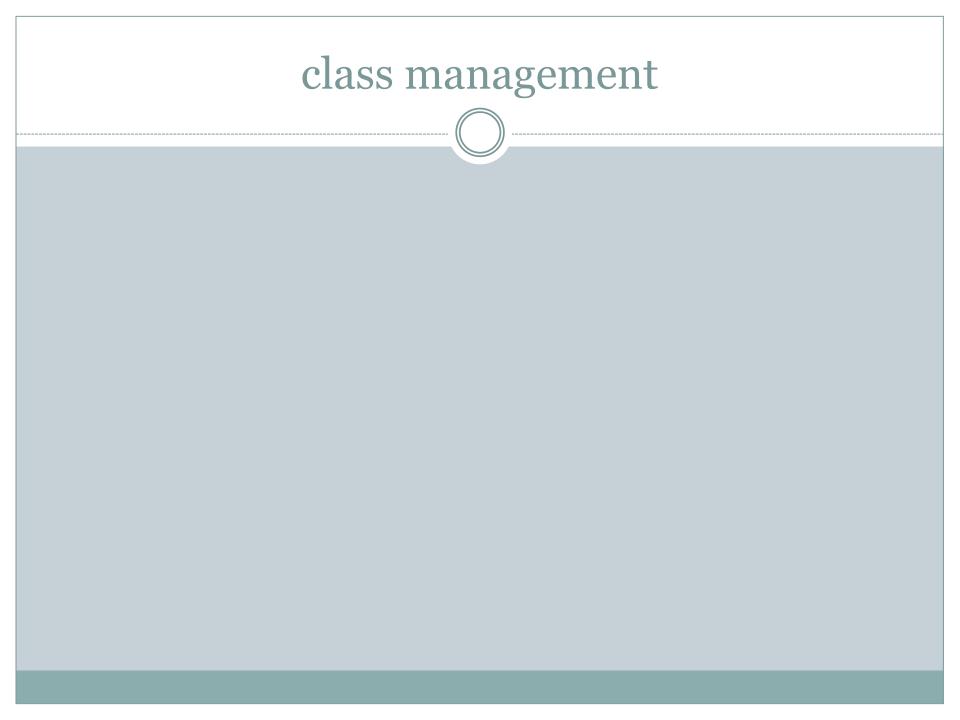
### **Advanced Statistical Methods for Observational Studies**

LECTURE 07



#### class management

• Problem set 1 due today.

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  - Tuesday, June 05 in the range of 2-5pm

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- Questions?

# regression discontinuity

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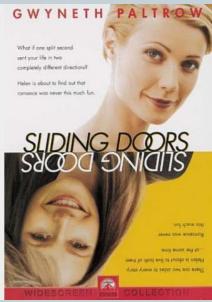
• Intuition: What if there's a known assignment mechanism and someone is just a smidge on one side and someone is a smidge on the other side?

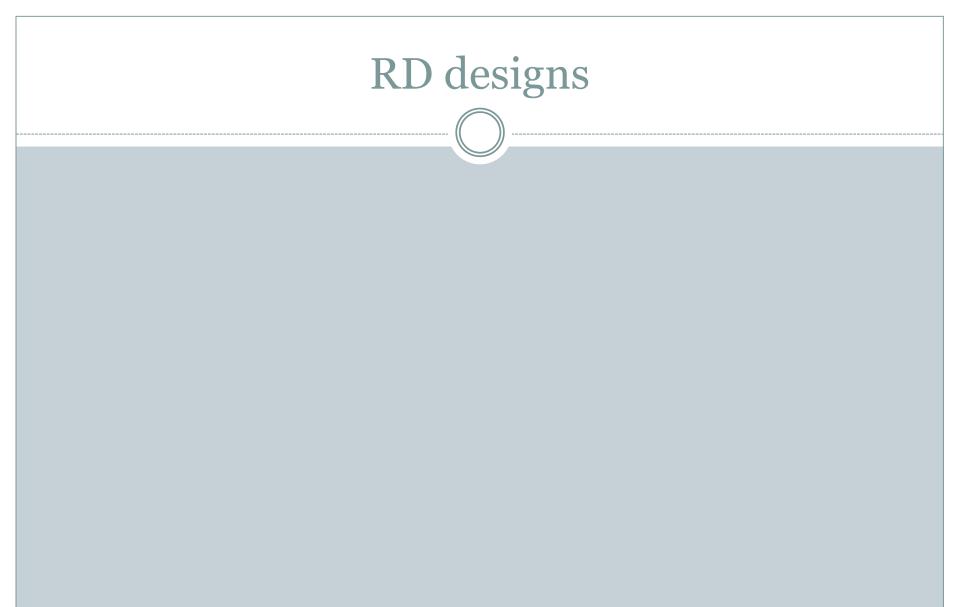
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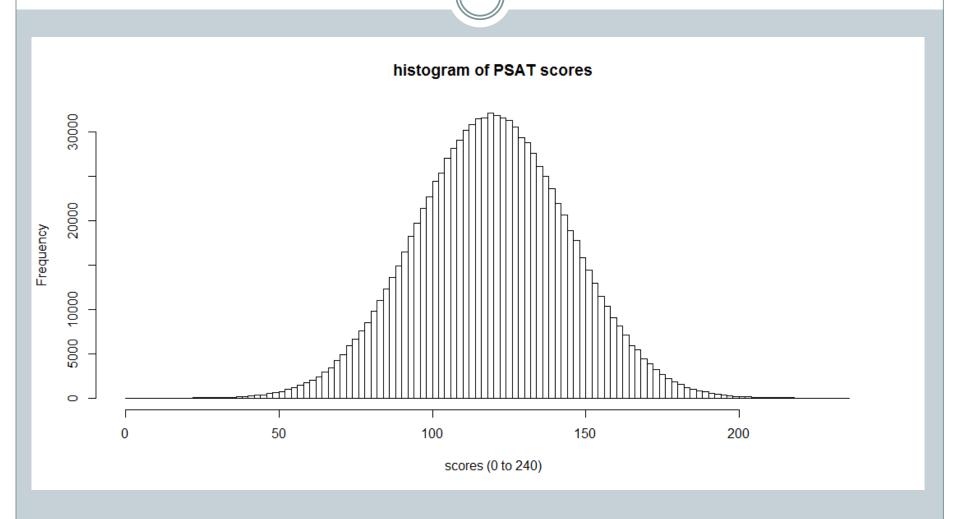
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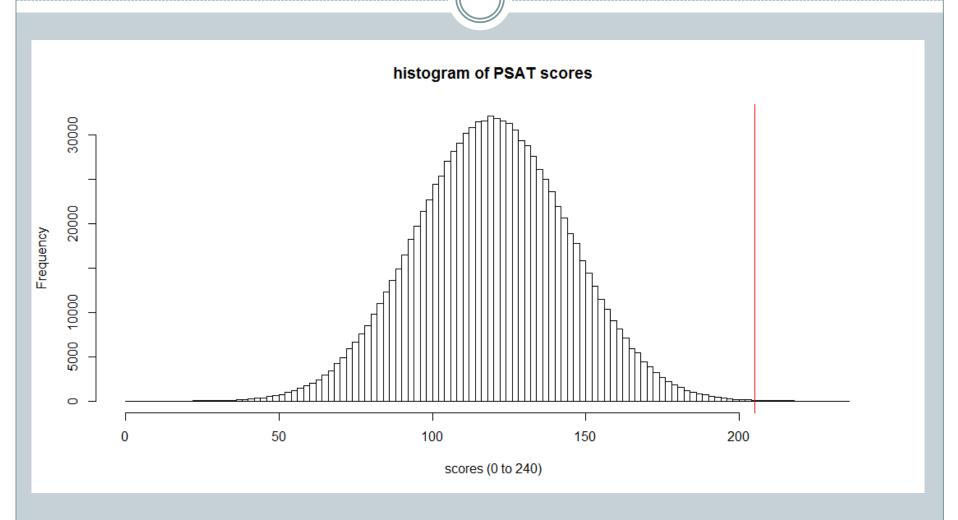
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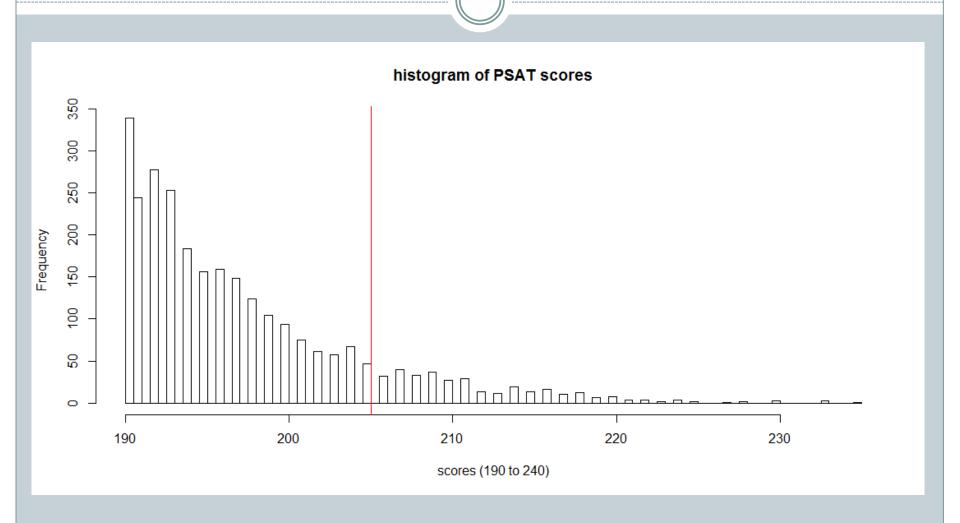
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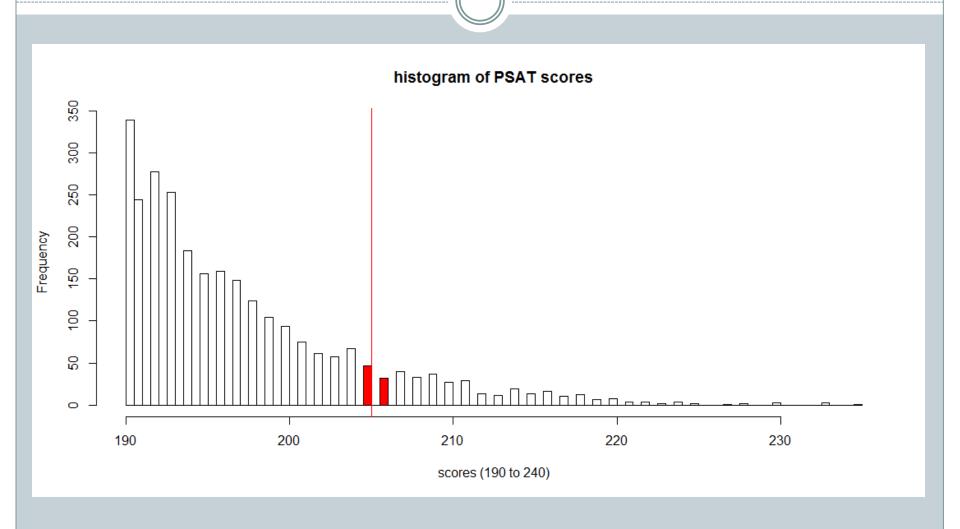
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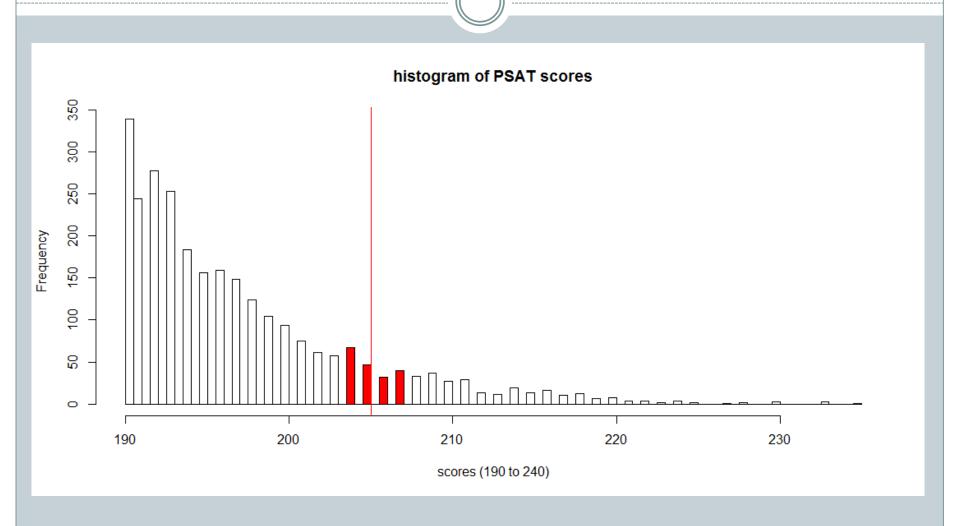
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- But there are millions of students who take the PSAT every year, maybe we can find a subgroup.

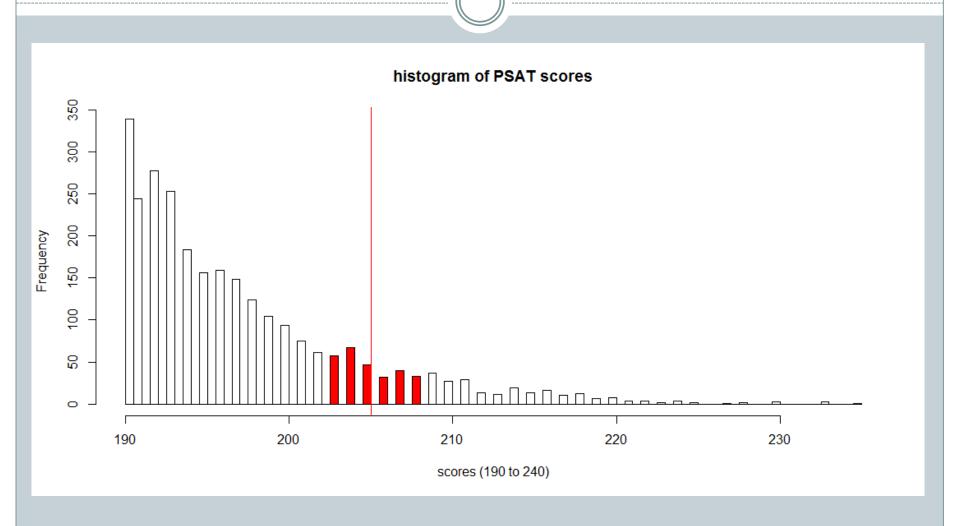


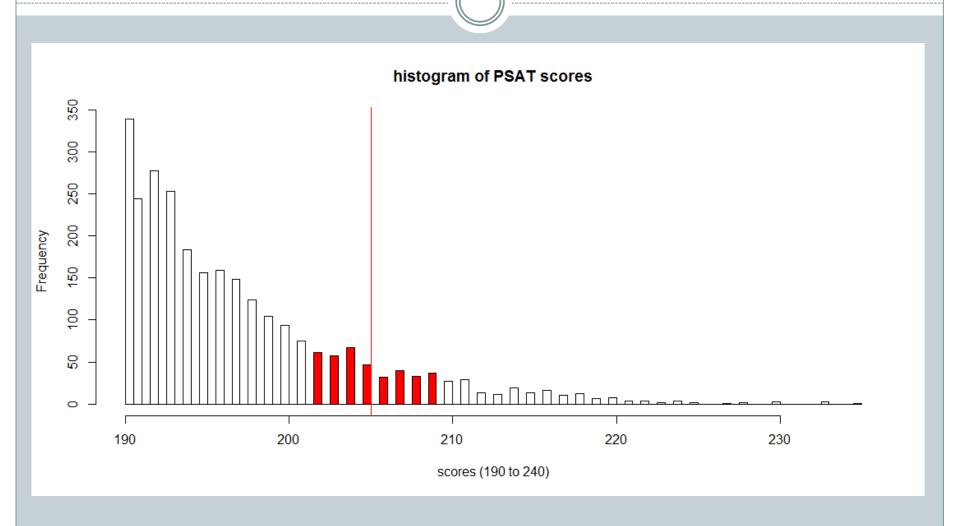


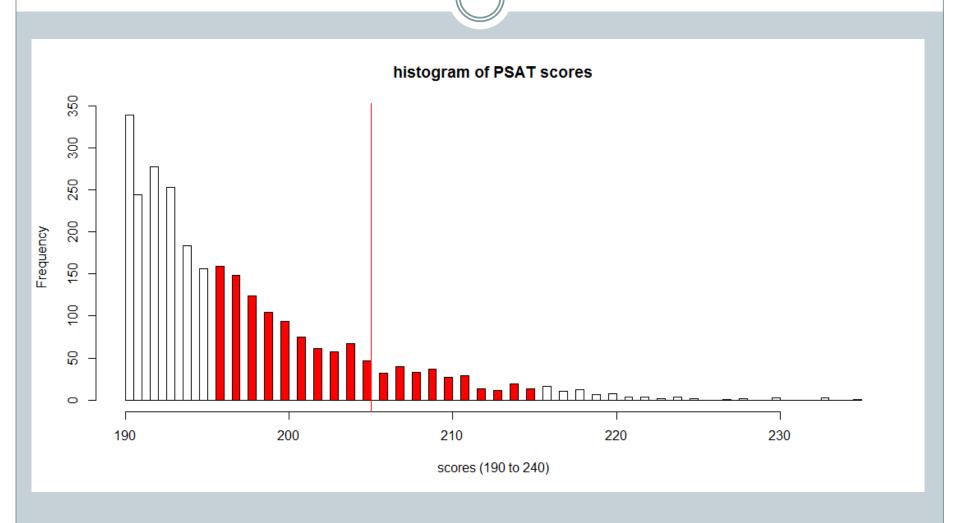






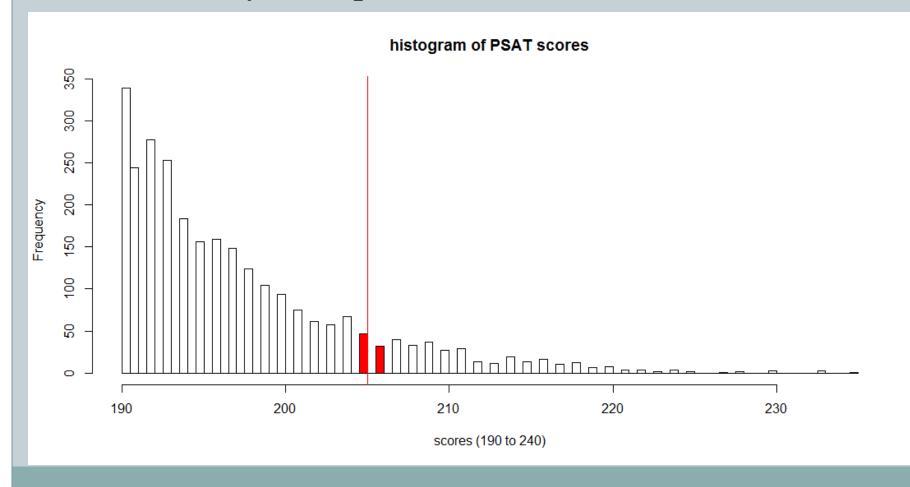




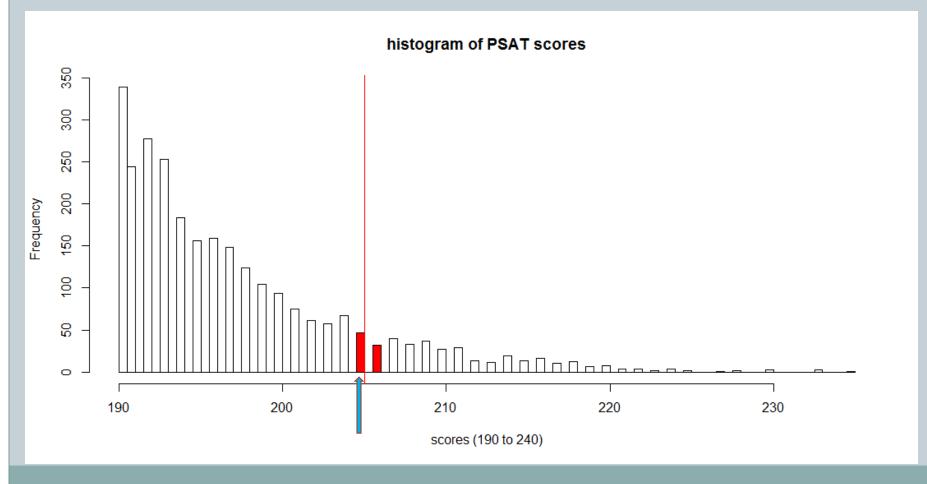


How did they end up on one side versus the other?

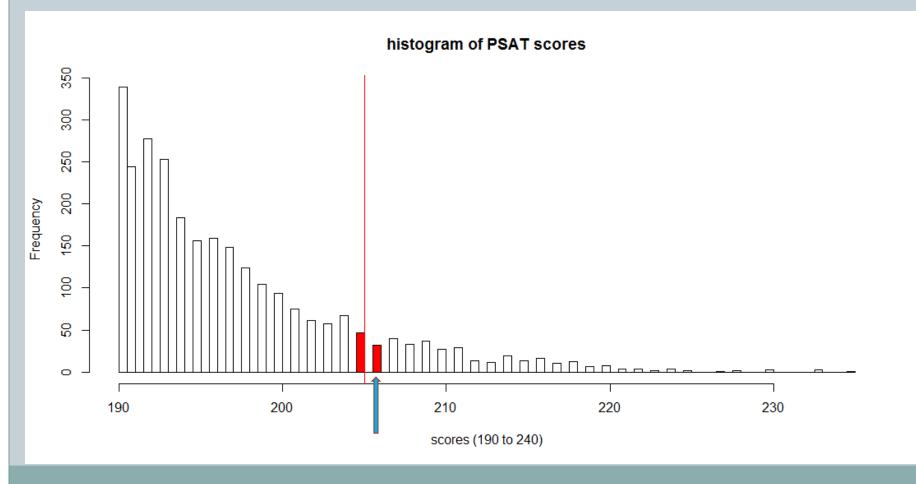
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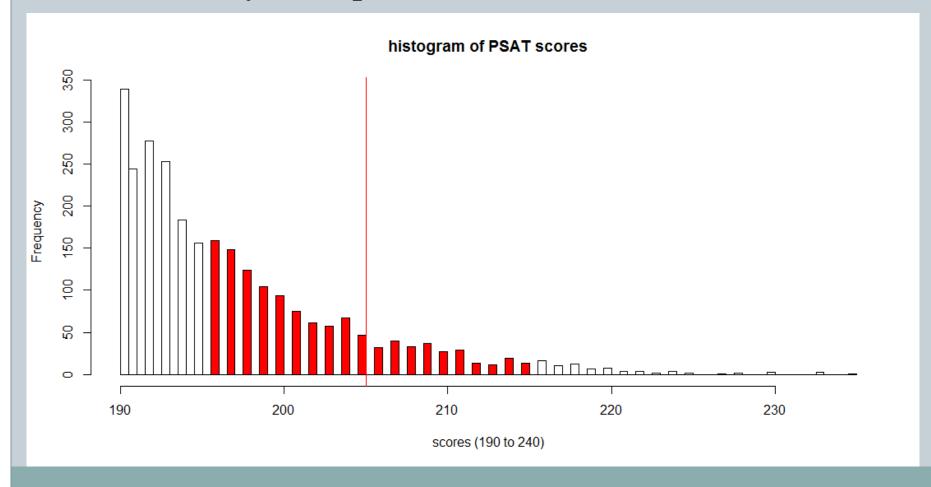
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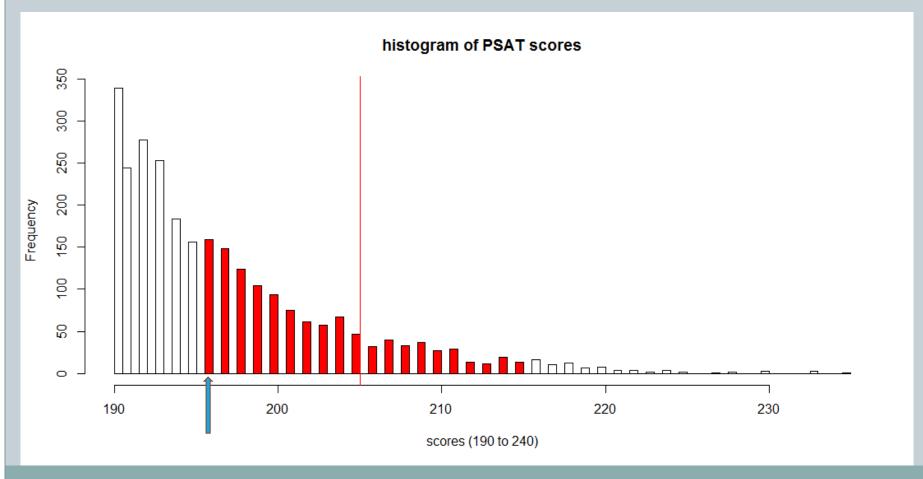
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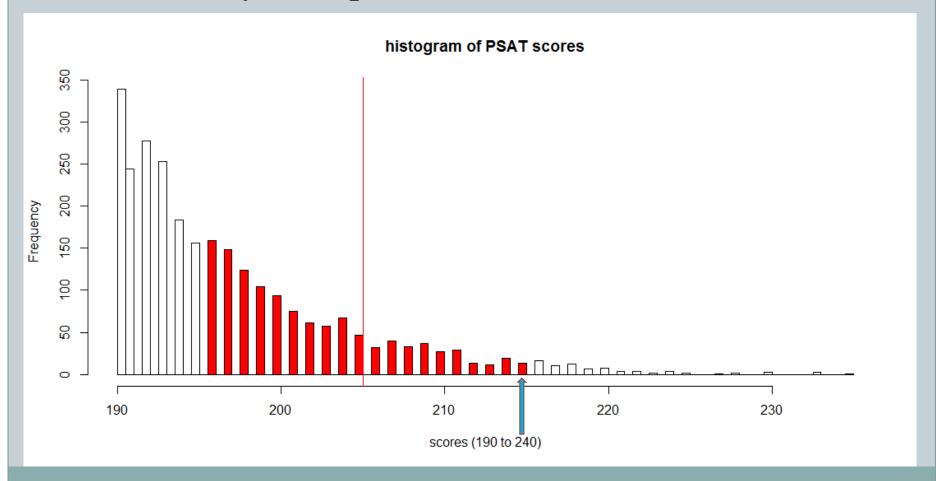
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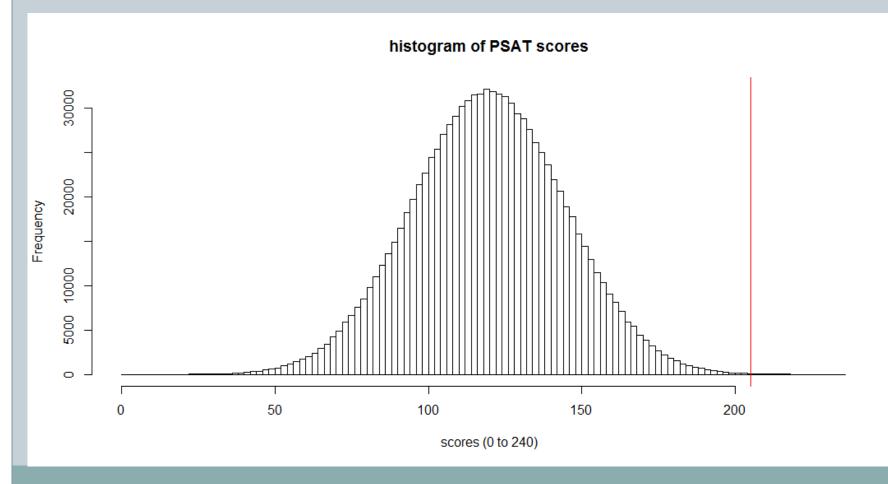
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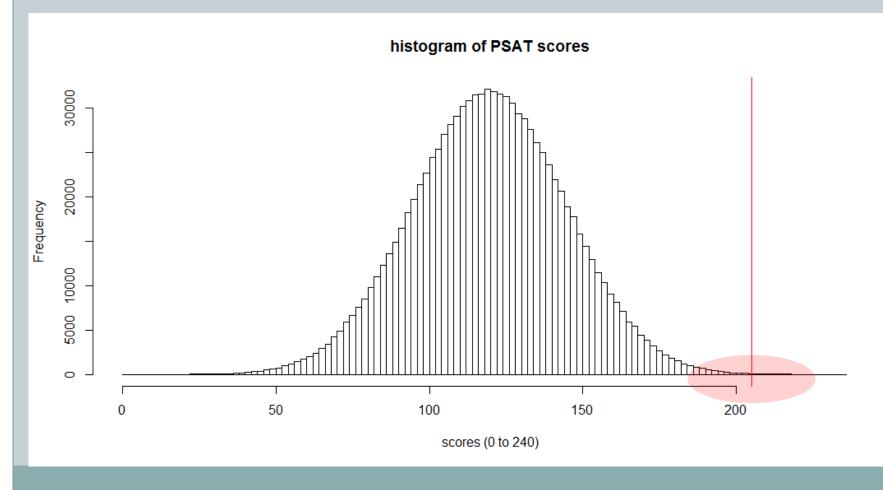
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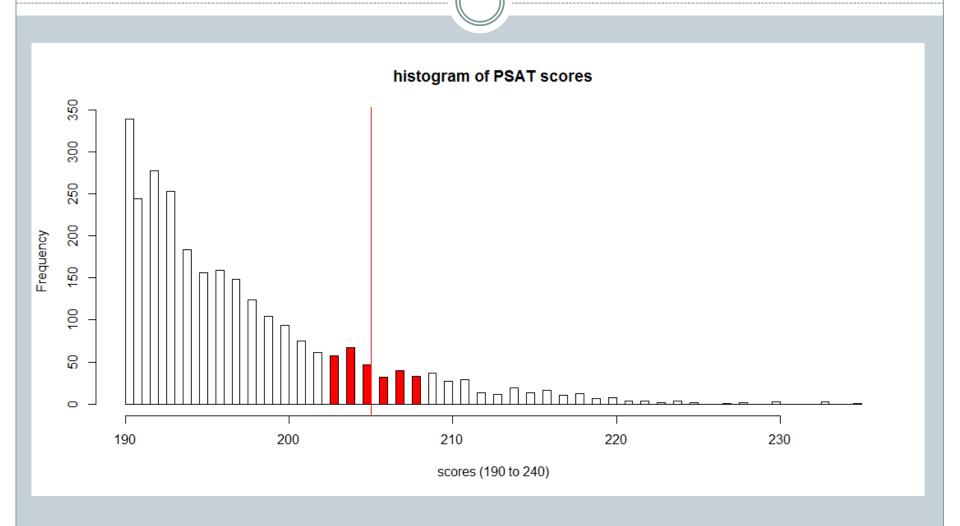
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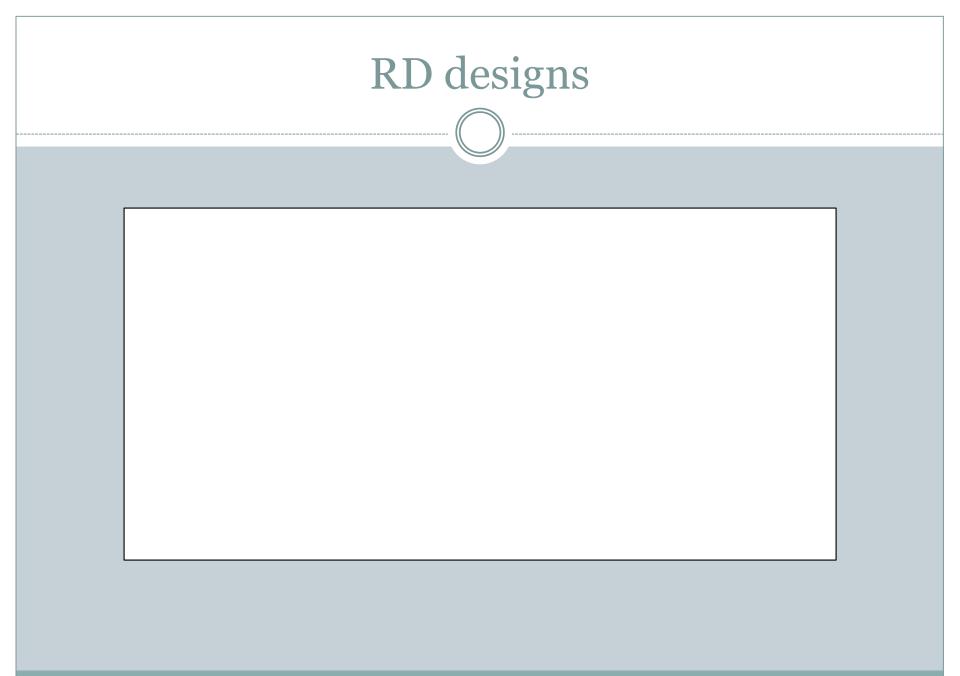
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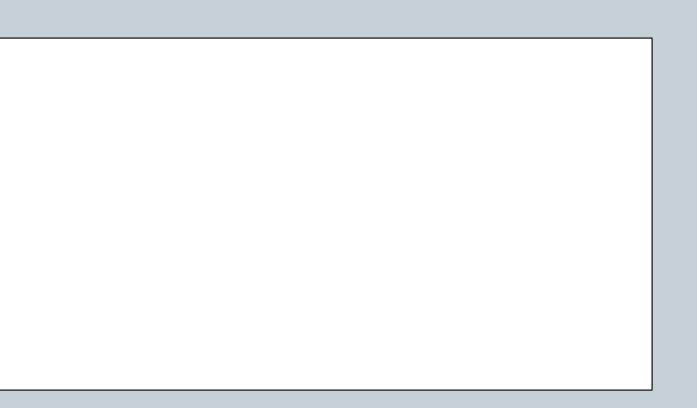
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- Many economists will use some kind of SEM:

$$y_{i,j} = \theta_i + \beta * d_j + \varepsilon_{i,j}$$





PSAT score

P(scholarship)

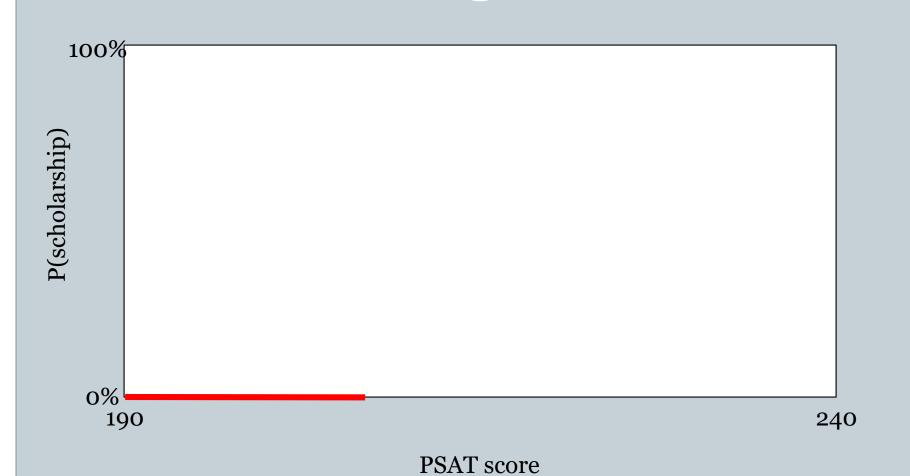
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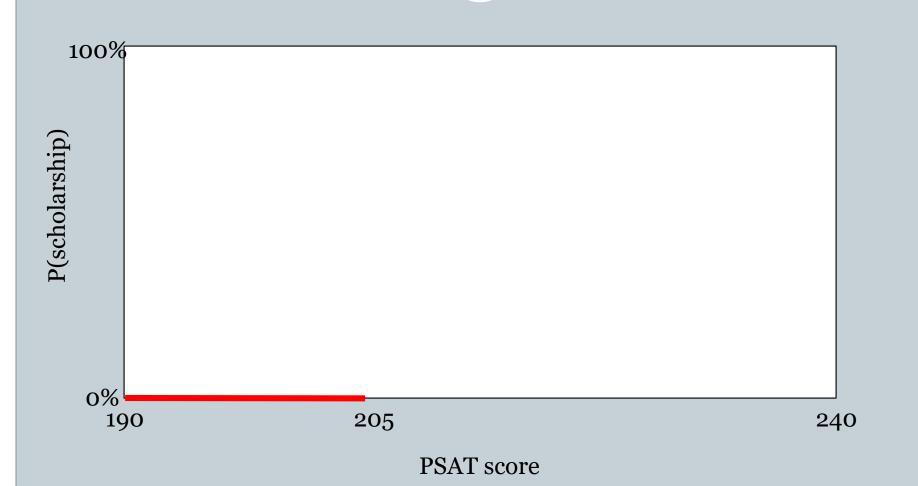
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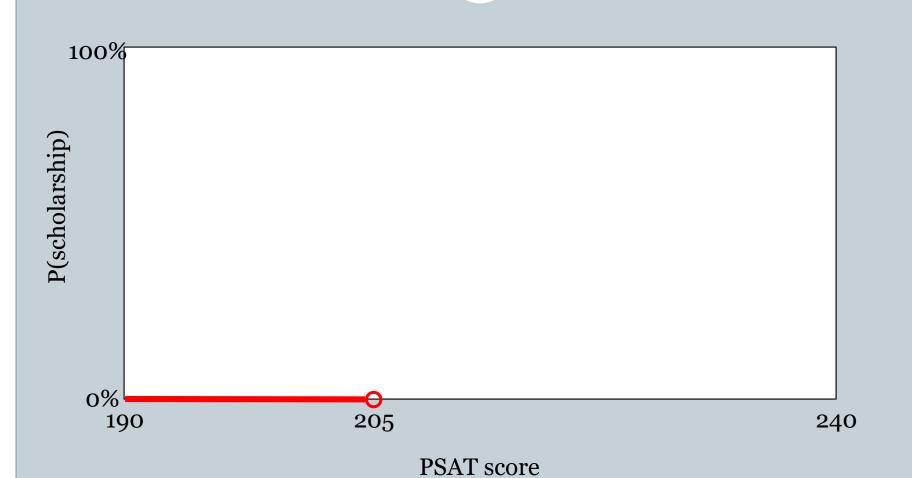
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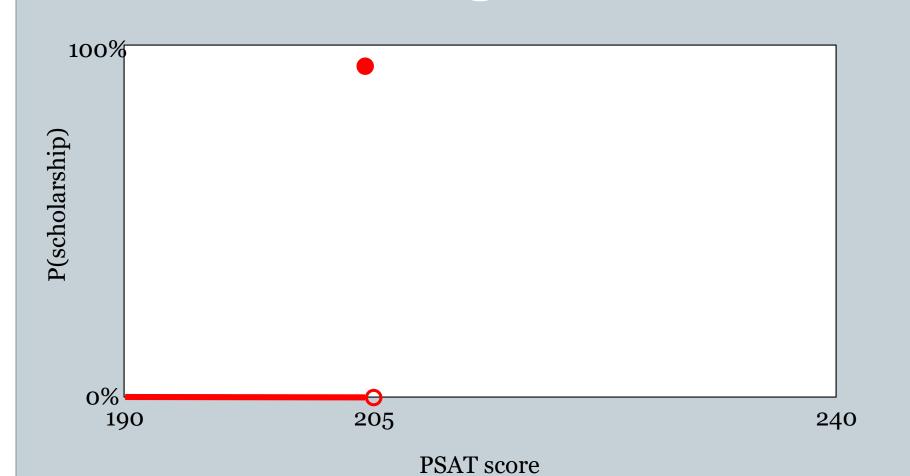


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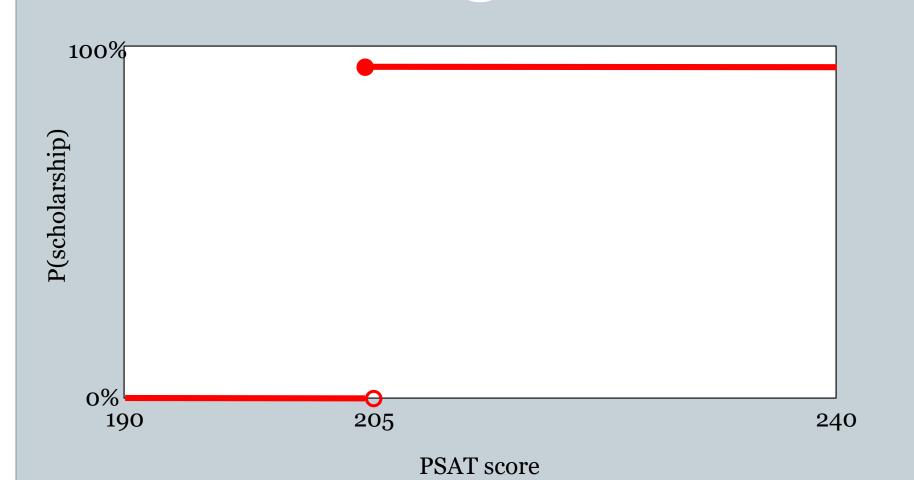




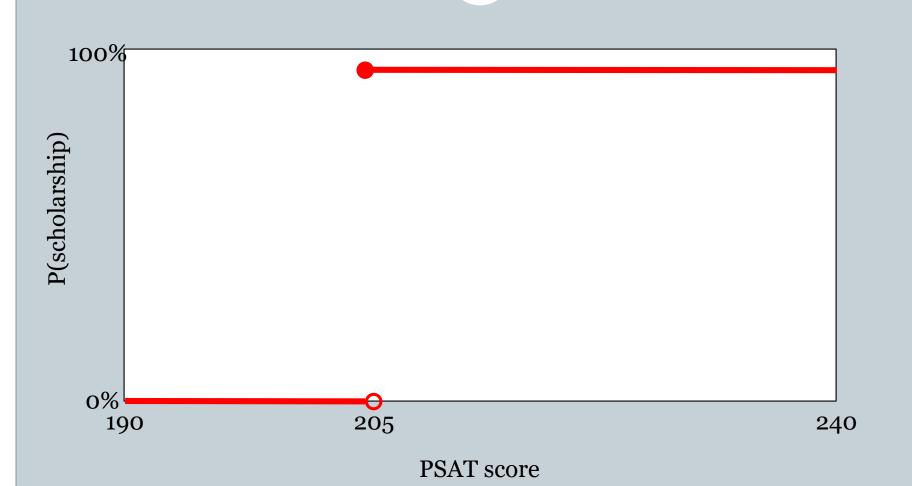






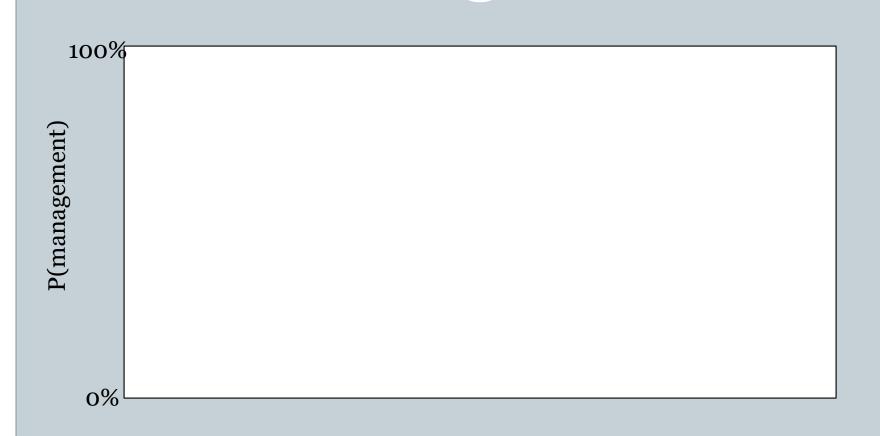






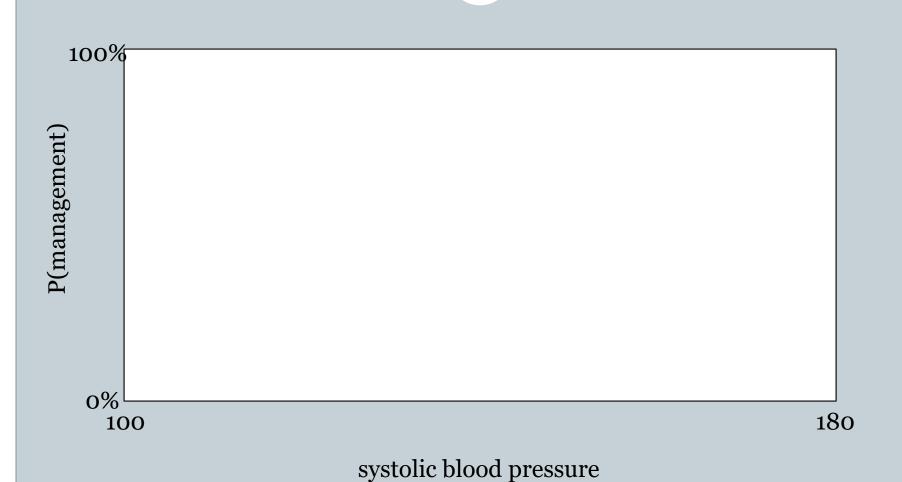


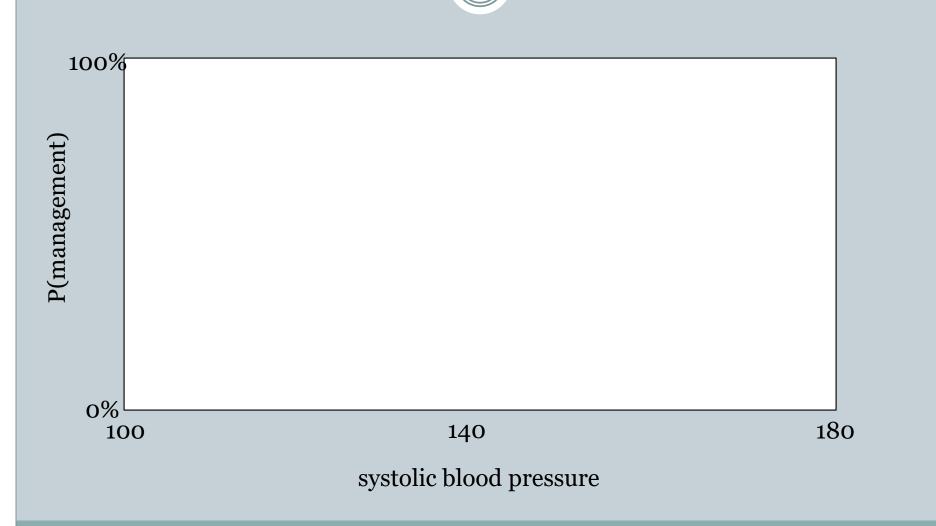


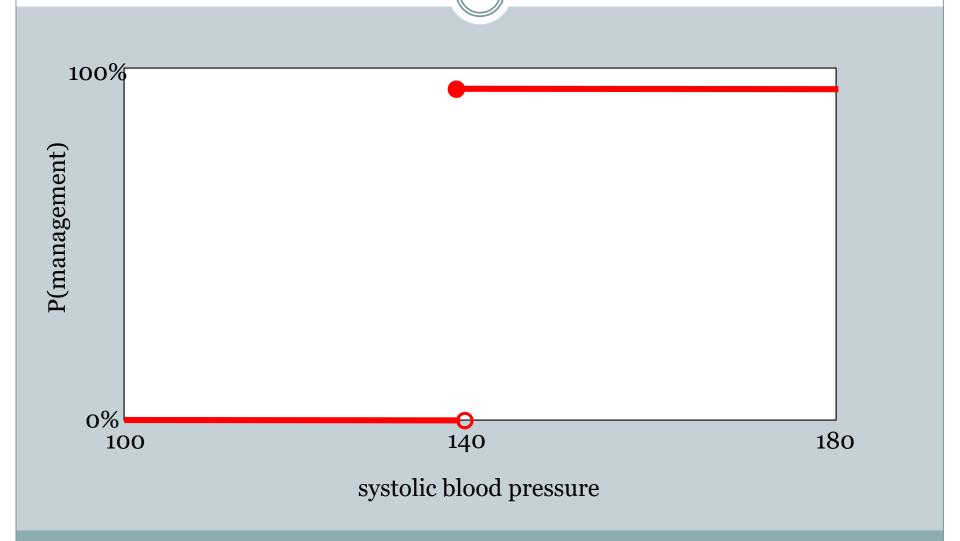




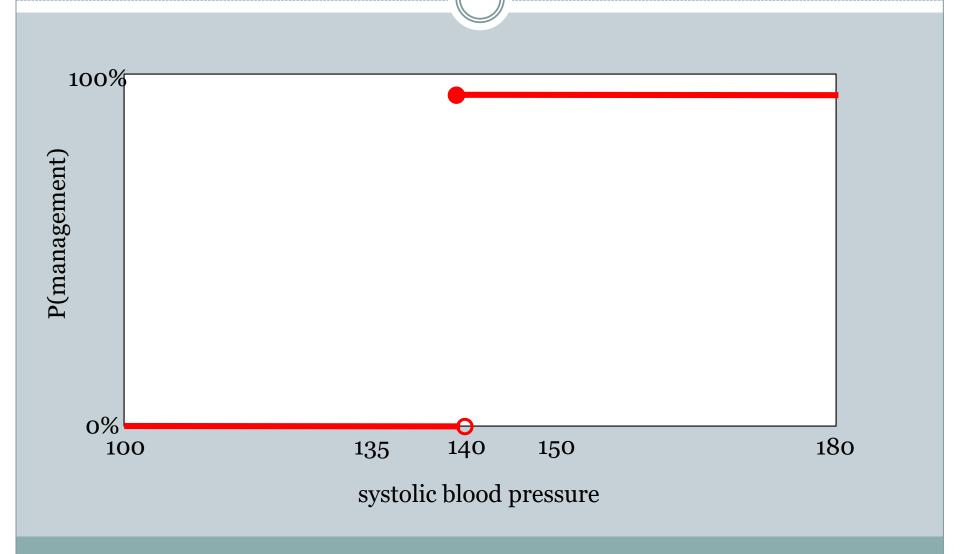
systolic blood pressure

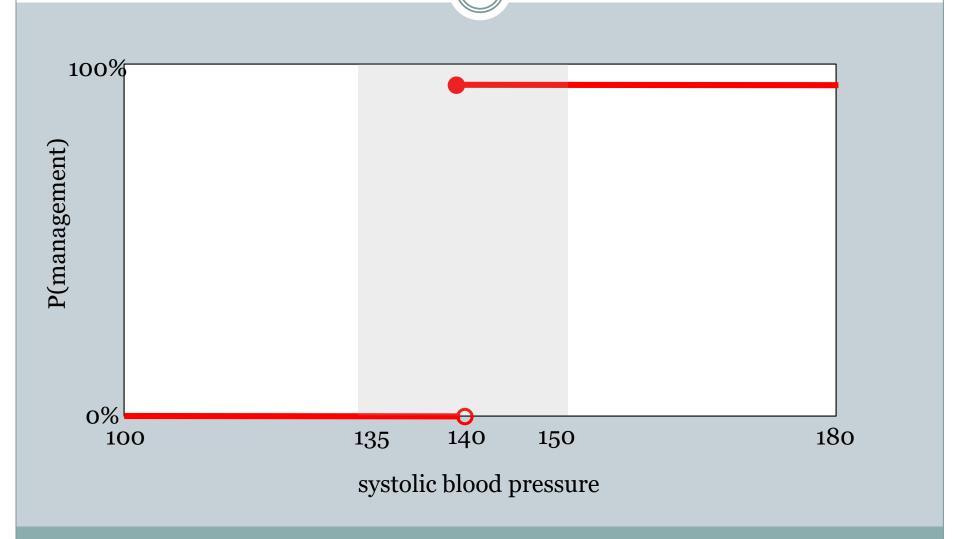


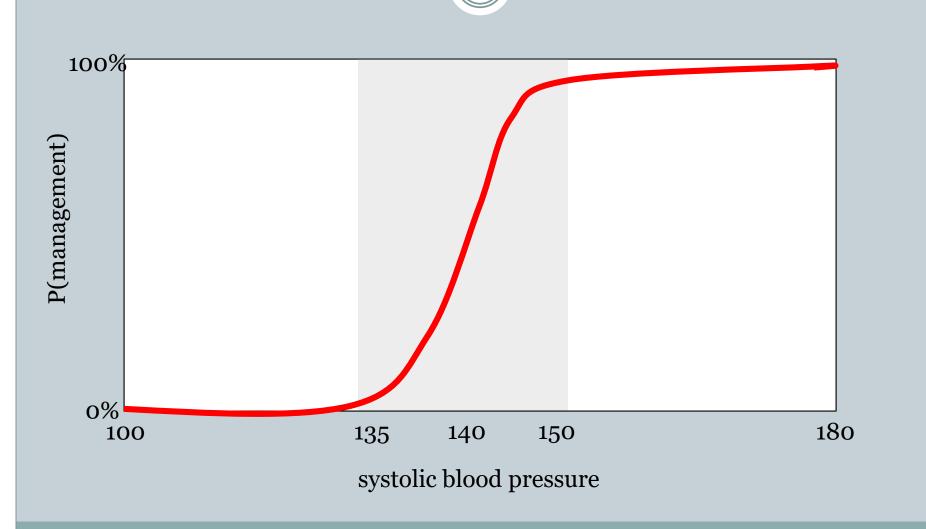




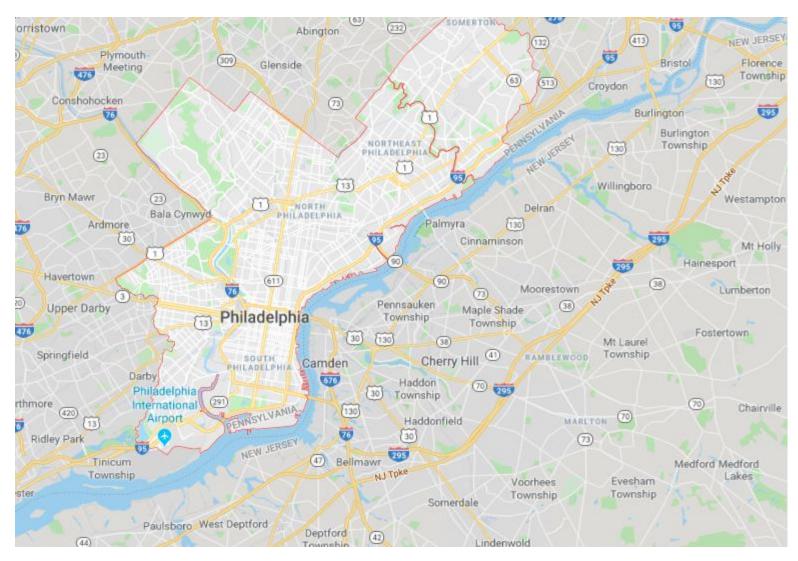






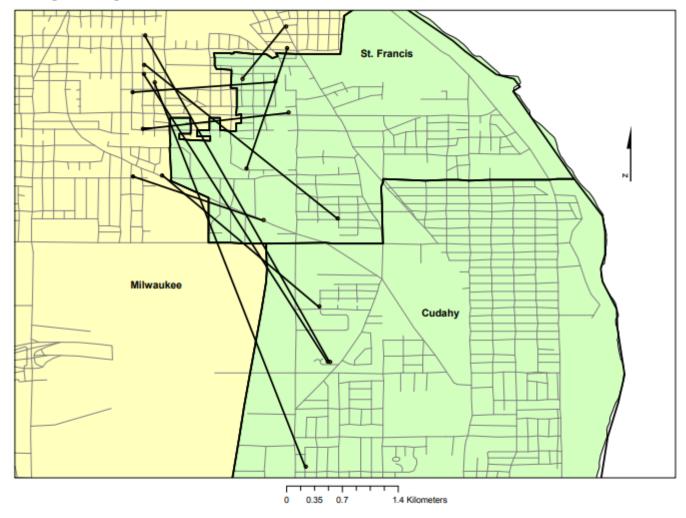


#### Card and Krueger: minimum wages

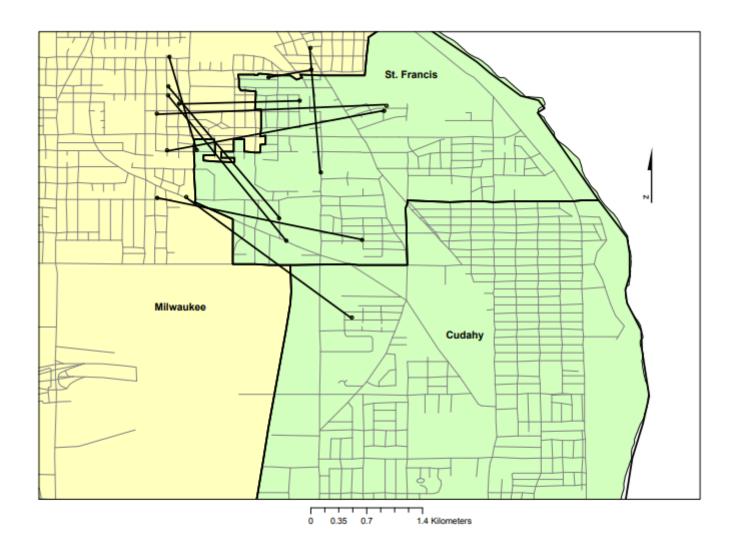


https://www.nber.org/papers/w4509.pdf

#### Keele et al: getting the vote out

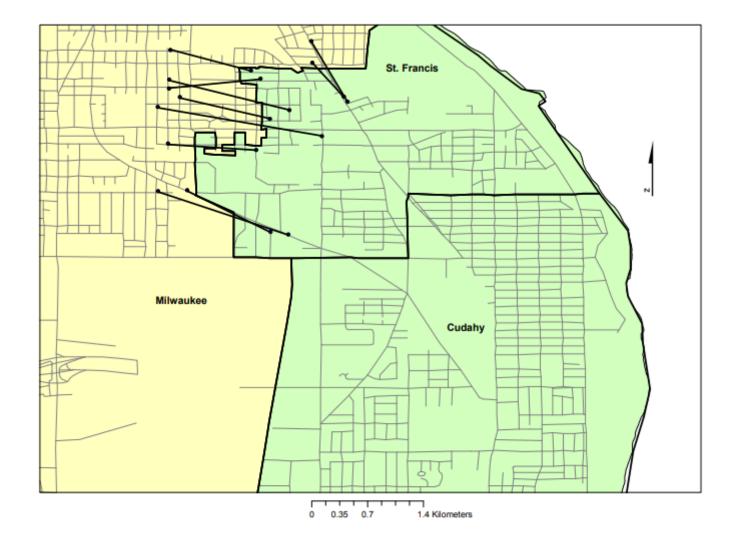


(a) Design 1 - Covariates Only Match



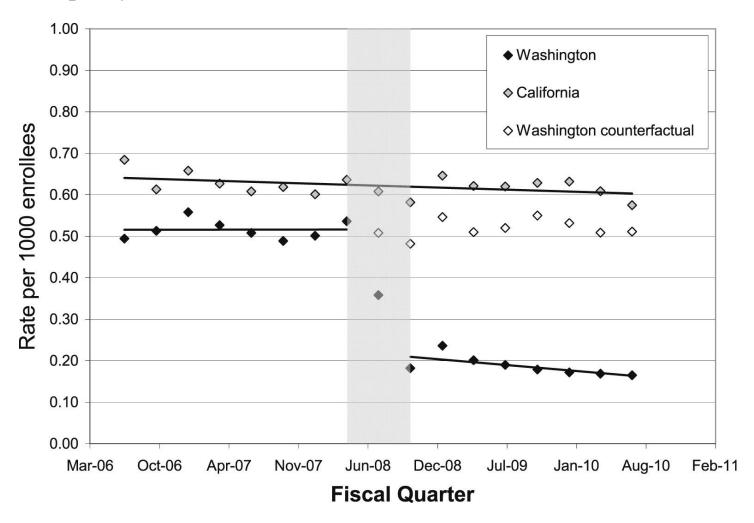
(b) Design 2 - Distance Only Match

https://wwwo.gsb.columbia.edu/mygsb/faculty/research/pubfiles/6137/GeoMatch.pdf



(c) Design 3 - Covariates and Distance Match

Hilt et al.: policy to reduce ADHD meds



https://www.sciencedirect.com/science/article/pii/S1876285913002106

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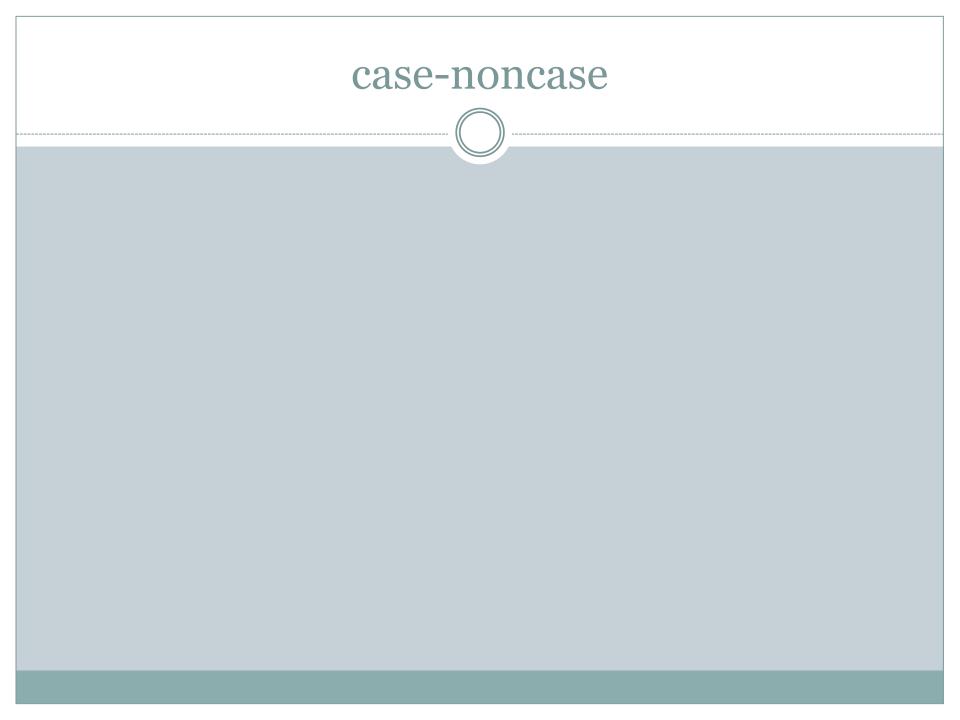
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- Inference can be done like the pscore set up (sharp RD).

# "case-control" studies



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- Developed for looking for causes of rare outcomes

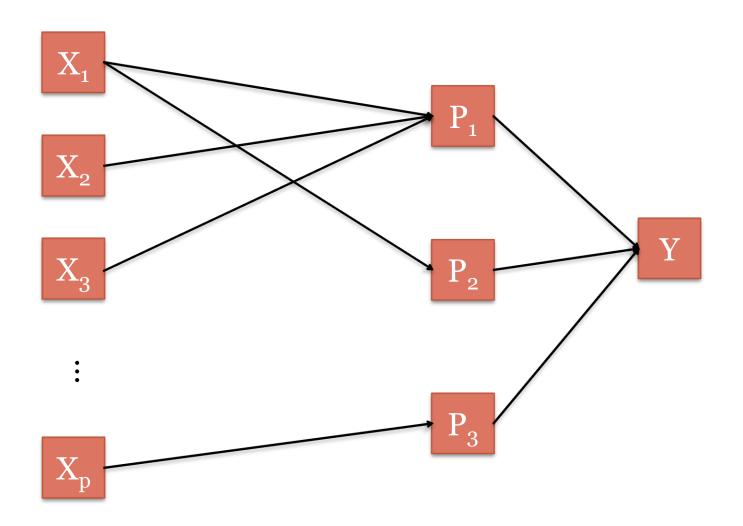
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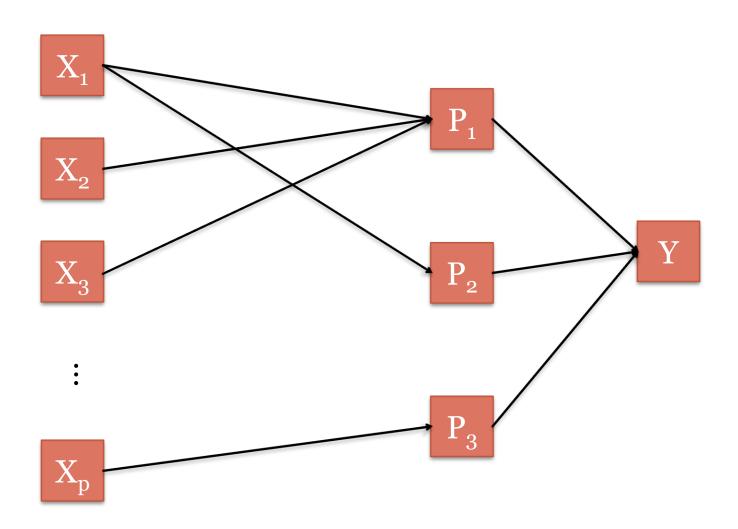
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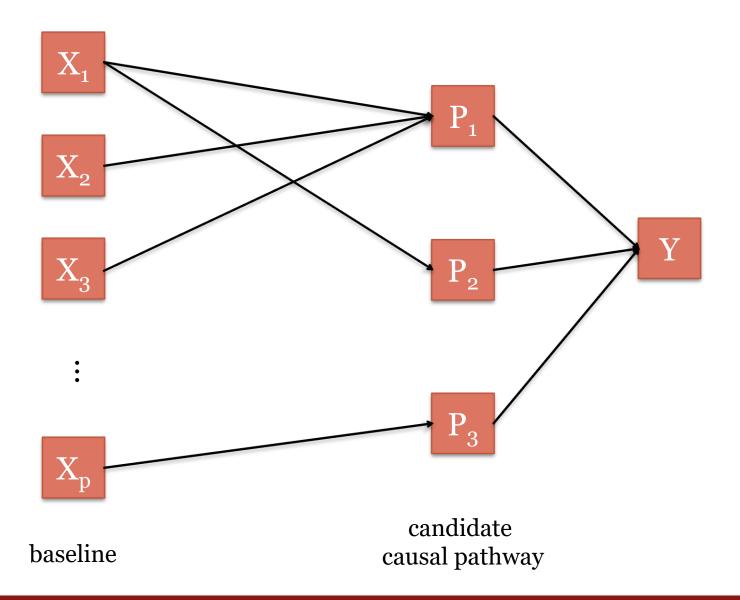
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- The structure of argument is much weaker than what we've been doing.

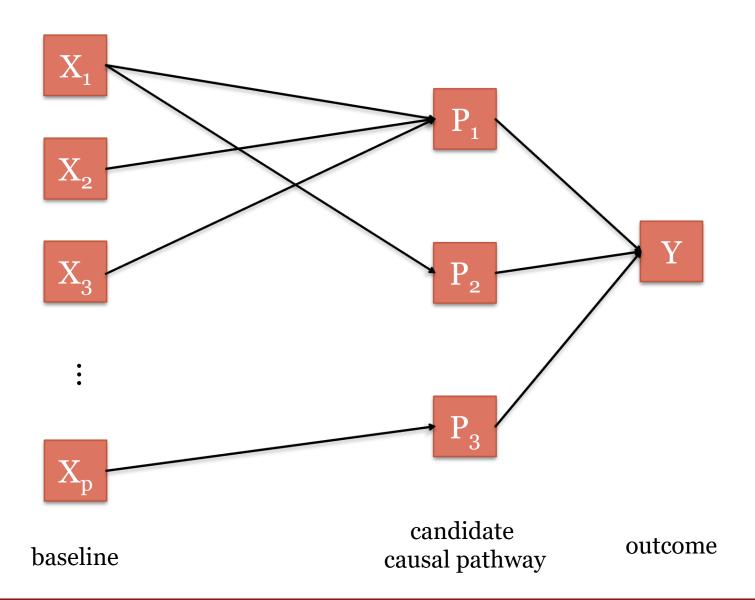
 Diagram of what we've been doing (start with cause and look at an outcome) – swap structure and go backward from outcome to candidate causes.

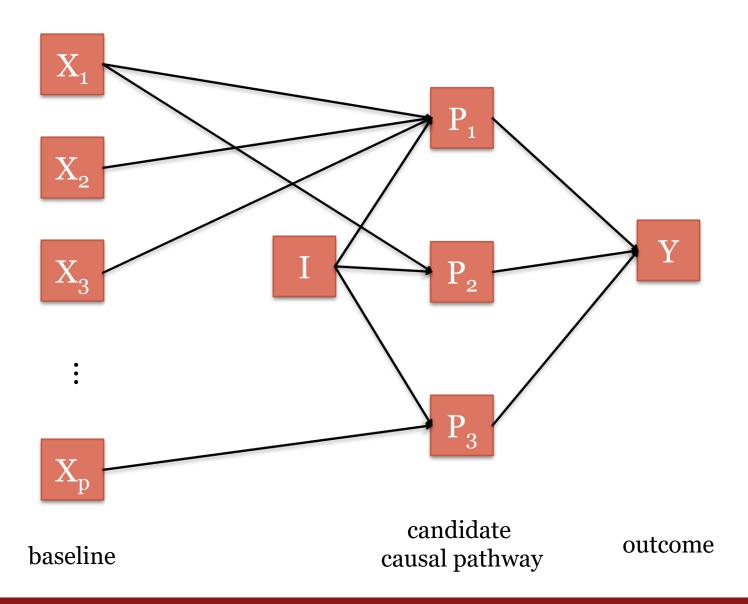


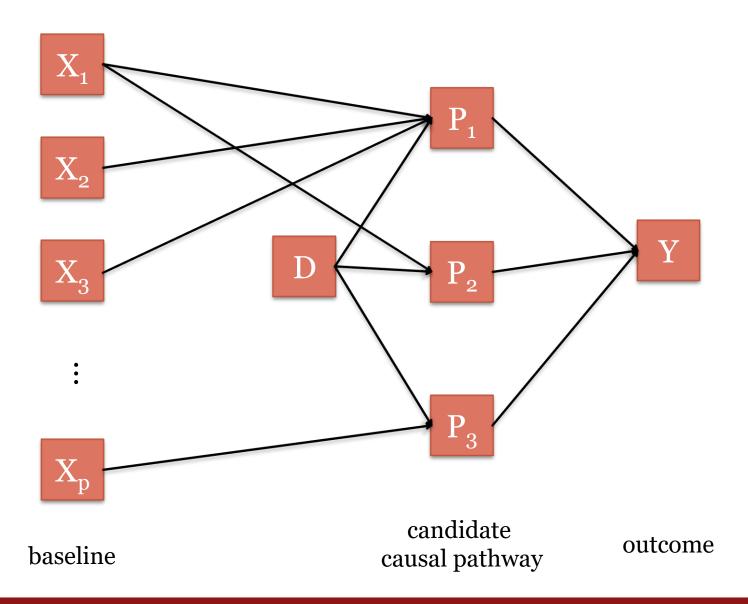


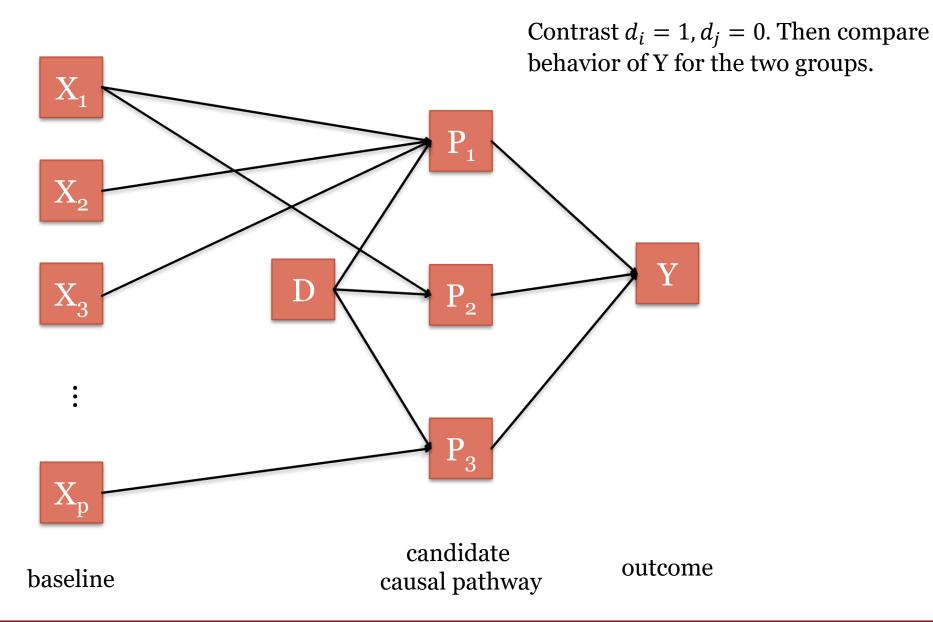
baseline

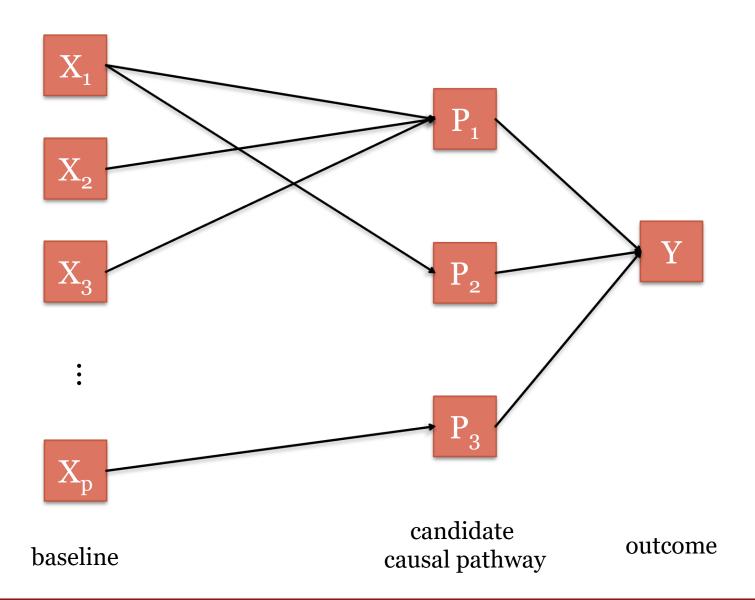


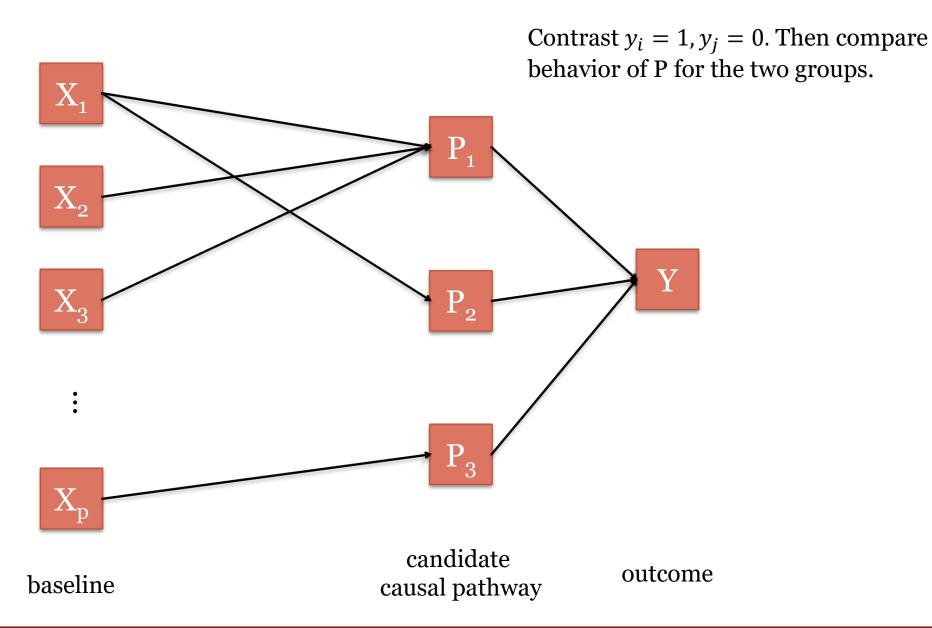


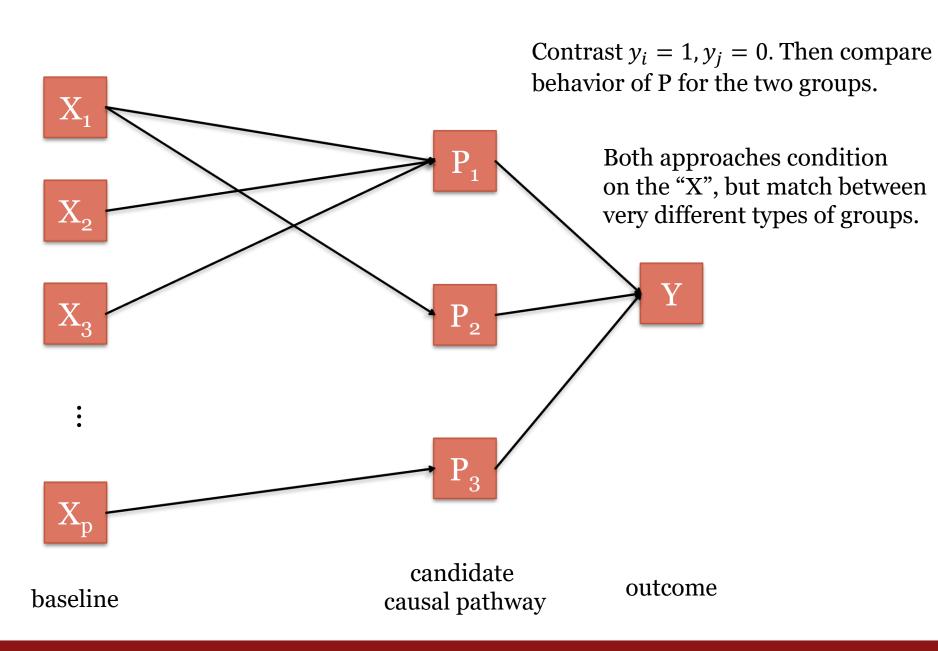


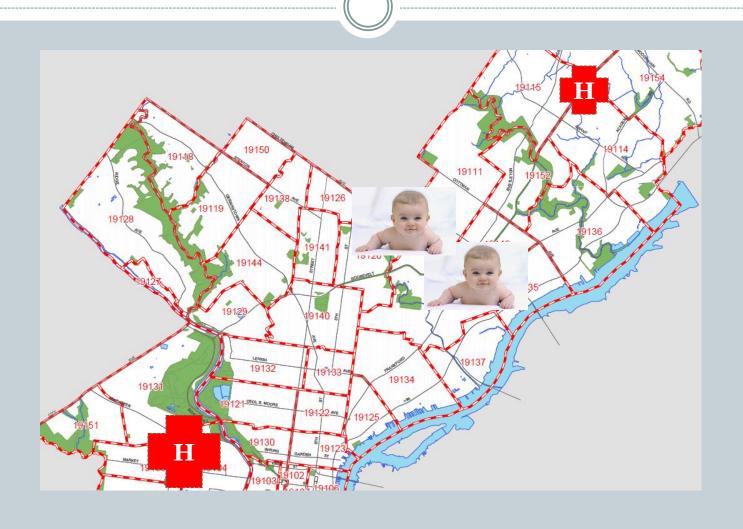


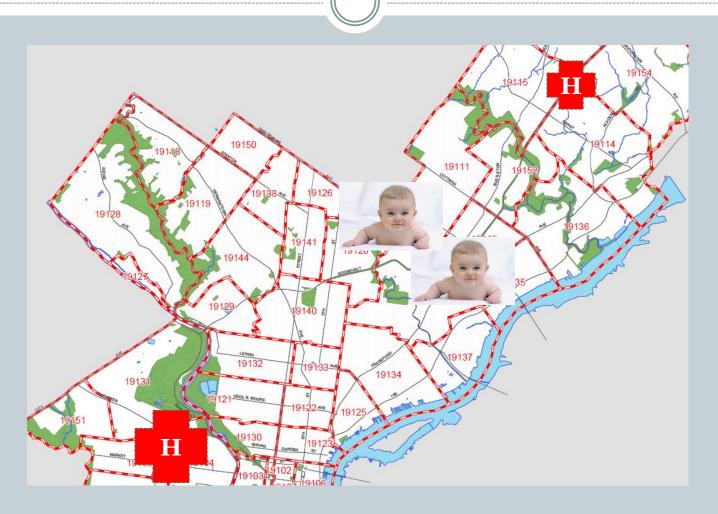




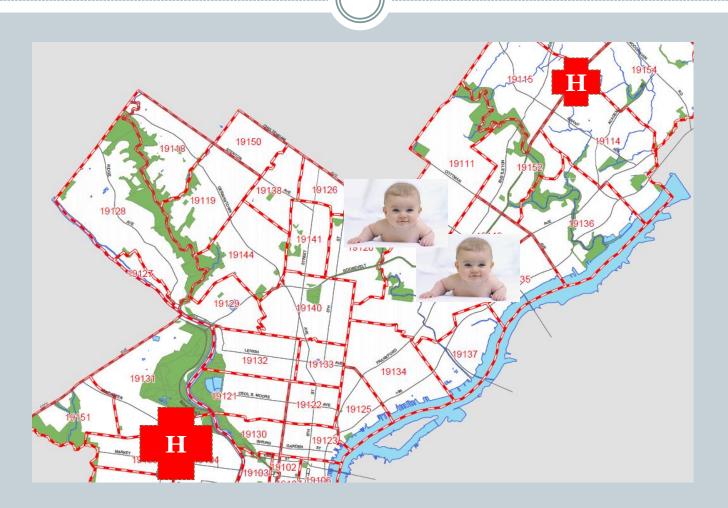




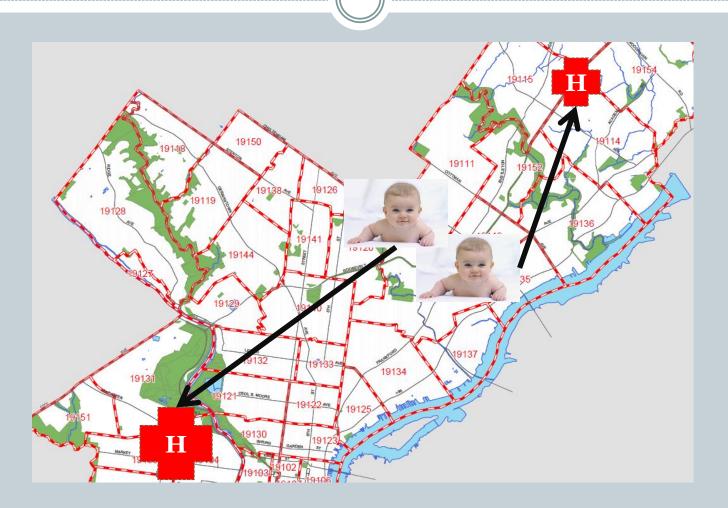




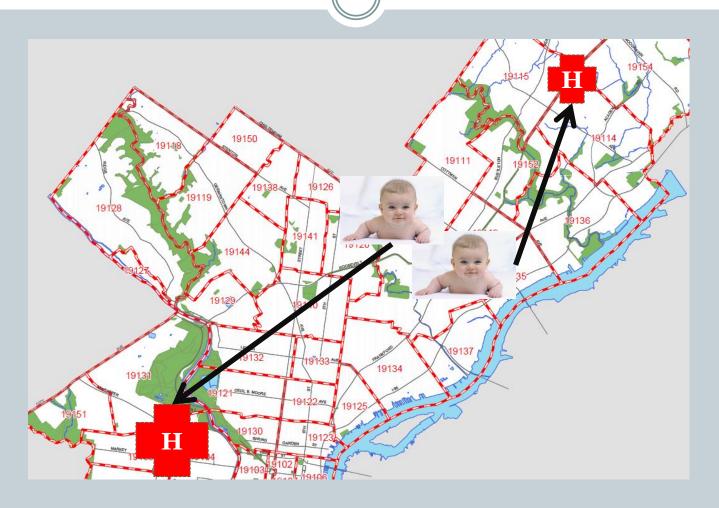
Use pre-intervention covariates to fit a pscore.



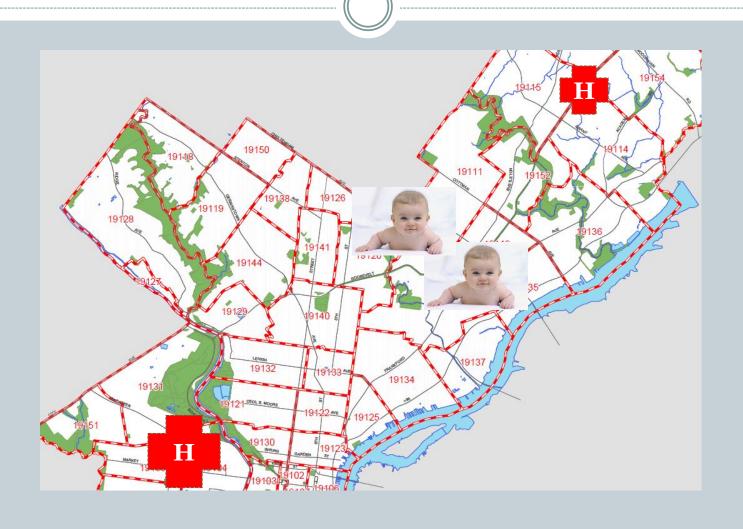
Use pre-intervention covariates to fit a pscore. Match on pscore between observations that used t=1 vs t=0.

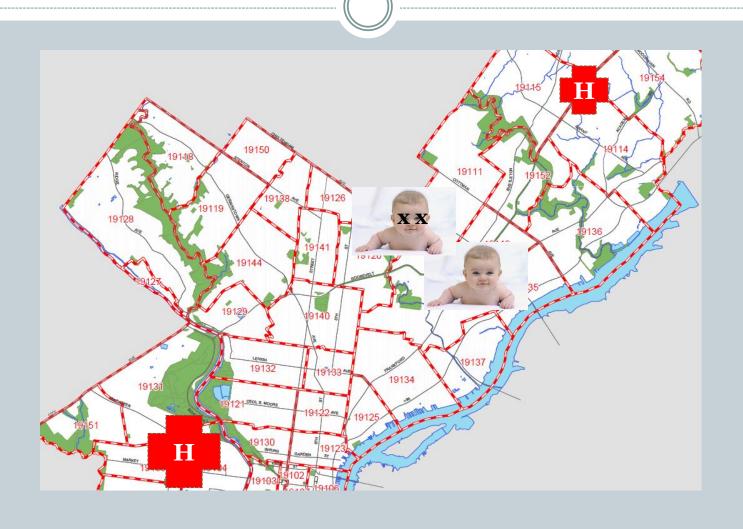


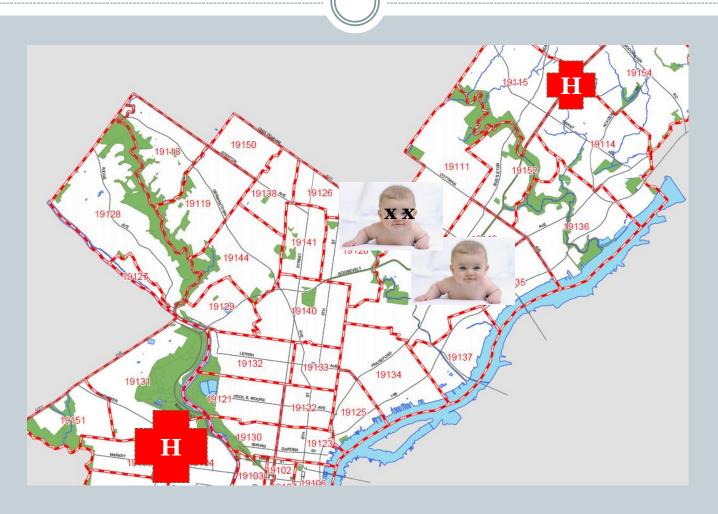
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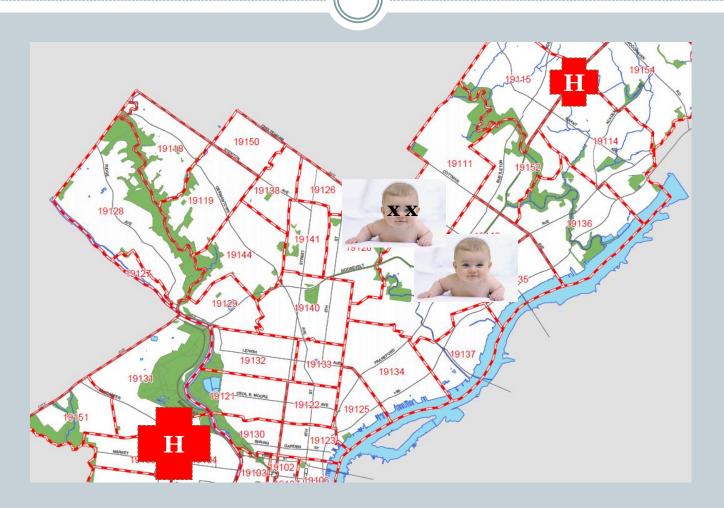
Use pre-intervention covariates to fit a pscore. Match on pscore between observations that used t=1 vs t=0. Examine distributions of outcomes between the two groups.



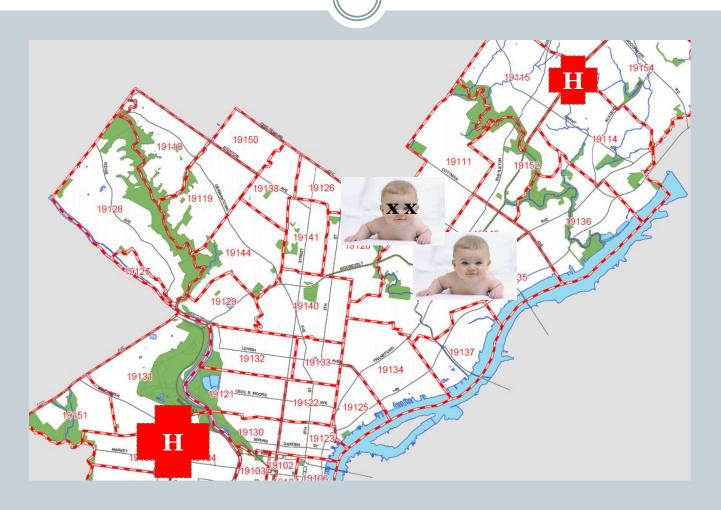




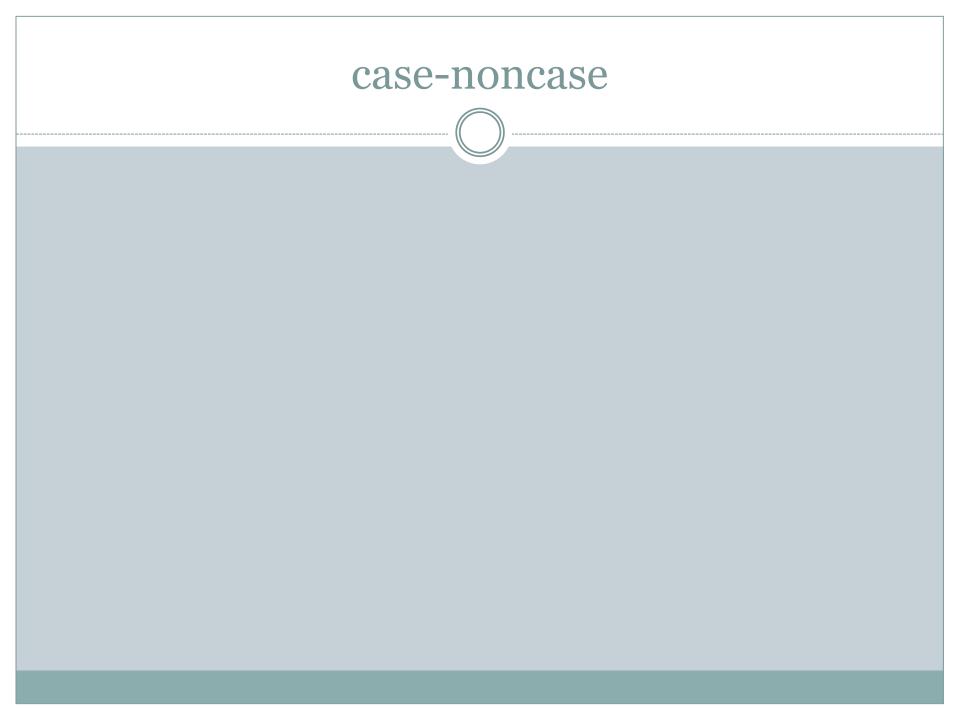
Use pre-intervention covariates to match.



Use pre-intervention covariates to match. Match between observations y=1 vs y=0.



Use pre-intervention covariates to match. Match between observations y=1 vs y=0. Examine distributions of candidate causes between the two groups.



• Match from Y=1 to Y=0 on all baseline characteristics...

• Match from Y=1 to Y=0 on all baseline characteristics, POSSIBLY some intermediate variables...

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You know the difference in logical reasoning here.

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Canonical archetypes:

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### Canonical archetypes:



scientist

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### Canonical archetypes:



scientist



detective

# isolation

### isolation by design

Natural experiments:

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 Natural experiments are a type of observational study, that is, a study of the effects caused by treatments when random assignment is infeasible or unethical.

# isolation by design

# Natural experiments:

- Natural experiments are a type of observational study, that is, a study of the effects caused by treatments when random assignment is infeasible or unethical.
- What distinguishes a natural experiment from other observational studies is the emphasis placed upon finding unusual circumstances in which treatment assignment, though not randomized, seems to resemble randomized assignment in that it is haphazard, not the result of deliberation or considered judgement, not confounded by the typical attributes that determine treatment assignment in a particular empirical field.

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# regionalizing care for acute type A aortic dissections

Andrew B. Goldstone, MD, PhD, Peter Chiu, MD, Michael Baiocchi, PhD, Bharathi Lingala, PhD, Michael P. Fischbein, MD, PhD, Joseph Woo, MD

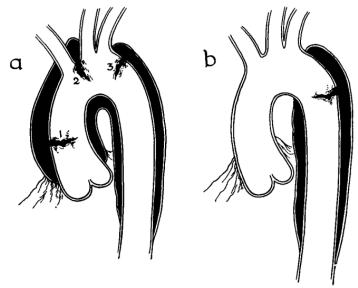


FIG. 3. Classification of aortic dissections. In type A the ascending aorta is dissected (a). The intimal tear has always been at position 1, but it can occur at positions 2 or 3 (see text). In type B dissection the dissection is limited to the descending aorta (b), and the intimal tear is usually within 2 to 5 cm. of the left subclavian artery.

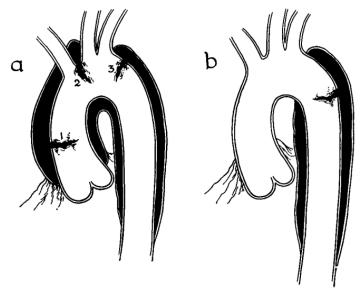
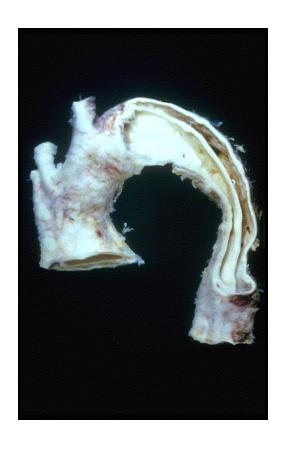


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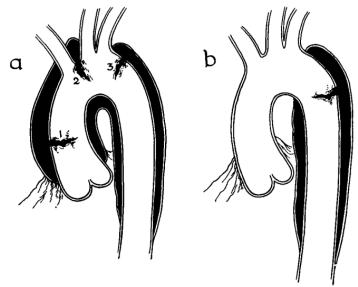


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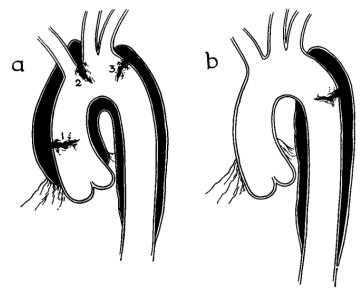


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(that's a Norm MacDonald joke)



It's a particularly scary situation:

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- Mortality for untreated acute type A
  - First 24hrs =
  - First 48hrs =

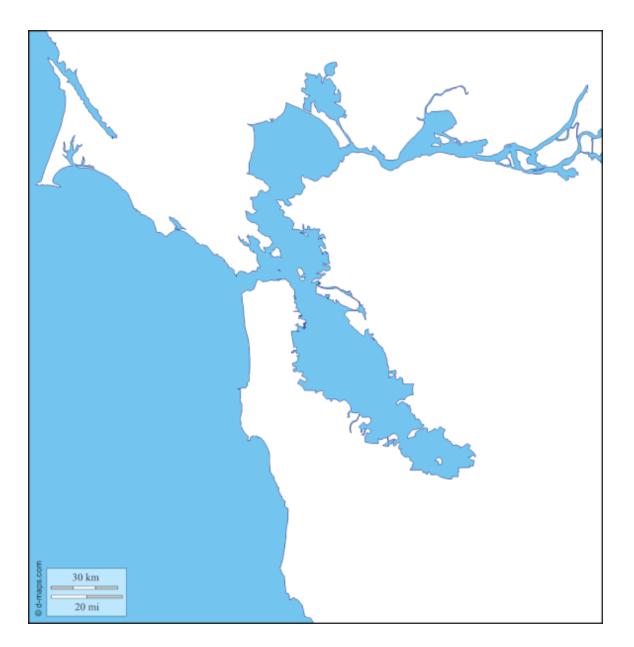
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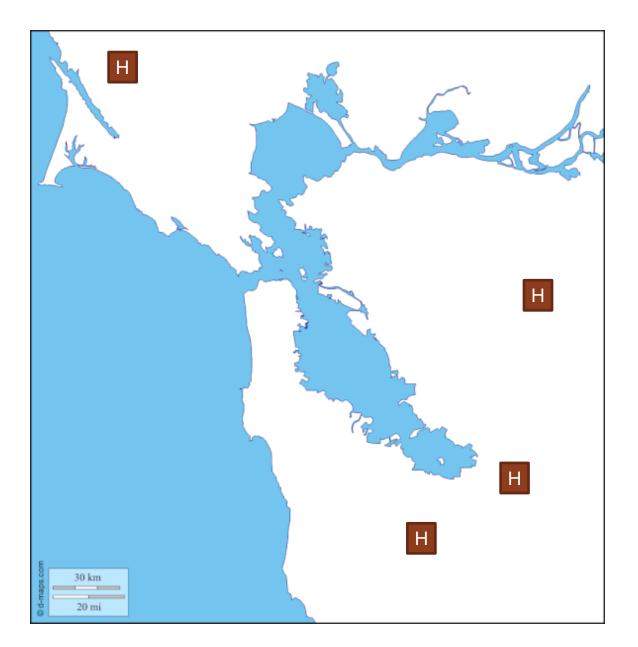
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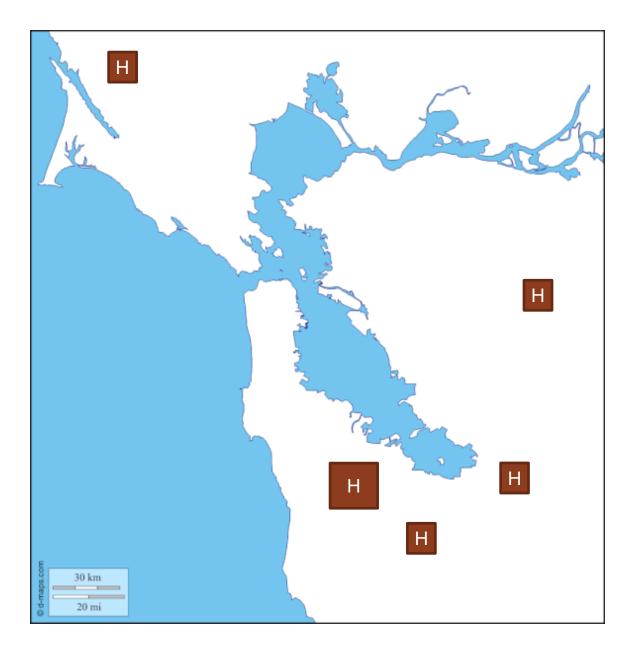
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- Interfacility transfer = ?



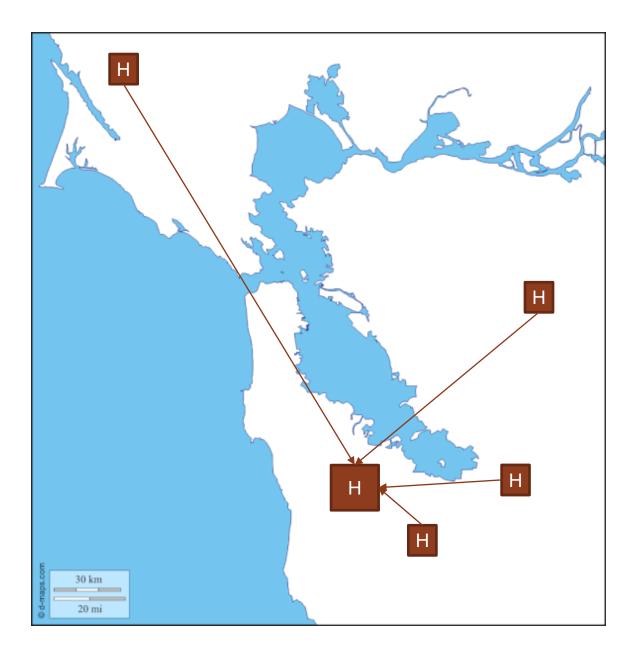
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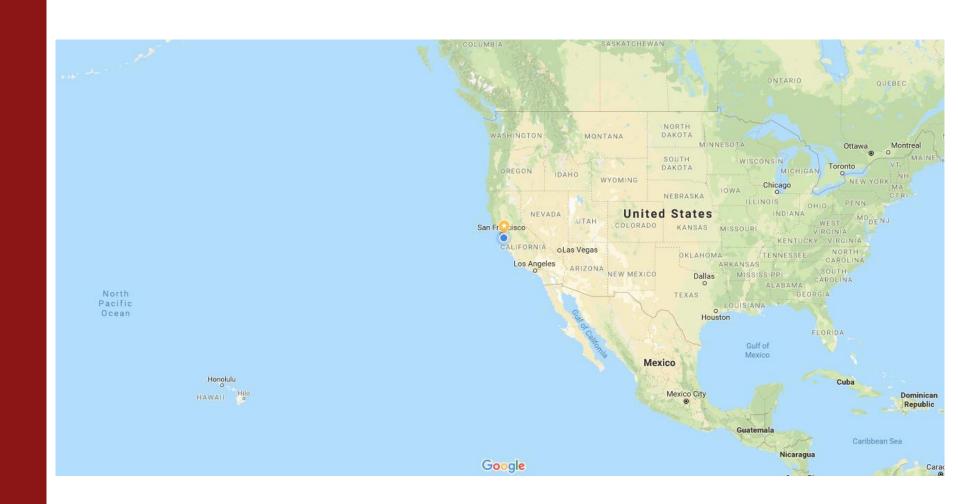
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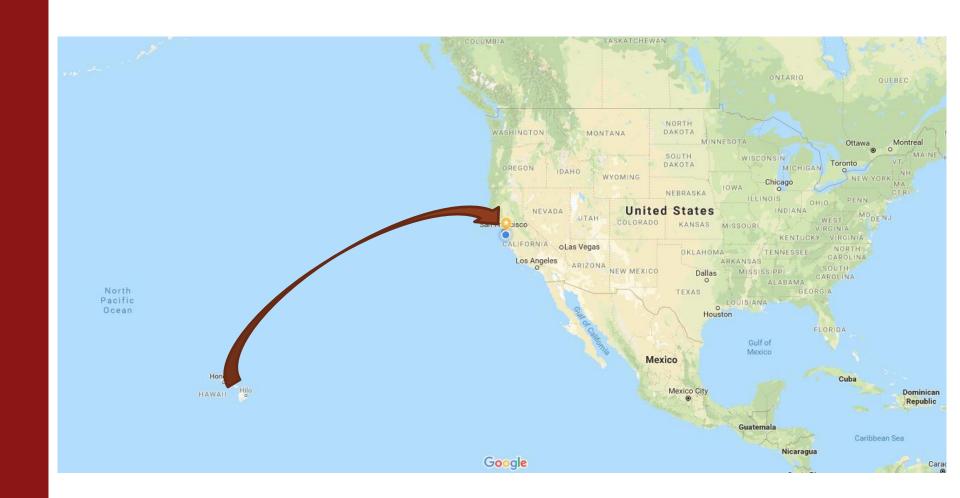


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Perhaps we could move up to a higher level of randomization:

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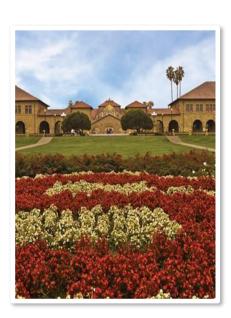
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Perhaps we could move up to a higher level of randomization: could work with some hospitals to have them implement regionalization, others not.

# study design

isolating a natural experiment



We pulled Medicare claims records from 1999-2014.

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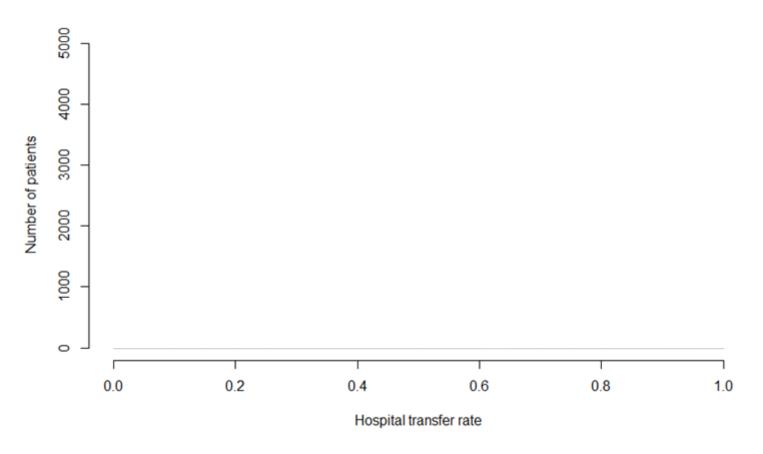
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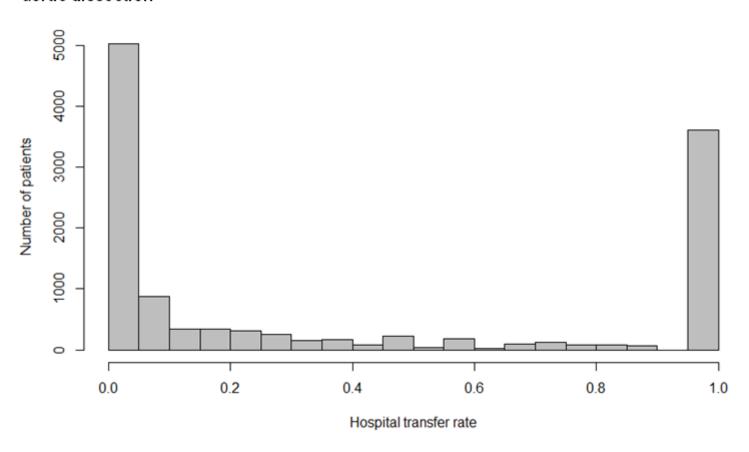
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	Overall	ion and the Population for the Analysis of Region Before Matching		
	Study			
	Pap ulati an	Nat Renaute d	Re routed	
saracteristic	(N-1 6,88 6)	(N-7910)	(N=4520)	SMD
se - yr	72.44 (9.50)	72.29 (9.46)	72.46 (9.41)	0.017
se <55 yrs - n (%)	1935 (11.5)	946 (12.0)	510(11.3)	0.021
and surgery - yr	2006.78 (4.57)	200 6.71 (4.57)	2006.85 (4.59)	0.033
ale sex- n (%)	9397 (55.6)	6412 (55.8)	2513 (55.6)	0.004
ce-n (%)				
White	14 335 (84.9)	6717 (84.9)	3830 (84.7)	0.005
Mack	1787 (10.6)	748 (9.5)	534 (11.8)	0.077
Adam	258 (1.6)	177(2.2)	48(1.1)	0.092
II spa nic	191 (1.1)	98 (1.2)	34(0.8)	0.049
Othe r	305 (1.8)	170(2.1)	74(1.6)	0.038
or myocardial infanction - n (%)	574 (3.4)	279 (3.5)	151 (3.3)	0.01
theimeric dementia - n (%)	806 (4.8)	369 (4.7)	230 (5.1)	0.02
ria i fibri i lation - n (%)	2735 (16.2)	1204 (15.2)	675 (14.9)	0.008
ronic kidney ditease - n (%)	2555 (15.1)	1166 (14.7)	704 (15.6)	0.023
PD - n (%)	3848 (22.8) 4230 (25.1)	1752 (22.1) 1863 (23.6)	1114 (24.6) 1118 (24.7)	0.059
ngestive heart failure - n (%) abetes mellitus - n (%)	3049 (18.1)	1364 (17.2)	94 1 (18.6)	0.036
p fauture - n (%)	250 (1.5)	107(1.4)	82(1.8)	0.037
hemic heart disease - n (%)	7942 (46.4)	3503 (44.3)	2049 (45.3)	0.021
thritis - n (%)	2222 (13.2)	1020 (12.9)	571(12.6)	0.000
take - n (%)	1825 (10.8)	832 (10.5)	502(11.1)	0.019
ncer - n (%)	2039 (12.1)	929 (11.7)	557(12.3)	0.018
semia - n (%)	6524 (38.6)	2908 (36.8)	1758 (38.9)	0.044
perlipide mia - n (%)	9249 (54.8)	4247 (53.7)	2490 (55.1)	0.028
pertendion - n (%)	12 225 (72.4)	5618 (71.0)		0.057
pothyroldism-n (%)	2329 (13.8)	1099 (13.9)	602 (13.3)	0.017
gion				
New England - n (%)	947 (5.6)	273(3.5)	364 (8.1)	0.199
Mideact - n (%)	3035 (18.0)	839 (10.6)	1121 (24.8)	0.378
Great Lakes - n (%)	3061 (18.1)	1302 (16.5)	910(20.1)	0.095
Plains - n(%)	1267 (7.5)	689 (8.7)	263 (5.8)	0.112
Southeast - n (%)	4669 (27.7)	2223 (28.1)	1215 (26.9)	0.027
Southwest- n(%)	1504 (89)	875 (11.1)	300 (5.5)	0.156
Rodky Mountain - n (%)	460 (2.7)	365 (4.6)	41(0.9)	0.228
or Procedures				
Aartic valve surgery -n (%)	375 (2.2)	163(2.1)	108 (2.4)	0.022
Thora dic a ortic replace ment - n (%)	36 (0.2)	10 (0.1)	16(0.4)	0.046
Thora co abdominal aortic re placement - n (%)	19 (0.1)	4 (0.1)	9 (0.2)	0.042
TEVAR - n (%)	22 (0.1)	9 (0.1)	7 (0.2)	0.011
CVAR - n (%)	53 (0.3)	25 (0.3)	11(0.2)	0.014
Abdomin all aortic replacement - n (%)	199 (1.2)	84 (1.1)	62(1.4)	0.028
Vlitral valve surgery - n (%)	155 (0.9)	68 (0.9)	41(0.9)	0.005
Friscuspid valve surgery - n (%)	15 (0.1)	5 (0.1)	6 (0.1)	0.022
CABG - n (%)	988 (5.9)	440 (5.6)	278 (6.2)	0.025
/AD/E CMO - n (%)	14 (0.1)	4 (0.1)	7 (0.2)	0.033
Other cardiac sungery - n (%)	82 (0.5)	33 (0.4)	28 (0.6)	0.028
dex Sungical Procedures				
Acrtic valve surgery -n (%)	2428 (14.4)	1056 (13.4)	587 (13.0)	0.011
Aartic raat repla onment - n (%)	4816 (28.5)	2280 (28.8)	1193 (26.4)	0.054
Ascending acritic replacement - n (%)	12 228 (72.4)	5700 (72.1)	3362 (74.4)	0.052
Aartic arch replacement - n (%)	3044 (18.0)	799 (10.1)	1214 (26.9)	0.442
Descending thoracic acrtic replacement - n (%)	195 (1.2)	73 (0.9)	62(1.4)	0.042
Thora co abdominal acrtic replacement - n(%)	25 (0.1)	13 (0.2)	5 (0.1)	0.015
	154 (0.9)	37 (0.5)	62(1.4)	0.095
TEVAR - n (%)	19 (0.1)	8 (0.1)	6 (0.1) 7 (0.2)	0.009
TEVAR - n (%) EVAR - n (%)				0.029
TCVAR - n (%) CVAR - n (%) Abdomin al acrtic replacement - n (%)	39 (0.2)	23 (0.3)		
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TEVAR - n (%) TVAR - n (%) Abdomin al acrtic replacement - n (%) TAG - n (%) Other valve sunge ny - n (%)	39 (0.2) 4181 (24.8) 8 (0.0)	2029 (25.7) 5 (0.1)	856(19.2) 0 (0.0)	0.156
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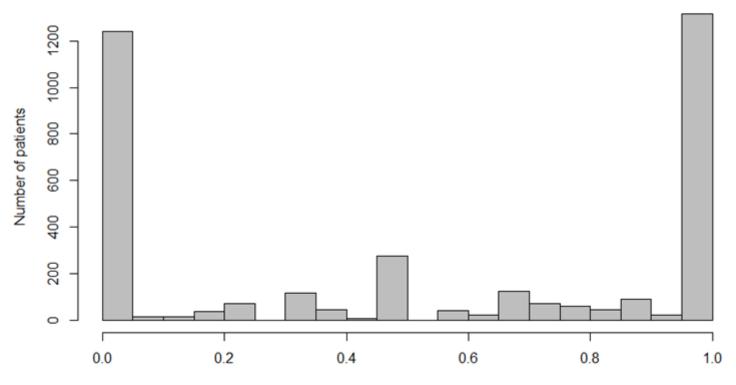
B Distribution of patients presenting to hospitals with varying transfer rates for acute type A aortic dissection



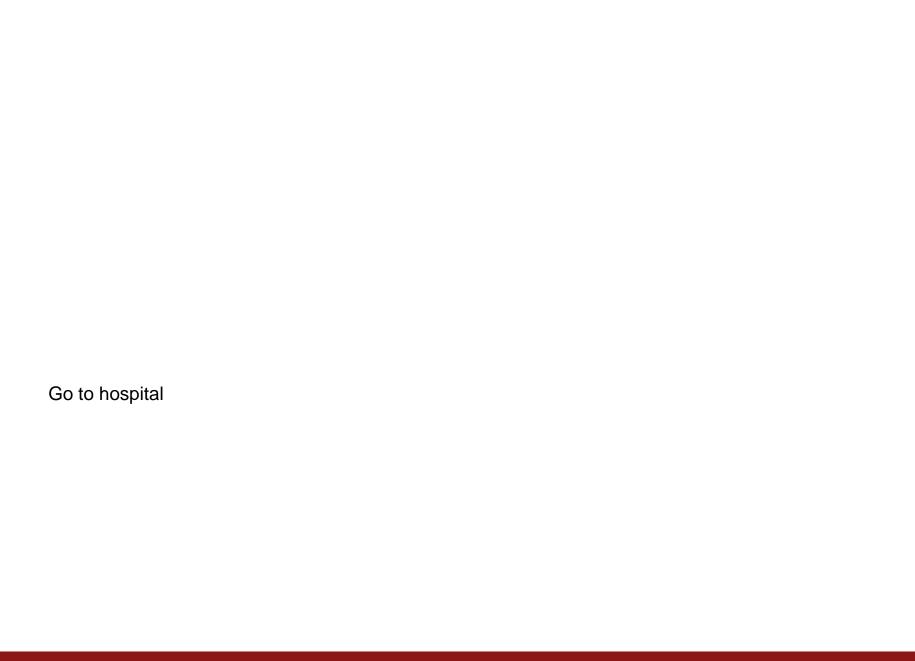
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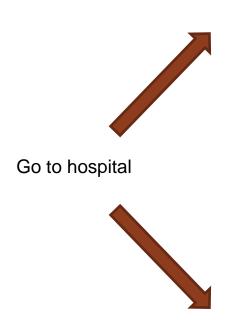


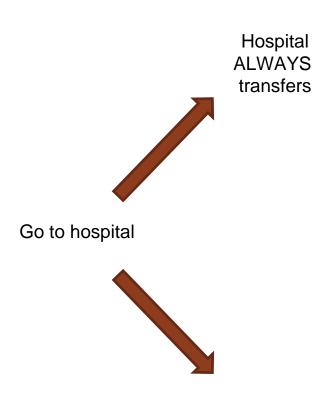
D Distribution of patients presenting to hospitals with varying transfer rates to high-volume centers among hospitals that always transferred patients with acute type A aortic dissection

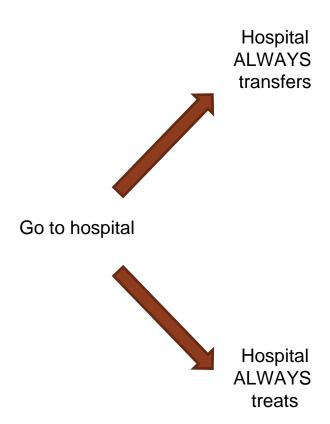


Hospital transfer rate to high-volume vs. low-volume

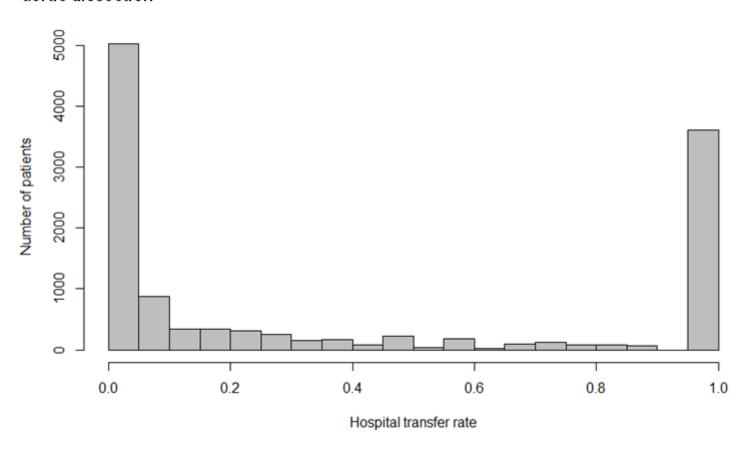


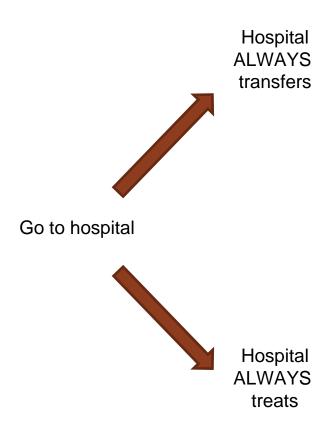


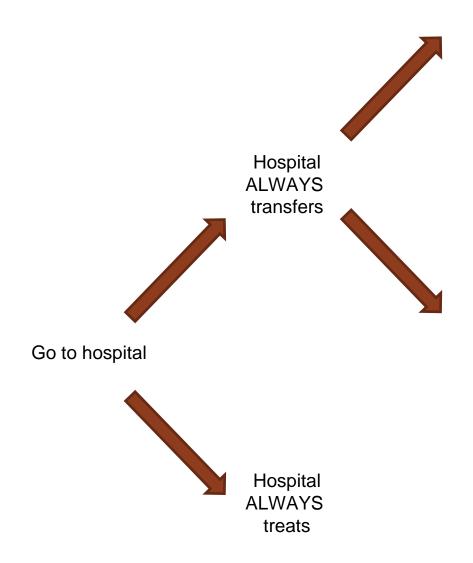


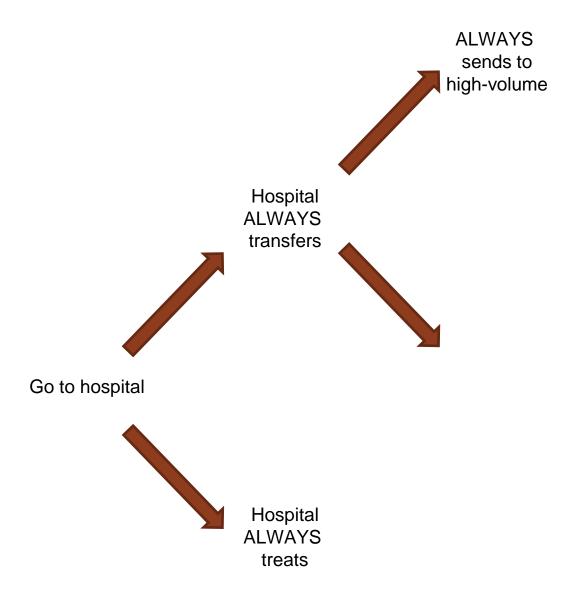


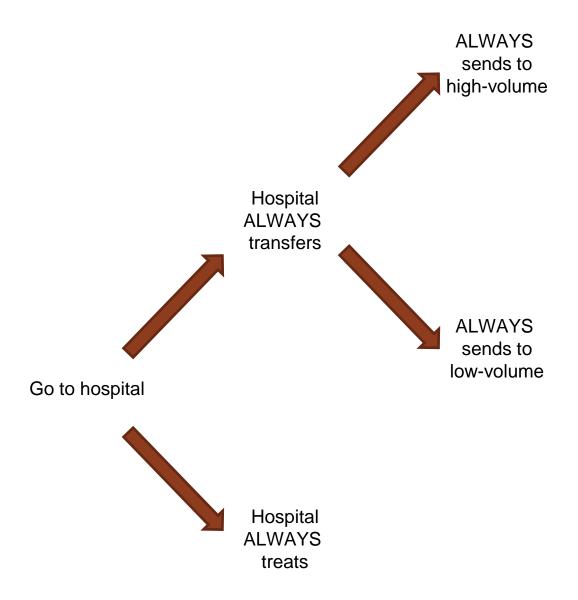
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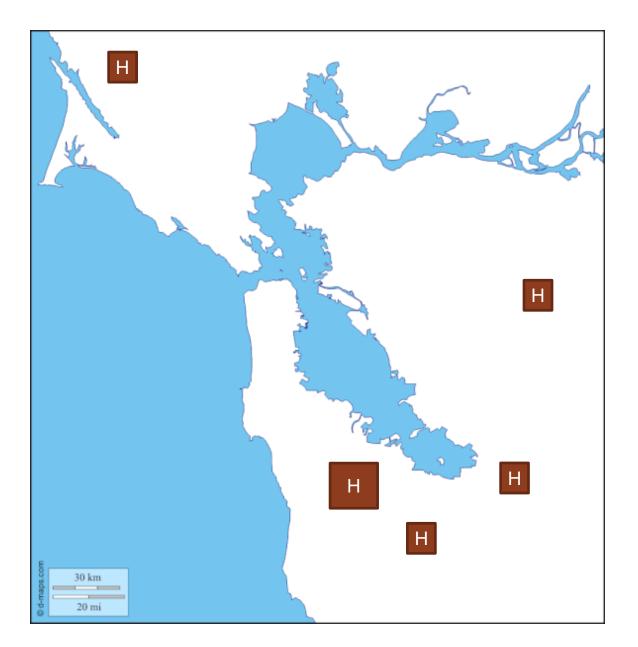




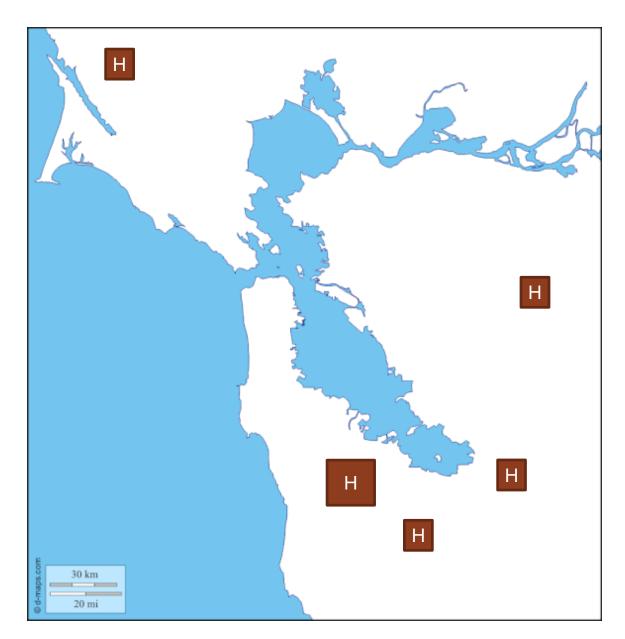






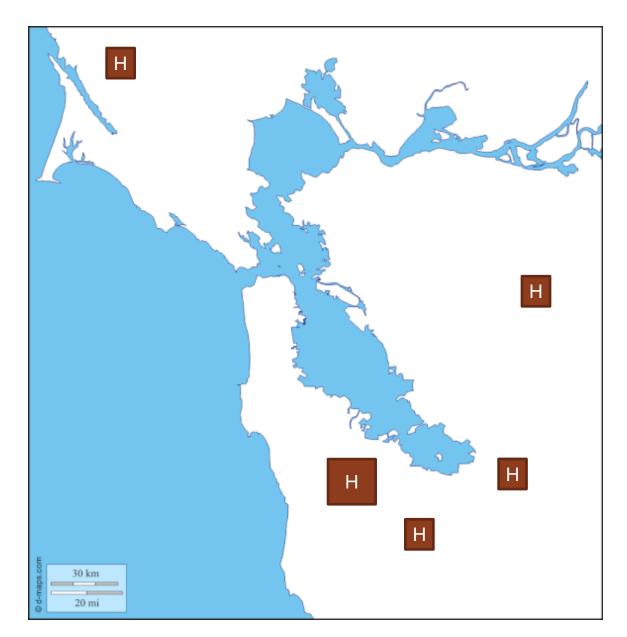


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Let Subministrate Funds

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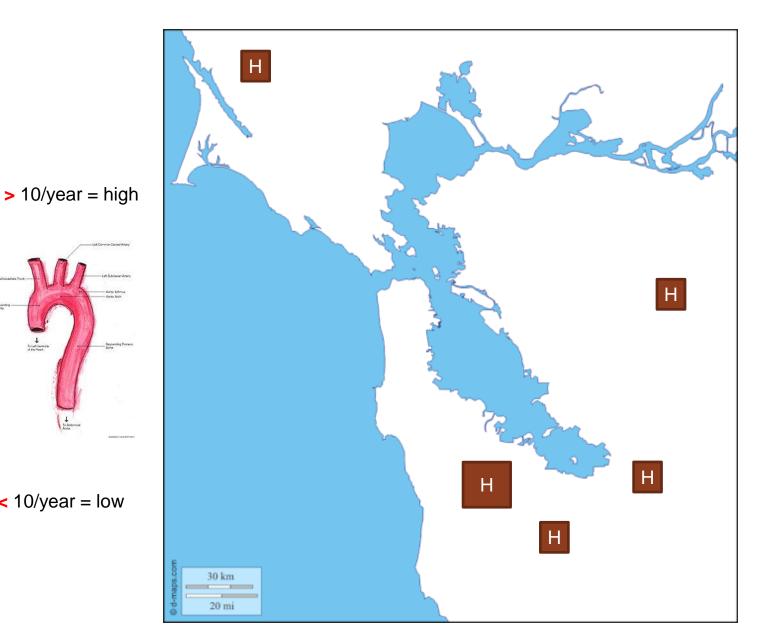
Let Subministrate Funds

Acres John

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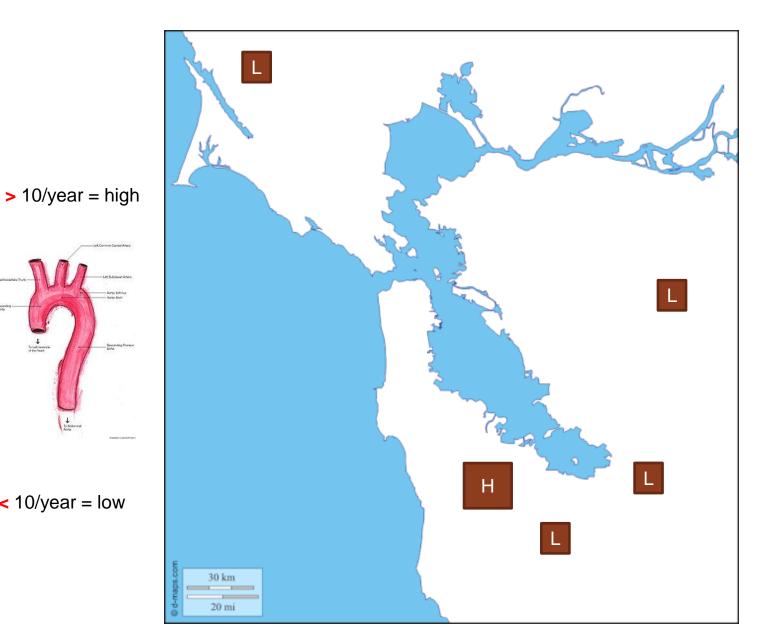
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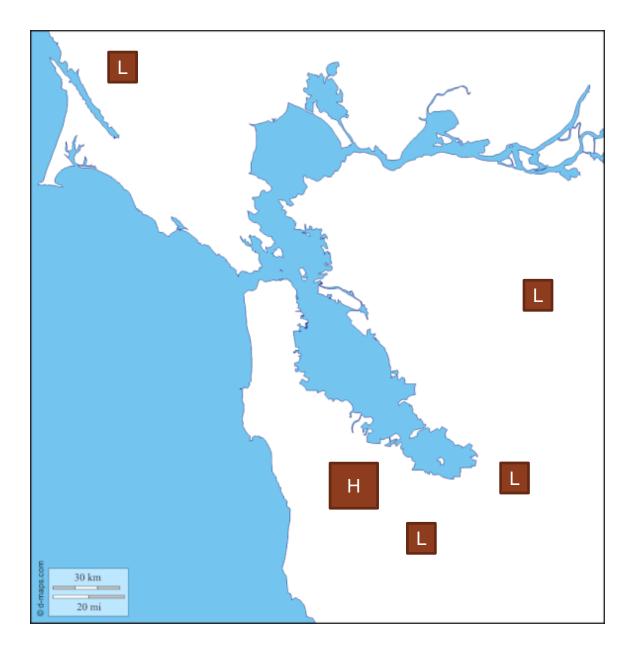
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**Stanford University** 

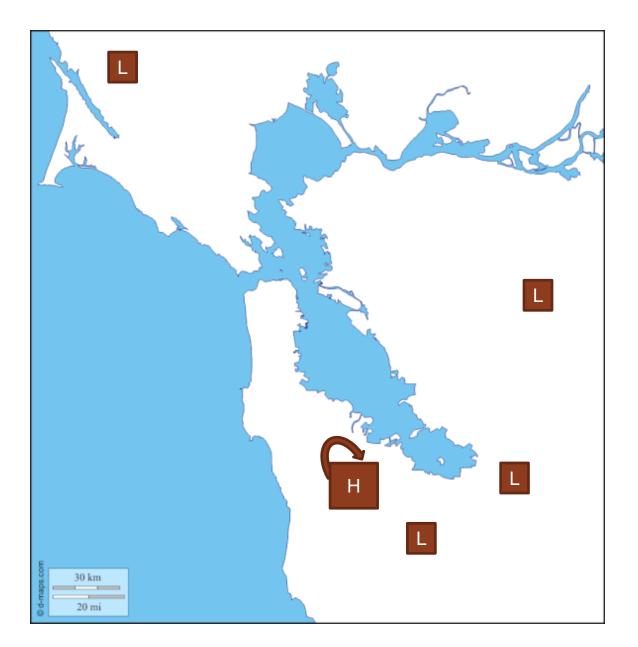


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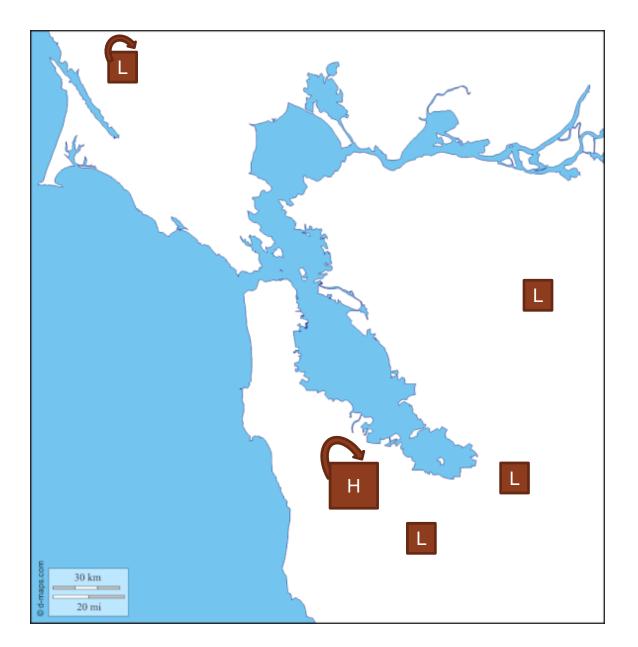
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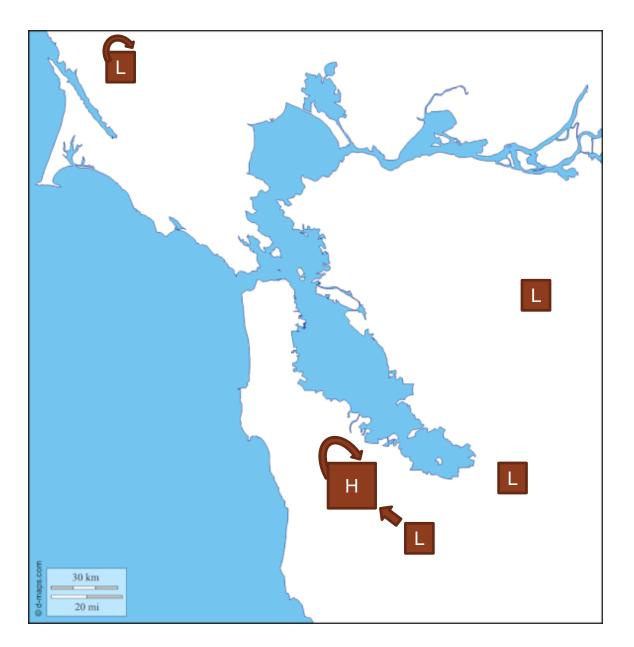
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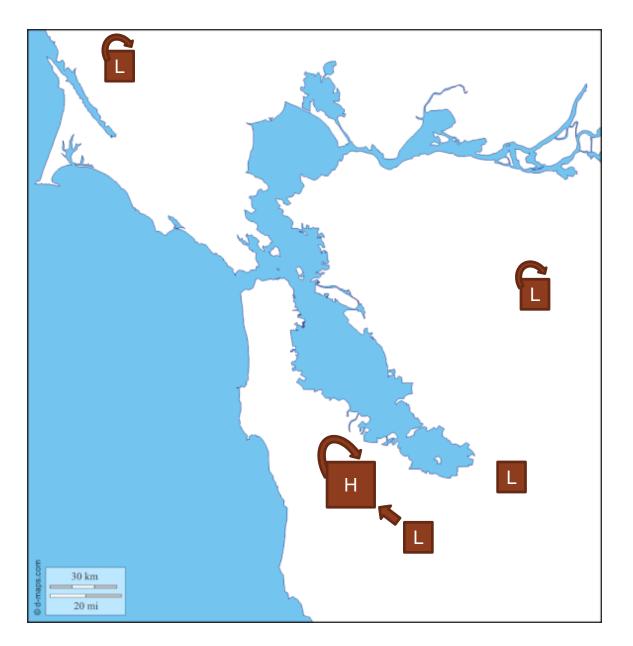
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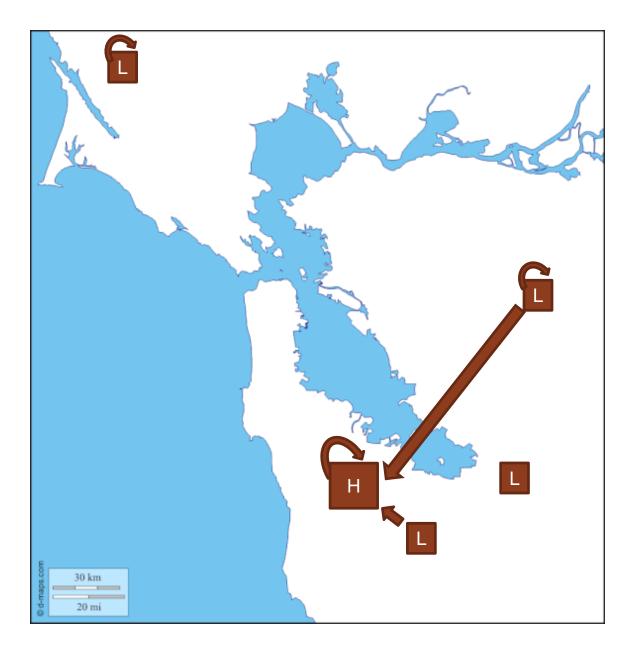
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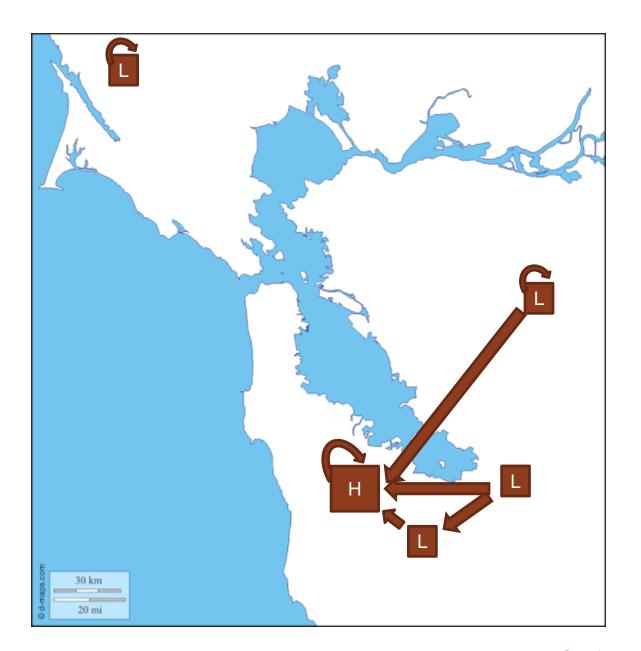
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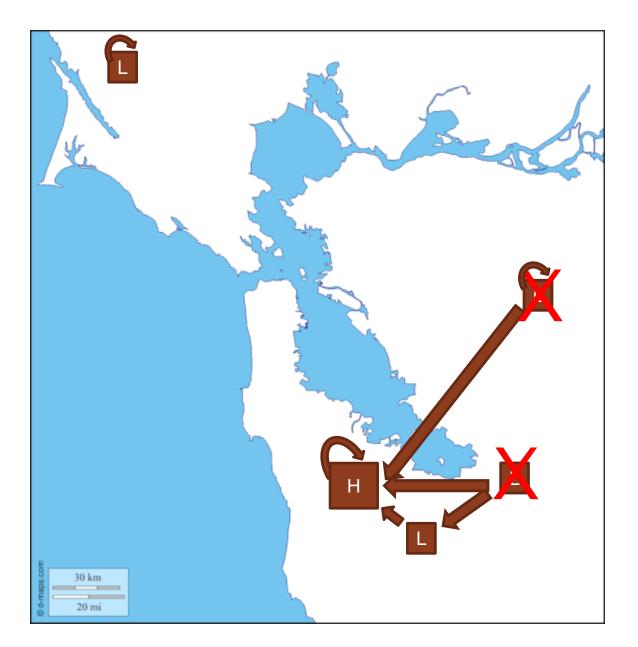
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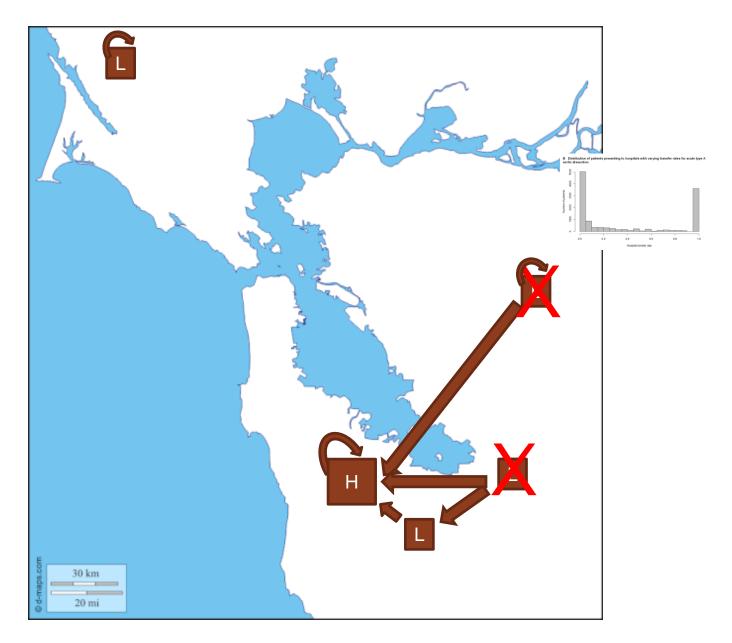
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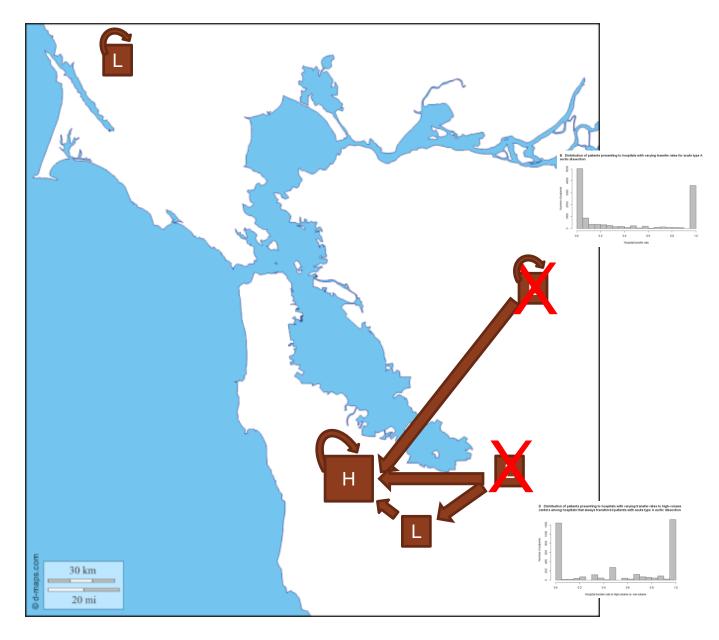
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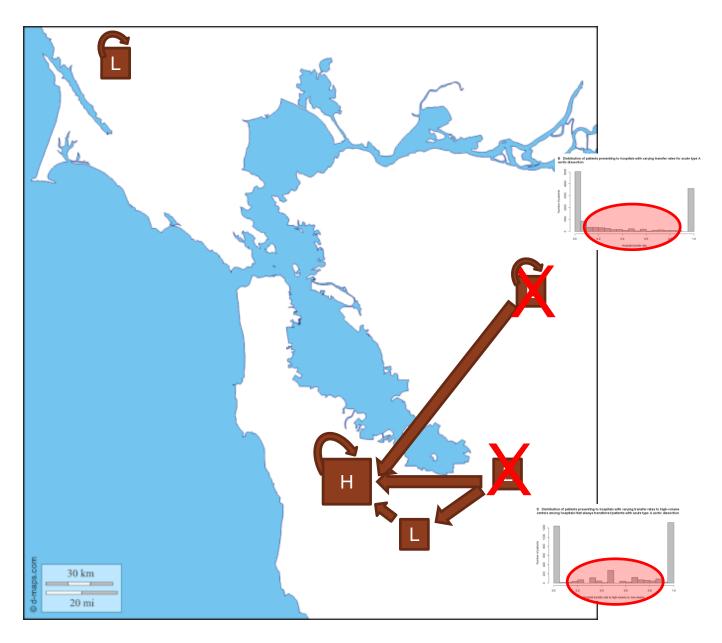
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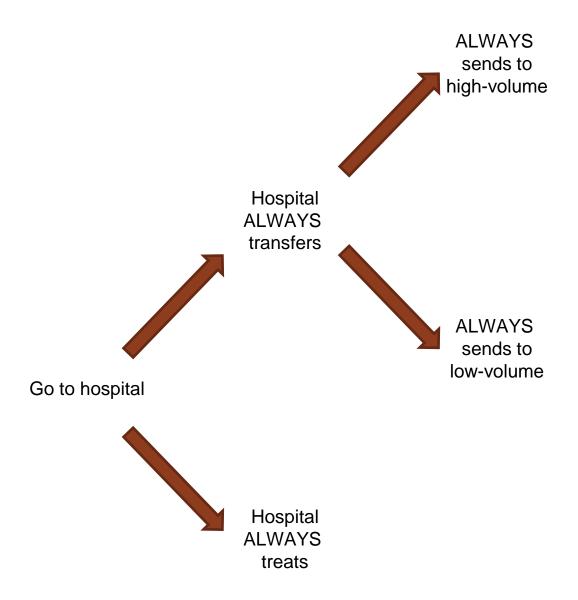
**Stanford University** 

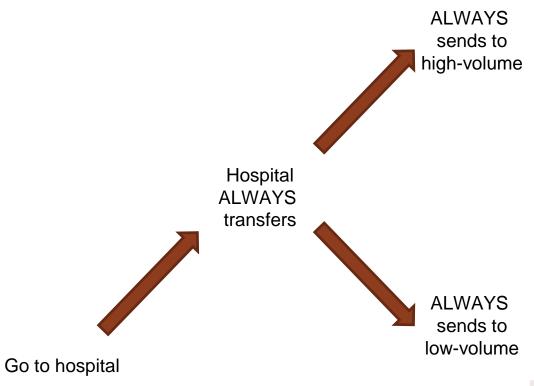


**Stanford University** 



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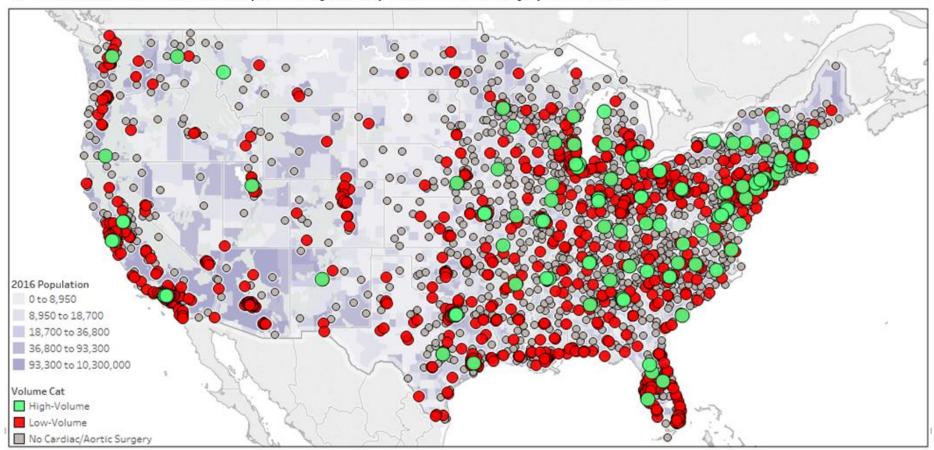




	Hospital
_	ALWAYS
	treats

	high	low
transfer		
stay		

#### A Distribution of United States Hospitals Categorized by Proximal Aortic Surgery Volume, 1999-2010



We have to think about the decision making process that goes into these decisions.

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Why are hospitals always sending? Always keeping?

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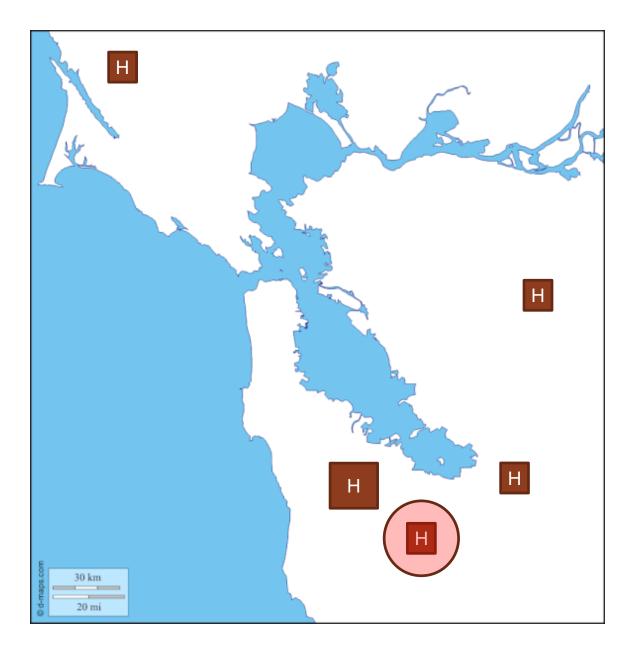
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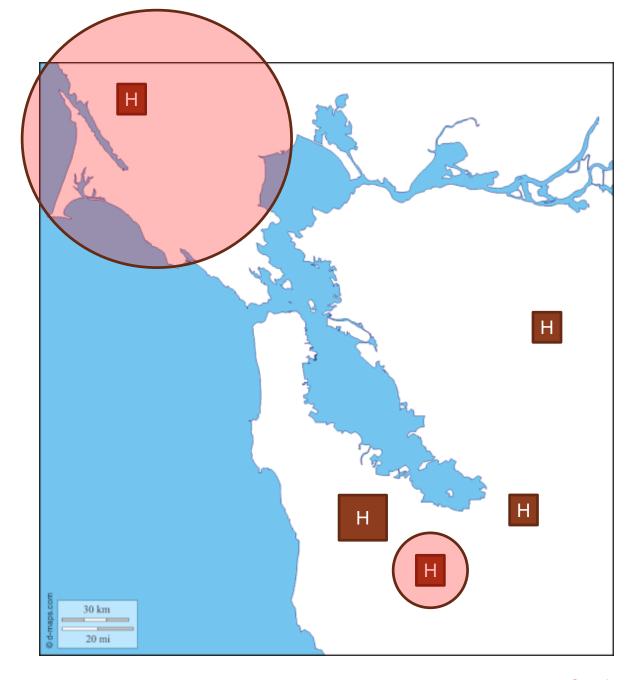
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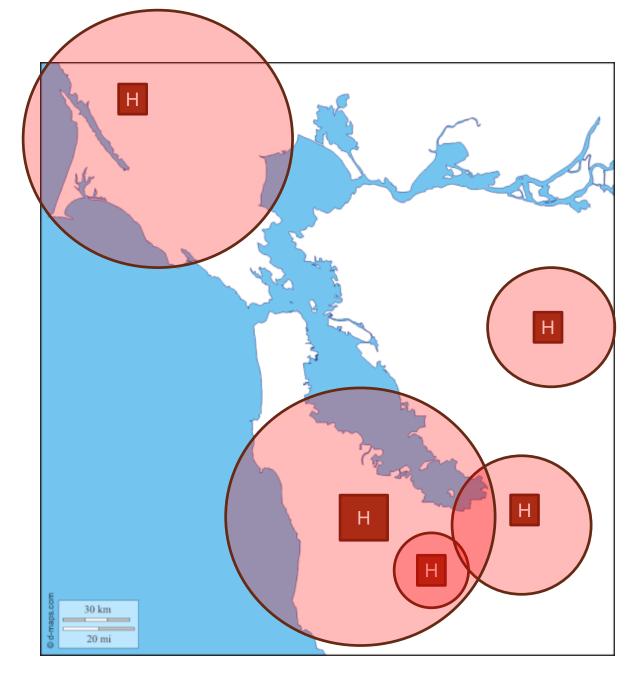
How did patients end up at the original hospital?



**Stanford University** 



**Stanford University** 



**Stanford University** 

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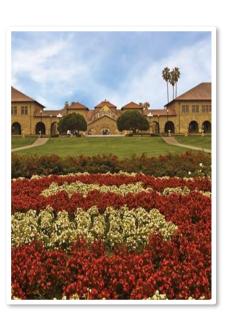
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NEMSIS data base: (nearly) all EMS transport records in the USA. 50% patient/family decision, 40% proximity

results



Operative Mortality	Transferred vs. Stayed (reference)			Rerouted vs. Not Rerouted (reference)*		
Group Contrast Measure	Estimate	95% CI	P Value	Estimate	95% CI	P Value
Absolute Risk Difference (%)	-0.62	-2.6 - 1.34	0.57	-7.5	-10.64.4	<0.001
Odds Ratio	0.97	0.87 - 1.08	0.55	0.68	0.57 - 0.80	< 0.001
Number Needed to Treat (no.)	-	-	-	14	9 - 23	-
Overall Survival	Transferred vs. Stayed (reference)			Rerouted vs. Not Rerouted (reference)		
Group Contrast Measure	Estimate	95% CI	P Value	Estimate	95% CI	P Value
Hazard Ratio (PH model)	1.02	0.94 - 1.11	0.64	0.8	0.74 - 0.86	<0.001
Restricted Mean Survival Time		15 years			15 years	
Difference (days)	-44.9	-141.2 - 51.5	0.36	232.2	105.2 - 359.1	< 0.001
Ratio	0.98	0.94 - 1.02	0.36	1.12	1.05 - 1.18	< 0.001
Ratio of Restricted Mean Time Lost	1.02	0.98 - 1.05	0.36	0.93	0.89 - 0.97	< 0.001

<sup>\*</sup>Gamma = 1.32 for this comparison. The gamma parameter estimates the amount of unmeasured bias necessary to render the finding null. For interpretation, sickest patients requiring rerouting (to regionalize care) would need to have a 33% increased odds of needing to be rerouted (despite matching) in order for the presented findings to be null.

CI, confidence interval; PH, proportional hazards

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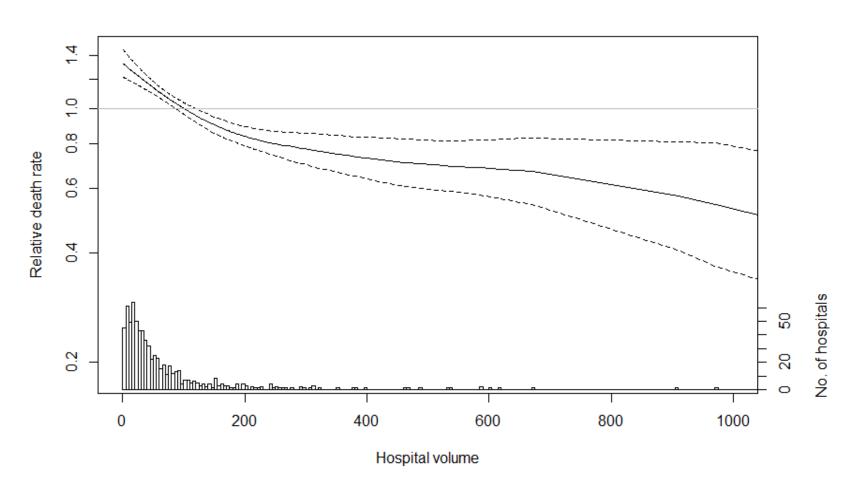
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Table 2. Between-Group Differences in Operative Mortality and Overall Survival for Comparison of Transfer and Regionalization

Operative Mortality	Transferred vs. Stayed (reference)			Rerouted vs. Not Rerouted (reference)*		
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- (b)
- (c)

- (a) Perhaps we're "biasing" because we're only using certain types of hospitals.
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Overall Survival	Transferr	ed vs. Stayed (r	eference)	Rerouted v	s. Not Rerouted	(reference)	
Group Contrast Measure	Estimate	95% CI	P Value	Estimate	95% CI	P Value	
Hazard Ratio (PH model)	1.02	0.94 - 1.11	0.64	0.8	0.74 - 0.86	< 0.001	
Restricted Mean Survival Time		15 years			15 years		
Difference (days)	-44.9	-141.2 - 51.5	0.36	232.2	105.2 - 359.1	< 0.001	
Ratio	0.98	0.94 - 1.02	0.36	1.12	1.05 - 1.18	< 0.001	
Ratio of Restricted Mean Time Lost	1.02	0.98 - 1.05	0.36	0.93	0.89 - 0.97	< 0.001	

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Table \$7. Propensity Score Analsyis - Between-Group Differences in Operative Mortality and Overall Survival for Comparison of Transfer and Regionalization

Operative Mortality	Transferi	ed vs. Stayed (r	eference)	High-Volume	vs. Low-Volume	(reference)*	Rerouted vs.	Not Rerouted (	reference)**
Group Contrast Measure	Estimate	95% CI	P Value	Estimate	95% CI	P Value	Estimate	95% CI	P Value
Absolute Risk Difference (%)	-1.7	-3.20.001	0.03	-6.1	-7.74.5	< 0.001	-9.6	-11.47.8	< 0.001
Odds Ratio	0.9	0.82 - 0.99	0.03	0.73	0.67 - 0.79	< 0.001	0.6	0.54 - 0.67	< 0.001
Number Needed to Treat (no.)	-	-	-	17	13 - 23	-	11	9 - 13	-
Overall Survival	Transfer	ed vs. Stayed (r	eference)	High-Volume	vs. Low-Volume	(reference)*	Rerouted vs.	. Not Rerouted (	reference)**
Group Contrast Measure	Estimate	95% CI	P Value	Estimate	95% CI	P Value	Estimate	95% CI	P Value
Hazard Ratio (PH model)	1.02	0.94 - 1.11	0.64	0.76	0.71 - 0.80	< 0.001	0.8	0.74 - 0.86	< 0.001
Restricted Mean Survival Time		15 years			15 years			15 years	
Difference (days)	-44.9	-141.2 - 51.5	0.36	300.6	206.4 - 394.7	< 0.001	232.2	105.2 - 359.1	< 0.001
Ratio	0.98	0.94 - 1.02	0.36	1.15	1.10 - 1.20	< 0.001	1.12	1.05 - 1.18	< 0.001
Ratio of Restricted Mean Time Lost	1.02	0.98 - 1.05	0.36	0.9	0.88 - 0.93	<0.001	0.93	0.89 - 0.97	< 0.001

<sup>\*</sup> Gamma = 1.31

<sup>\*\*</sup> Gamma = 1.44

 Table S7. Propensity Score Analysis - Between-Group Differences in Operative Mortality and Overall Survival for Comparison of Transfer and Regionalization

Operative Mortality	Transferi	red vs. Stayed (r	eference)	High-Volume	vs. Low-Volume	(reference)*	Rerouted vs.	. Not Rerouted (	reference)**
Group Contrast Measure	Estimate	95% CI	P Value	Estimate	95% CI	P Value	Estimate	95% CI	P Value
Absolute Risk Difference (%)	-1.7	-3.20.001	0.03	-6.1	-7.74.5	<0.001	-9.6	-11.47.8	<0.001
Odds Ratio	0.9	0.82 - 0.99	0.03	0.73	0.67 - 0.79	< 0.001	0.6	0.54 - 0.67	< 0.001
Number Needed to Treat (no.)	-	-	-	17	13 - 23	-	11	9 - 13	-
Overall Survival	Transferi	red vs. Stayed (r	eference)	High-Volume	vs. Low-Volume	(reference)*	Rerouted vs	. Not Rerouted (	reference)**
Group Contrast Measure	Estimate	95% CI	P Value	Estimate	95% CI	P Value	Estimate	95% CI	P Value
Hazard Ratio (PH model)	1.02	0.94 - 1.11	0.64	0.76	0.71 - 0.80	<0.001	0.8	0.74 - 0.86	< 0.001
Restricted Mean Survival Time		15 years			15 years			15 years	
Difference (days)	-44.9	-141.2 - 51.5	0.36	300.6	206.4 - 394.7	< 0.001	232.2	105.2 - 359.1	< 0.001
Ratio	0.98	0.94 - 1.02	0.36	1.15	1.10 - 1.20	< 0.001	1.12	1.05 - 1.18	< 0.001
Ratio of Restricted Mean Time Lost	1.02	0.98 - 1.05	0.36	0.9	0.88 - 0.93	<0.001	0.93	0.89 - 0.97	<0.001

<sup>\*</sup> Gamma = 1.31

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Table \$7. Propensity Score Analsyis - Between-Group Differences in Operative Mortality and Overall Survival for Comparison of Transfer and Regionalization

Operative Mortality Transferred vs. Stayed (reference)				High-Volume vs. Low-Volume (reference)* Rerouted vs. Not Rerouted (reference)					
Group Contrast Measure	Estimate	95% CI	P Value	Estimate	95% CI	P Value	Estimate	95% CI	P Value
Absolute Risk Difference (%)	-1.7	-3.20.001	0.03	-6.1	-7.74.5	<0.001	-9.6	-11.47.8	<0.001
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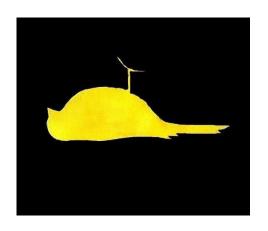
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 Table S7. Propensity Score Analysis - Between-Group Differences in Operative Mortality and Overall Survival for Comparison of Transfer and Regionalization

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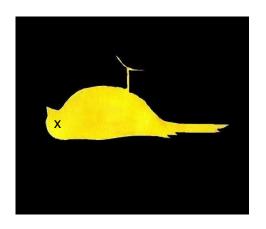


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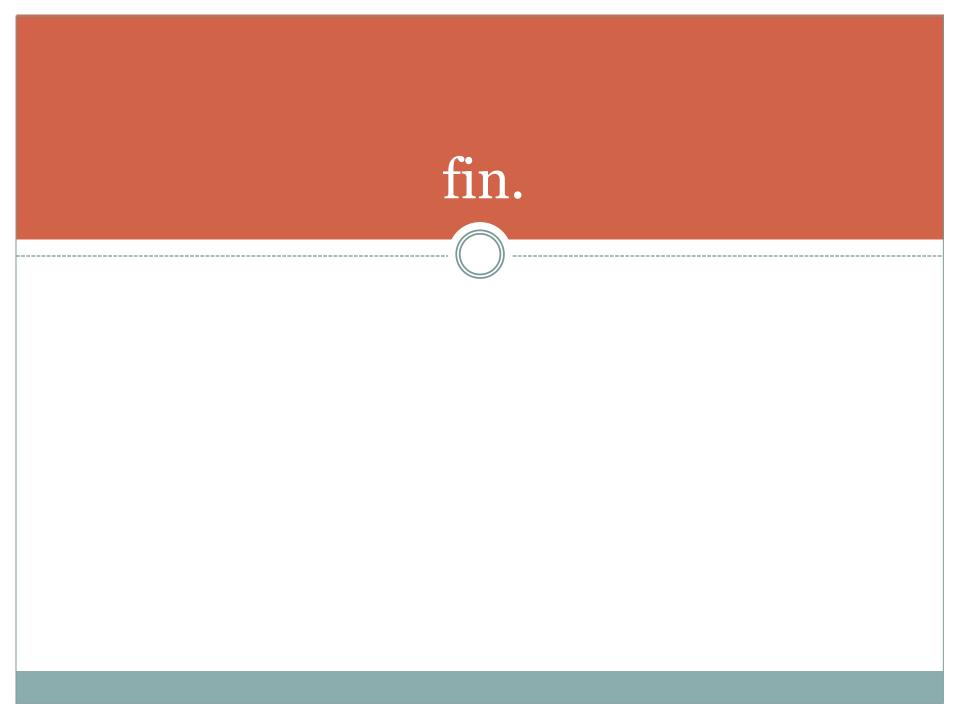
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# difference-in-differences

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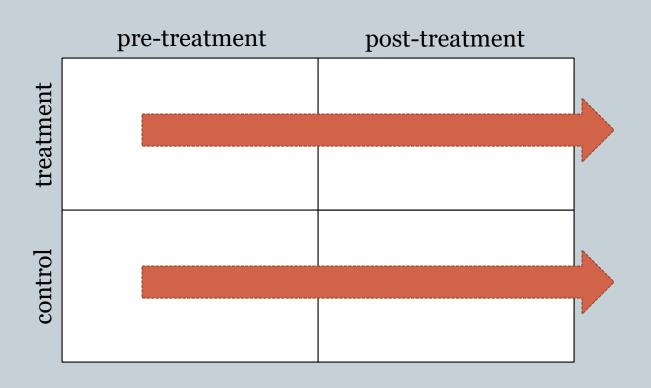
pre-treatment

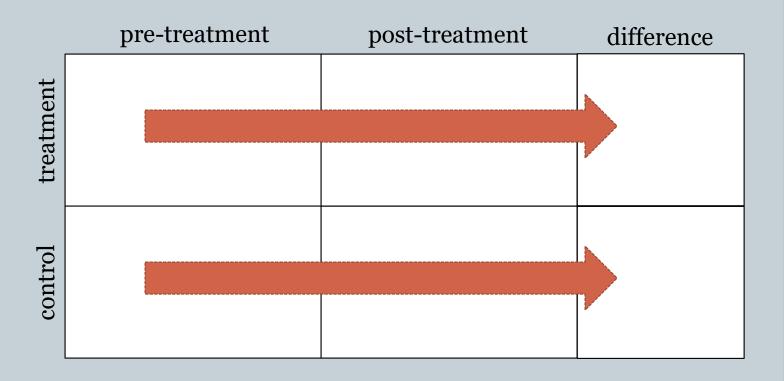
treatment

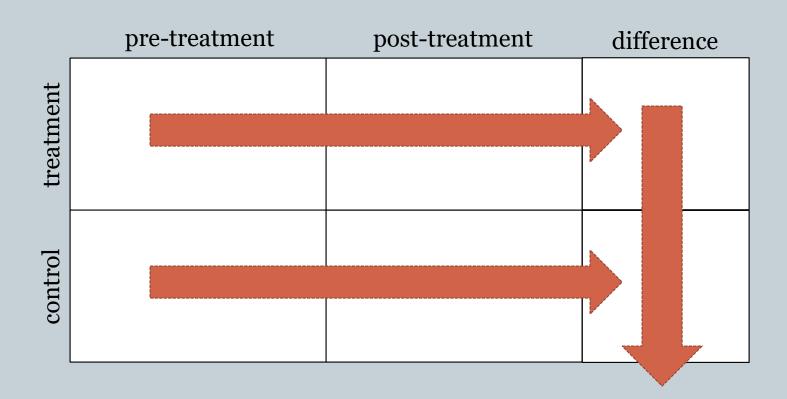


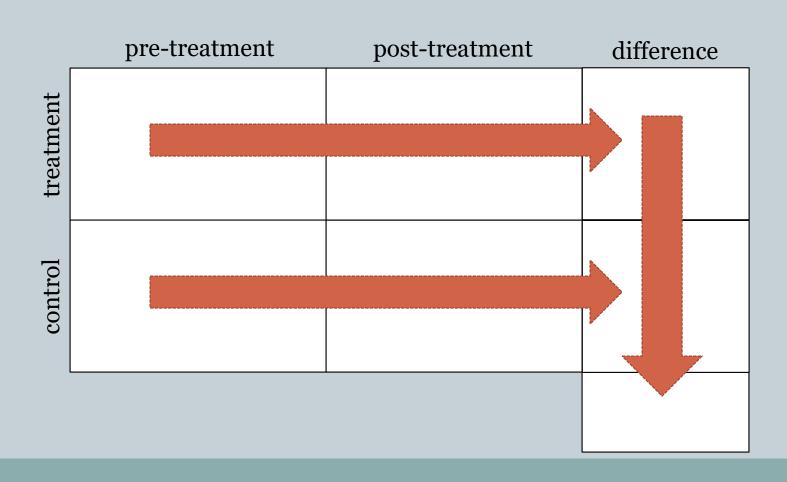
	pre-treatment	post-treatment
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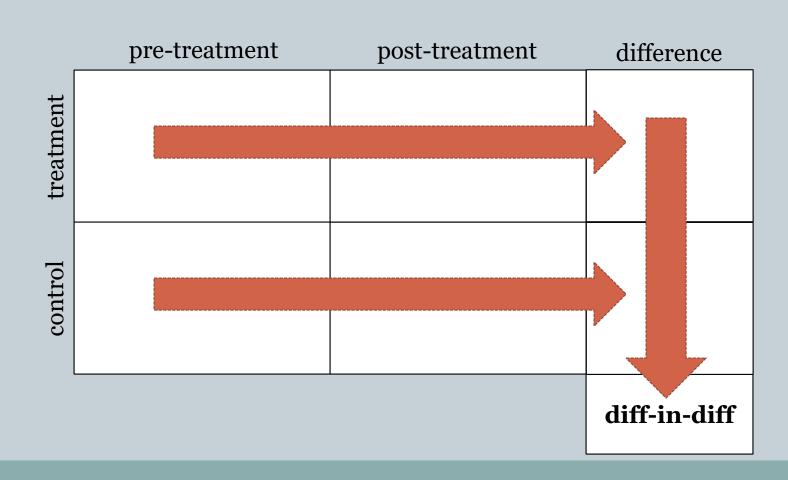
	pre-treatment	post-treatment
treatment		
control		











• Inference:

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  - Researchers end up using matching a lot in diff-in-diff designs.

In a structural equation model approach:

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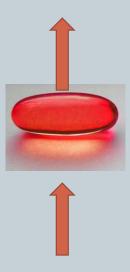
$$y_{i,t} = \beta_0 + \beta_t * t_i + \beta_d * d_i + \beta_{t*d} t_i * d_i + \varepsilon_{i,t}$$

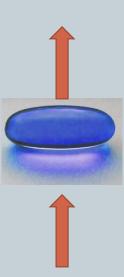
In a structural equation model approach:

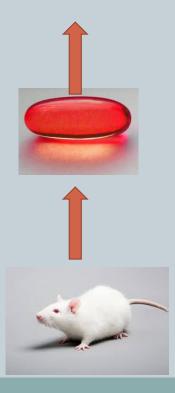
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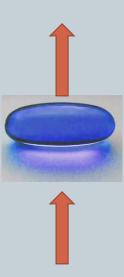
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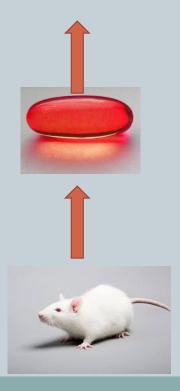
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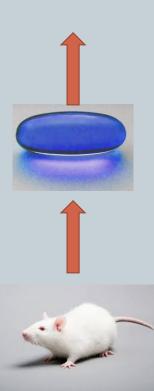


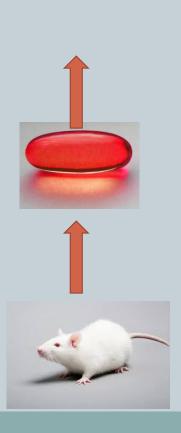


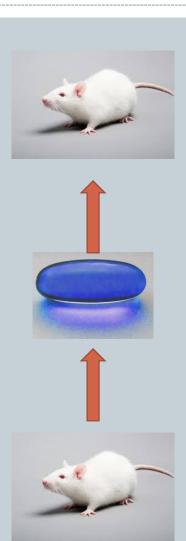


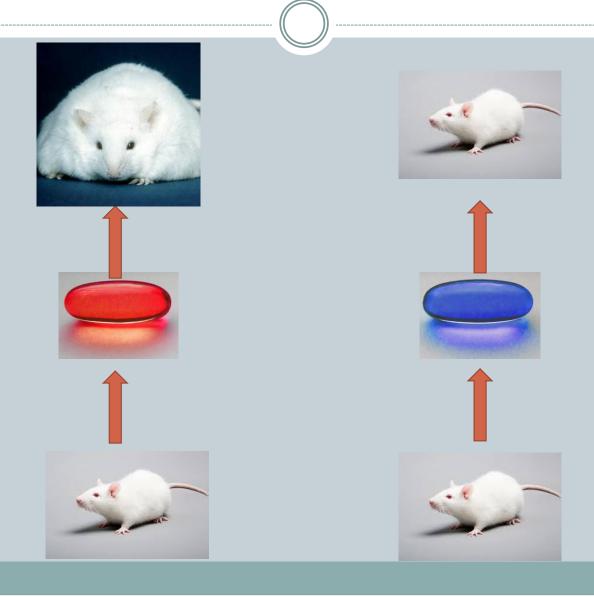


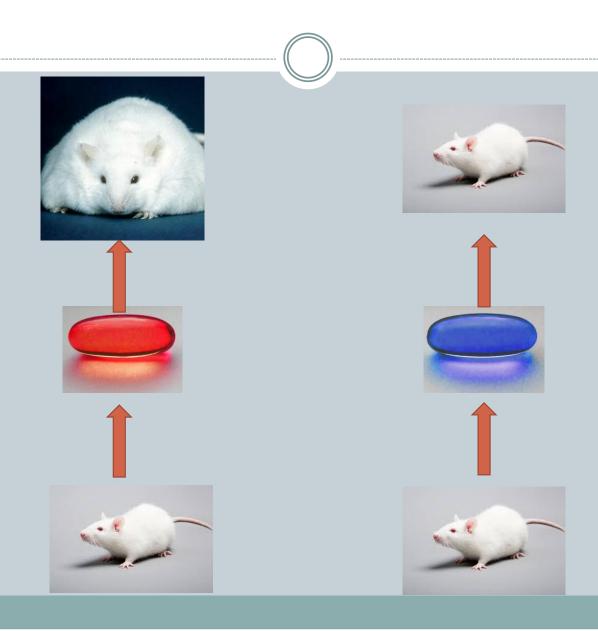


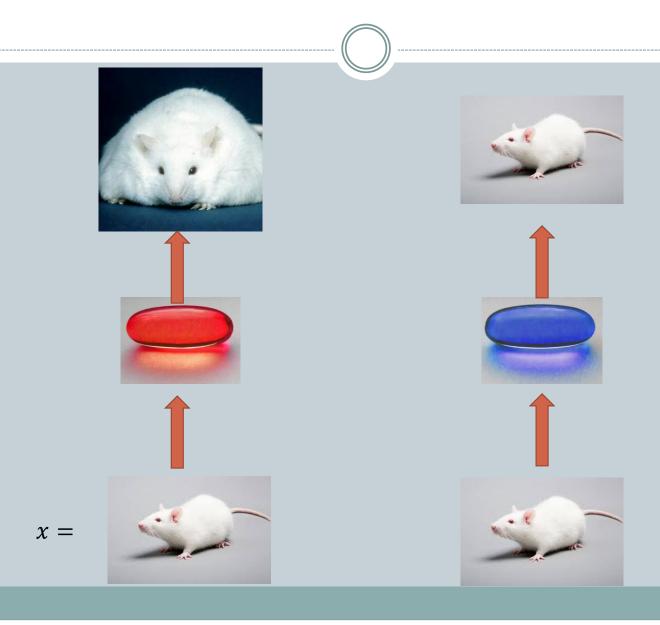


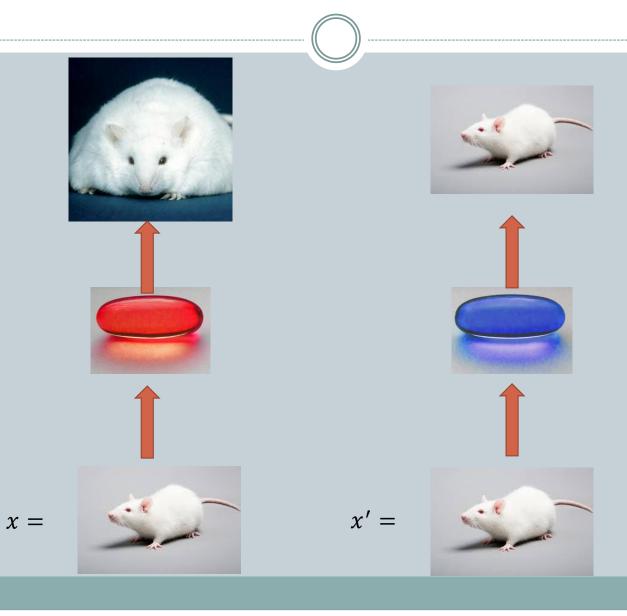












$$\mathbf{r}_{\mathsf{T}} = f(d = 1, X = x)$$

$$\mathbf{r}_{\mathsf{C}} = f(d = 0, X = x')$$

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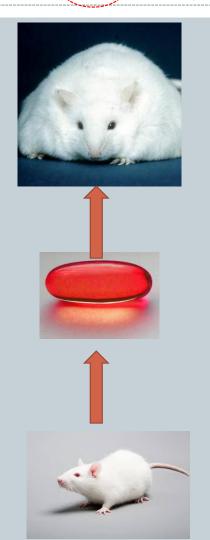
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#### The only difference

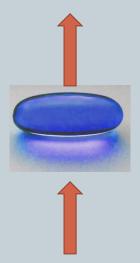
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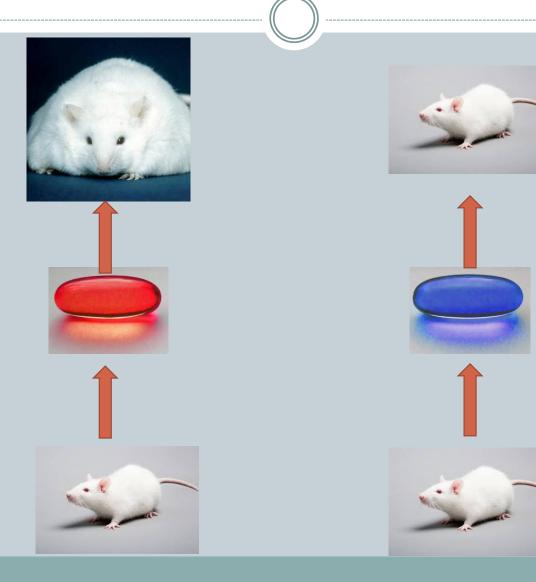


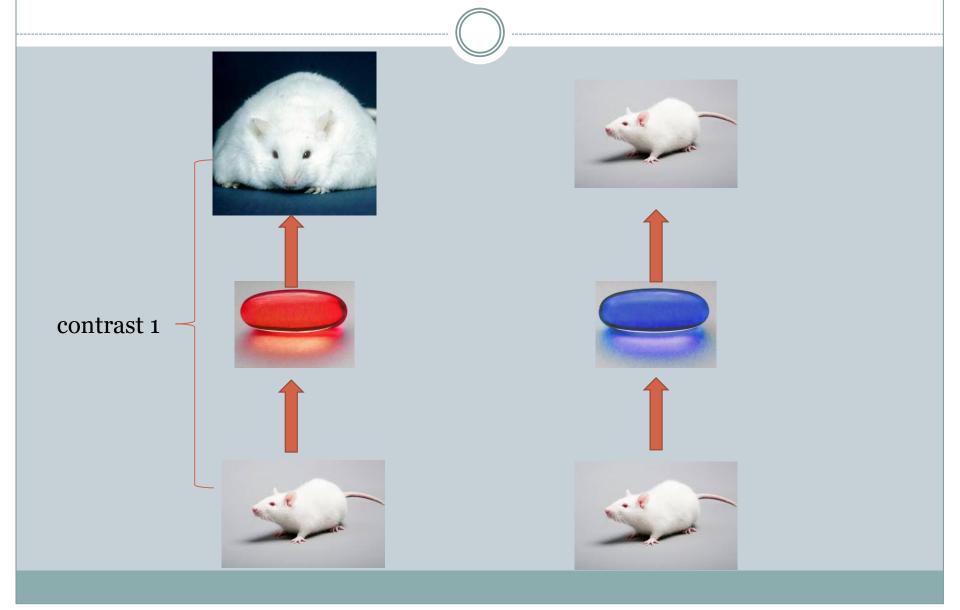


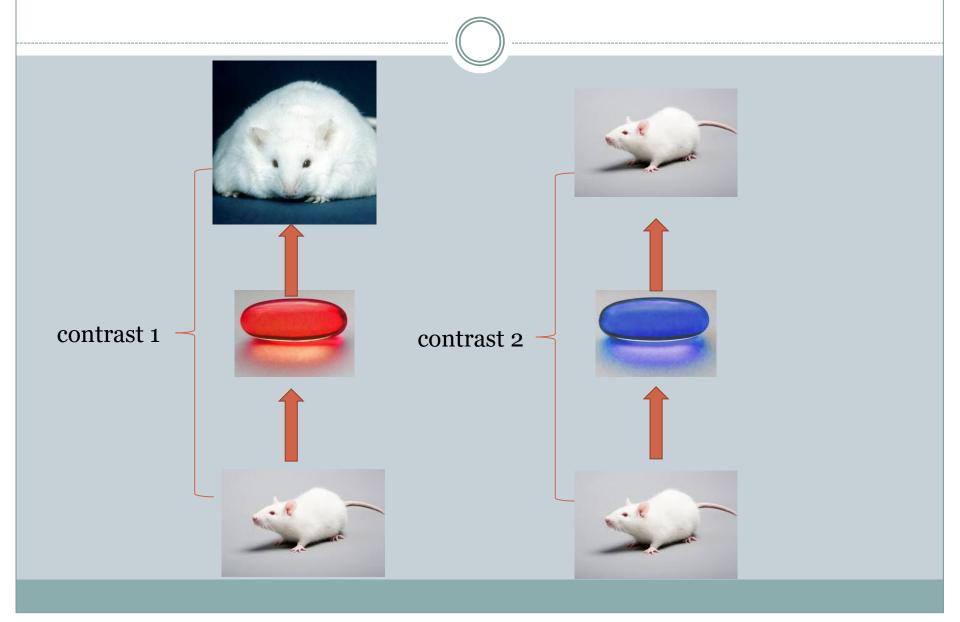


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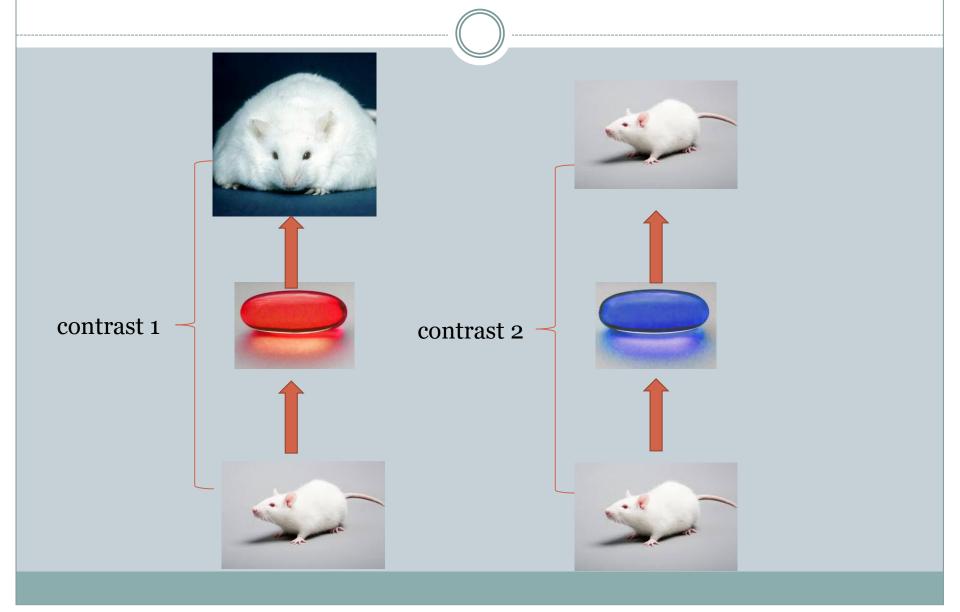
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#### (contrast 1) – (contrast 2) = difference-in-differences



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