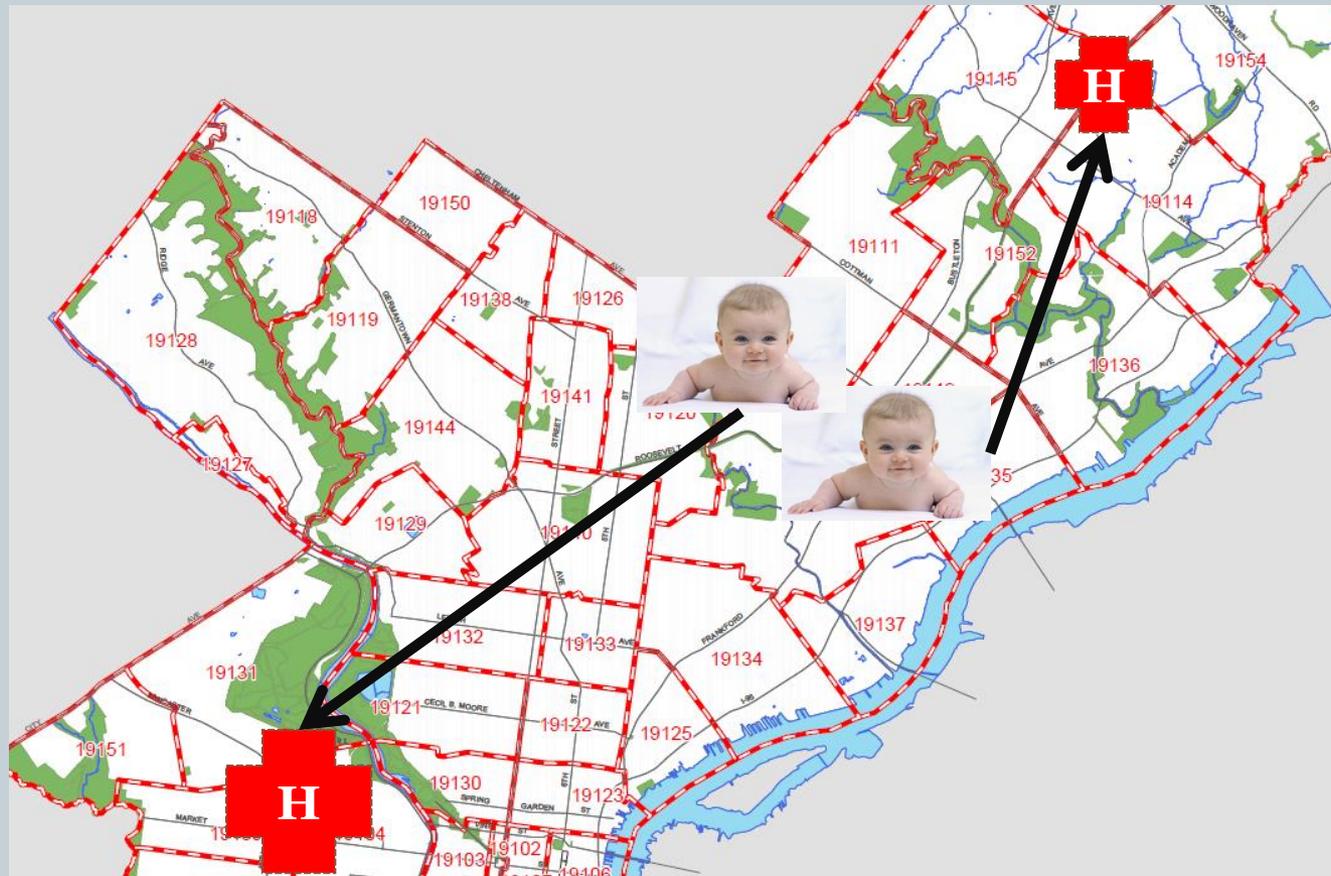
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# pscore matching



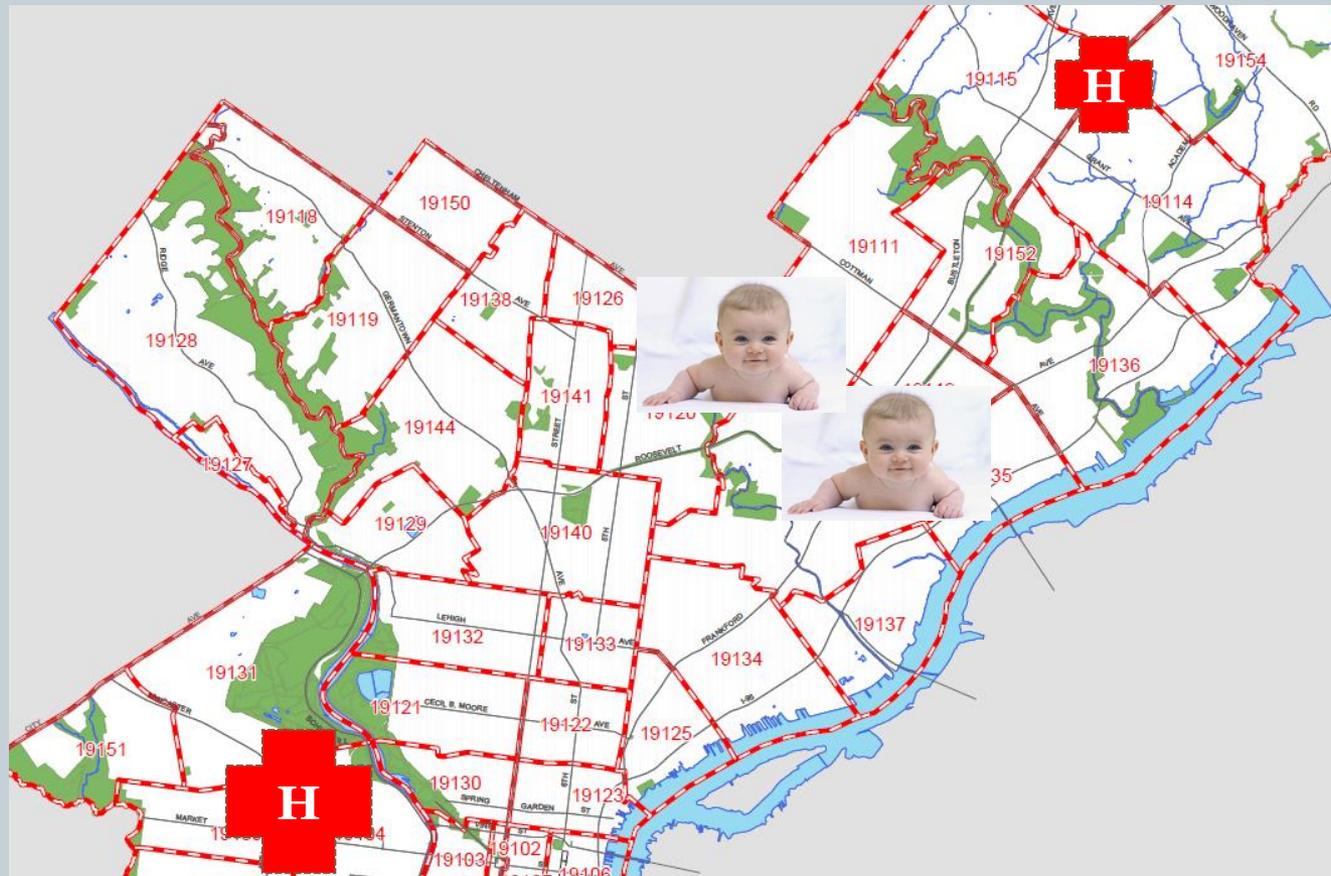
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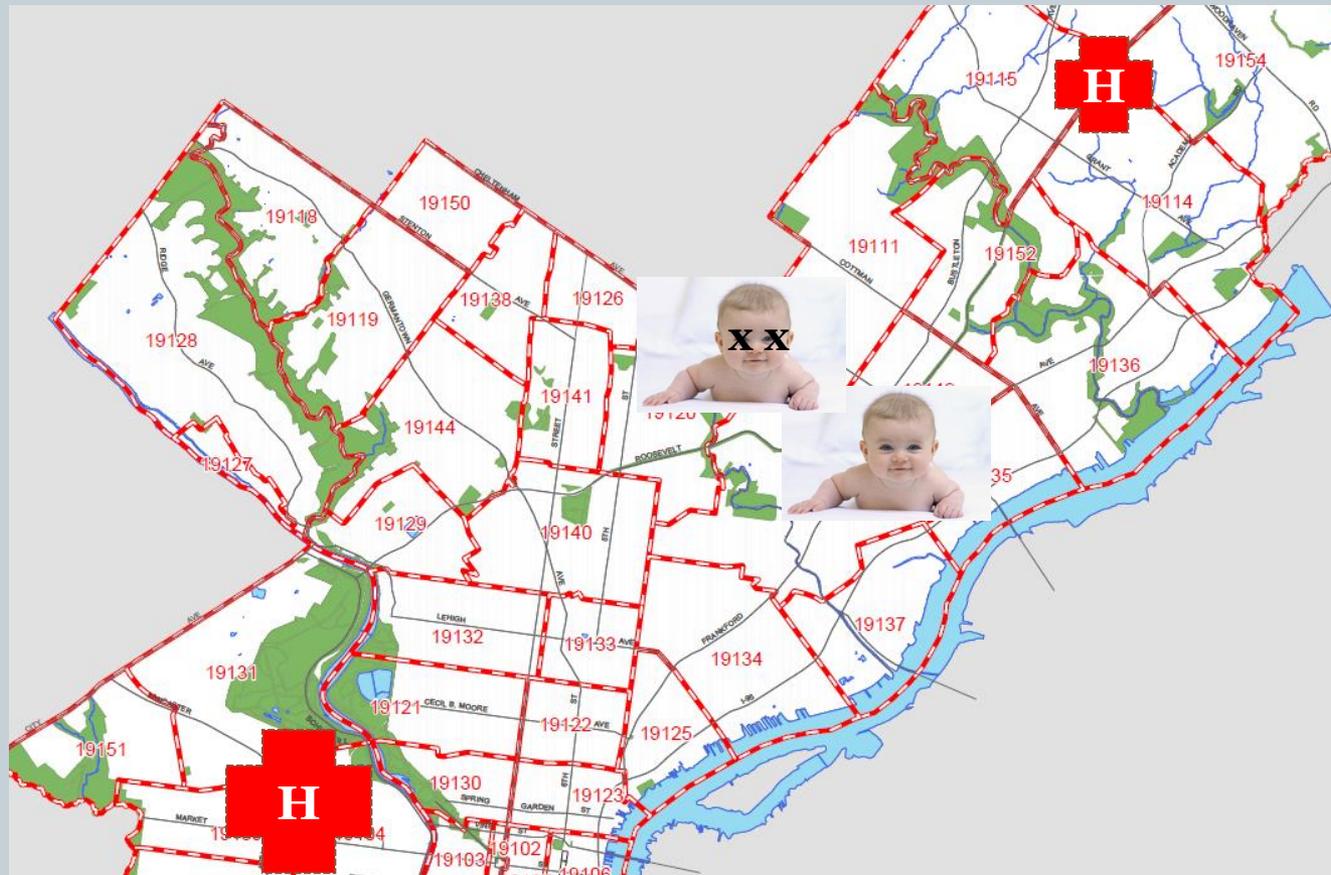
Use pre-intervention covariates to fit a pscore. Match on pscore between observations that used  $t=1$  vs  $t=0$ . Examine distributions of outcomes between the two groups.

# case-control matching



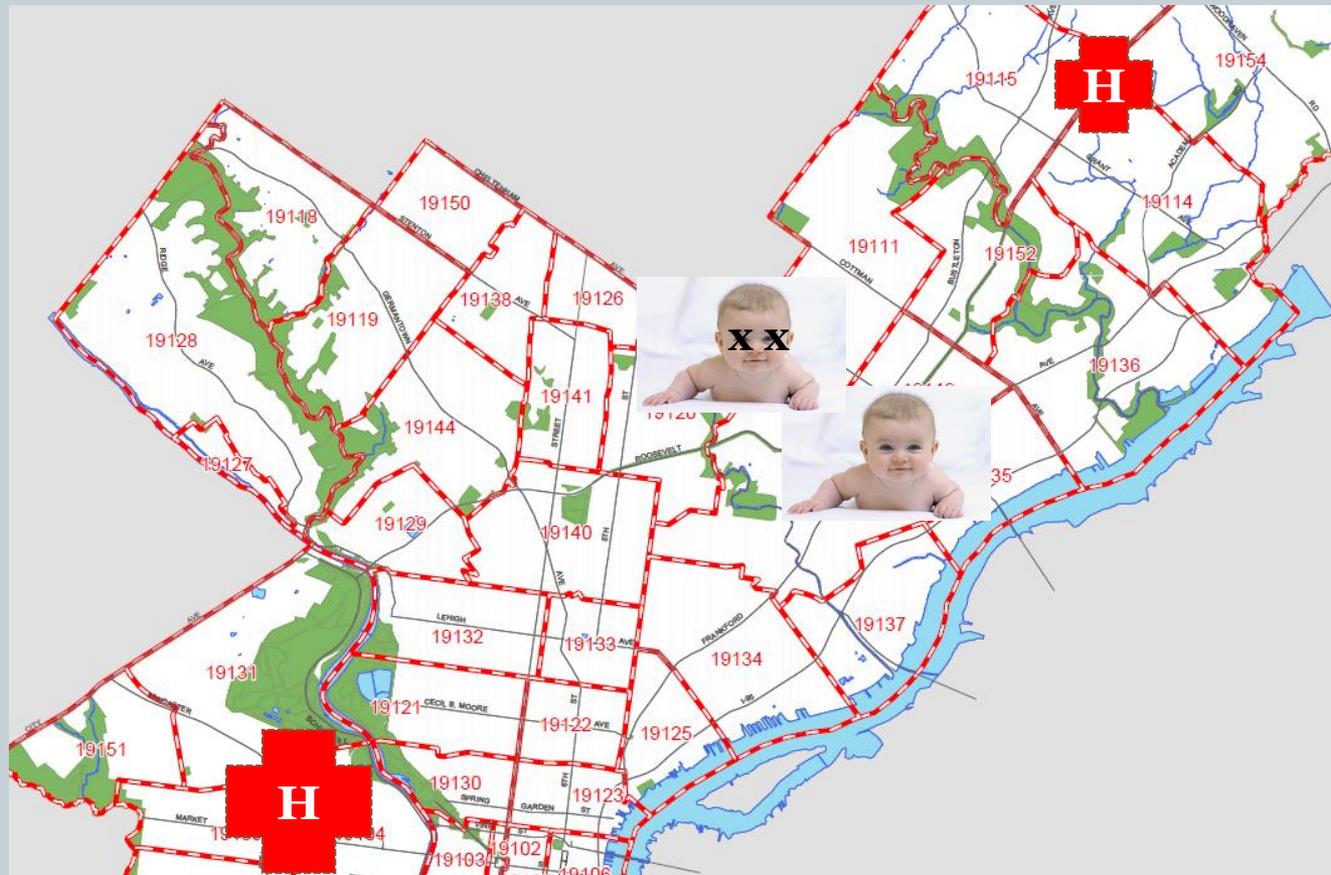


# case-control matching



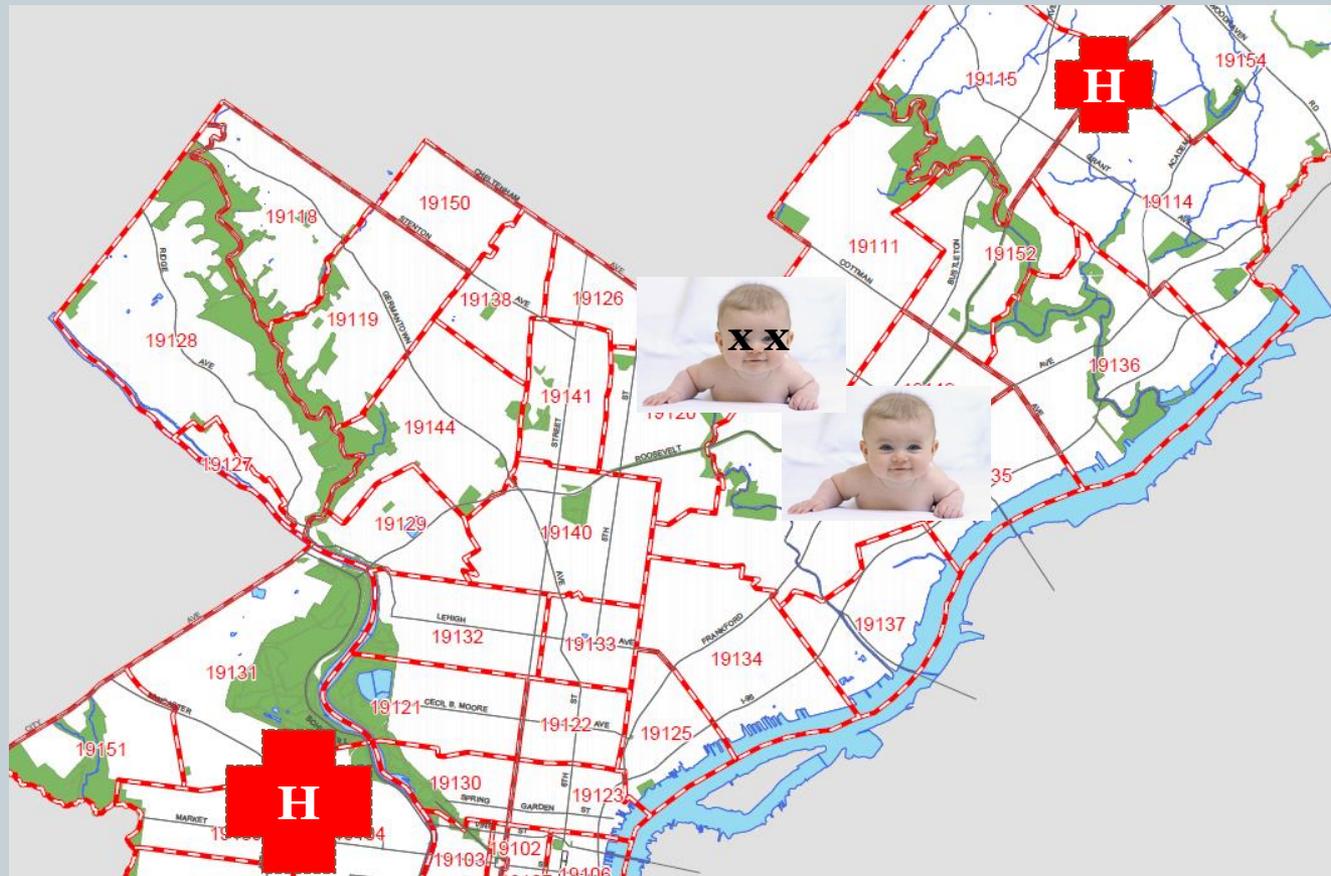
Use pre-intervention covariates to match.

# case-control matching



Use pre-intervention covariates to match. Match between observations  $y=1$  vs  $y=0$ .

# case-control matching



Use pre-intervention covariates to match. Match between observations  $y=1$  vs  $y=0$ .  
Examine distributions of candidate causes between the two groups.

case-noncase



# case-noncase



- Match from  $Y=1$  to  $Y=0$  on all baseline characteristics...

# case-noncase



- Match from  $Y=1$  to  $Y=0$  on all baseline characteristics, POSSIBLY some intermediate variables...

# case-noncase



- Match from  $Y=1$  to  $Y=0$  on all baseline characteristics, POSSIBLY some intermediate variables, but NOT the candidate causal covariates of interest.

# case-noncase



- Match from  $Y=1$  to  $Y=0$  on all baseline characteristics, POSSIBLY some intermediate variables, but NOT the candidate causal covariates of interest.
- Look for maximal disagreement in candidate causal covariates.

# case-noncase



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- There are several reasonable critiques (e.g., doesn't look like an RCT).

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  - For the matching we've discussed in this class we've got all we need:  $(d, y)$ . It's not clear that we have all the  $d$  that cause variation in  $y$ .

# case-noncase



You know the difference in logical reasoning here.

# case-noncase



You know the difference in logical reasoning here.

Canonical archetypes:

# case-noncase



You know the difference in logical reasoning here.

Canonical archetypes:



scientist

# case-noncase



You know the difference in logical reasoning here.

Canonical archetypes:



scientist



detective

isolation



# isolation by design



- Natural experiments:

[https://projecteuclid.org/download/pdfview\\_1/euclid.aoas/1419001736](https://projecteuclid.org/download/pdfview_1/euclid.aoas/1419001736)

# isolation by design



- Natural experiments:
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- Natural experiments:
  - Natural experiments are a type of observational study, that is, a study of the effects caused by treatments when random assignment is infeasible or unethical.
  - What distinguishes a natural experiment from other observational studies is the emphasis placed upon finding unusual circumstances in which treatment assignment, though not randomized, seems to resemble randomized assignment in that it is haphazard, not the result of deliberation or considered judgement, not confounded by the typical attributes that determine treatment assignment in a particular empirical field.

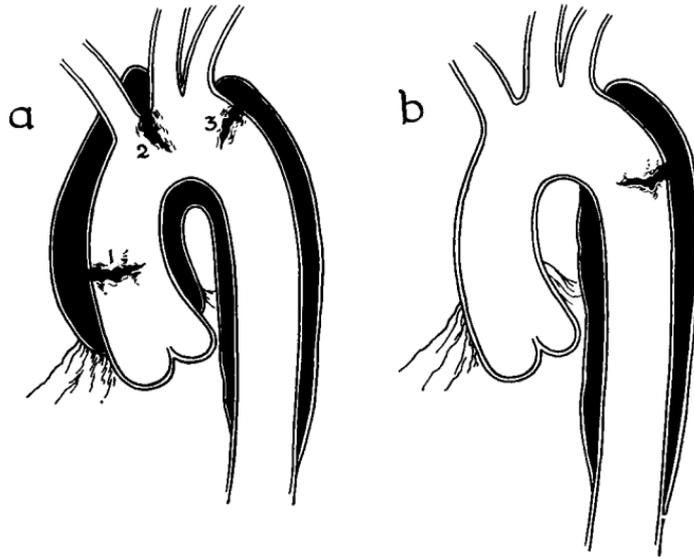
# regionalizing care for acute type A aortic dissections

<https://www.ahajournals.org/doi/10.1161/CIRCULATIONAHA.118.038867>

Andrew B. Goldstone, MD, PhD, Peter Chiu, MD, Michael Baiocchi, PhD,  
Bharathi Lingala, PhD, Michael P. Fischbein, MD, PhD, Joseph Woo, MD

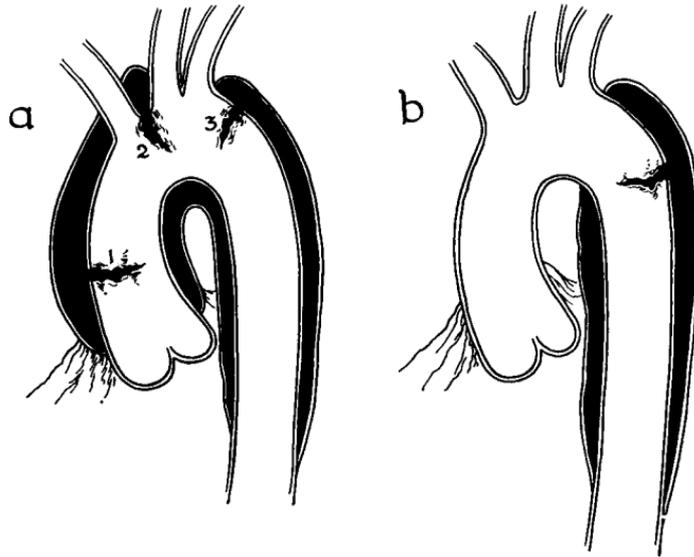
acute aortic dissection

# acute aortic dissection



*FIG. 3. Classification of aortic dissections. In type A the ascending aorta is dissected (a). The intimal tear has always been at position 1, but it can occur at positions 2 or 3 (see text). In type B dissection the dissection is limited to the descending aorta (b), and the intimal tear is usually within 2 to 5 cm. of the left subclavian artery.*

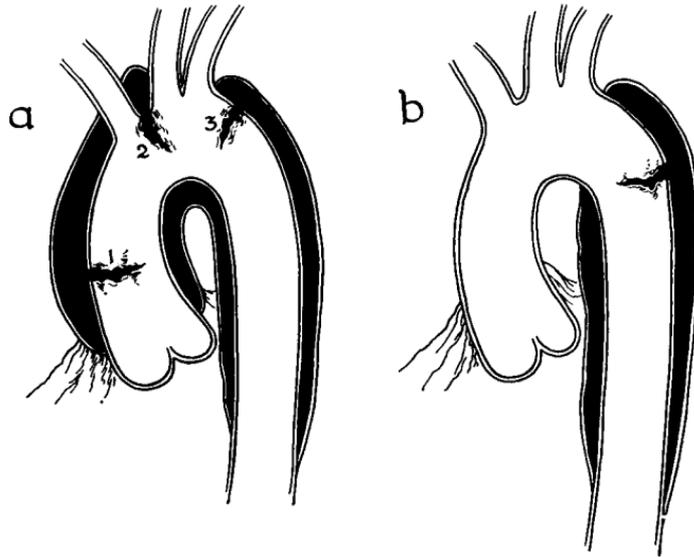
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*FIG. 3. Classification of aortic dissections. In type A the ascending aorta is dissected (a). The intimal tear has always been at position 1, but it can occur at positions 2 or 3 (see text). In type B dissection the dissection is limited to the descending aorta (b), and the intimal tear is usually within 2 to 5 cm. of the left subclavian artery.*



# acute aortic dissection



*FIG. 3. Classification of aortic dissections. In type A the ascending aorta is dissected (a). The intimal tear has always been at position 1, but it can occur at positions 2 or 3 (see text). In type B dissection the dissection is limited to the descending aorta (b), and the intimal tear is usually within 2 to 5 cm. of the left subclavian artery.*



aortic dissection

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## aortic dissection

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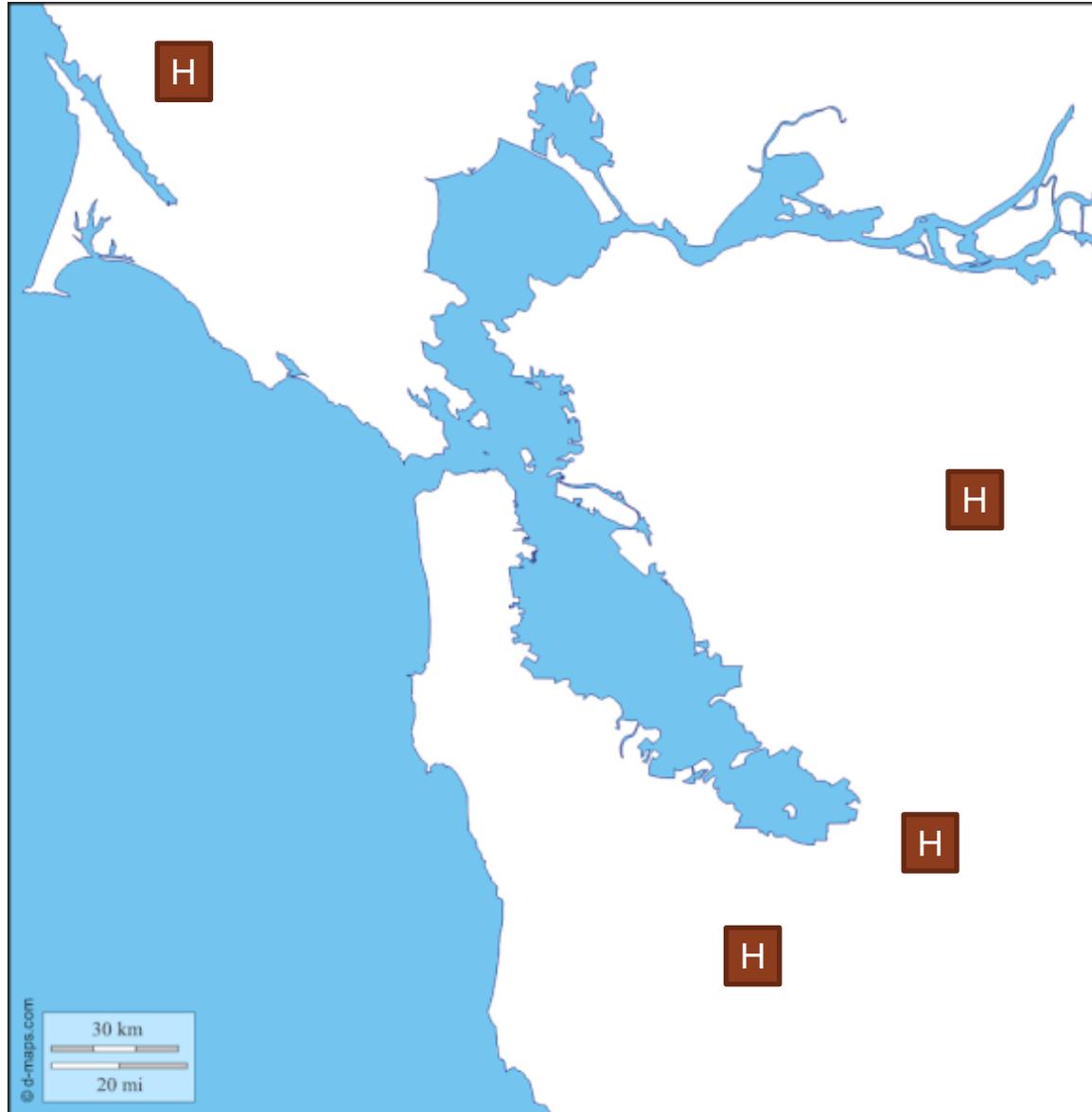
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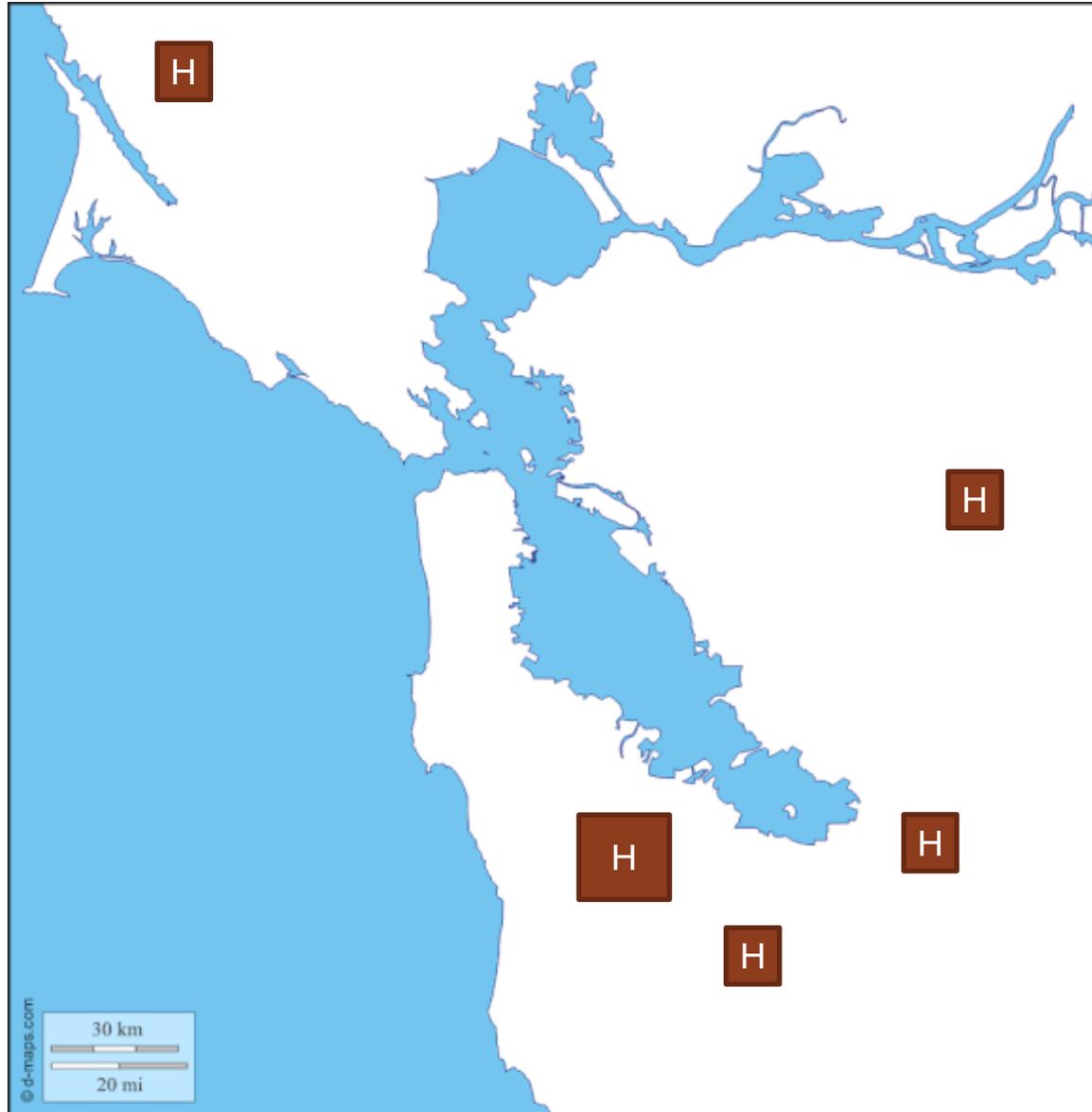
## aortic dissection

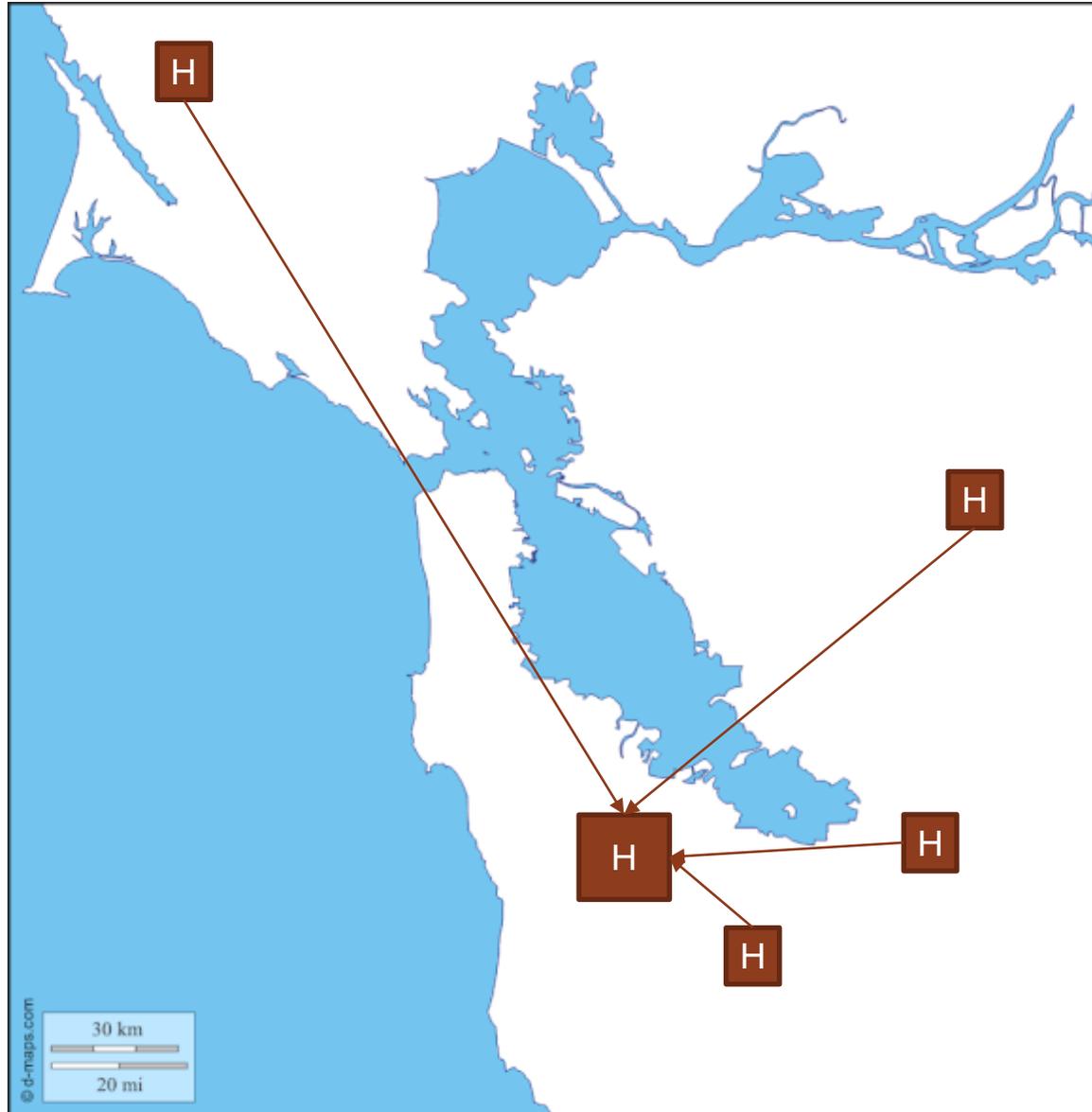
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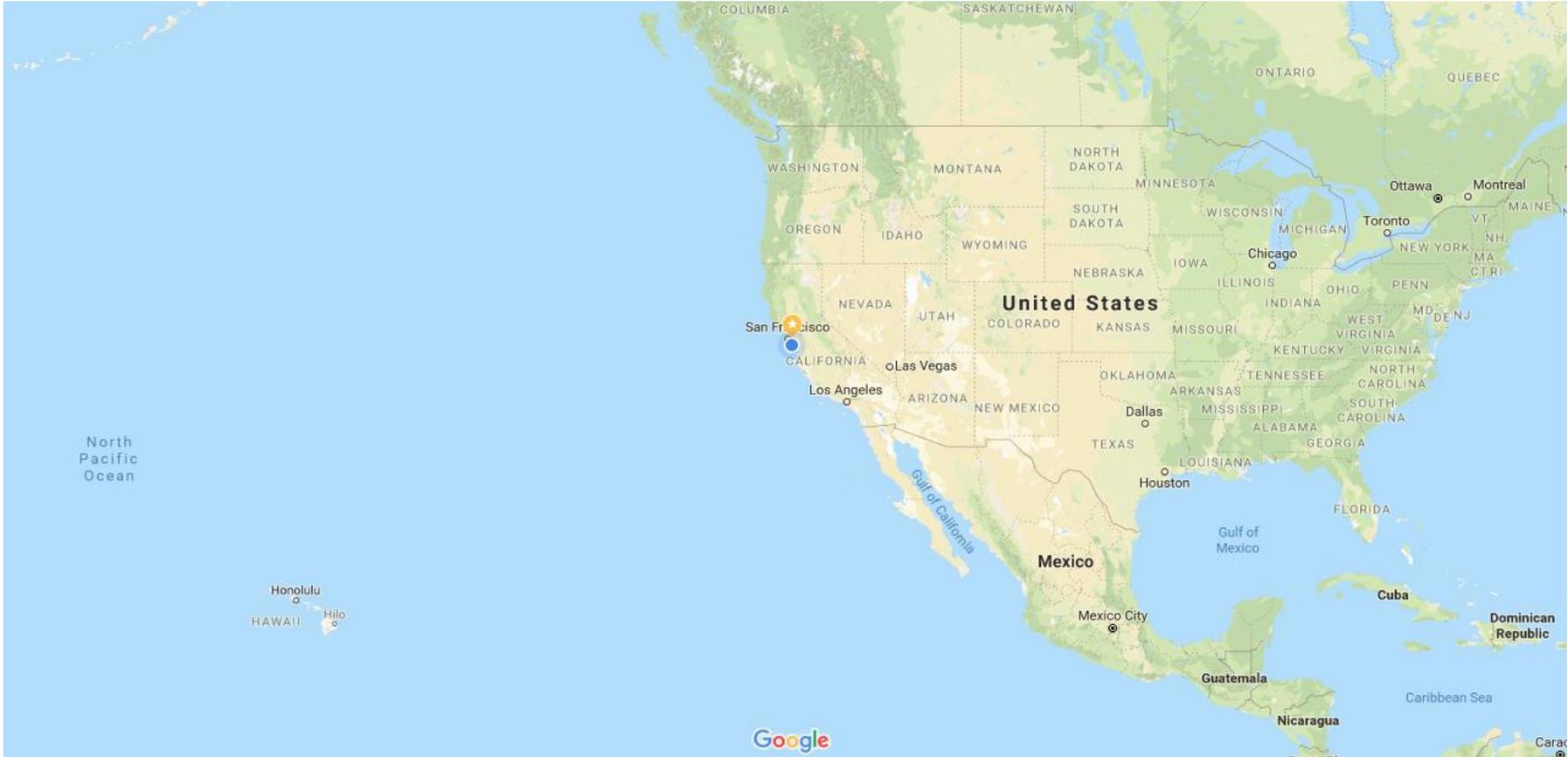
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- Interfacility transfer = ?

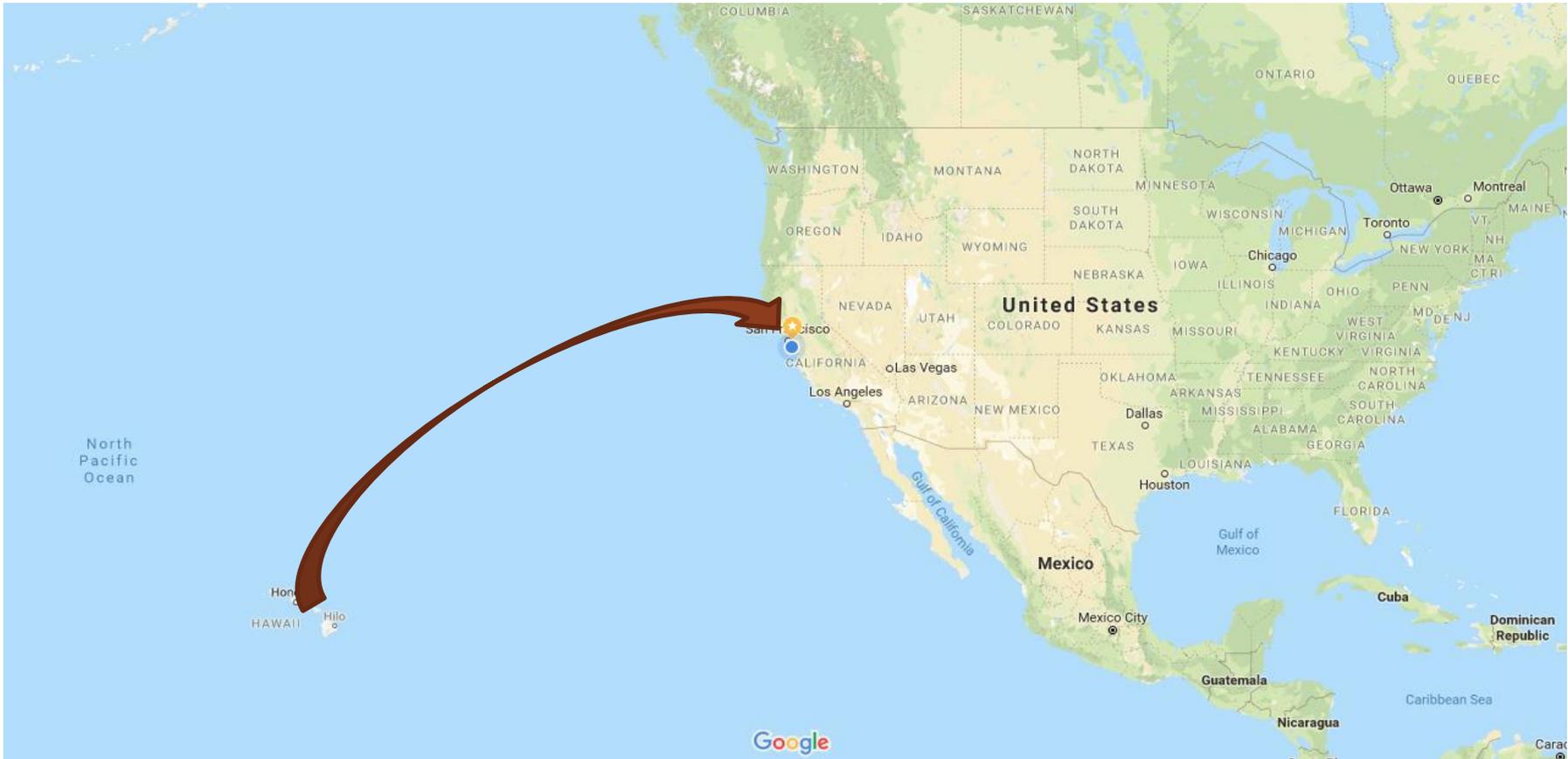












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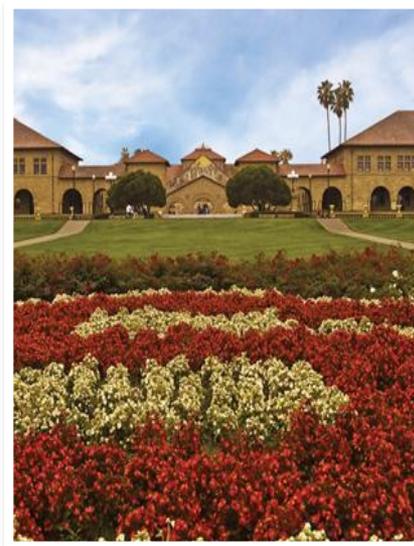
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Perhaps we could move up to a higher level of randomization: could work with some hospitals to have them implement regionalization, others not.

## study design

isolating a natural experiment



control for what you know

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We pulled Medicare claims records from 1999-2014.

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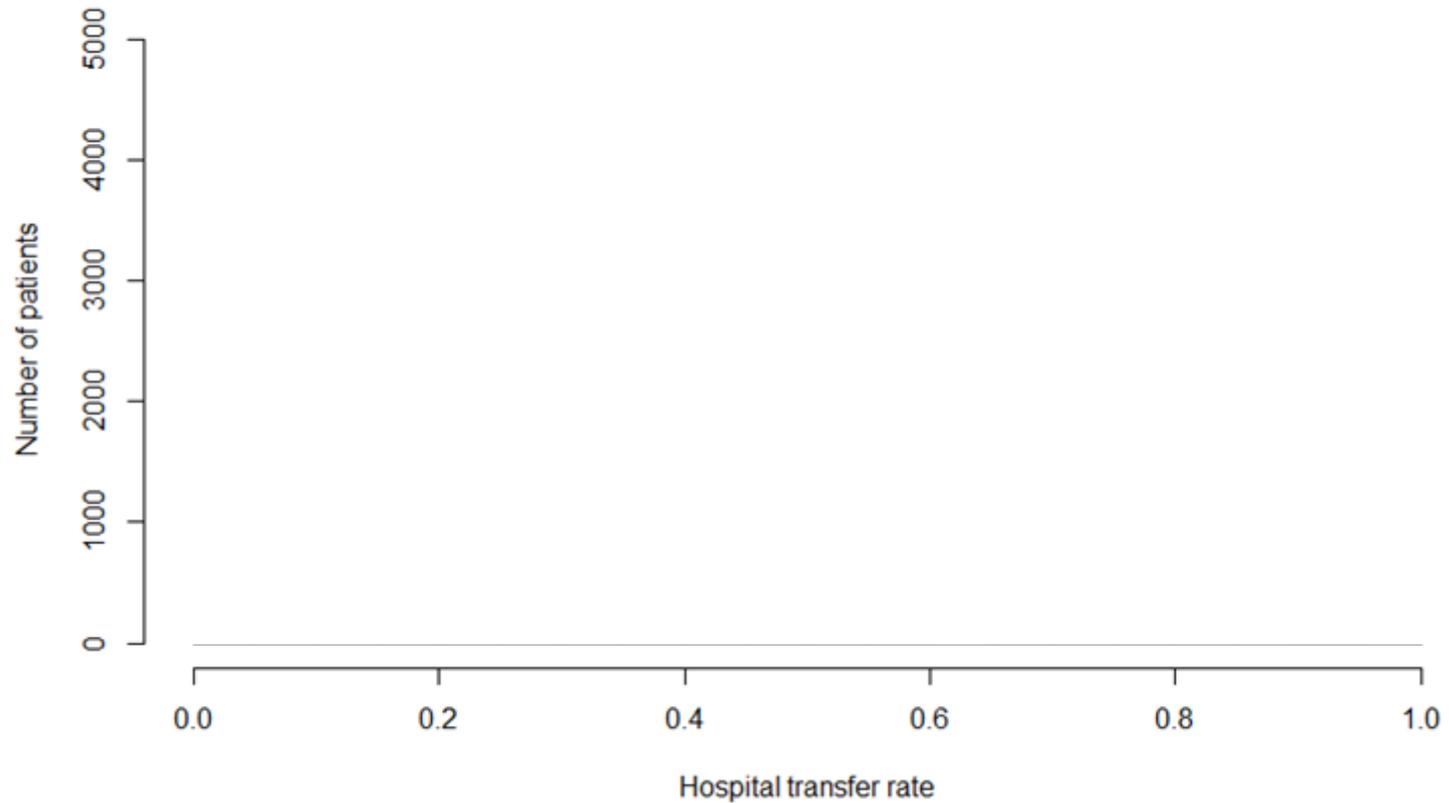
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Table 1. Baseline and Operative Characteristics of the Study Population and the Population for the Analysis of Regional

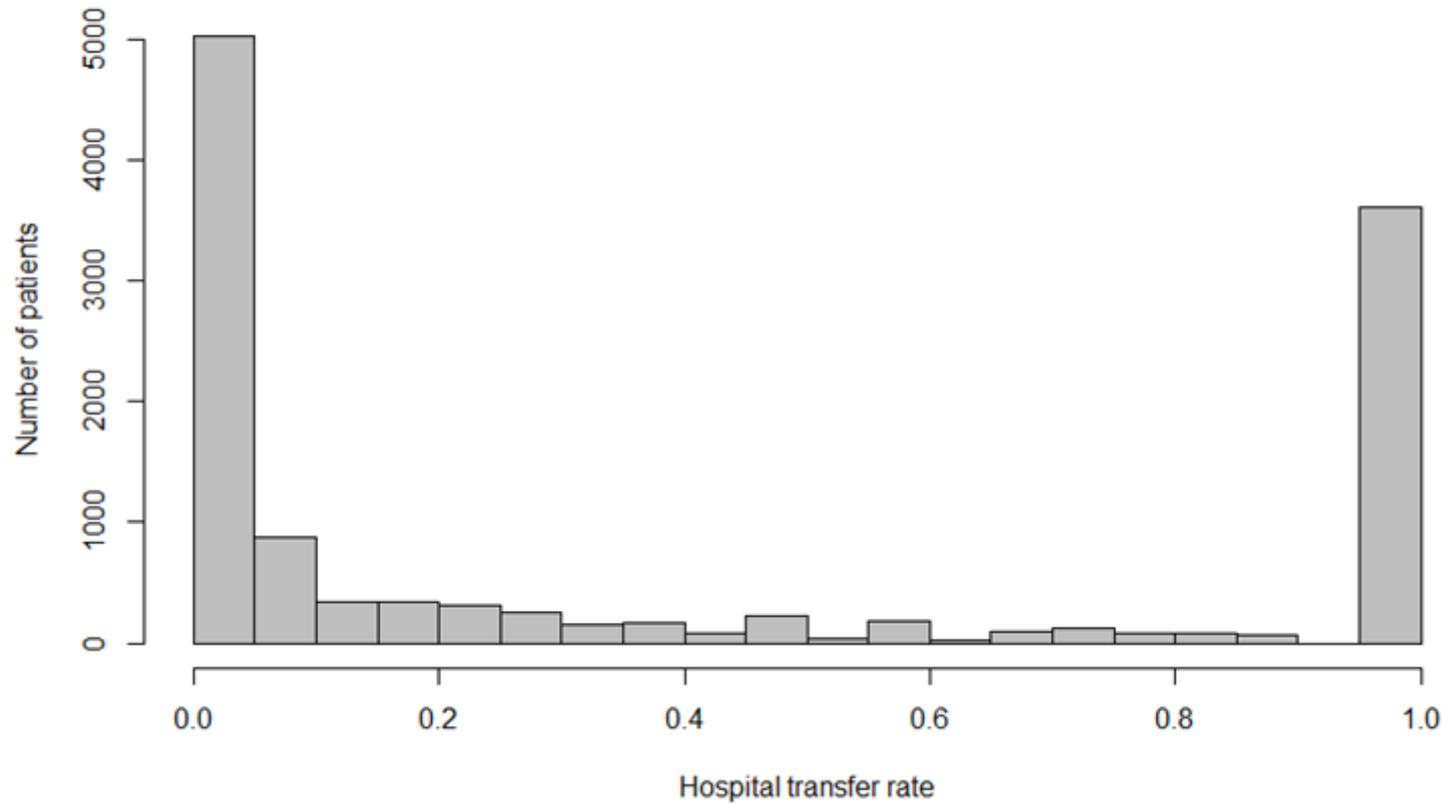
Characteristic	Overall	Before Matching		SMD
	Study Population (N=16,886)	Not Rerouted (N=7910)	Rerouted (N=4520)	
Age - yr	72.66 (9.50)	72.29 (9.46)	72.46 (9.61)	0.017
Age <65 yrs - n (%)	1925 (11.5)	946 (12.0)	510 (11.3)	0.021
Year of surgery - yr	2006.78 (4.57)	2006.71 (4.57)	2006.86 (4.59)	0.033
Male sex - n (%)	9397 (55.6)	4612 (58.2)	2513 (55.6)	0.004
Race - n (%)				
White	14,235 (84.9)	6717 (84.9)	3830 (84.7)	0.005
Black	1787 (10.6)	748 (9.5)	534 (11.8)	0.077
Asian	268 (1.6)	177 (2.2)	48 (1.1)	0.092
Hispanic	191 (1.1)	98 (1.2)	34 (0.8)	0.049
Other	305 (1.8)	170 (2.1)	74 (1.6)	0.038
Prior myocardial infarction - n (%)	574 (3.4)	279 (3.5)	151 (3.3)	0.01
Alzheimer's dementia - n (%)	806 (4.8)	369 (4.7)	230 (5.1)	0.02
Atrial fibrillation - n (%)	2725 (16.2)	1204 (15.2)	675 (15.0)	0.008
Chronic kidney disease - n (%)	2525 (15.1)	1166 (14.7)	704 (15.6)	0.023
COPD - n (%)	3848 (22.8)	1752 (22.1)	1114 (24.6)	0.059
Congestive heart failure - n (%)	4230 (25.1)	1863 (23.6)	1118 (24.7)	0.028
Diabetes mellitus - n (%)	3049 (18.1)	1364 (17.2)	841 (18.6)	0.036
Hip fracture - n (%)	250 (1.5)	107 (1.4)	82 (1.8)	0.037
Ischemic heart disease - n (%)	7842 (46.4)	3503 (44.3)	2049 (45.3)	0.021
Arthritis - n (%)	2222 (13.2)	1020 (12.9)	571 (12.6)	0.008
Stroke - n (%)	1825 (10.8)	832 (10.5)	502 (11.1)	0.019
Cancer - n (%)	2039 (12.1)	929 (11.7)	557 (12.3)	0.018
Anemia - n (%)	6524 (38.6)	2908 (36.8)	1758 (38.9)	0.044
Hyperlipidemia - n (%)	9249 (54.8)	4247 (53.7)	2490 (55.1)	0.028
Hypertension - n (%)	12,225 (72.4)	5618 (71.0)	3326 (73.6)	0.057
Hypothyroidism - n (%)	2329 (13.8)	1099 (13.9)	602 (13.3)	0.017
Region				
New England - n (%)	947 (5.6)	273 (3.5)	364 (8.1)	0.199
Midwest - n (%)	3035 (18.0)	839 (10.6)	1121 (24.8)	0.378
Great Lakes - n (%)	3061 (18.1)	1302 (16.5)	910 (20.1)	0.095
Plains - n (%)	1,267 (7.5)	689 (8.7)	263 (5.8)	0.112
Southeast - n (%)	4669 (27.7)	2223 (28.1)	1215 (26.9)	0.027
Southwest - n (%)	1,504 (8.9)	875 (11.1)	300 (6.6)	0.156
Rocky Mountain - n (%)	460 (2.7)	365 (4.6)	41 (0.9)	0.228
Prior Procedures				
Aortic valve surgery - n (%)	375 (2.2)	163 (2.1)	108 (2.4)	0.022
Thoracic aortic replacement - n (%)	36 (0.2)	10 (0.1)	16 (0.4)	0.046
Thoracoabdominal aortic replacement - n (%)	19 (0.1)	4 (0.1)	9 (0.2)	0.042
TEVAR - n (%)	22 (0.1)	9 (0.1)	7 (0.2)	0.011
EVAR - n (%)	53 (0.3)	25 (0.3)	11 (0.2)	0.014
Abdominal aortic replacement - n (%)	199 (1.2)	84 (1.1)	62 (1.4)	0.028
Mitral valve surgery - n (%)	155 (0.9)	68 (0.9)	41 (0.9)	0.005
Tricuspid valve surgery - n (%)	15 (0.1)	5 (0.1)	6 (0.1)	0.022
CABG - n (%)	988 (5.9)	440 (5.6)	278 (6.2)	0.025
VAD/ECMO - n (%)	14 (0.1)	4 (0.1)	7 (0.2)	0.033
Other cardiac surgery - n (%)	82 (0.5)	33 (0.4)	24 (0.6)	0.028
Index Surgical Procedures				
Aortic valve surgery - n (%)	2428 (14.4)	1056 (13.4)	587 (13.0)	0.011
Aortic root replacement - n (%)	4816 (28.5)	2280 (28.8)	1193 (26.4)	0.054
Ascending aortic replacement - n (%)	12,228 (72.4)	5700 (72.1)	3362 (74.4)	0.052
Aortic arch replacement - n (%)	3044 (18.0)	799 (10.1)	1214 (26.9)	0.442
Descending thoracic aortic replacement - n (%)	195 (1.2)	73 (0.9)	62 (1.4)	0.042
Thoracoabdominal aortic replacement - n (%)	25 (0.1)	13 (0.2)	5 (0.1)	0.015
TEVAR - n (%)	154 (0.9)	37 (0.5)	62 (1.4)	0.095
EVAR - n (%)	19 (0.1)	8 (0.1)	6 (0.1)	0.009
Abdominal aortic replacement - n (%)	39 (0.2)	23 (0.3)	7 (0.2)	0.029
CABG - n (%)	4181 (24.8)	2029 (25.7)	866 (19.2)	0.156
Other valve surgery - n (%)	8 (0.0)	5 (0.1)	0 (0.0)	0.036
Other cardiac surgery - n (%)	340 (2.0)	133 (1.7)	79 (1.7)	0.005
Transcatheter - n (%)	6836 (40.5)	2316 (29.3)	4520 (100.0)	2.198
Surgery at high-volume center - n (%)	8976 (53.2)	0 (0.0)	4520 (100.0)	-
Rerouted - n (%)	4520 (26.4)	0 (0.0)	4520 (100.0)	-

\*P-values are mean ± standard deviation. Variables excluded from table though well-balanced (SMD < 0.1):

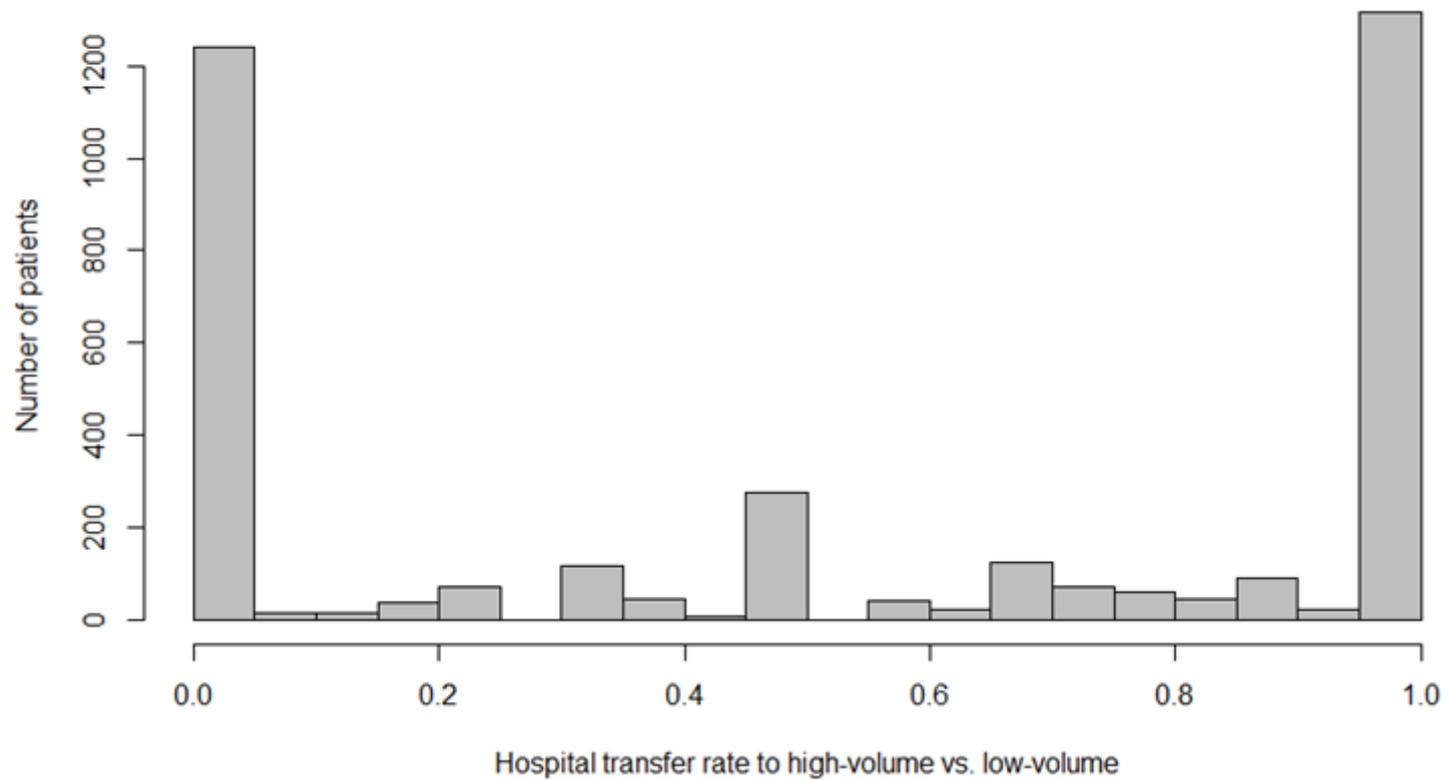
**B Distribution of patients presenting to hospitals with varying transfer rates for acute type A aortic dissection**



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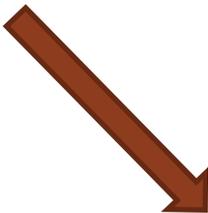
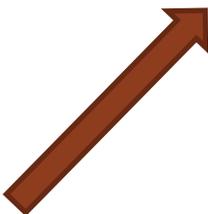


**D** Distribution of patients presenting to hospitals with varying transfer rates to high-volume centers among hospitals that always transferred patients with acute type A aortic dissection

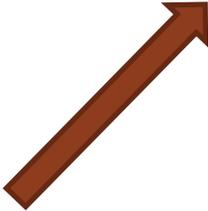


Go to hospital

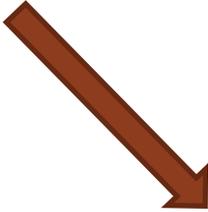
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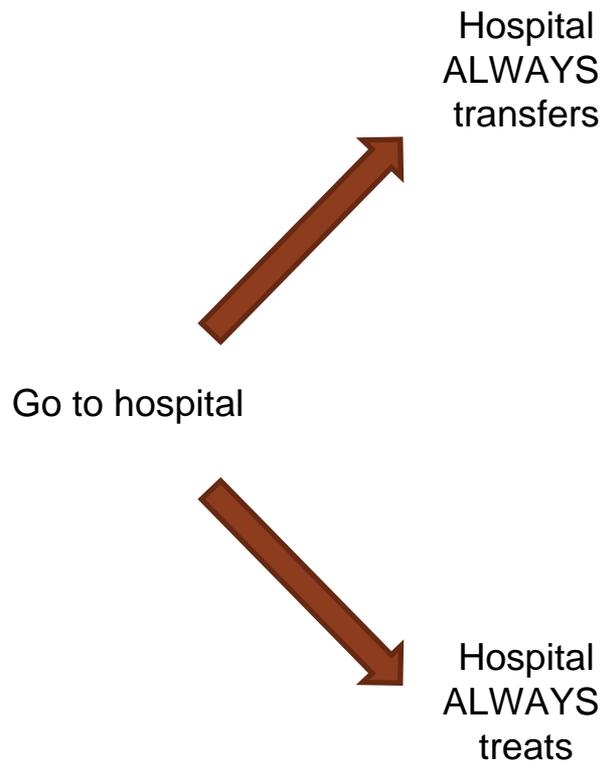


Hospital  
ALWAYS  
transfers

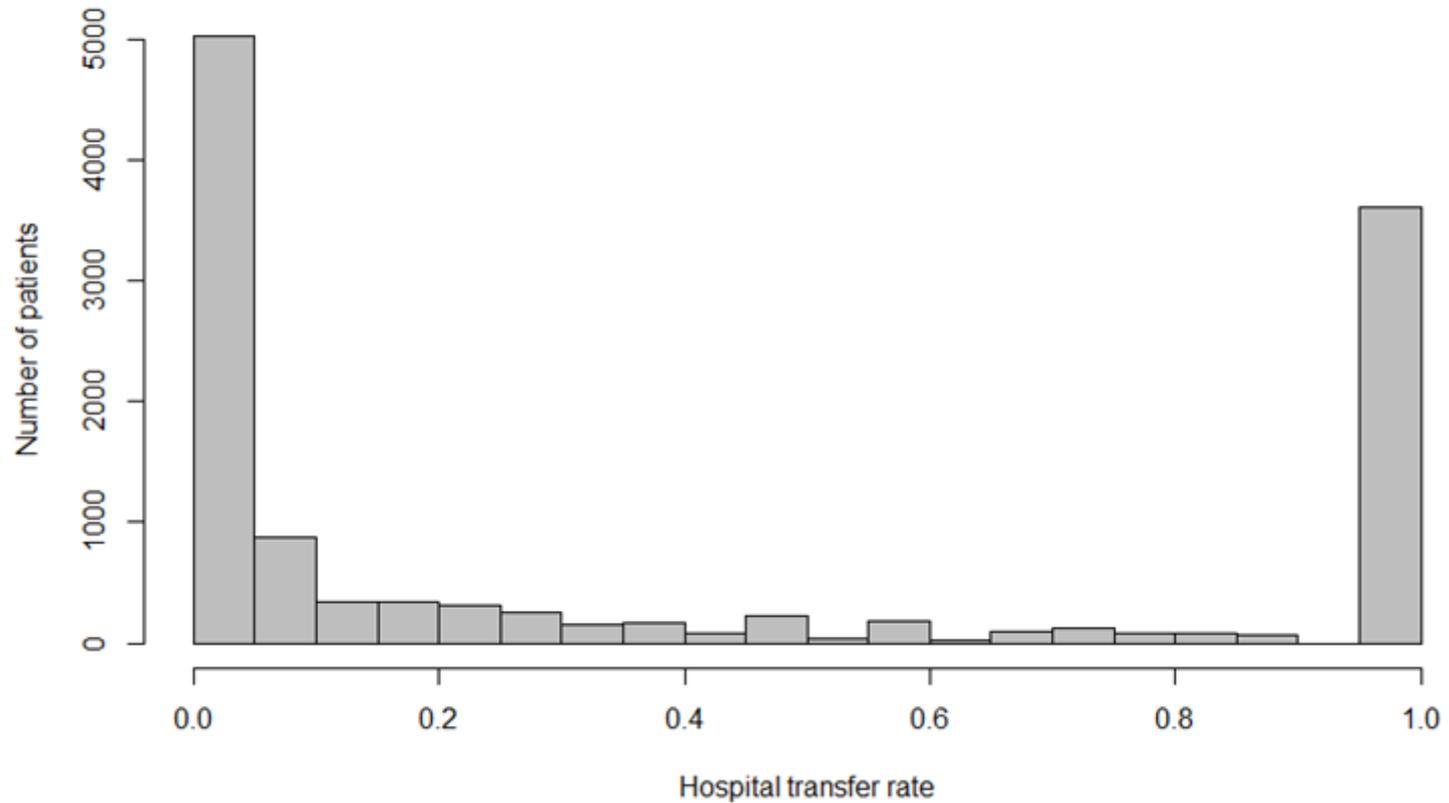


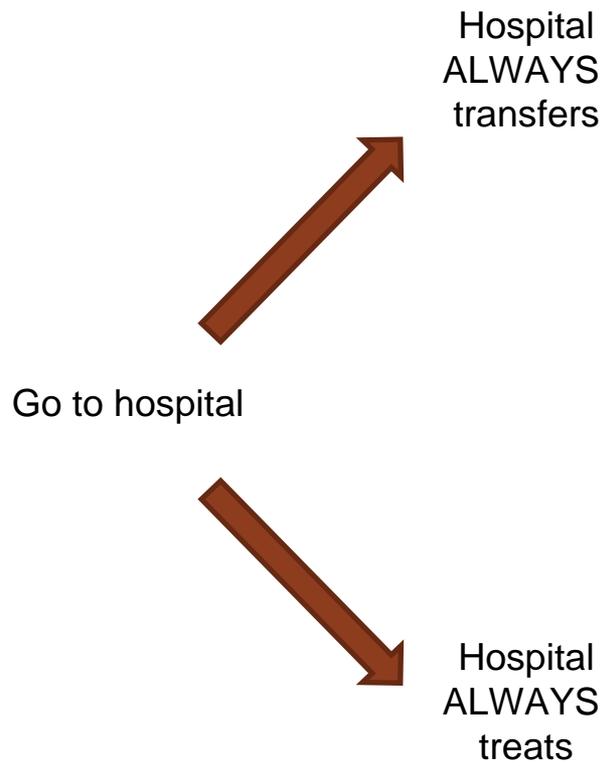
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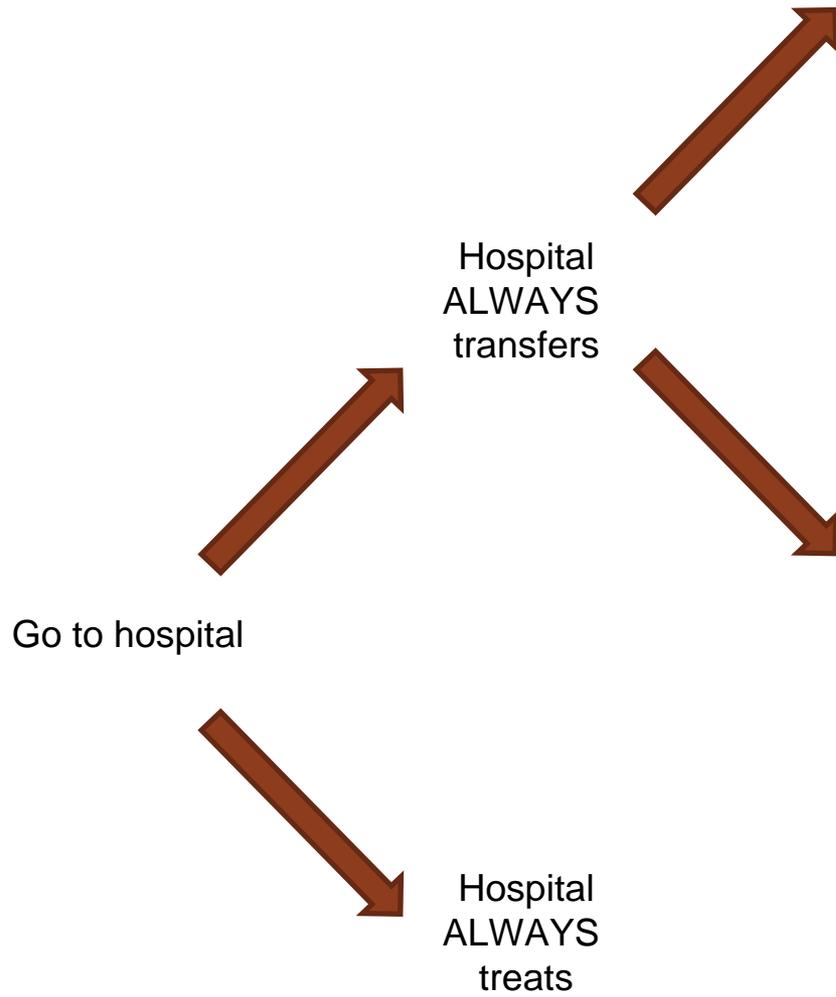


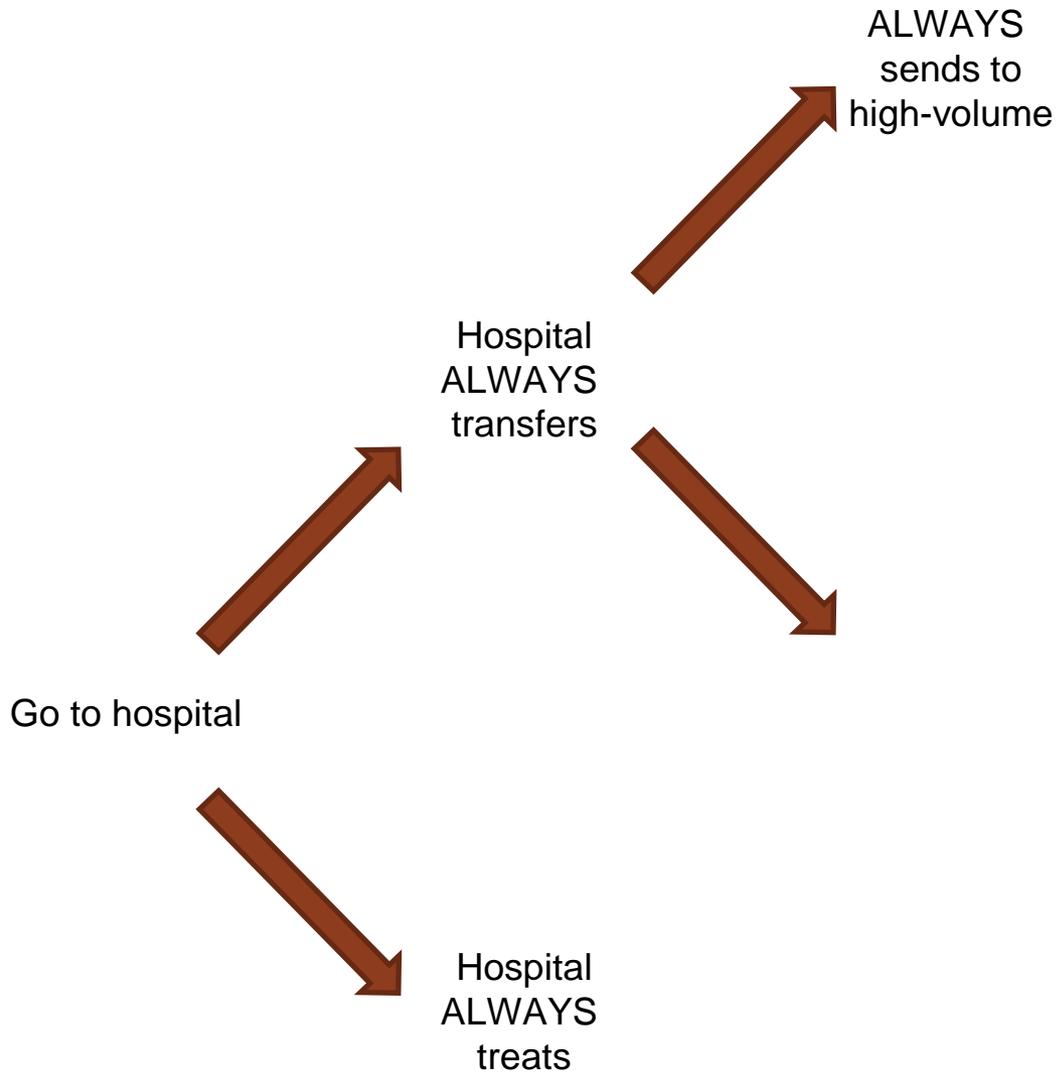


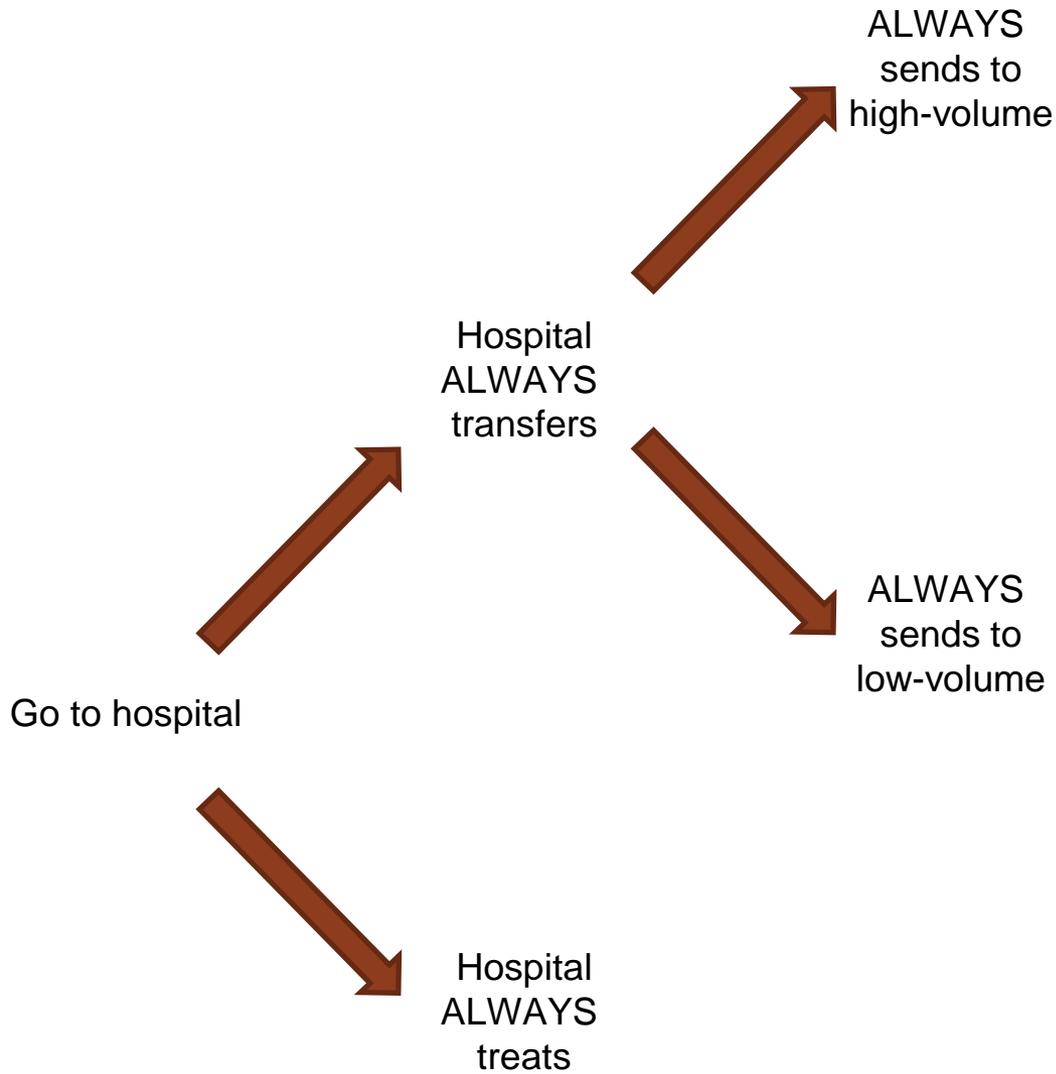
**B** Distribution of patients presenting to hospitals with varying transfer rates for acute type A aortic dissection

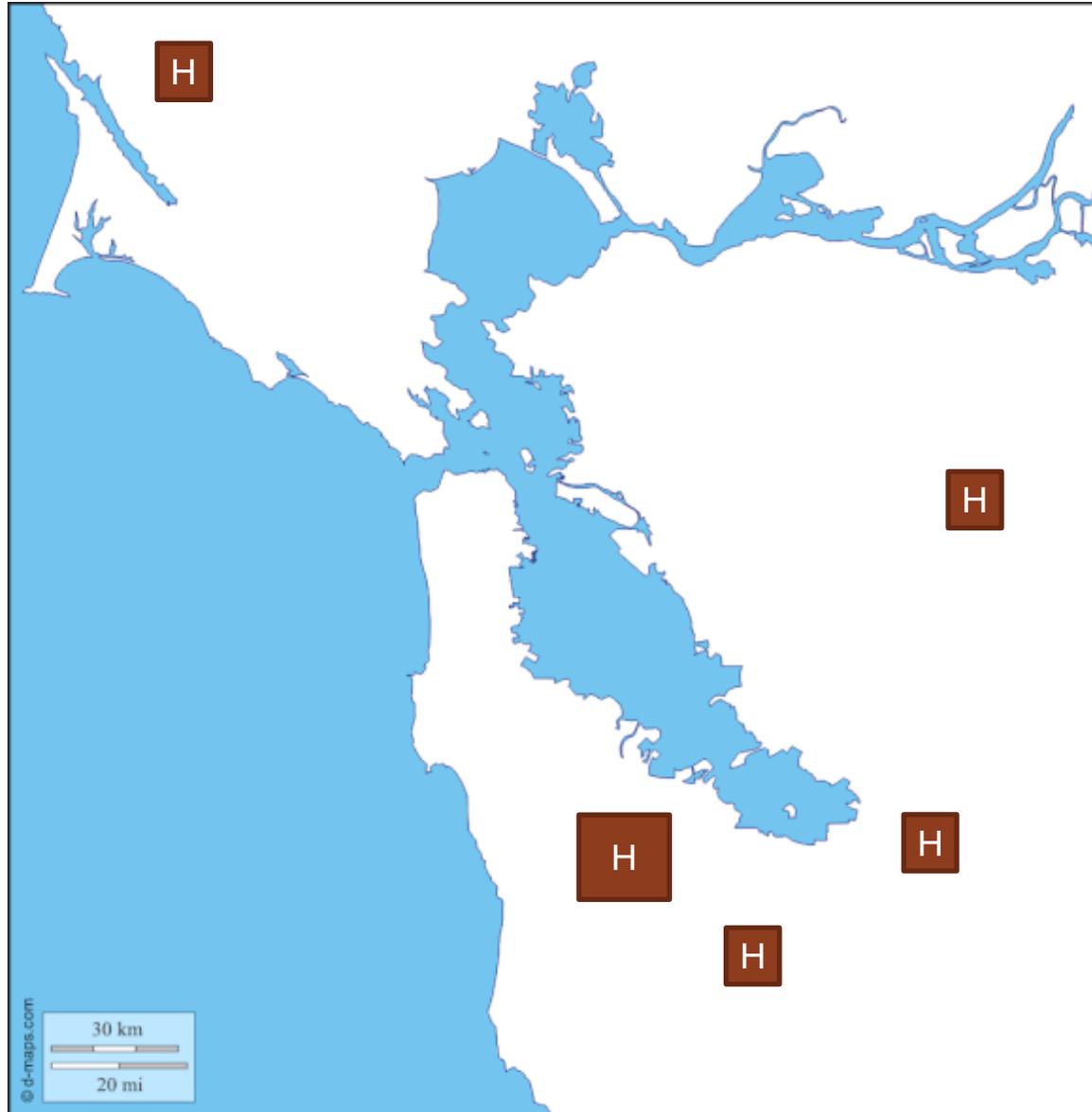


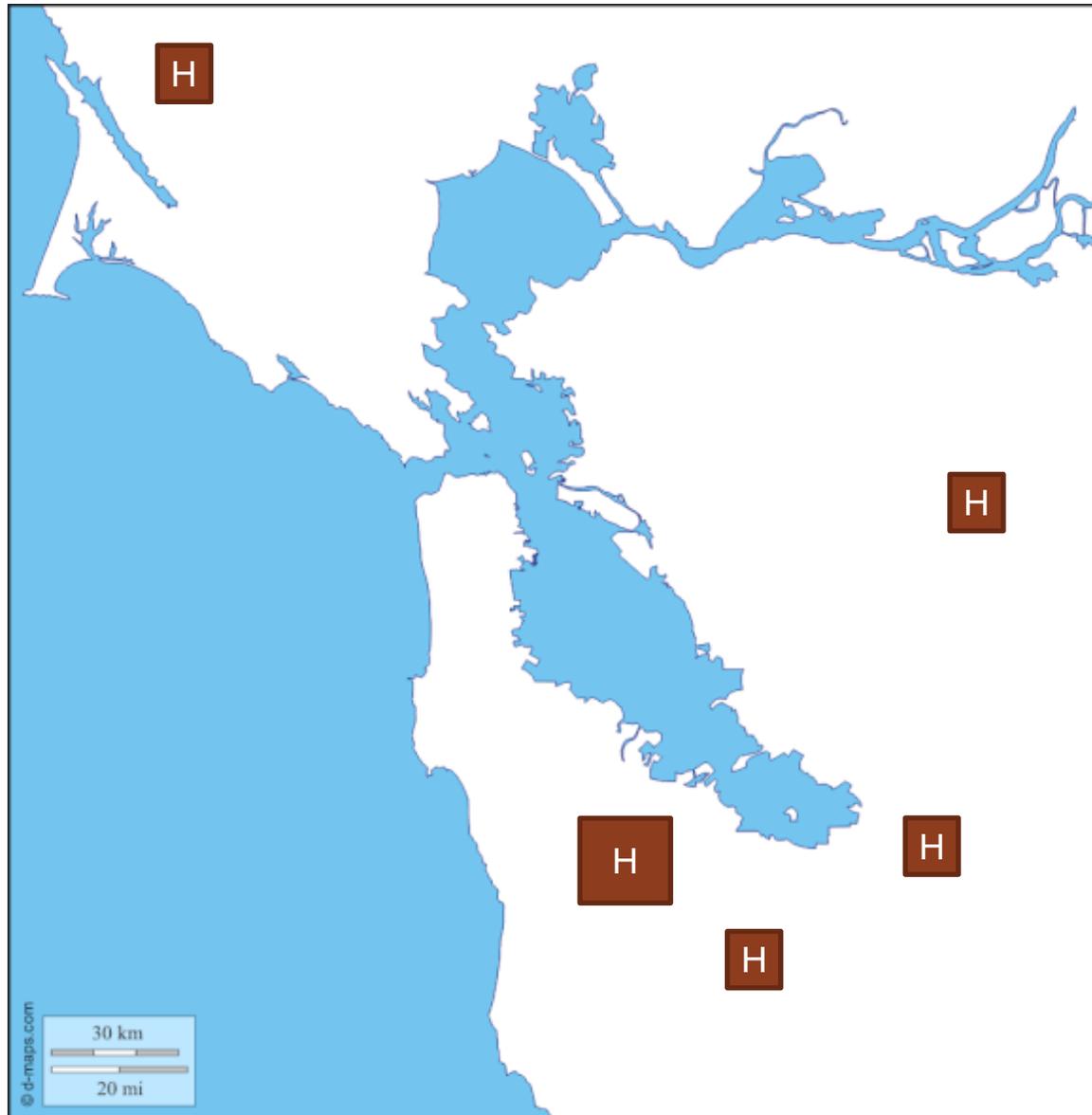
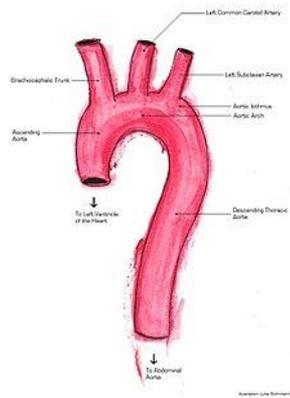


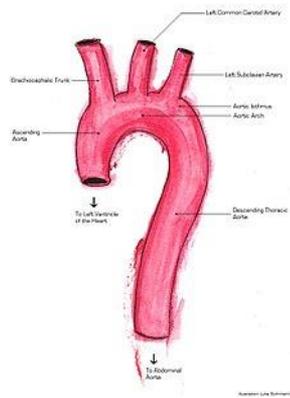




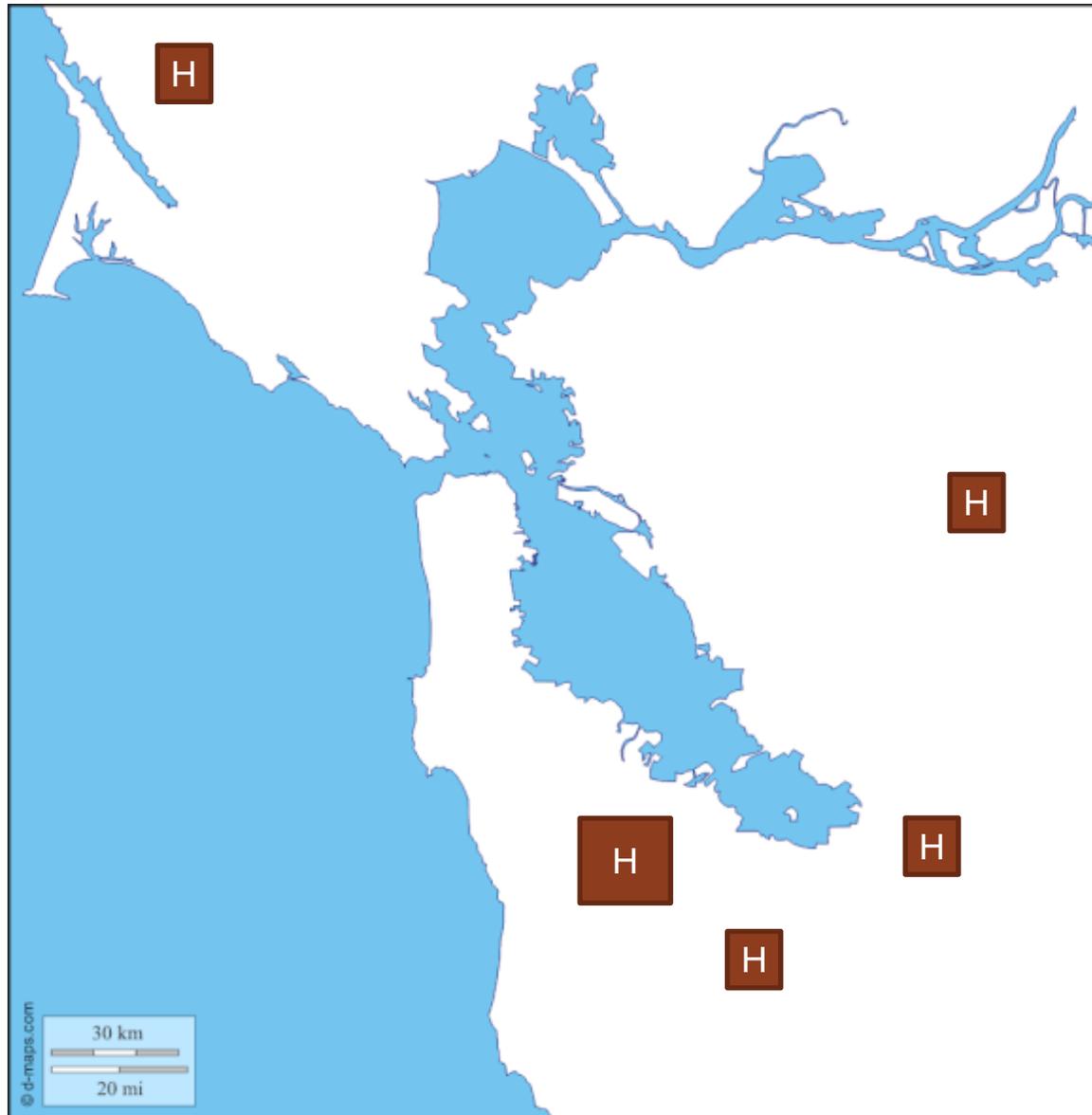




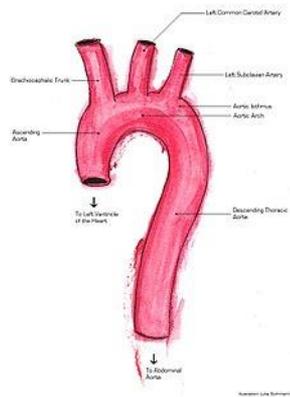




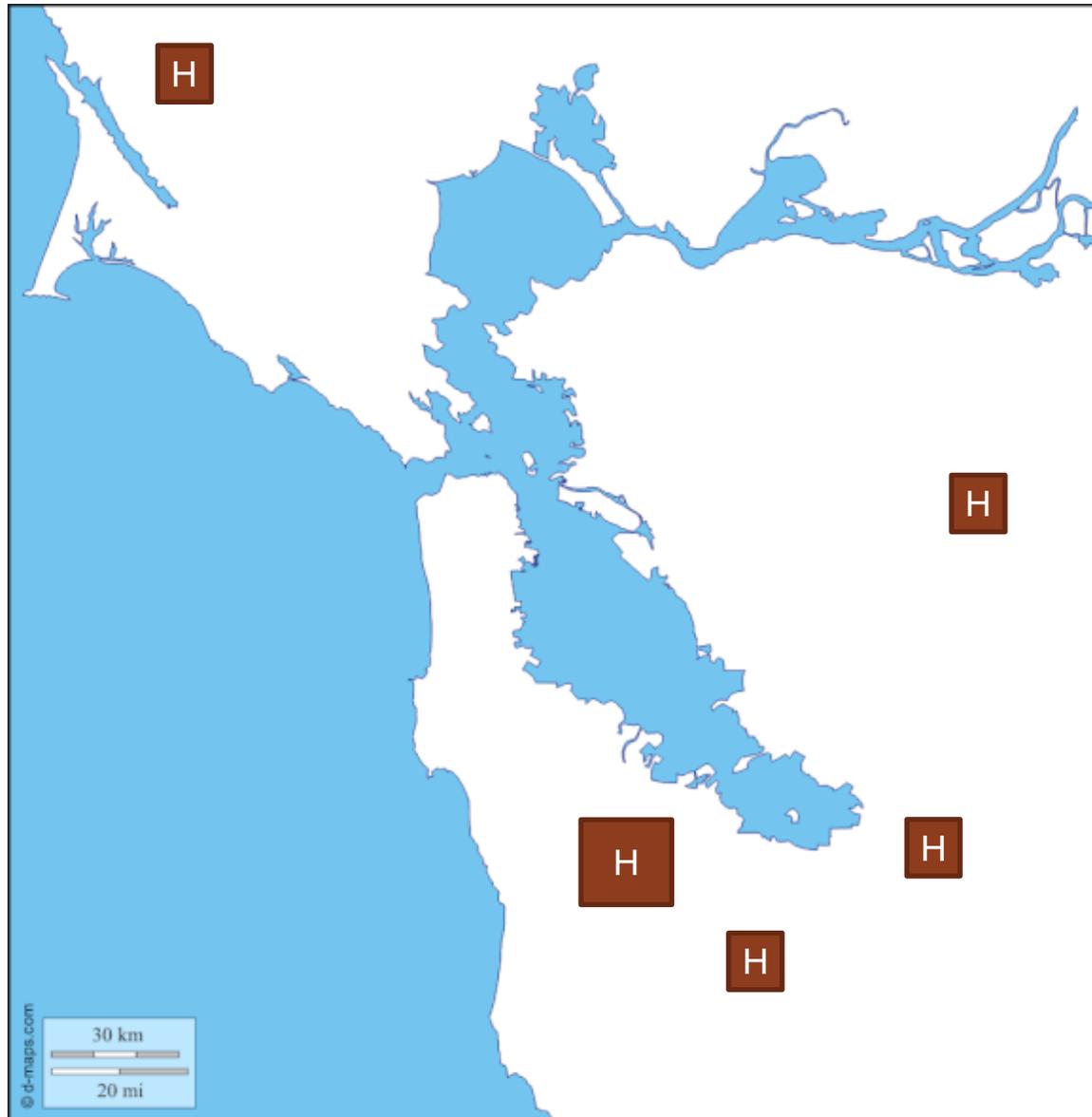
< 10/year = low



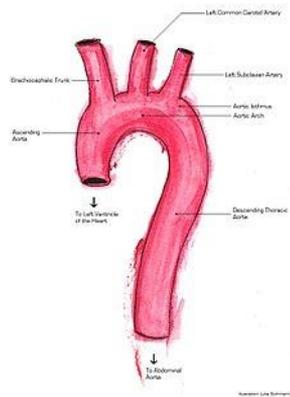
> 10/year = high



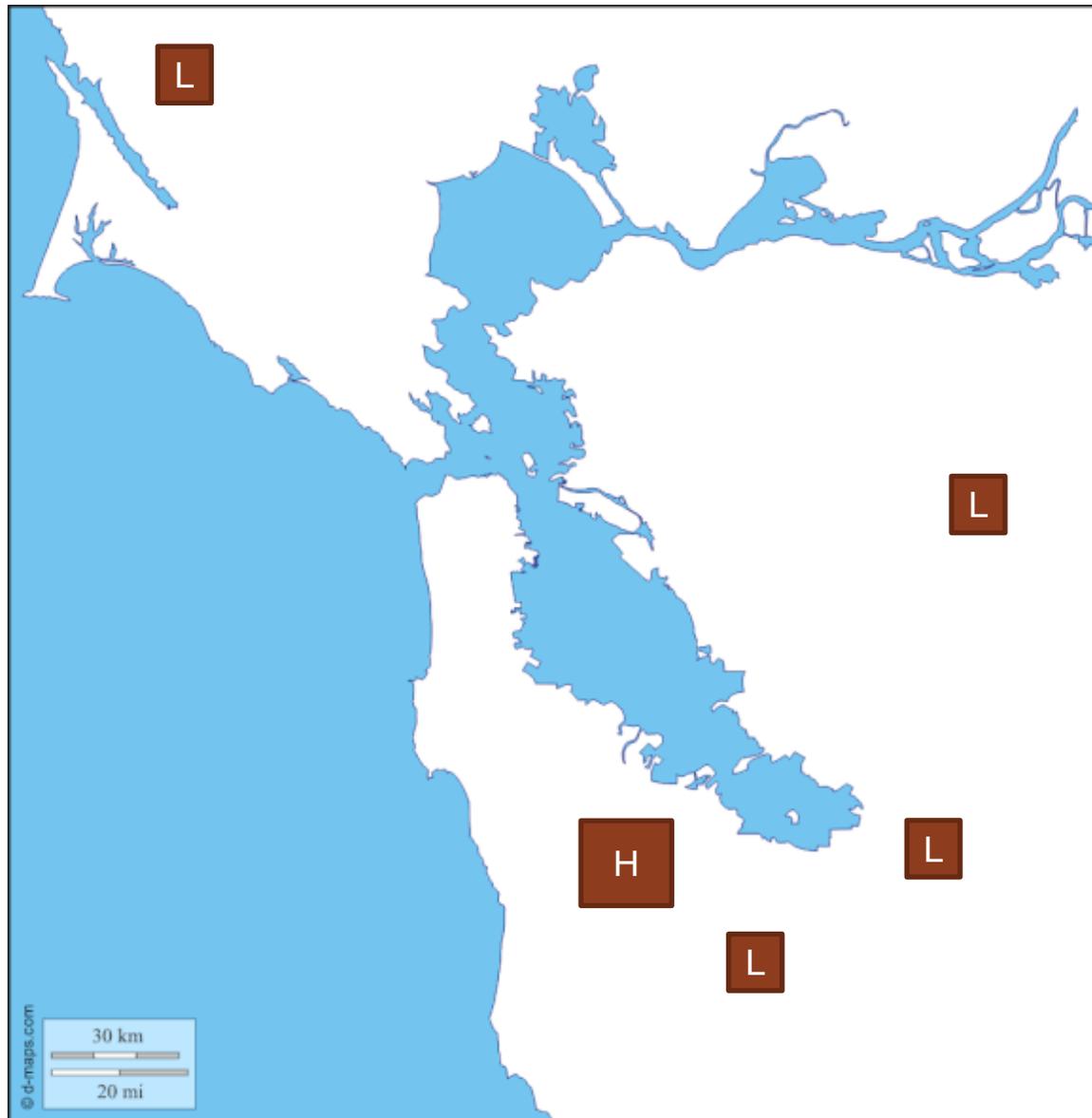
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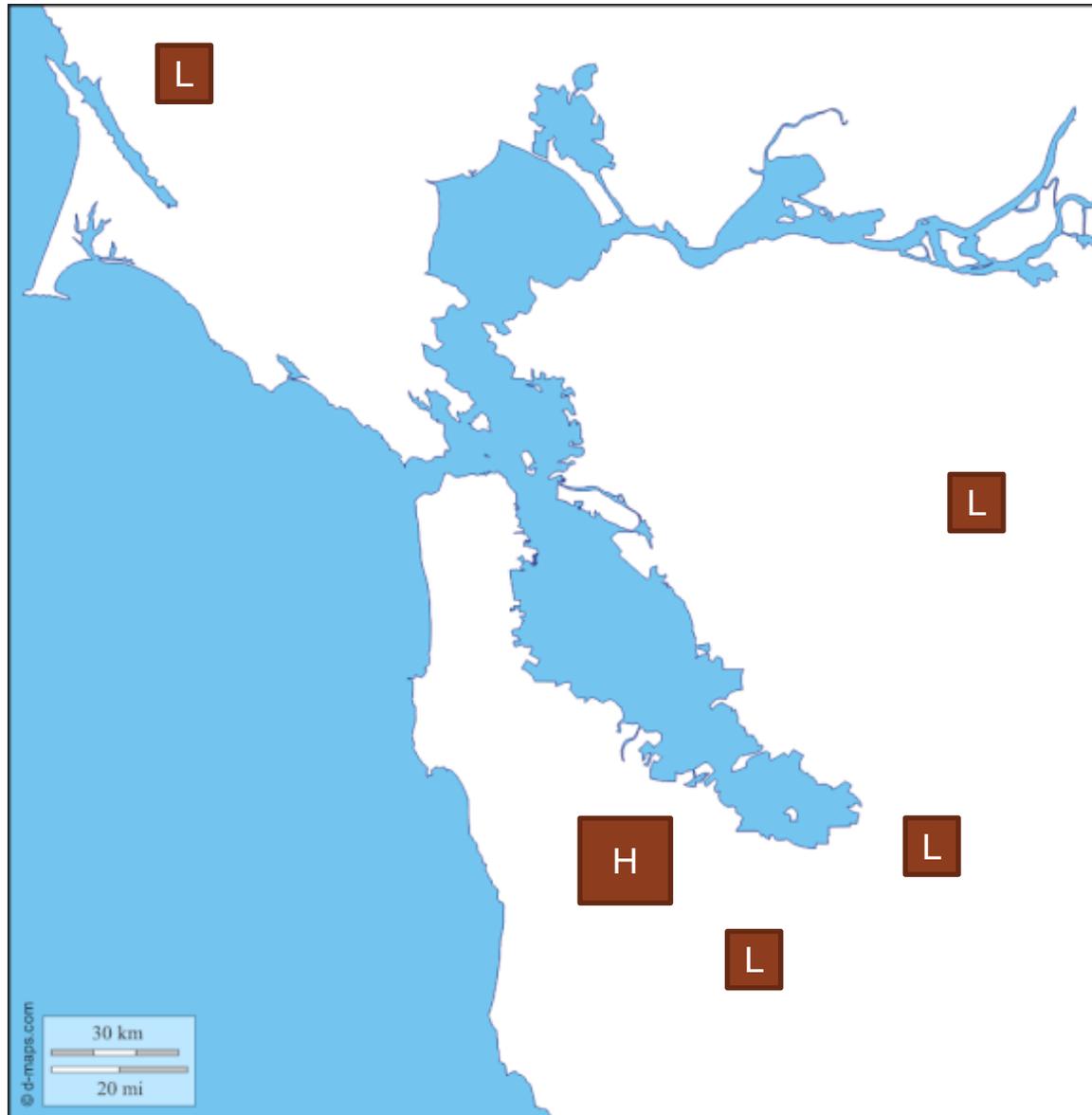


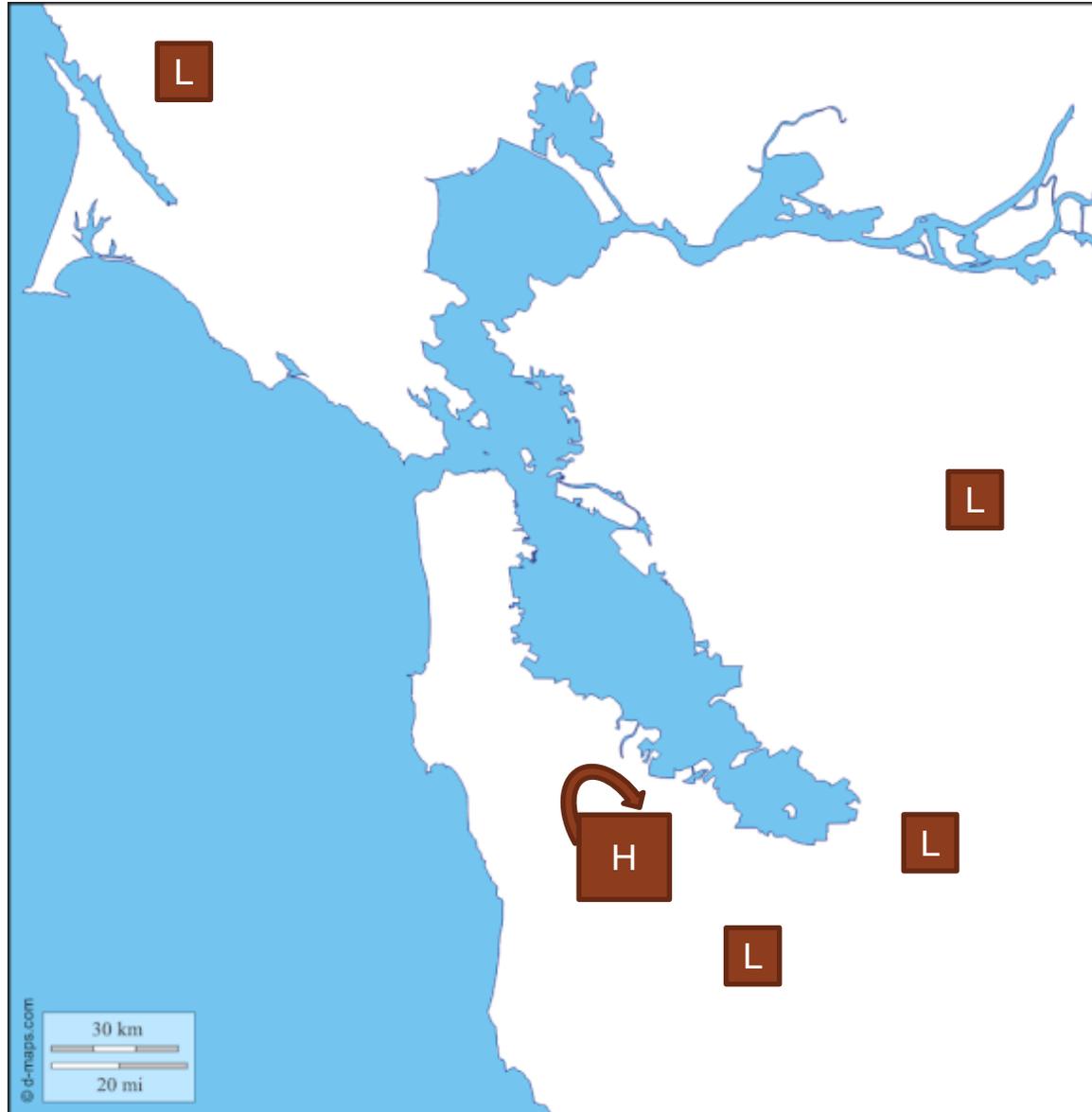
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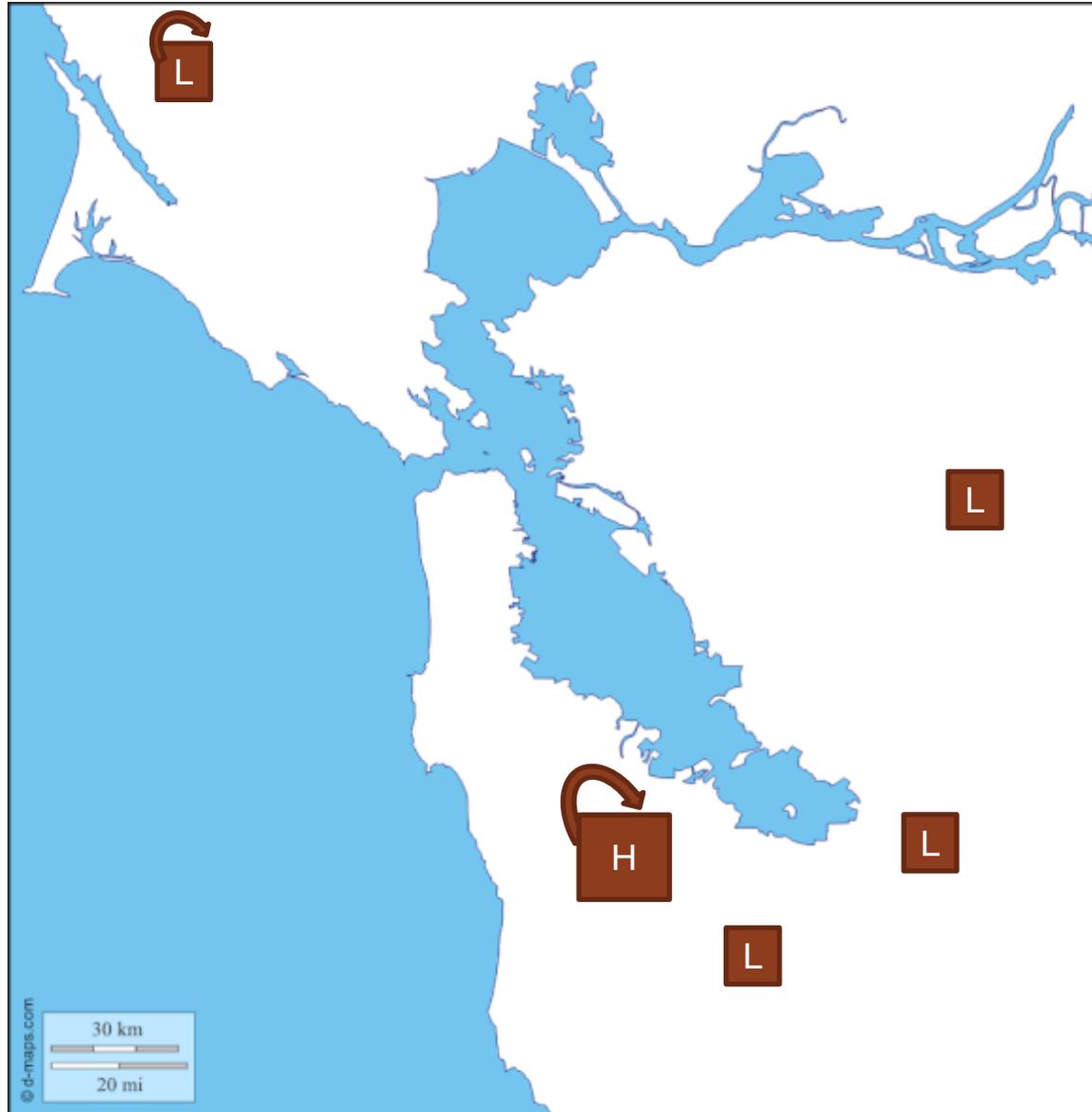


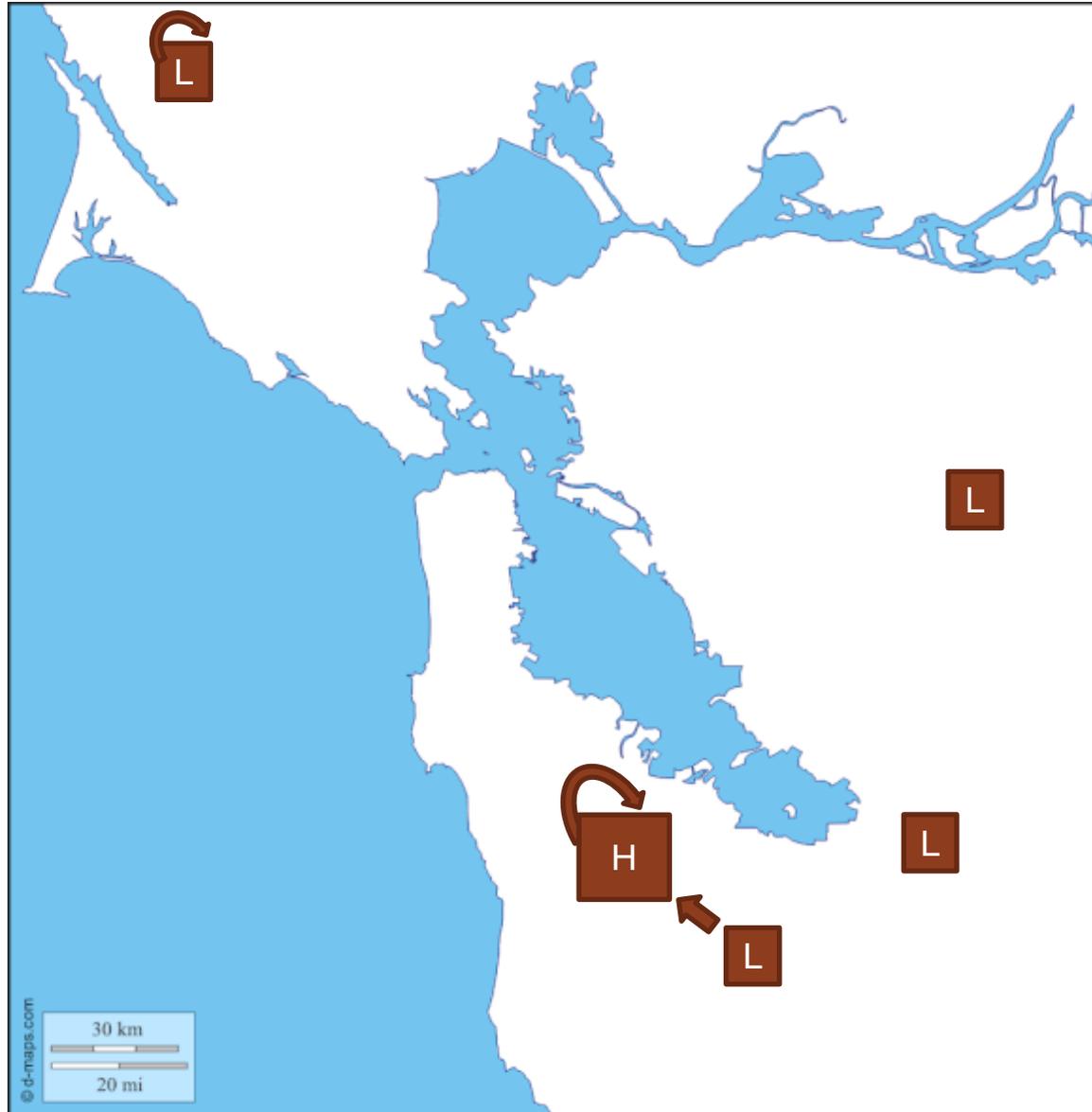
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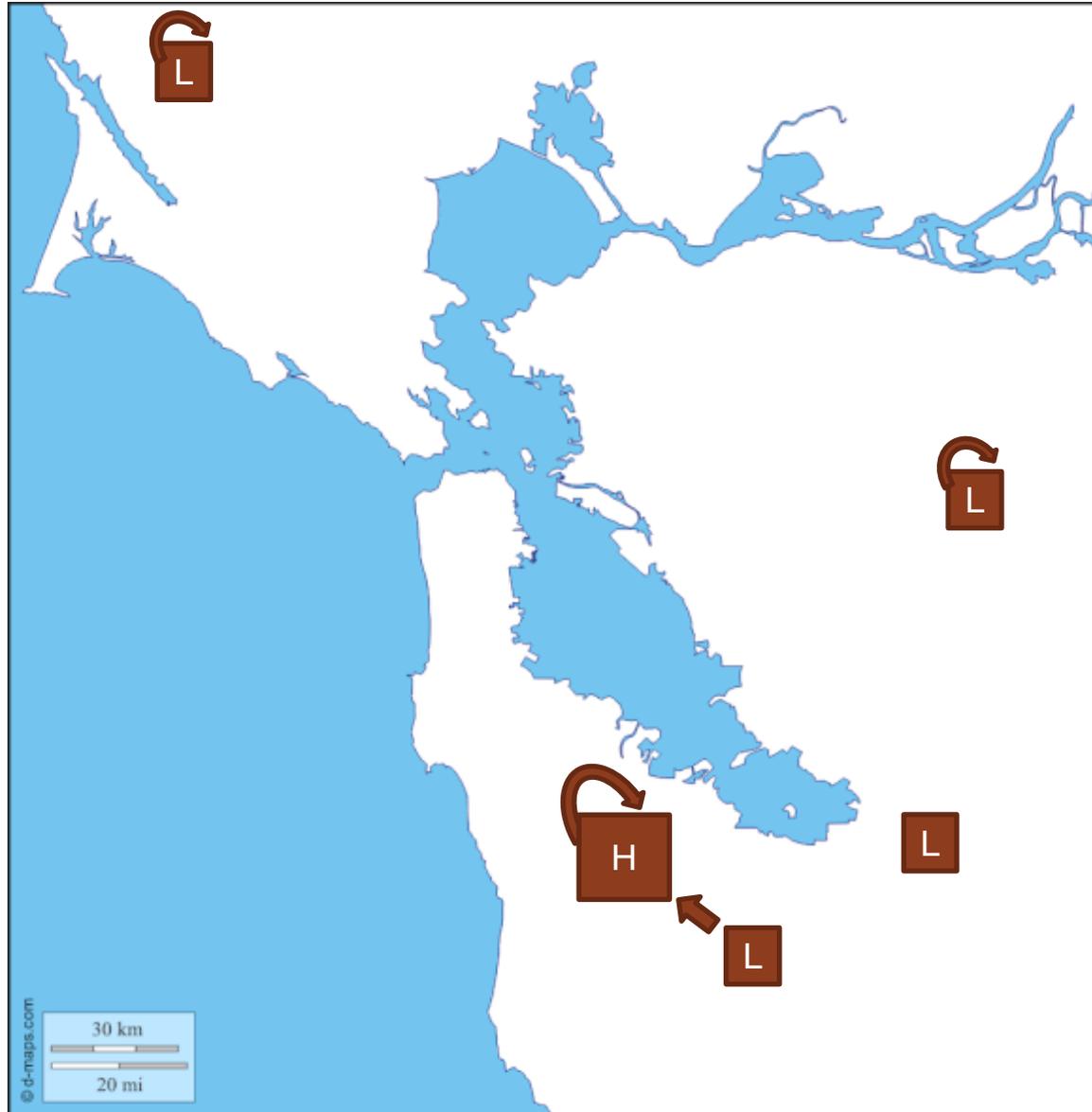








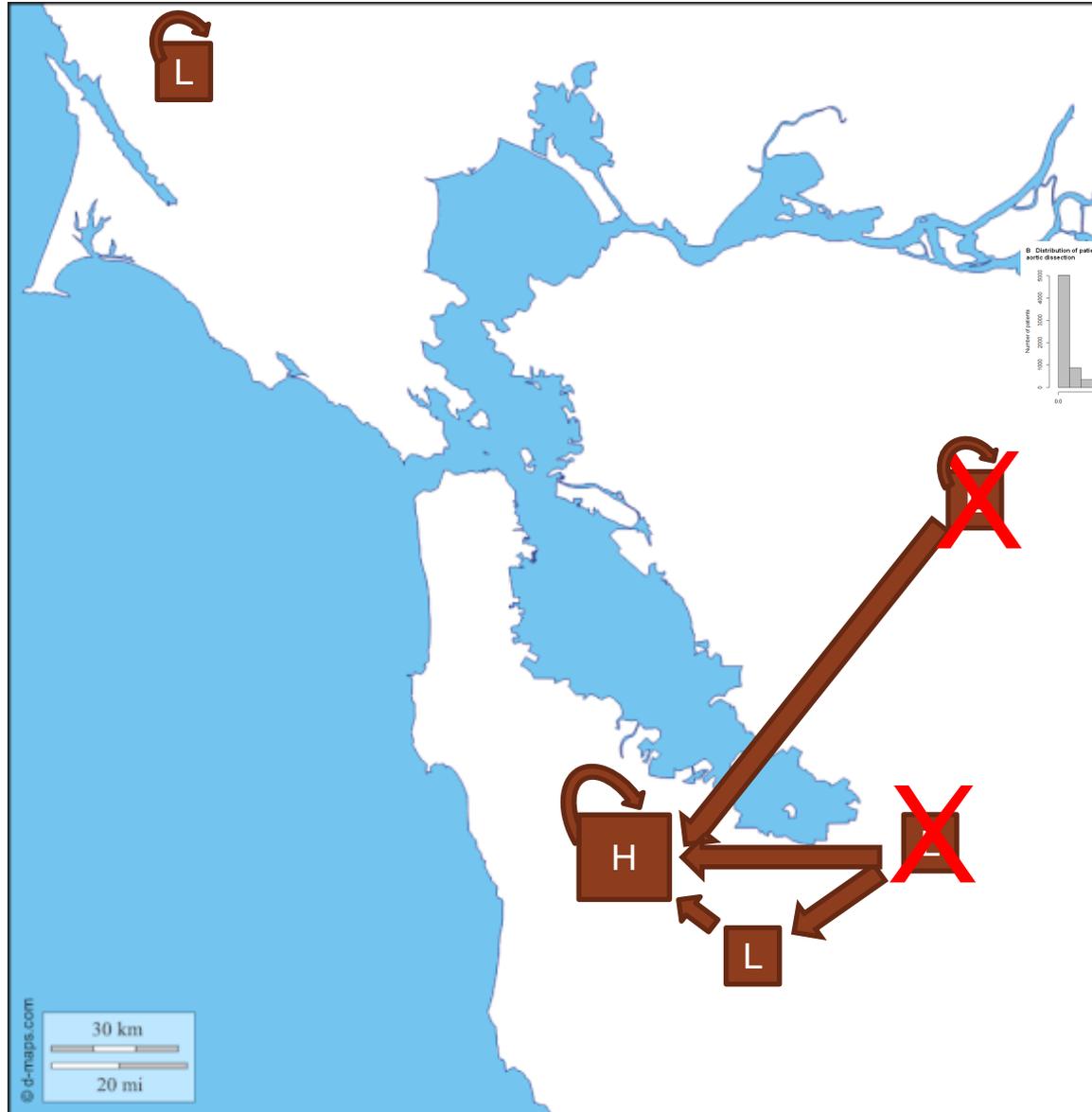


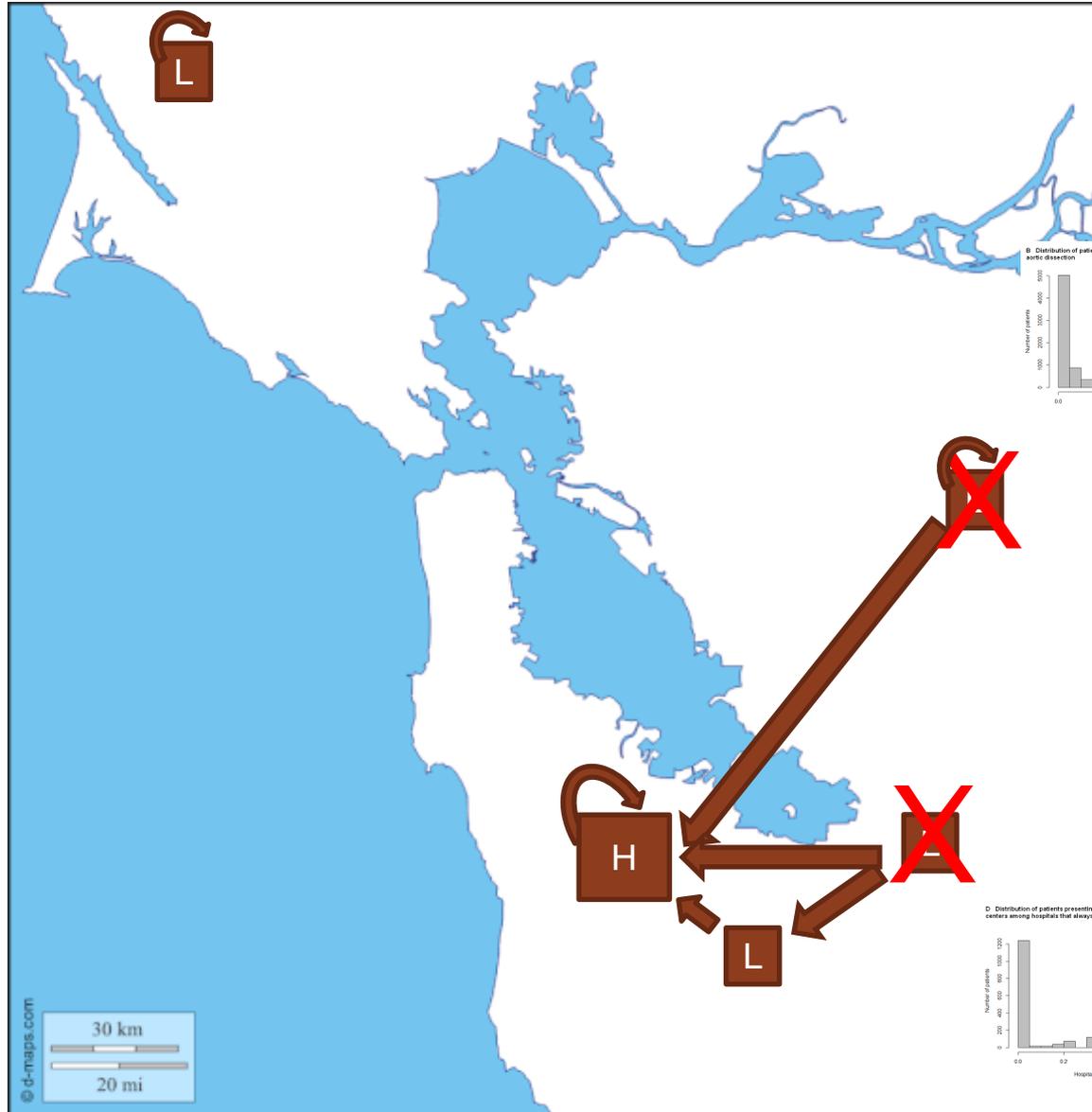


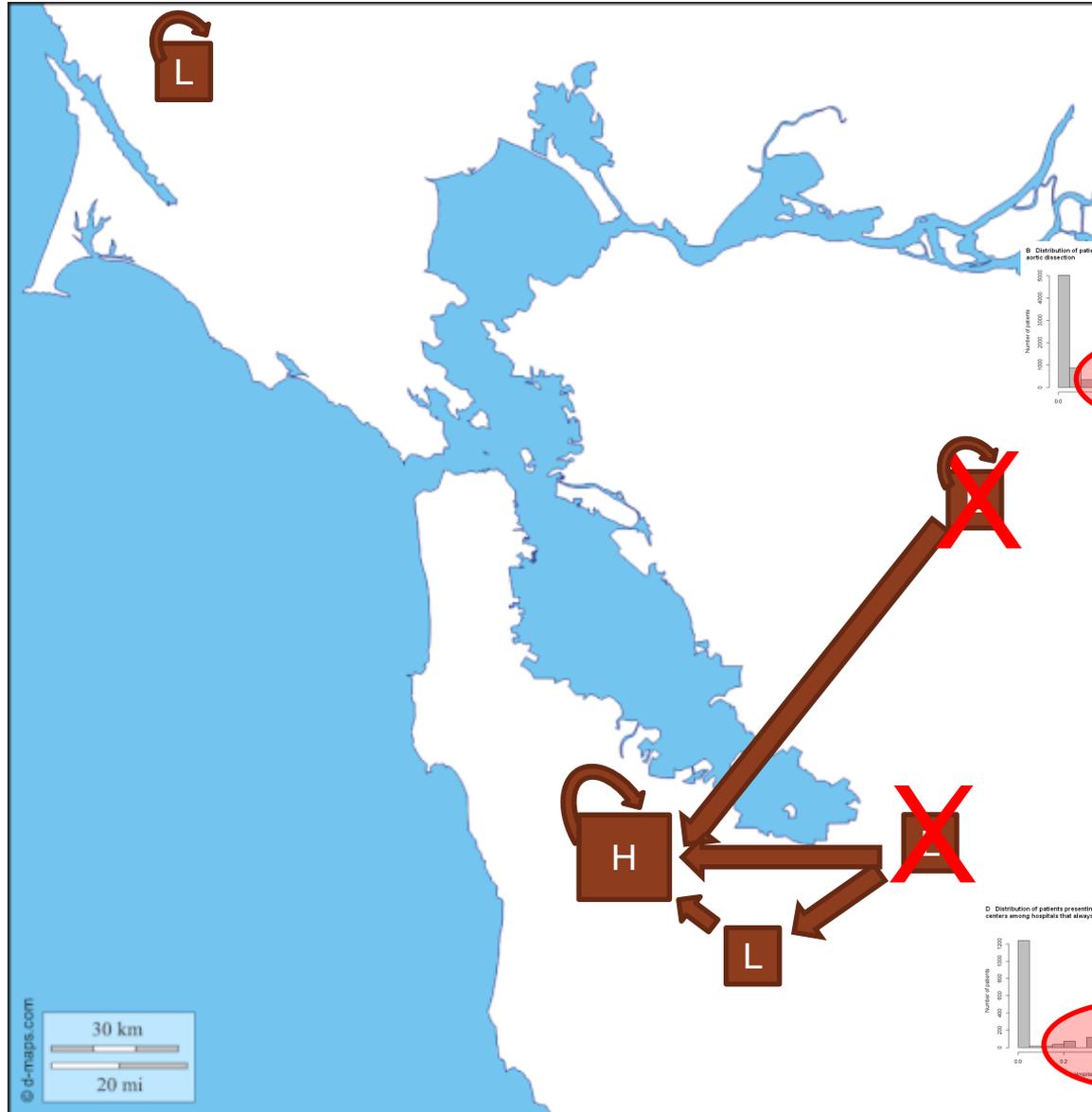


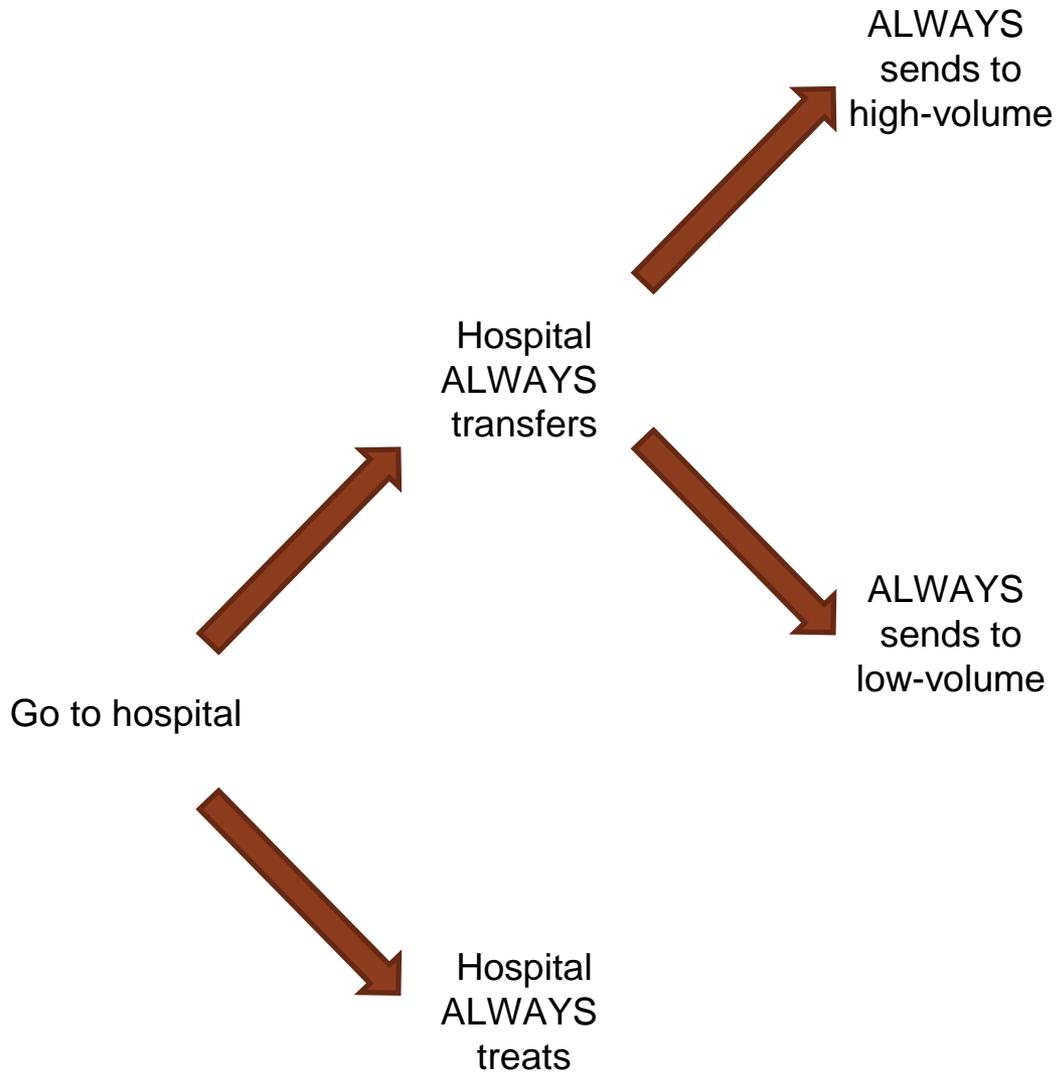


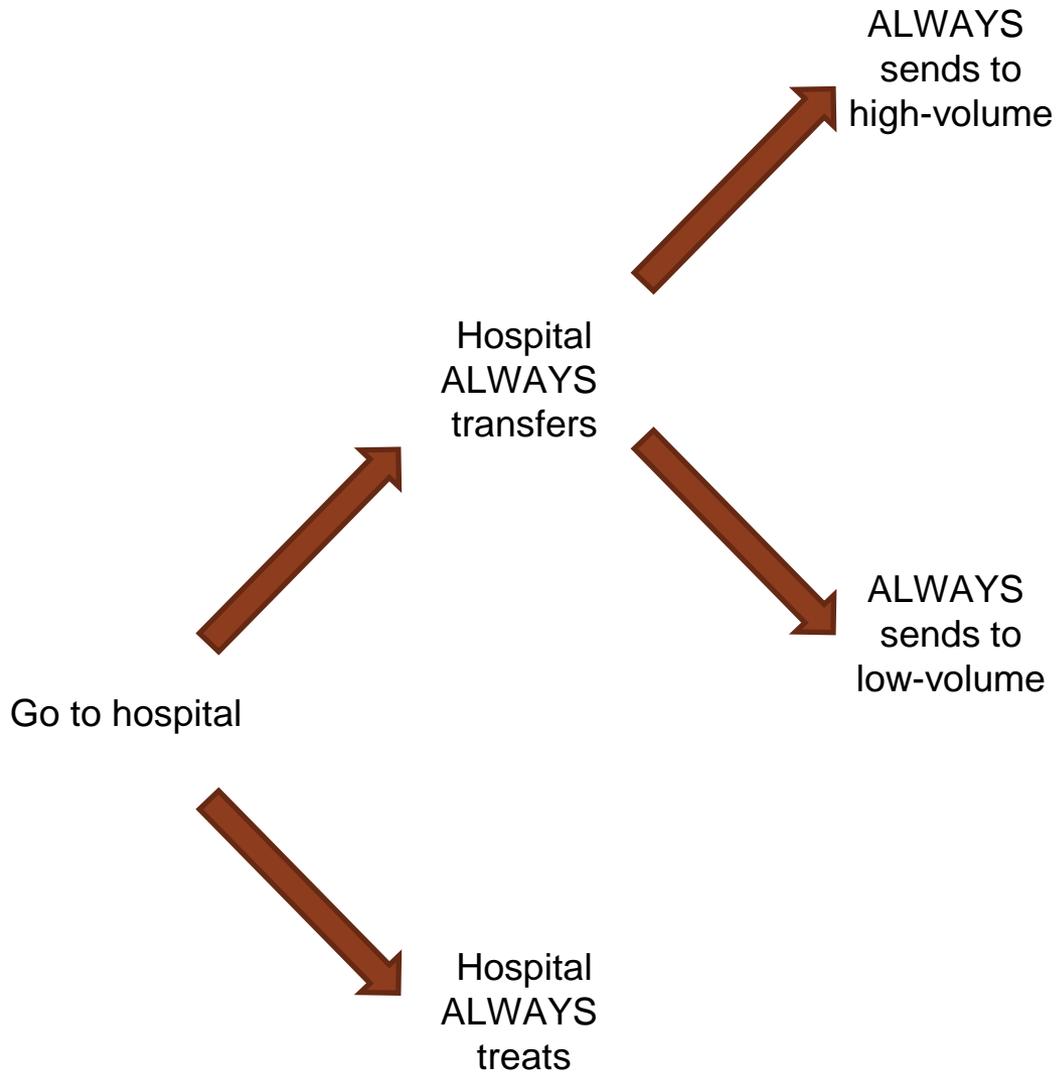






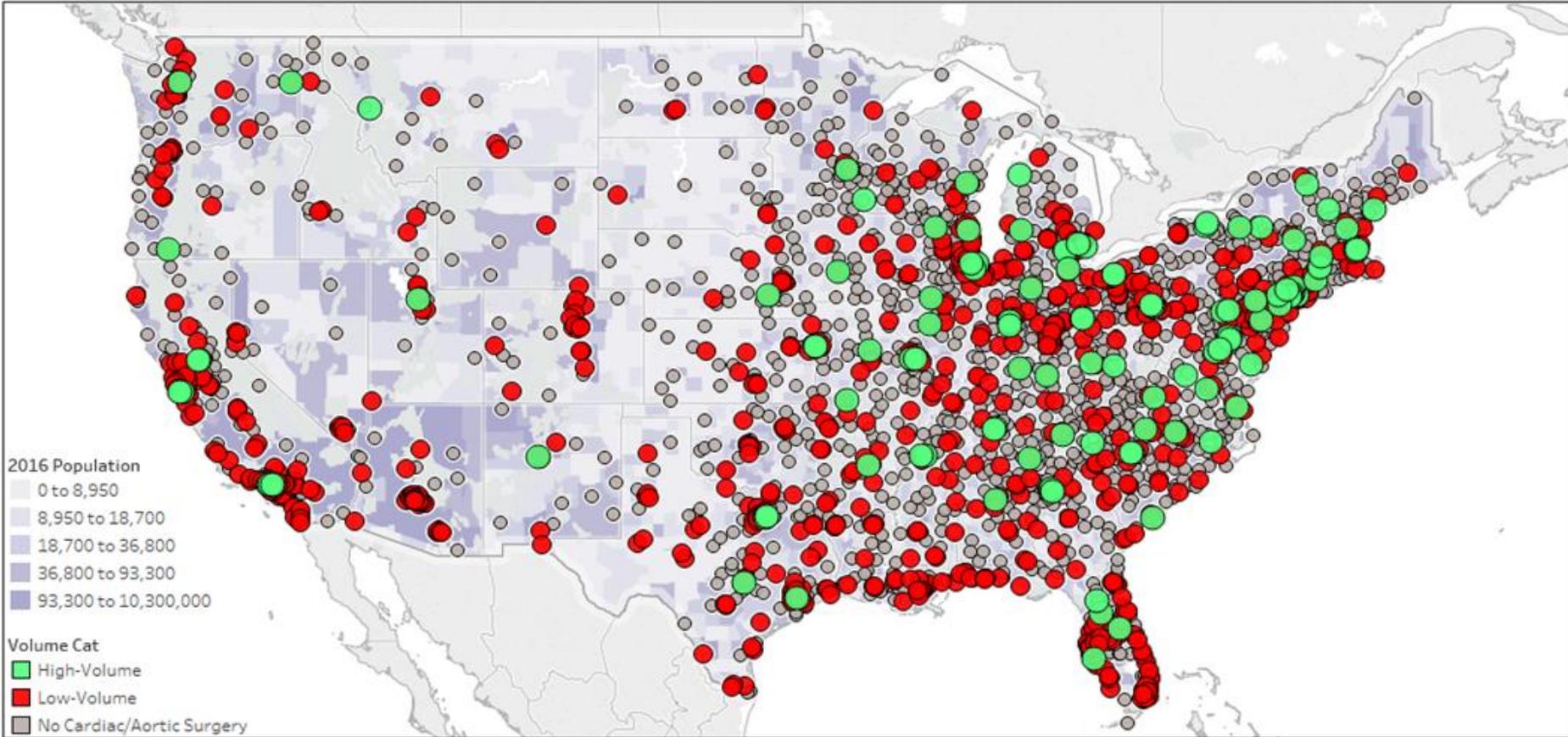






	high	low
transfer		
stay		

A Distribution of United States Hospitals Categorized by Proximal Aortic Surgery Volume, 1999-2010



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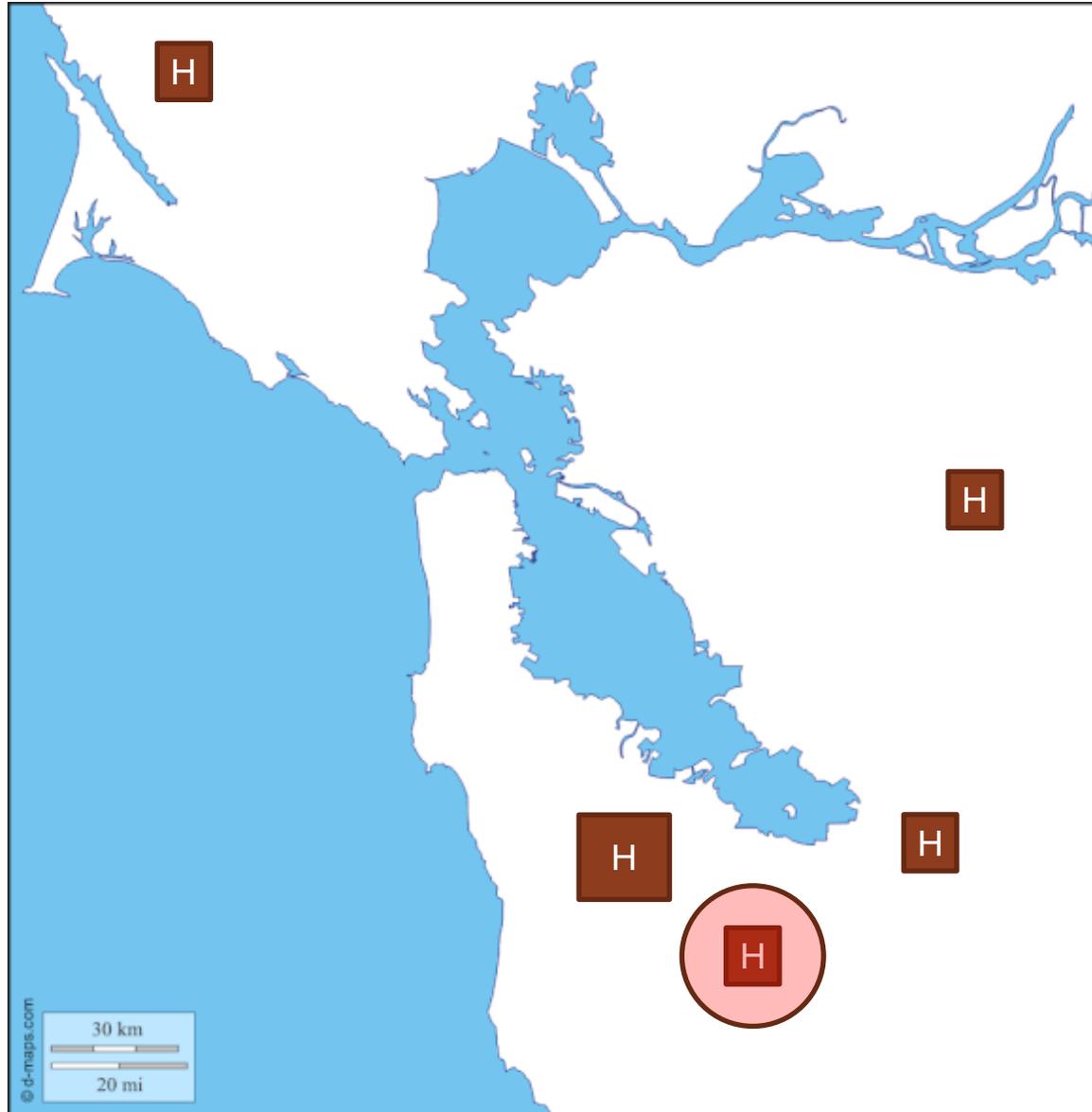
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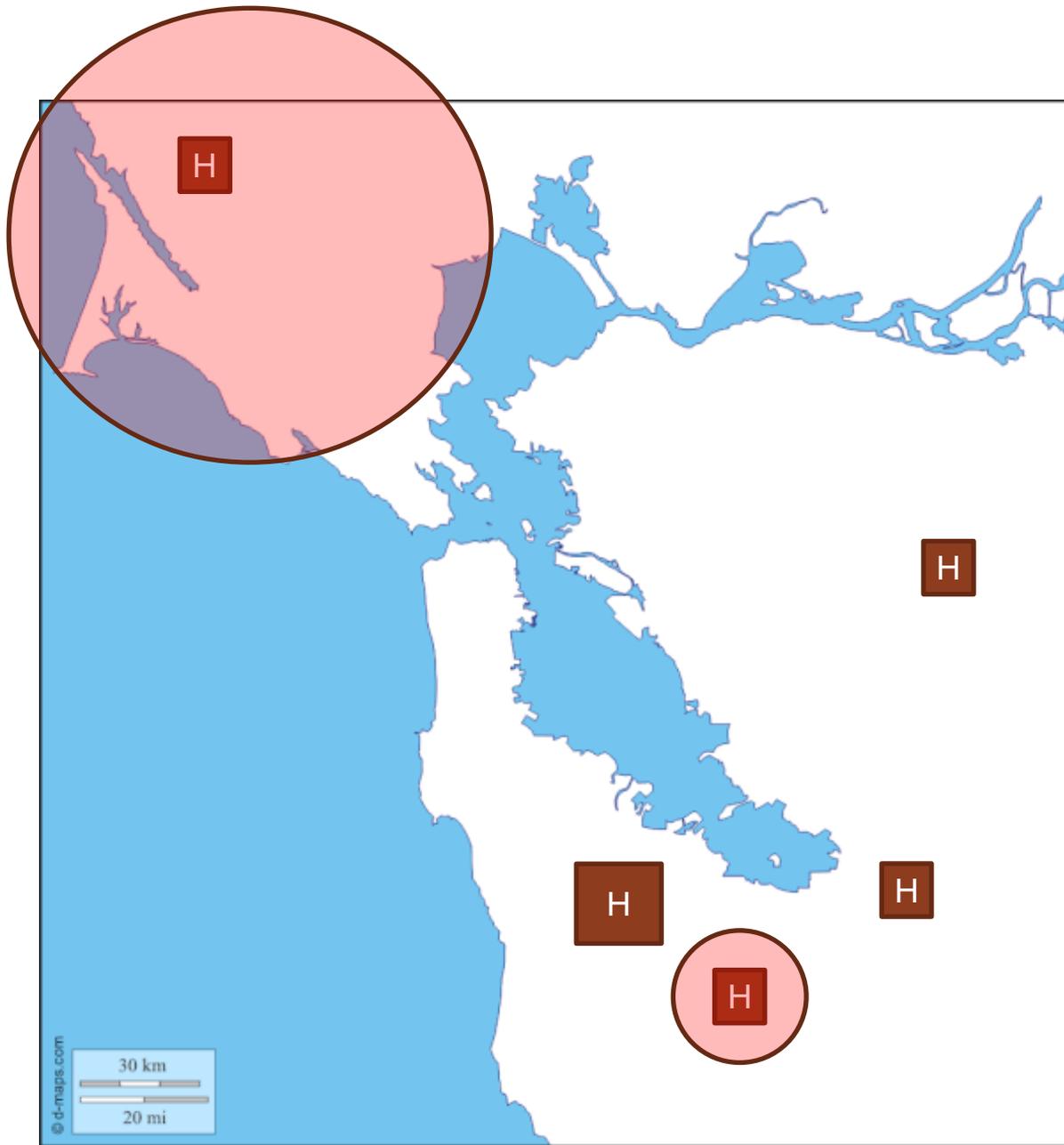
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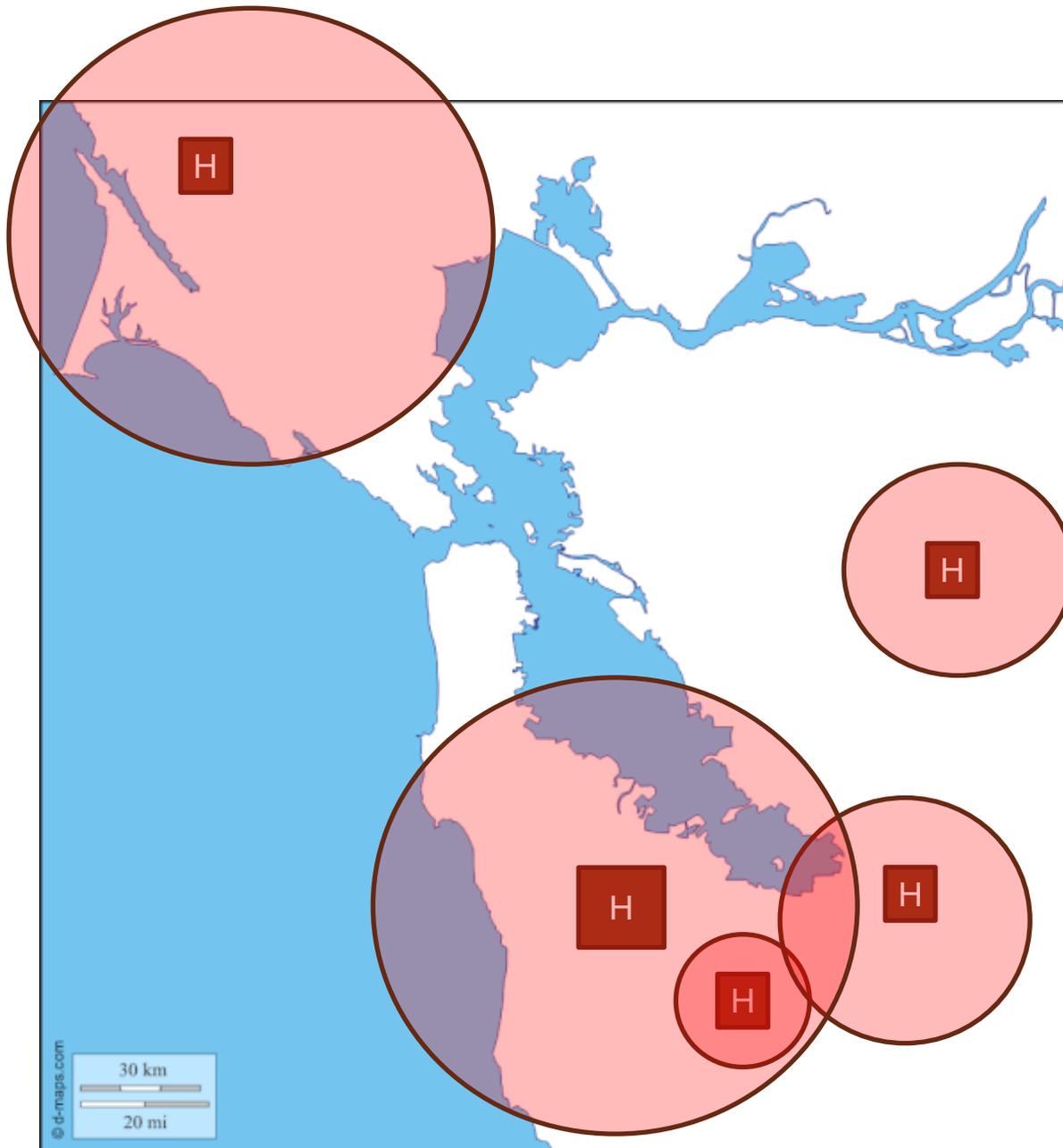
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How did patients end up at the original hospital?







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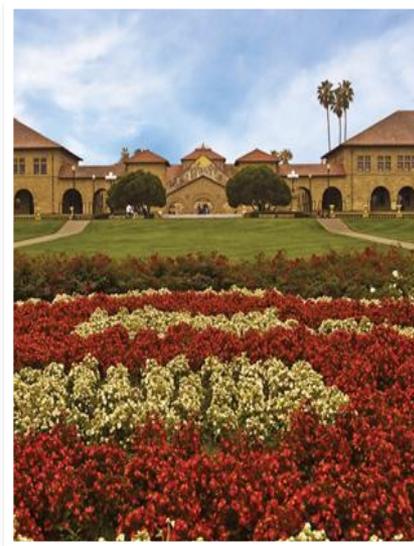
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**results**



would regionalizing improve survival?

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<b>Operative Mortality</b>		<b>Transferred vs. Stayed (reference)</b>			<b>Rerouted vs. Not Rerouted (reference)*</b>		
Group Contrast Measure	Estimate	95% CI	P Value	Estimate	95% CI	P Value	
Absolute Risk Difference (%)	-0.62	-2.6 - 1.34	0.57	-7.5	-10.6 - -4.4	<0.001	
Odds Ratio	0.97	0.87 - 1.08	0.55	0.68	0.57 - 0.80	<0.001	
Number Needed to Treat (no.)	-	-	-	14	9 - 23	-	
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\*Gamma = 1.32 for this comparison. The gamma parameter estimates the amount of unmeasured bias necessary to render the finding null. For interpretation, sickest patients requiring rerouting (to regionalize care) would need to have a 33% increased odds of needing to be rerouted (despite matching) in order for the presented findings to be null.

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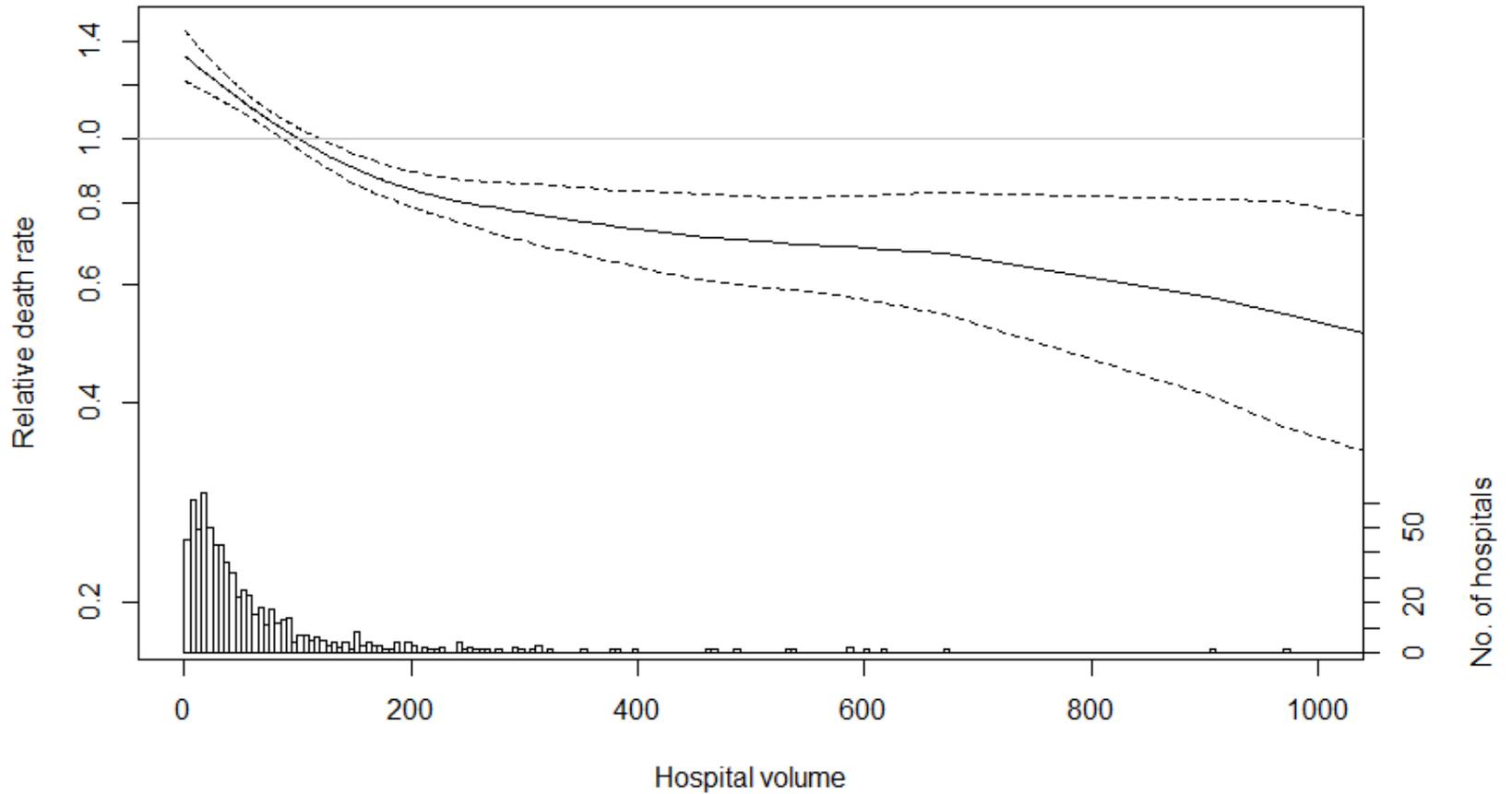
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(a)

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Ratio	0.98	0.94 - 1.02	0.36	1.12	1.05 - 1.18	<0.001	
Ratio of Restricted Mean Time Lost	1.02	0.98 - 1.05	0.36	0.93	0.89 - 0.97	<0.001	

\*Gamma = 1.32 for this comparison. The gamma parameter estimates the amount of unmeasured bias necessary to render the finding null. For interpretation, sickest patients requiring rerouting (to regionalize care) would need to have a 33% increased odds of needing to be rerouted (despite matching) in order for the presented findings to be null.

CI, confidence interval; PH, proportional hazards

would regionalizing improve survival?

would regionalizing improve survival?

Using “all of the data.”

# would regionalizing improve survival?

**Table S7.** Propensity Score Analysis - Between-Group Differences in Operative Mortality and Overall Survival for Comparison of Transfer and Regionalization

Operative Mortality	Transferred vs. Stayed (reference)			High-Volume vs. Low-Volume (reference)*			Rerouted vs. Not Rerouted (reference)**		
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Group Contrast Measure									
Absolute Risk Difference (%)	-1.7	-3.2 - -0.001	0.03	-6.1	-7.7 - -4.5	<0.001	-9.6	-11.4 - -7.8	<0.001
Odds Ratio	0.9	0.82 - 0.99	0.03	0.73	0.67 - 0.79	<0.001	0.6	0.54 - 0.67	<0.001
Number Needed to Treat (no.)	-	-	-	17	13 - 23	-	11	9 - 13	-
Overall Survival	Transferred vs. Stayed (reference)			High-Volume vs. Low-Volume (reference)*			Rerouted vs. Not Rerouted (reference)**		
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Group Contrast Measure									
Hazard Ratio (PH model)	1.02	0.94 - 1.11	0.64	0.76	0.71 - 0.80	<0.001	0.8	0.74 - 0.86	<0.001
Restricted Mean Survival Time		15 years			15 years			15 years	
Difference (days)	-44.9	-141.2 - 51.5	0.36	300.6	206.4 - 394.7	<0.001	232.2	105.2 - 359.1	<0.001
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\* Gamma = 1.31

\*\* Gamma = 1.44

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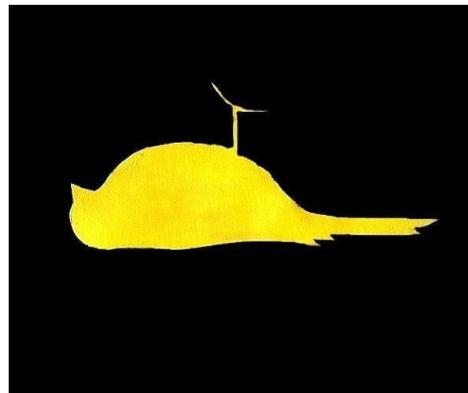
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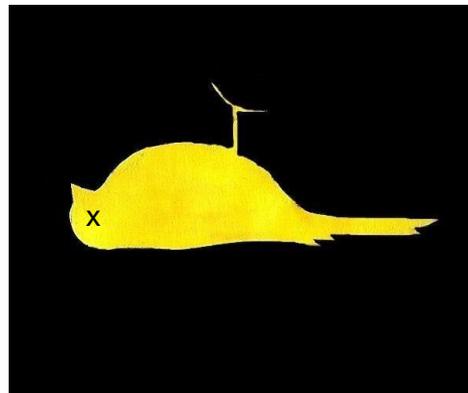
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fin.



# difference-in-differences



# diff-in-diff



- Intuition:

# diff-in-diff



- Intuition: difference-in-difference approaches try to reduce the variation in your estimate due to unit-to-unit differences.

# diff-in-diff



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# diff-in-diff



pre-treatment

treatment



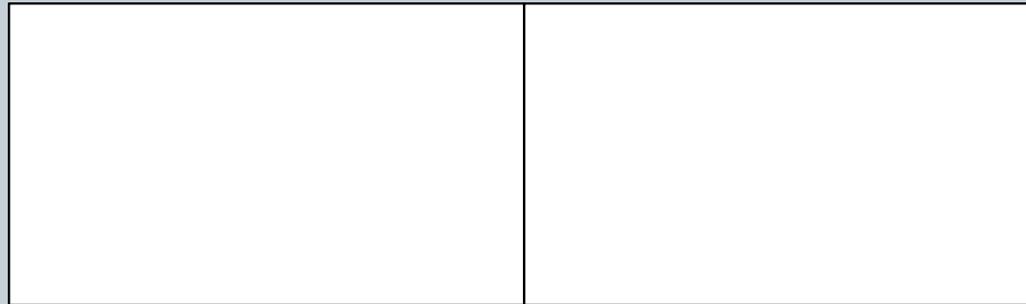
# diff-in-diff



pre-treatment

post-treatment

treatment



# diff-in-diff



	pre-treatment	post-treatment
treatment		
control		

# diff-in-diff



# diff-in-diff



# diff-in-diff



# diff-in-diff



# diff-in-diff



# diff-in-diff: inference



- Inference:

# diff-in-diff: inference



- Inference: When someone invoke a “diff-in-diff design” they haven’t necessarily identified their source of randomization.

# diff-in-diff: inference



- Inference: When someone invoke a “diff-in-diff design” they haven’t necessarily identified their source of randomization. You still need to chase this out.

# diff-in-diff: inference



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# diff-in-diff: inference



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  - Researchers end up using matching a lot in diff-in-diff designs.

# diff-in-diff: inference



- In a structural equation model approach:

# diff-in-diff: inference



- In a structural equation model approach:

$$y_{i,t} = \beta_0 + \beta_t * t_i + \beta_d * d_i + \beta_{t*d} t_i * d_i + \varepsilon_{i,t}$$

# diff-in-diff: inference



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where  $t$  is time (pre=0, post=1) and  $d$  is the intervention (control=0, intervention=1) and  $t_i * d_i$  is an interaction term.

# diff-in-diff: inference

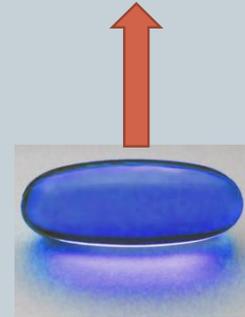
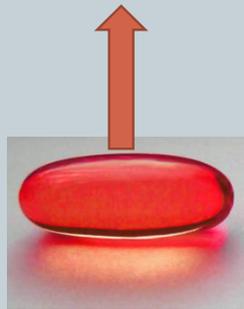


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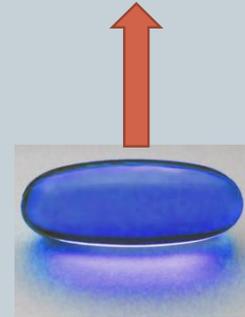
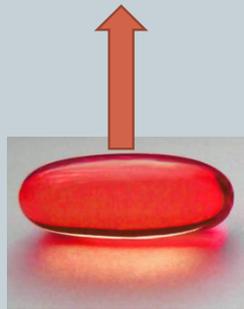
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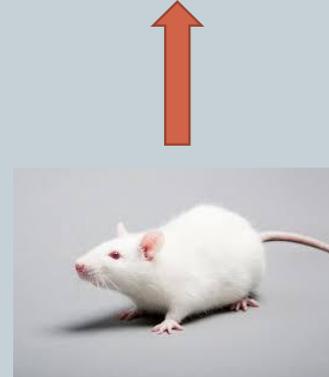
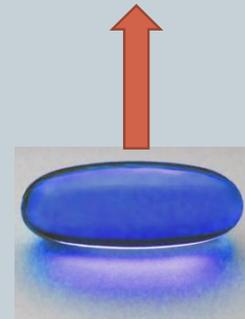
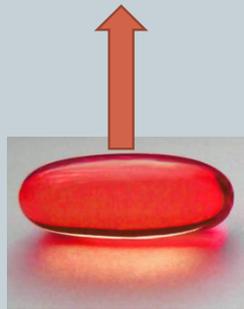
# method of difference



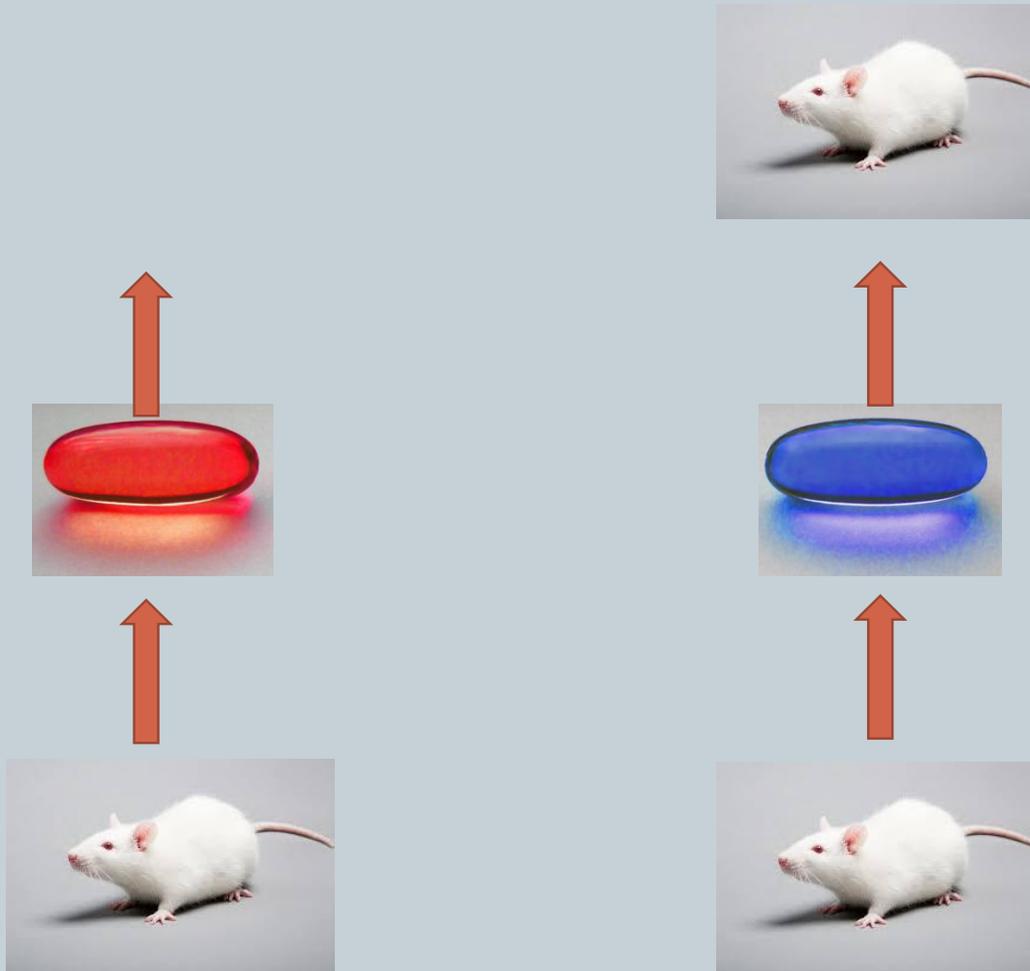
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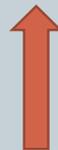
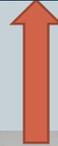
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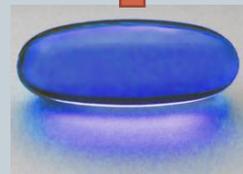
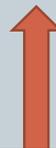


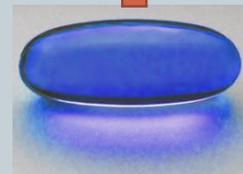
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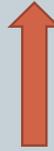
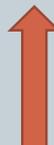
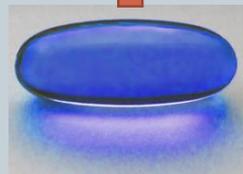


$x =$





$x =$



$x' =$



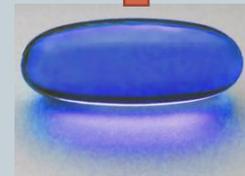
$$r_T = f(d = 1, X = x)$$



$$r_C = f(d = 0, X = x')$$



$x =$



$x' =$



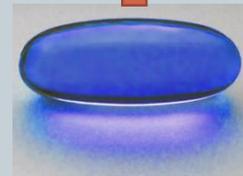
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The only difference

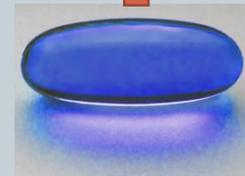
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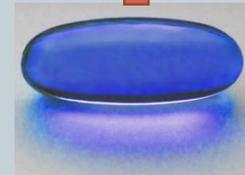
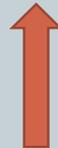
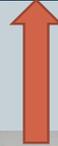


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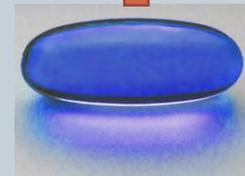
# diff-in-diff



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contrast 1



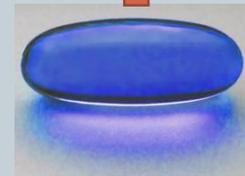
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contrast 1



contrast 2



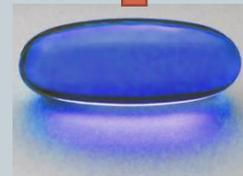
$(\text{contrast 1}) - (\text{contrast 2}) = \text{difference-in-differences}$



contrast 1



contrast 2



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- **Takeaway:**

# diff-in-diff



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- Keep in mind: diff-in-diff is an approach that can often be paired with other aspects of design (e.g., pscore matching, IVs, RCTs).
- If you have the data available then doing a diff-in-diff is usually a good idea.

# diff-in-diff



- Takeaway: difference-in-difference approaches try to reduce the variation in your estimate due to unit-to-unit differences. It does this by focusing on differencing a pre-treatment and post-post measurement.
- Keep in mind: diff-in-diff is an approach that can often be paired with other aspects of design (e.g., pscore matching, IVs, RCTs).
- If you have the data available then doing a diff-in-diff is usually a good idea. (Personally, I've never seen a situation where the diff-in-diff was worse.)